

Et pourtant ils s'attirent: le cas de la supraconductivité à haute température

A.-M. Tremblay



CIFAR
CANADIAN INSTITUTE
for ADVANCED RESEARCH

 UNIVERSITÉ DE
SHERBROOKE

Sherbrooke, 8 juillet 2015



UNIVERSITÉ
SHERBROOKE

Half-filled band is metallic?



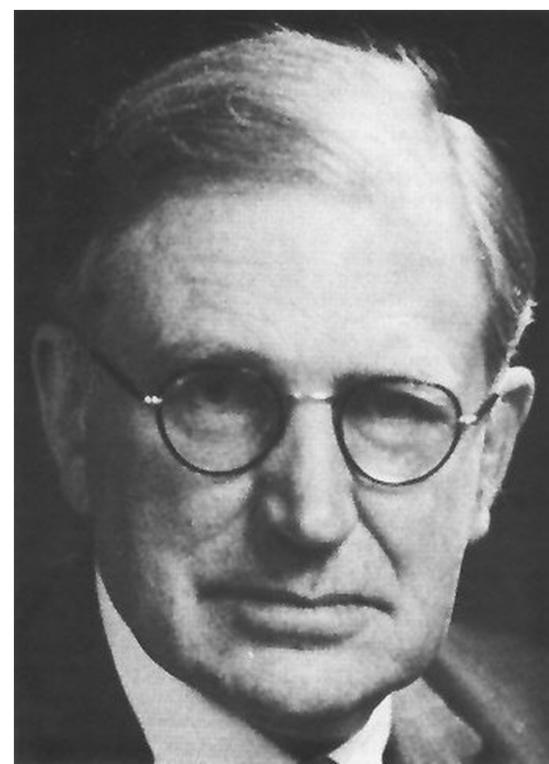
UNIVERSITÉ DE
SHERBROOKE

Half-filled band: Not always a metal

NiO, Boer and Verway



Peierls, 1937



Mott, 1949



UNIVERSITÉ DE
SHERBROOKE

BCS Superconductivity



UNIVERSITÉ DE
SHERBROOKE

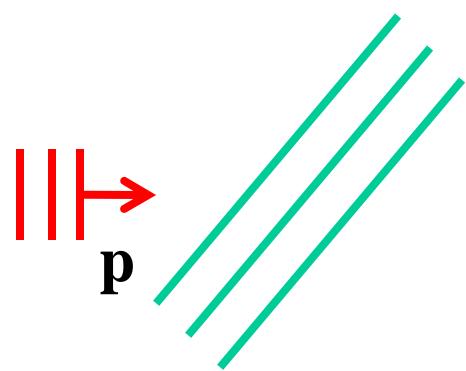
Superconductivity

© Alexis Reymbaut

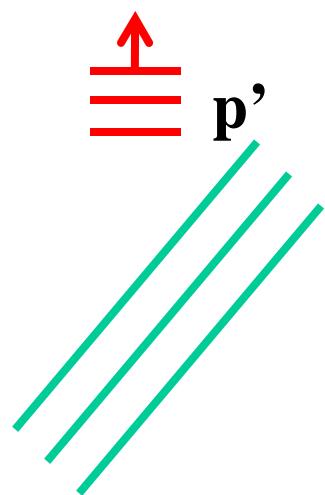


UNIVERSITÉ DE
SHERBROOKE

Attraction mechanism in the metallic state

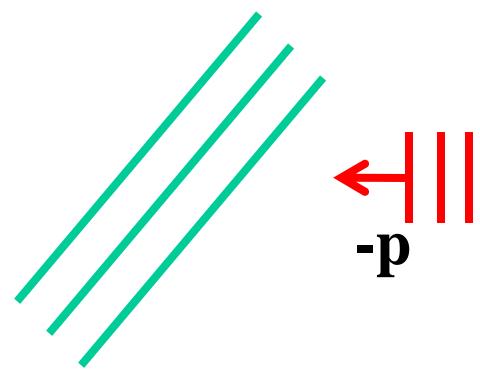


Attraction mechanism in the metallic state



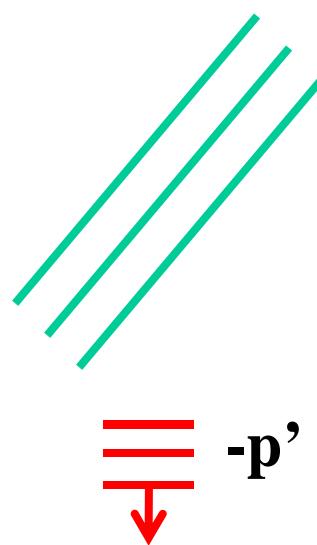
UNIVERSITÉ DE
SHERBROOKE

Attraction mechanism in the metallic state

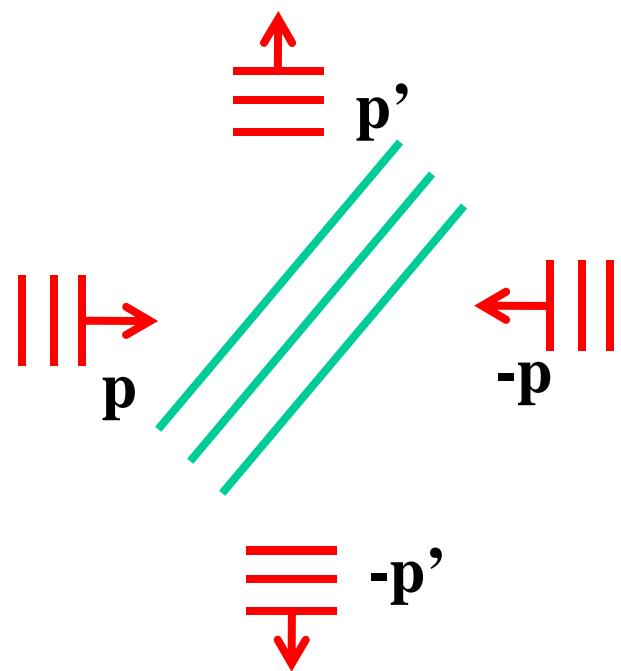


UNIVERSITÉ DE
SHERBROOKE

Attraction mechanism in the metallic state



Attraction mechanism in the metallic state



#1 Cooper pair, #2 Phase coherence

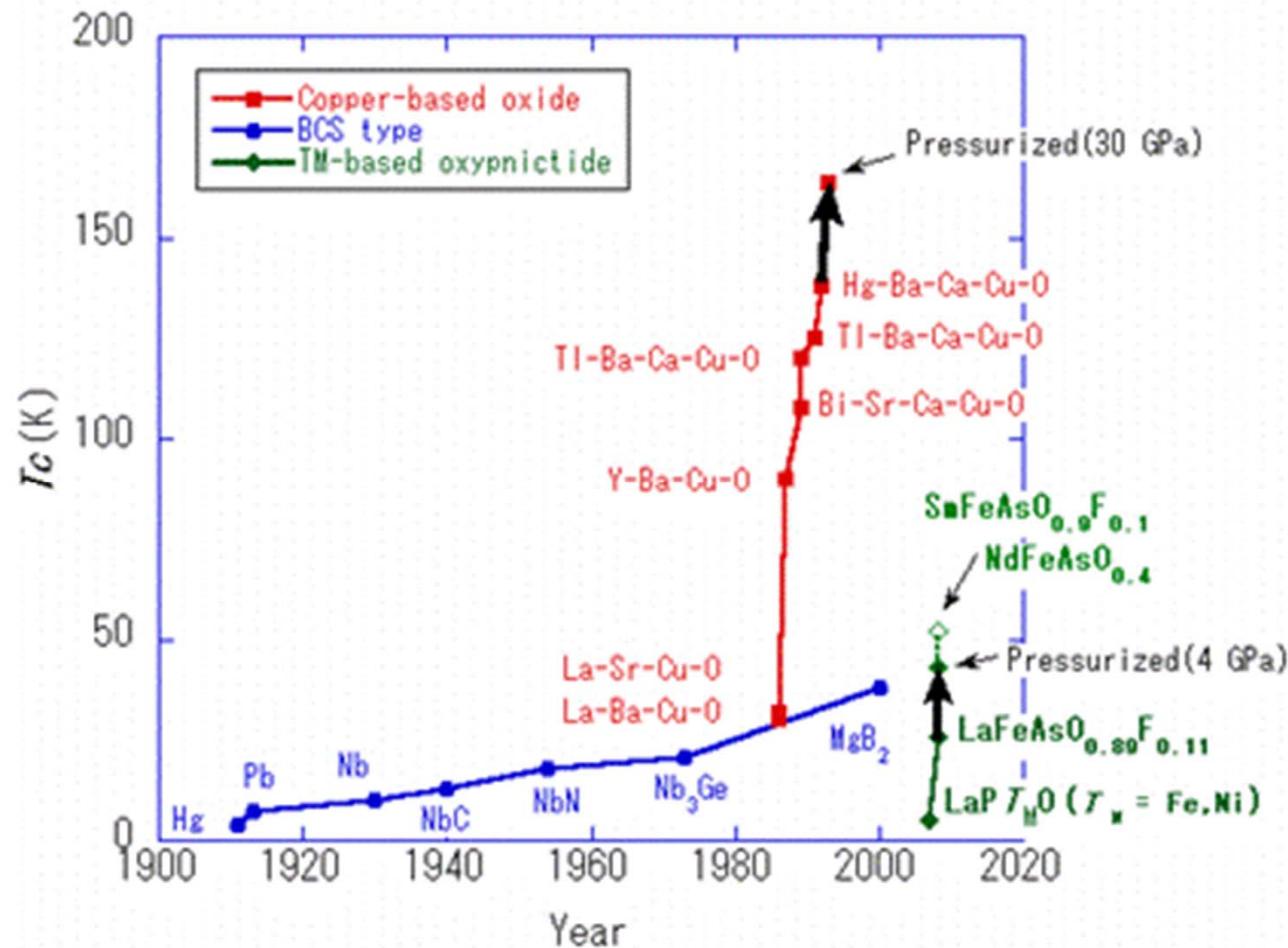
$$E_P = \sum_{\mathbf{p}, \mathbf{p}'} U_{\mathbf{p}-\mathbf{p}'} \psi_{\mathbf{p}\uparrow, -\mathbf{p}\downarrow} \psi_{\mathbf{p}'\uparrow, -\mathbf{p}'\downarrow}^*$$

$$E_P = \sum_{\mathbf{p}, \mathbf{p}'} U_{\mathbf{p}-\mathbf{p}'} \left(\langle \psi_{\mathbf{p}\uparrow, -\mathbf{p}\downarrow} \rangle \psi_{\mathbf{p}'\uparrow, -\mathbf{p}'\downarrow}^* + \psi_{\mathbf{p}\uparrow, -\mathbf{p}\downarrow} \langle \psi_{\mathbf{p}'\uparrow, -\mathbf{p}'\downarrow}^* \rangle \right)$$

$$|\text{BCS}(\theta)\rangle = \dots + e^{iN\theta} |N\rangle + e^{i(N+2)\theta} |N+2\rangle + \dots$$

Kinetic energy increases

New and old superconductors



H. Takahashi: JPSJ Online—News and Comments [June 10, 2008]

March meeting APS, 1987

- New York Times headlines
"The Woodstock of Physics"

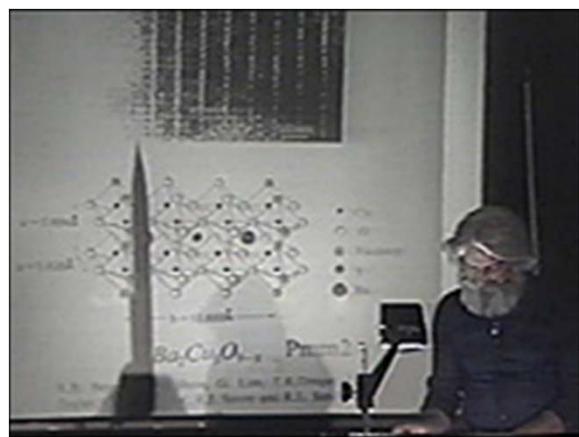
"They began lining up outside the New York Hilton Sutton Ballroom at 5:30PM for an evening session that would last until 3:00 AM"



15-18 Aug. 1969
500,000 participants



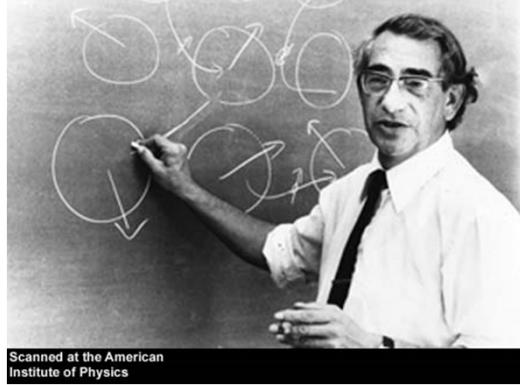
UNIVERSITÉ DE
SHERBROOKE



UNIVERSITÉ
DE
SHERBROOKE

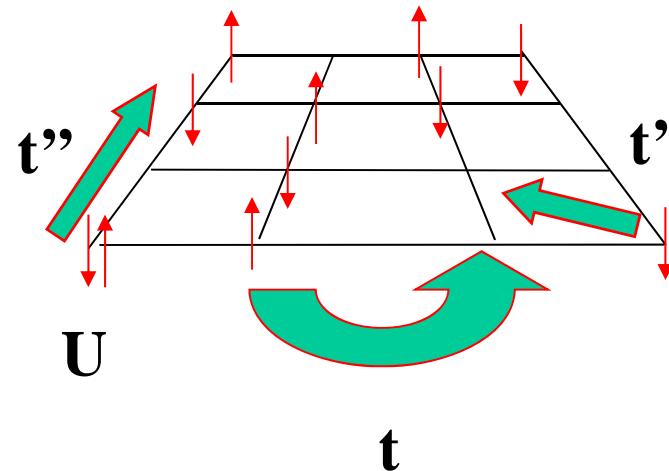
Simplest Model for Mott insulator

Hubbard model



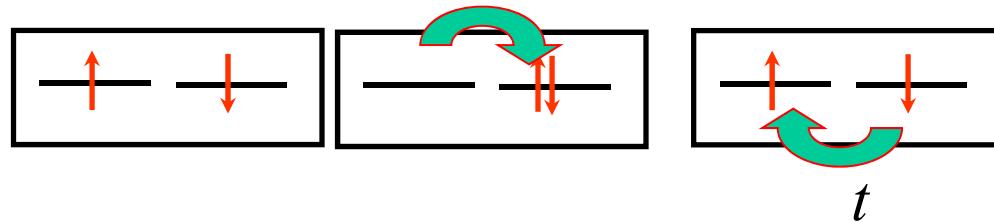
Scanned at the American Institute of Physics

μ



1931-1980

$$H = -\sum_{\langle ij \rangle \sigma} t_{i,j} (c_{i\sigma}^\dagger c_{j\sigma} + c_{j\sigma}^\dagger c_{i\sigma}) + U \sum_i n_{i\uparrow} n_{i\downarrow}$$



Effective model, Heisenberg: $J = 4t^2 / U$



UNIVERSITÉ DE
SHERBROOKE

Superconductivity and attraction?



UNIVERSITÉ DE
SHERBROOKE

Cuprates

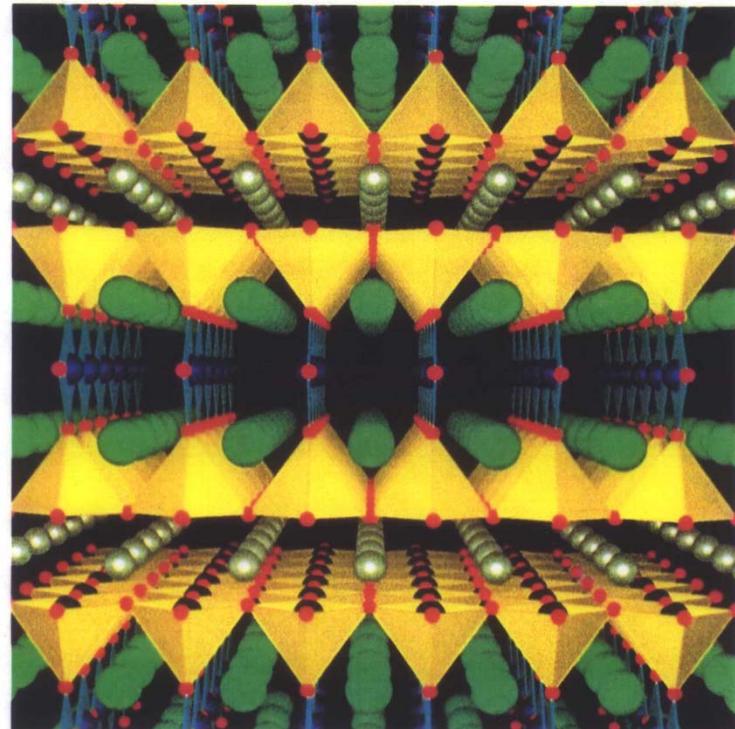
SCIENTIFIC AMERICAN

How nonsense is deleted from genetic messages.

Rx for economic growth: aggressive use of new technology.

Can particle physics test cosmology?

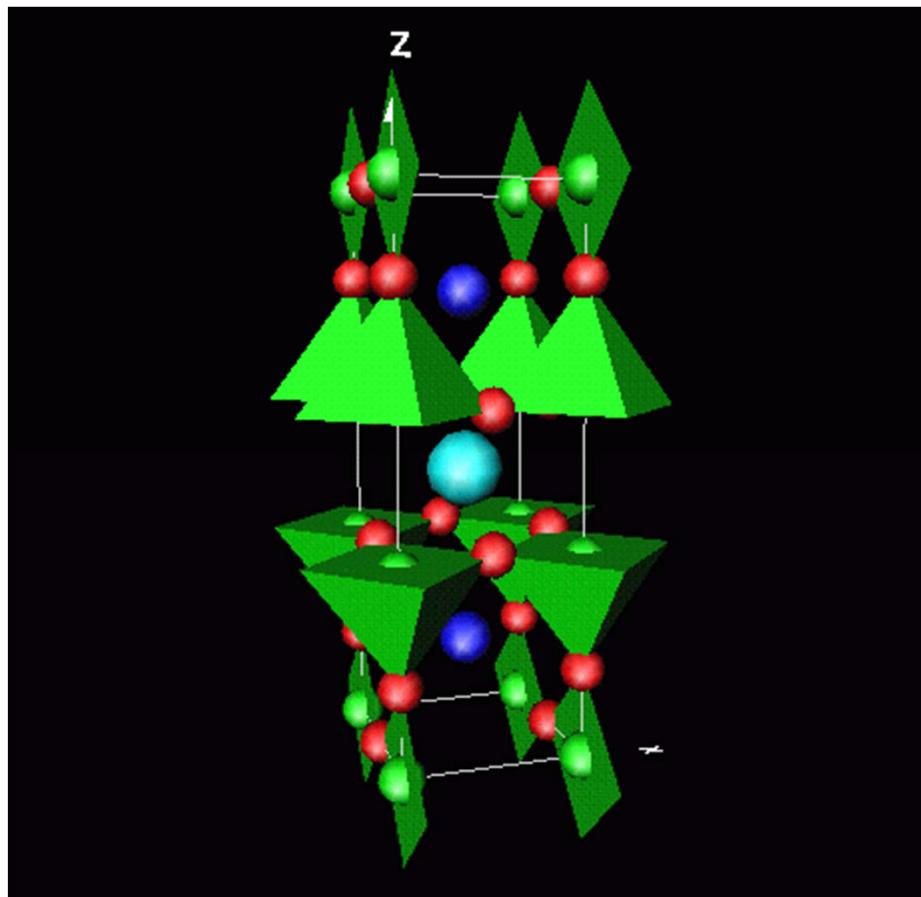
JUNE 1988
\$3.50



High-Temperature Superconductor belongs to a family of materials that exhibit exotic electronic properties.

$\text{YBa}_2\text{Cu}_3\text{O}_{7-\delta}$

92-37

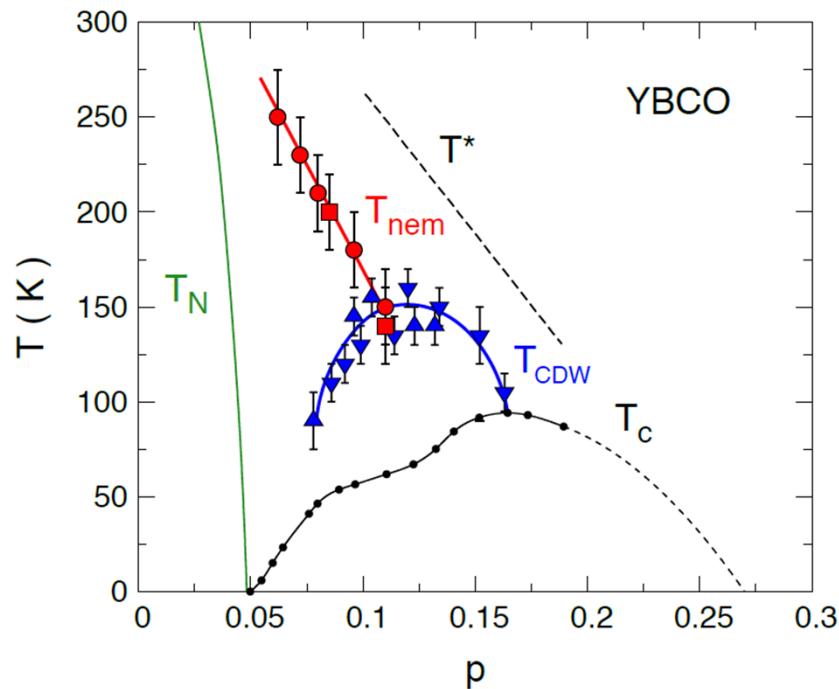


UNIVERSITÉ DE
SHERBROOKE

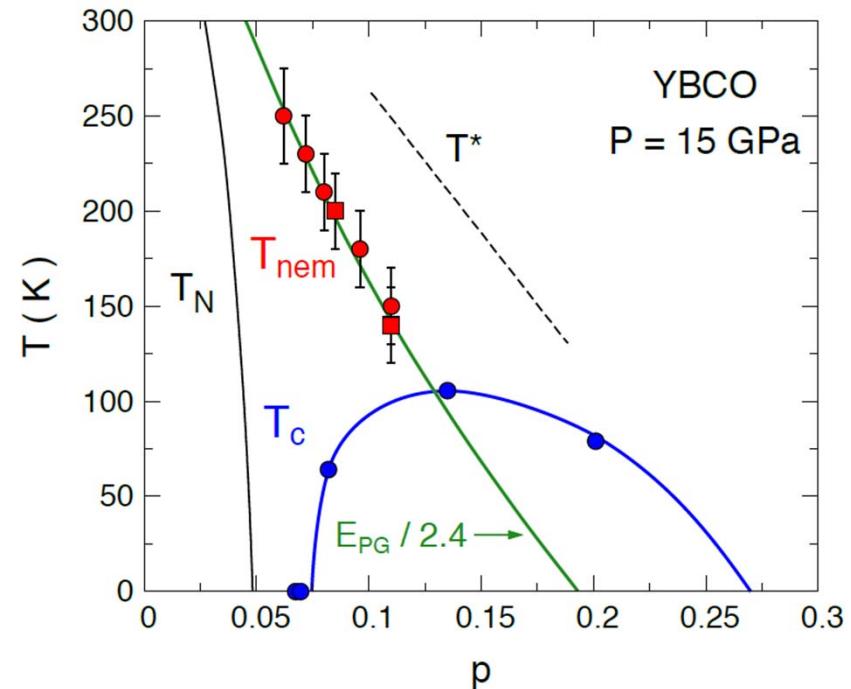
Phase diagram

The central line – $T_x = T_{\text{nem}}$

$$T_{\text{nem}} = E_{\text{PG}} / 2.4$$



T_{nem} hits T_{CDW} dome at peak



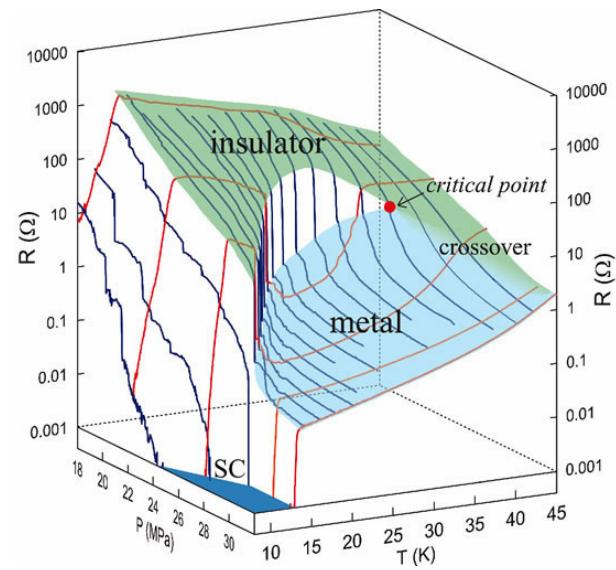
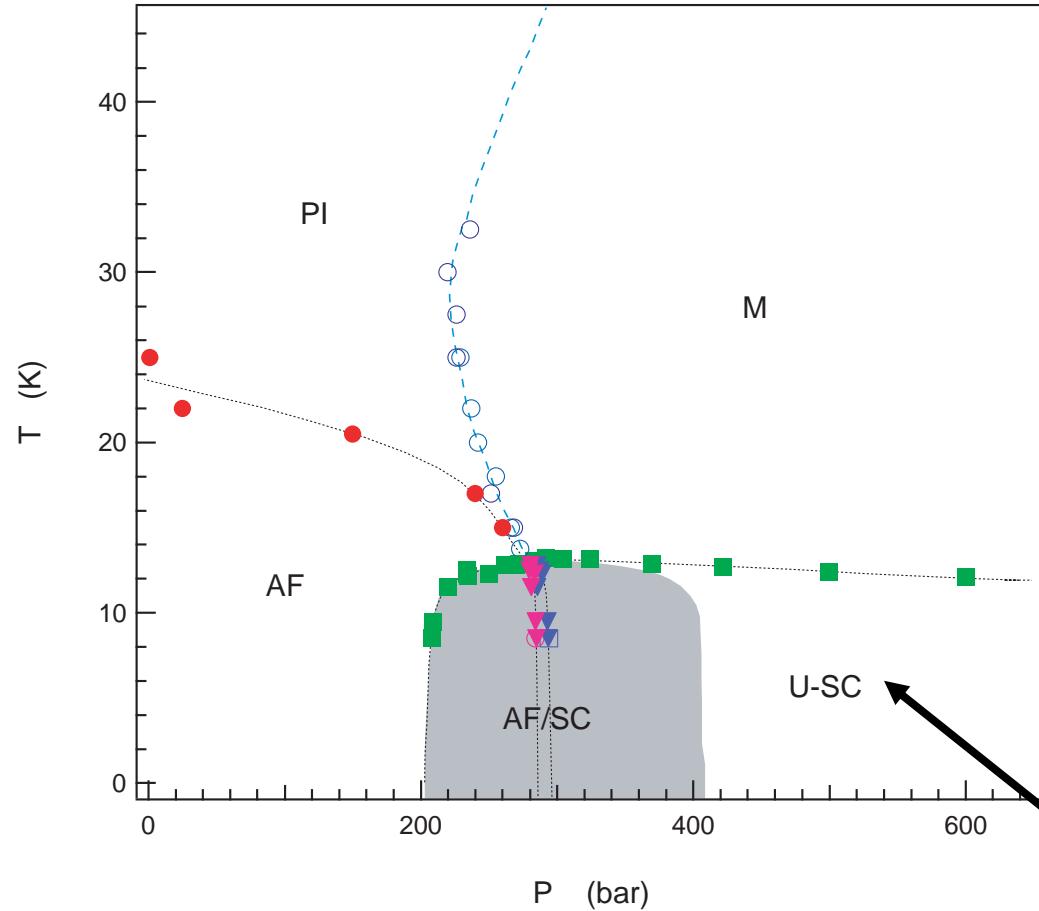
T_{nem} hits T_c dome at peak

Cyr-Choinière *et al.* arXiv:1503.02033



UNIVERSITÉ DE
SHERBROOKE

Phase diagram for organics



F. Kagawa, K. Miyagawa, + K. Kanoda
PRB **69** (2004) +Nature **436** (2005)

B_g for C_{2h} and B_{2g} for D_{2h}
Powell, McKenzie cond-mat/0607078

Phase diagram ($X=\text{Cu}[\text{N}(\text{CN})_2]\text{Cl}$)

S. Lefebvre et al. PRL **85**, 5420 (2000), P. Limelette, et al. PRL **91** (2003)

Outline

- Method
- $T=0$ phase diagram
- Finite T phase diagram
 - Normal state
 - First order transition
 - Widom line and pseudogap
 - Superconductivity
 - Condensation energy
 - Superfluid density



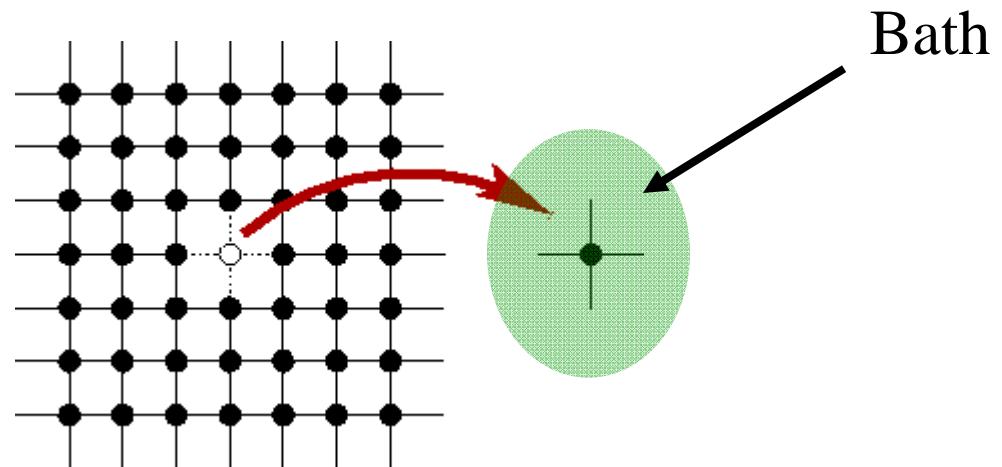
Method

“The effect of concept-driven revolution is to explain old things in new ways. The effect of tool-driven revolution is to discover new things that have to be explained.”

Freeman Dyson *Imagined Worlds*

Mott transition and Dynamical Mean-Field Theory. The beginnings in $d = infinity$

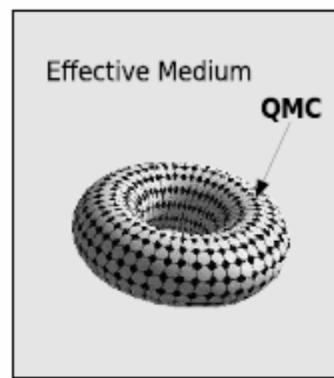
- Compute scattering rate (self-energy) of impurity problem.
- Use that self-energy (ω dependent) for lattice.
- Project lattice on single-site and adjust bath so that single-site DOS obtained both ways be equal.



W. Metzner and D. Vollhardt, PRL (1989)
A. Georges and G. Kotliar, PRB (1992)
M. Jarrell PRB (1992)

DMFT, ($d = 3$)

2d Hubbard: Quantum cluster method

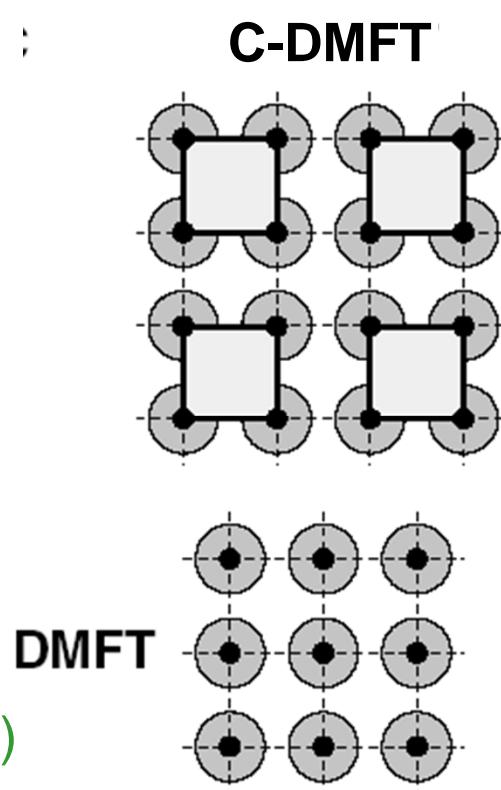


DCA

Hettler ... Jarrell ... Krishnamurty PRB **58** (1998)

Kotliar et al. PRL **87** (2001)

M. Potthoff et al. PRL **91**, 206402 (2003).



REVIEWS

Maier, Jarrell et al., RMP. (2005)

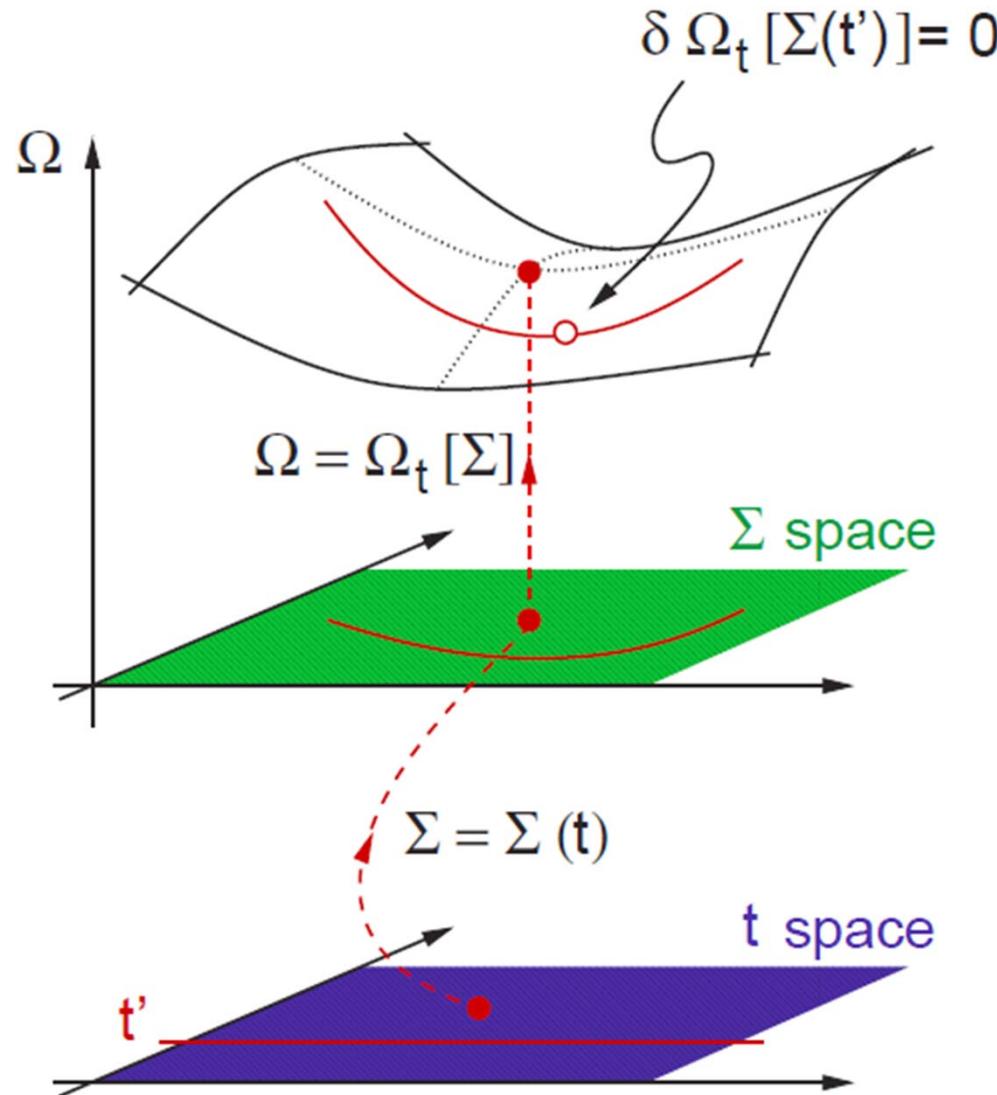
Kotliar et al. RMP (2006)

AMST et al. LTP (2006)



UNIVERSITÉ
DE
SHERBROOKE

DMFT as a stationnary point



M. Potthoff, Eur. Phys. J. B 32, 429 (2003).

+ and -

- Long range order:
 - Allow symmetry breaking in the bath (mean-field)
- Included:
 - Short-range dynamical and spatial correlations
- Missing:
 - Long wavelength p-h and p-p fluctuations



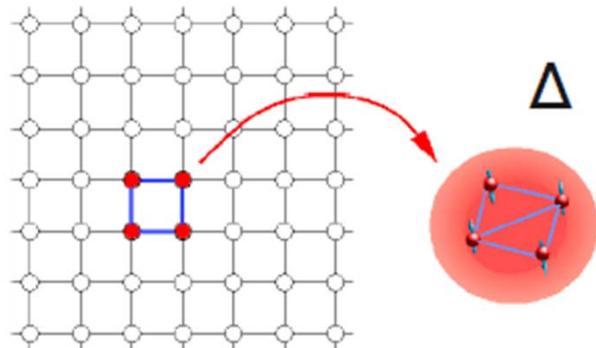
UNIVERSITÉ DE
SHERBROOKE

Tools: Impurity solver



UNIVERSITÉ DE
SHERBROOKE

CTQMC impurity solver (tool) (T finite)



$$Z = \int \mathcal{D}[\psi^\dagger, \psi] e^{-S_c - \int_0^\beta d\tau \int_0^\beta d\tau' \sum_{\mathbf{K}} \psi_{\mathbf{K}}^\dagger(\tau) \Delta(\tau, \tau') \psi_{\mathbf{K}}(\tau')}$$

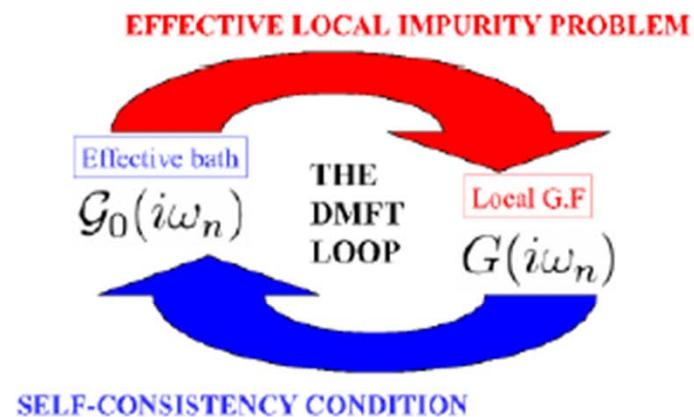
Mean-field is not a trivial problem! Many impurity solvers.

Here: continuous time QMC

P. Werner, PRL 2006

P. Werner, PRB 2007

K. Haule, PRB 2007



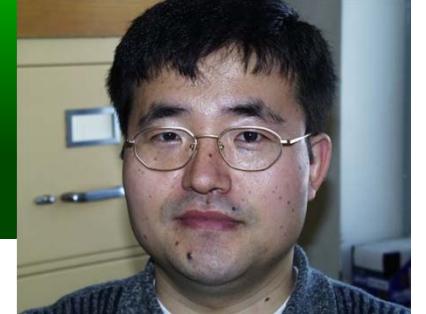
$$\Delta(i\omega_n) = i\omega_n + \mu - \Sigma_c(i\omega_n)$$

$$- \left[\sum_{\tilde{k}} \frac{1}{i\omega_n + \mu - t_c(\tilde{k}) - \Sigma_c(i\omega_n)} \right]^{-1}$$

P. Sémon *et al.* PRB **90** 075149 (2014);
and PRB **89**, 165113 (2014)



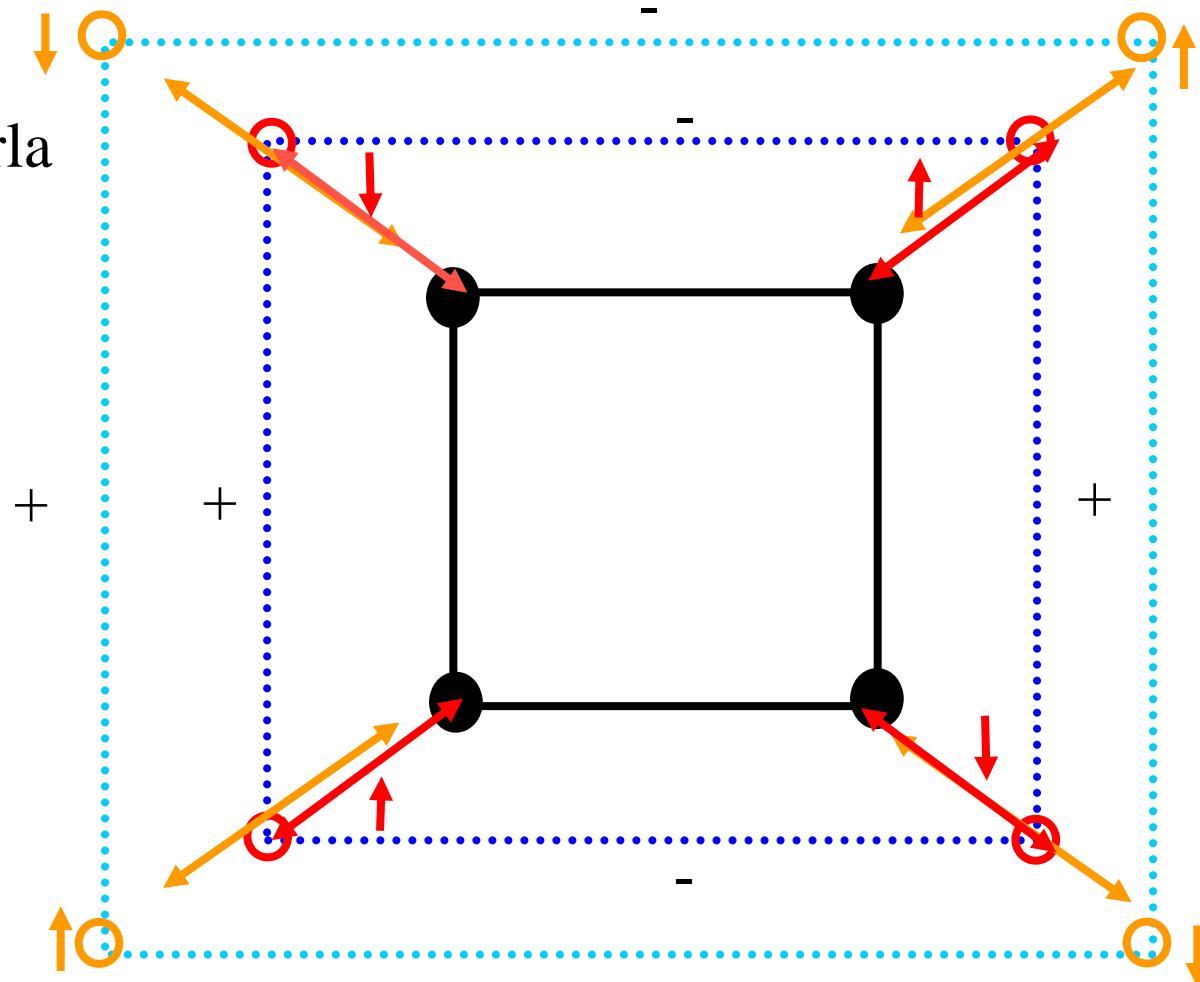
S. Kancharla



B. Kyung



David Sénéchal



UNIVERSITÉ DE
SHERBROOKE

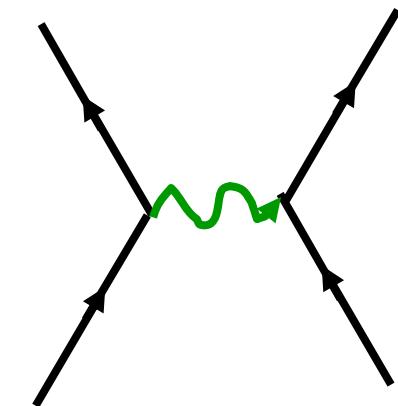
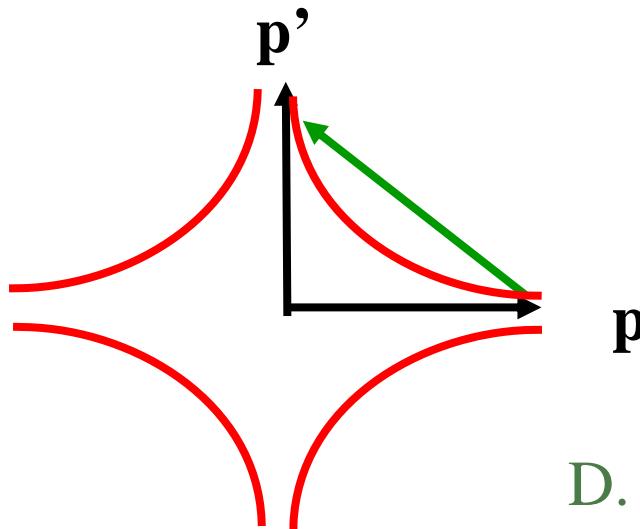
A bit of physics: superconductivity and repulsion



UNIVERSITÉ DE
SHERBROOKE

Cartoon « BCS » weak-correlation picture (d-wave)

$$\Delta_{\mathbf{p}} = -\frac{1}{2V} \sum_{\mathbf{p}'} U(\mathbf{p} - \mathbf{p}') \frac{\Delta_{\mathbf{p}'}}{E_{\mathbf{p}'}} (1 - 2n(E_{\mathbf{p}'}))$$

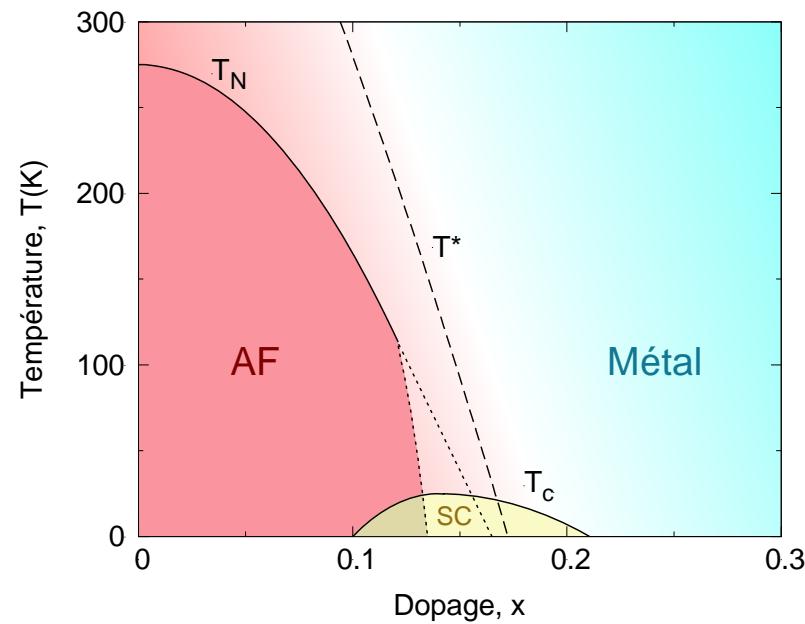


Exchange of spin waves?
Kohn-Luttinger
 T_c with pressure

P.W. Anderson Science 317, 1705 (2007)

D. J. Scalapino, E. Loh, Jr., and J. E. Hirsch
P.R. B **34**, 8190-8192 (1986).
Béal-Monod, Bourbonnais, Emery
P.R. B. **34**, 7716 (1986).
Kohn, Luttinger, P.R.L. **15**, 524 (1965).

AFM Quantum critical point



A cartoon strong correlation picture

P.W. Anderson Science 317, 1705 (2007)

$$J \sum_{\langle i,j \rangle} \mathbf{S}_i \cdot \mathbf{S}_j = J \sum_{\langle i,j \rangle} \left(\frac{1}{2} c_i^\dagger \vec{\sigma} c_i \right) \cdot \left(\frac{1}{2} c_j^\dagger \vec{\sigma} c_j \right)$$

$$d = \langle \hat{d} \rangle = 1/N \sum_{\vec{k}} (\cos k_x - \cos k_y) \langle c_{\vec{k},\uparrow}^\dagger c_{-\vec{k},\downarrow} \rangle$$

$$H_{MF} = \sum_{\vec{k},\sigma} \varepsilon(\vec{k}) c_{\vec{k},\sigma}^\dagger c_{\vec{k},\sigma} - 4Jm\hat{m} - Jd(\hat{d} + \hat{d}^\dagger) + F_0$$

Pitaevskii Brückner:

Pair state orthogonal to repulsive core of Coulomb interaction

Kotliar and Liu, P.R. B **38**, 5142 (1988)

Miyake, Schmitt–Rink, and Varma

P.R. B **34**, 6554-6556 (1986)

$T = 0$ phase diagram: cuprates

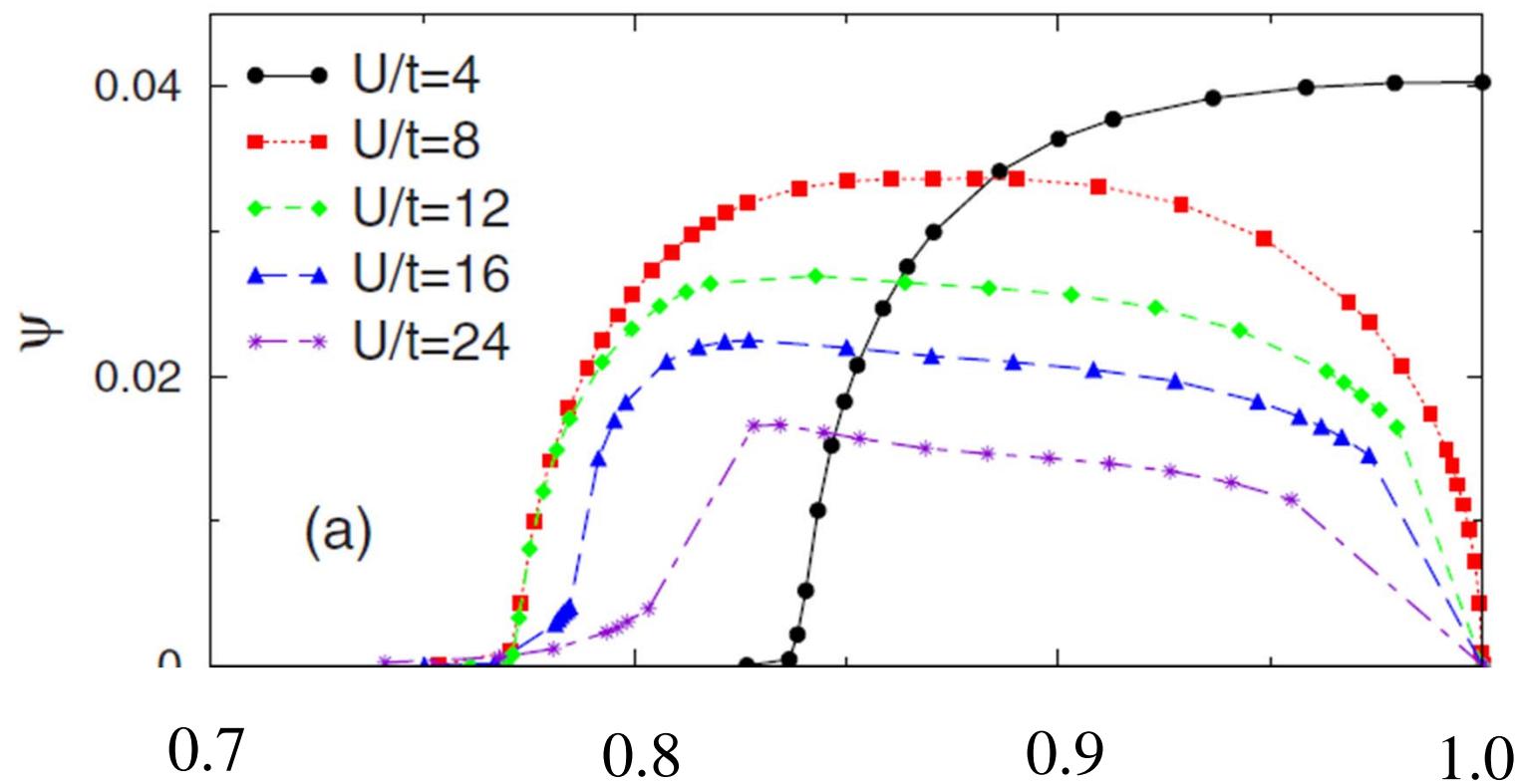
Phase diagram

Exact diagonalization as impurity
solver ($T=0$).



UNIVERSITÉ DE
SHERBROOKE

Theory: T_c down vs Mott



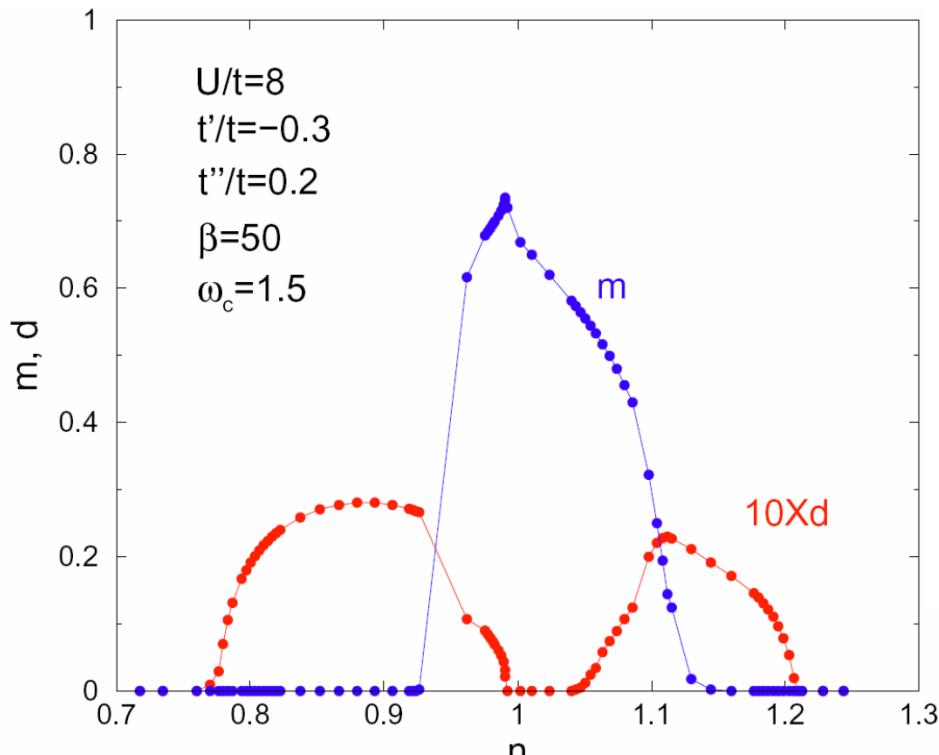
S. Kancharla *et al.* Phys. Rev. B (2008)



UNIVERSITÉ DE
SHERBROOKE

CDMFT global phase diagram

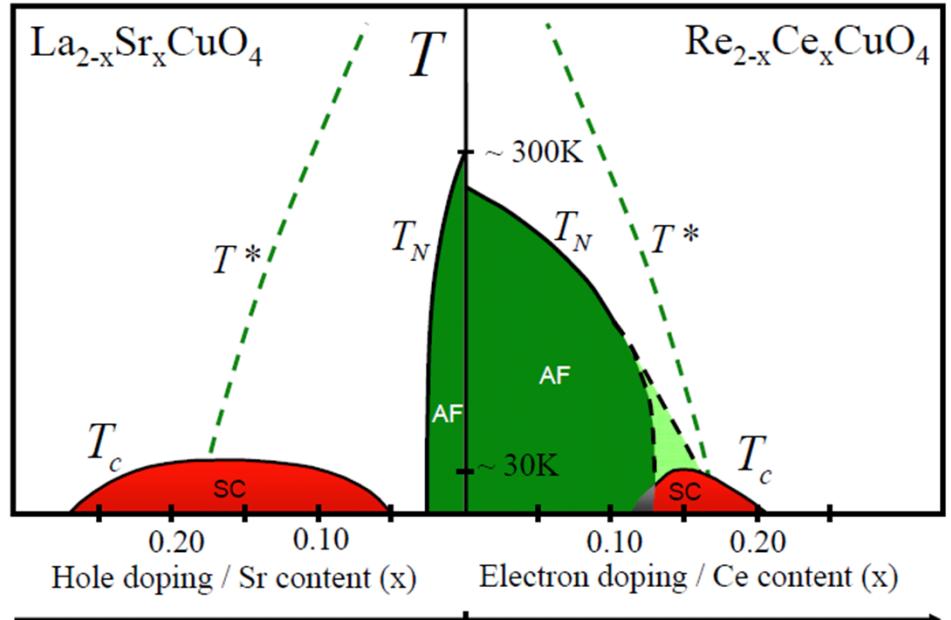
Simon Verret, MSc



Kancharla, Kyung, Civelli,
Sénéchal, Kotliar AMST

Phys. Rev. B (2008)

AND Capone, Kotliar PRL (2006)



Armitage, Fournier, Greene, RMP (2009)



UNIVERSITÉ DE
SHERBROOKE

Outline

- Method
- $T=0$ phase diagram
- Finite T phase diagram
 - Normal state
 - First order transition
 - Widom line and pseudogap
 - Superconductivity
 - Condensation energy
 - Superfluid density



Finite T phase diagram

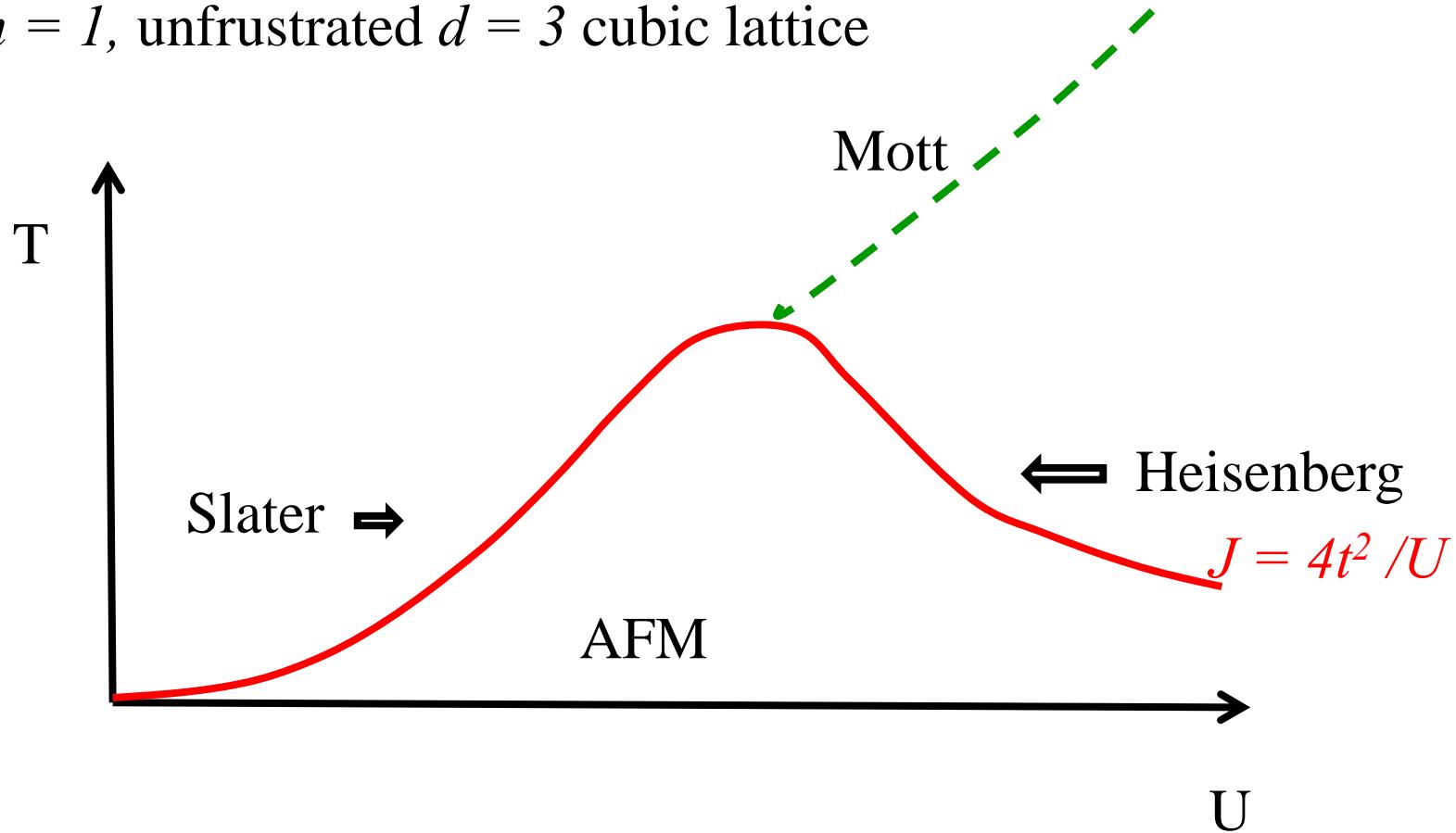
Normal state of the cuprates



UNIVERSITÉ DE
SHERBROOKE

Weak vs Strong correlations

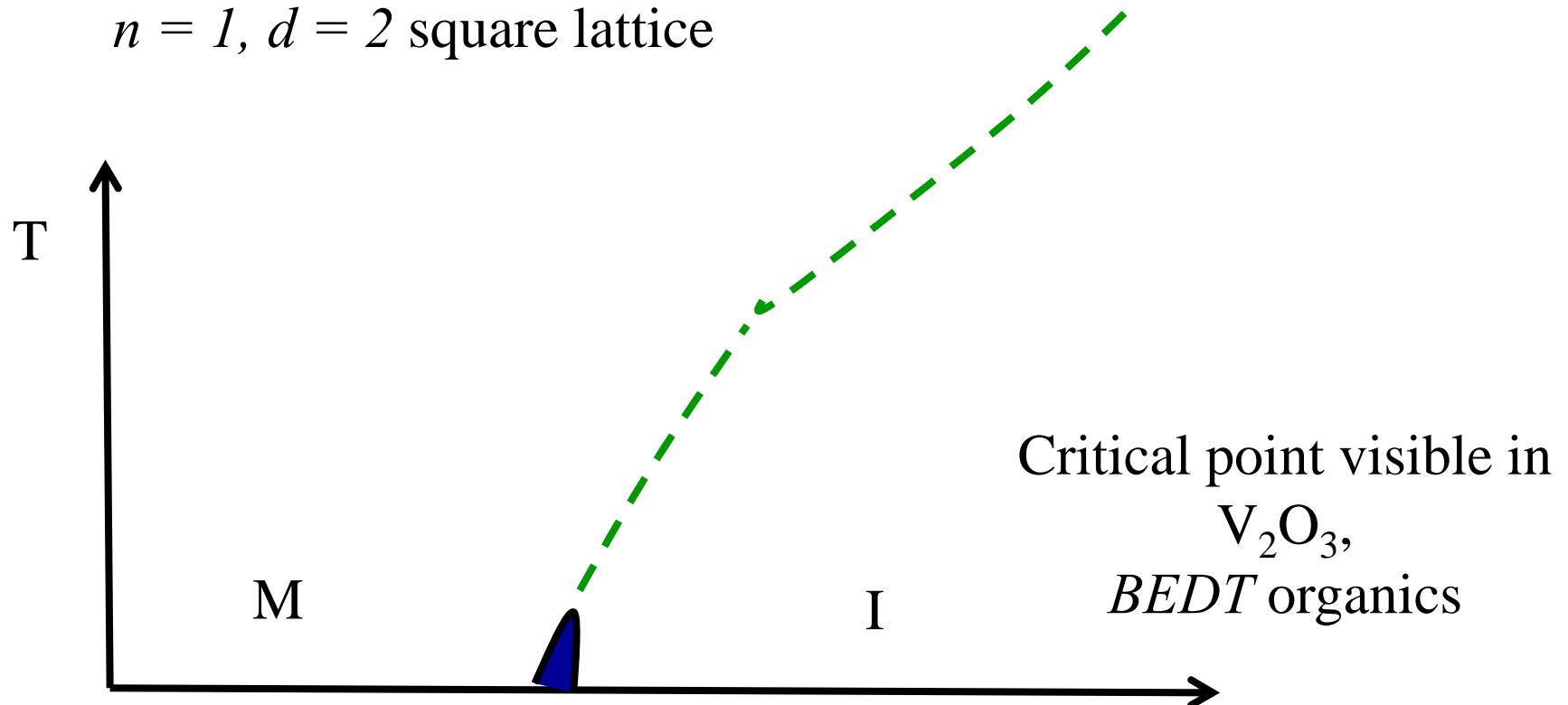
$n = 1$, unfrustrated $d = 3$ cubic lattice



UNIVERSITÉ DE
SHERBROOKE

Local moment and Mott transition

$n = 1, d = 2$ square lattice

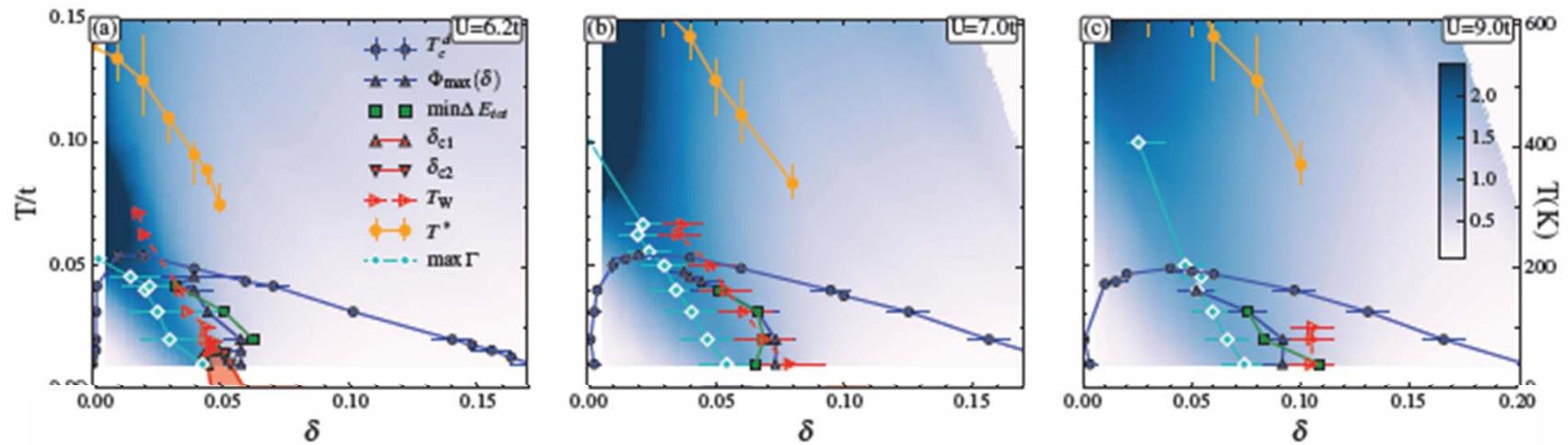


Understanding finite temperature phase from a *mean-field theory* down to $T = 0$



UNIVERSITÉ DE
SHERBROOKE

Finite-doping first-order transition



UNIVERSITÉ DE
SHERBROOKE

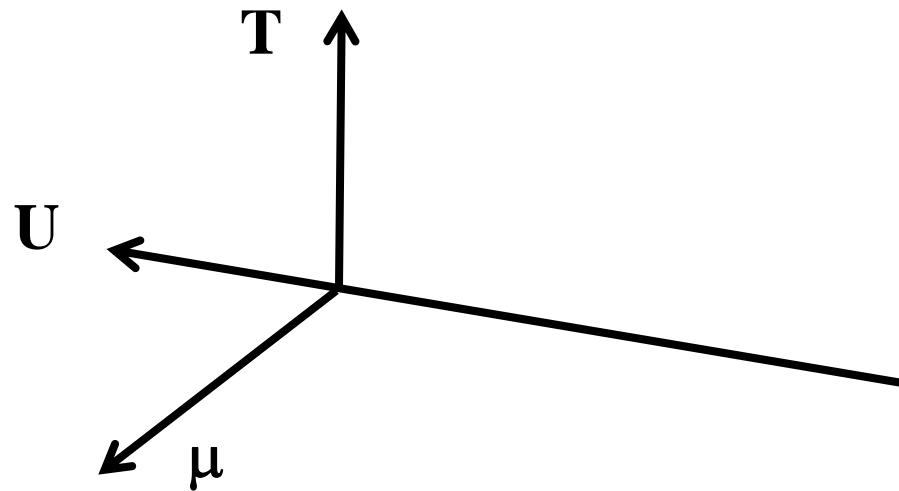


Giovanni Sordi

G. Sordi, K. Haule, A.-M.S.T
PRL, **104**, 226402 (2010)
and

Phys. Rev. B, **84**, 075161 (2011)

Doping-induced Mott transition ($t' = 0$)



Kristjan Haule

Lesson from DMFT, first order transition + critical point governs phase diagram



UNIVERSITÉ DE
SHERBROOKE

A first order transition at finite doping?

At positive t'

A. Macridin, M. Jarrell, and T. Maier,
Phys. Rev. B **74**, 085104 (2006)

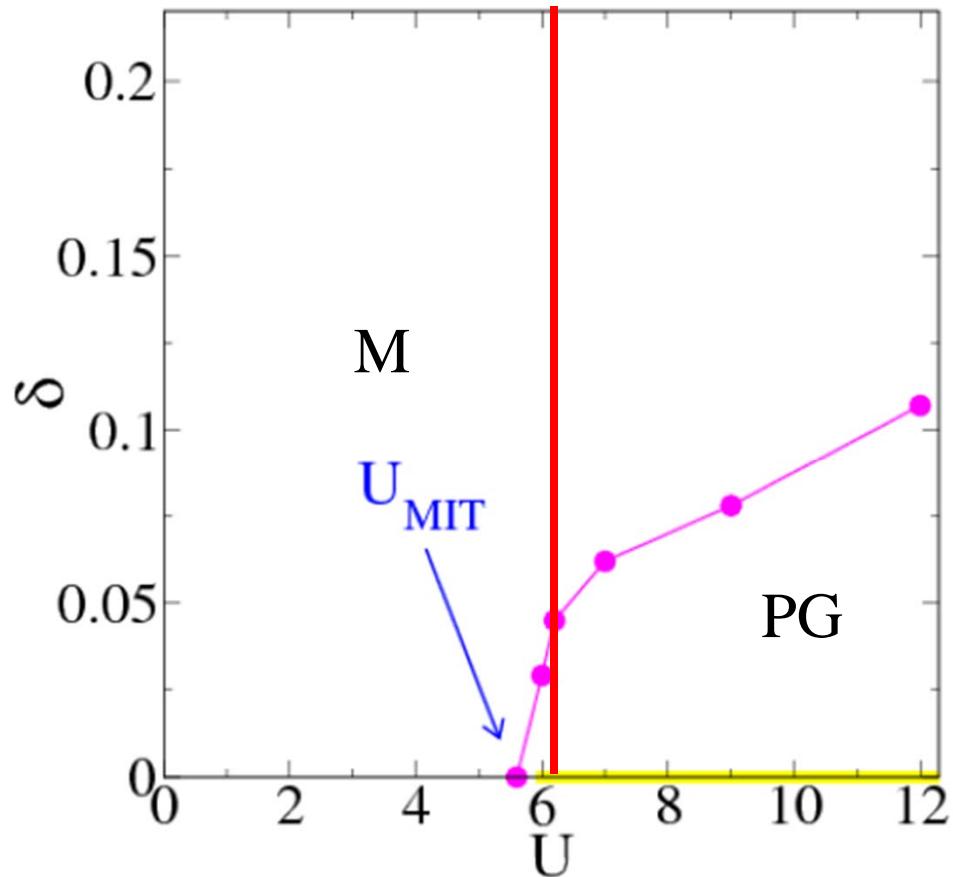
E. Khatami, K. Mikelsons, D. Galanakis, A. Macridin, J. Moreno,
R. T. Scalettar, and M. Jarrell
PRB **81**, 201101(R) 2010

A. Liebsch, N.H. Tong, PRB **80**, 165126 (2009)

Here $t'=0$

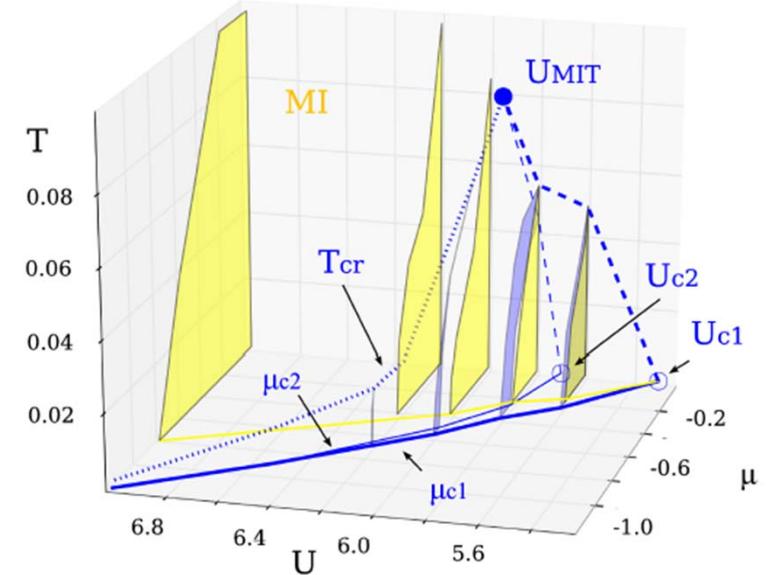
Link to Mott transition up to optimal doping

Doping dependence of critical point as a function of U



Smaller D and S

G. Sordi, K. Haule, A.-M.S.T
PRL, 104, 226402 (2010)

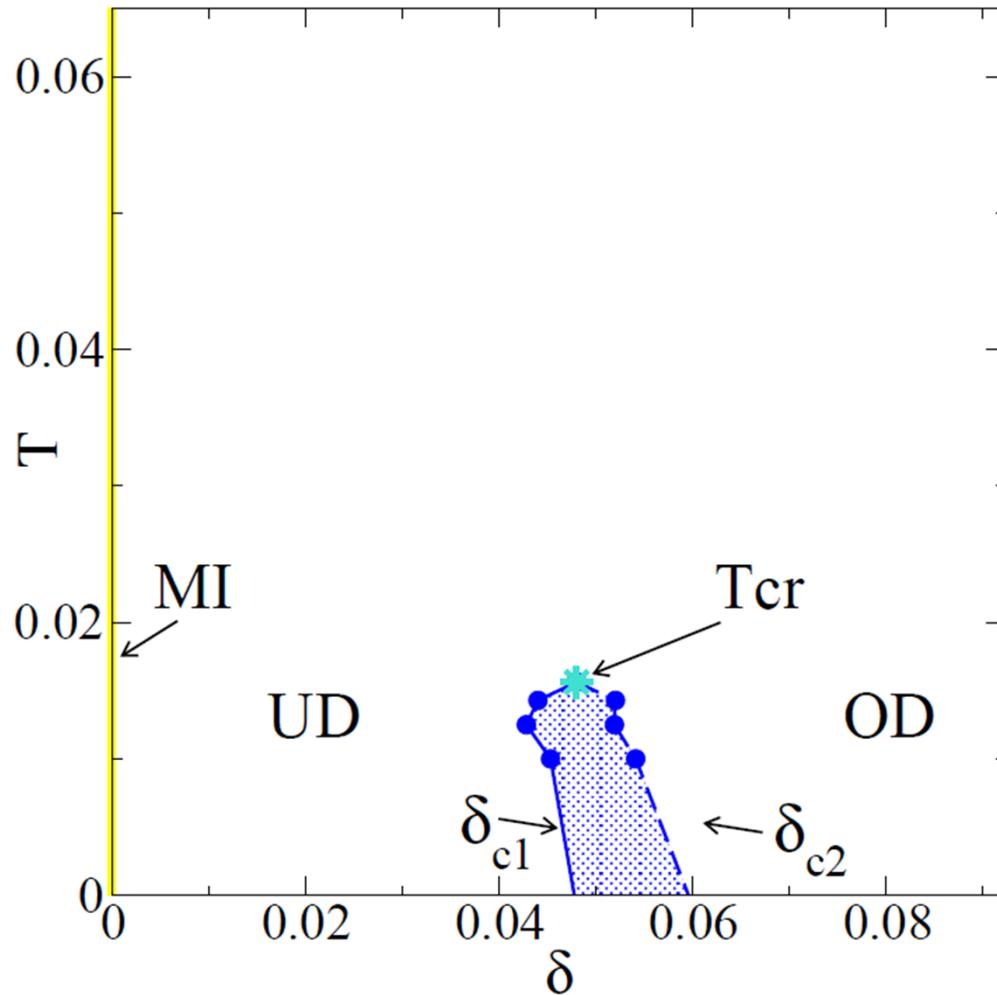


$\mu = 0$, H. Park, K. Haule, and G. Kotliar,
Phys. Rev. Lett. 101, 186403 (2008).



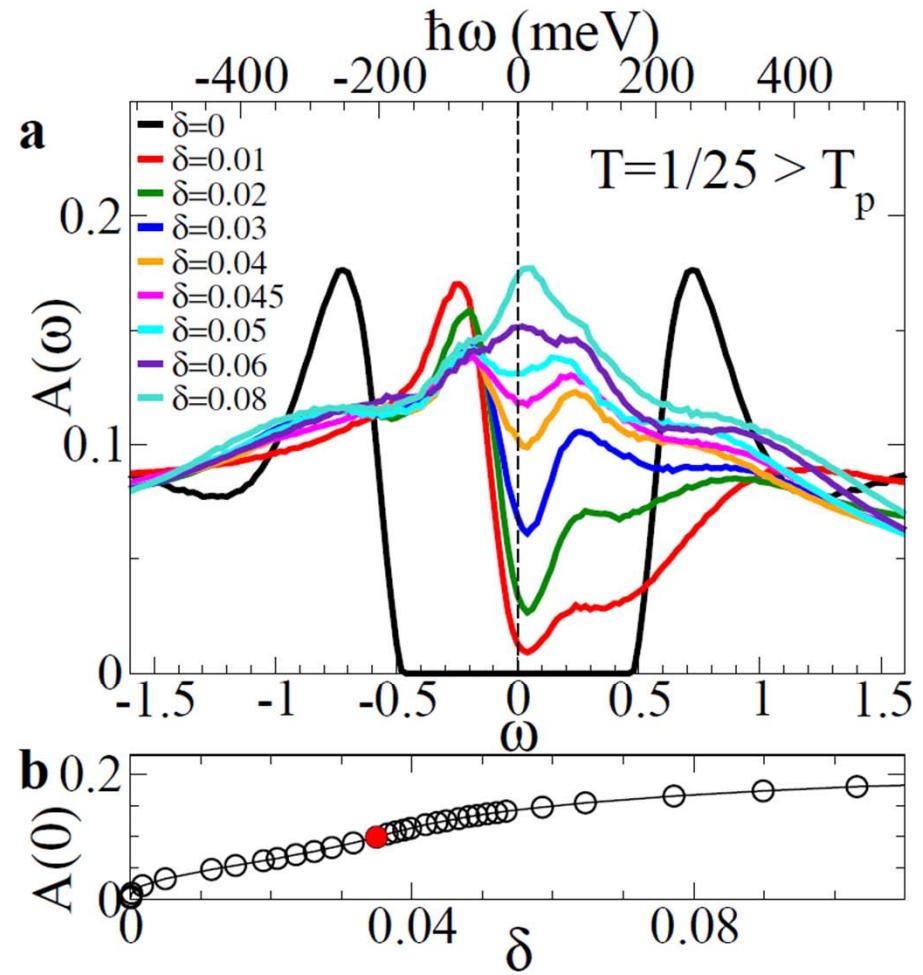
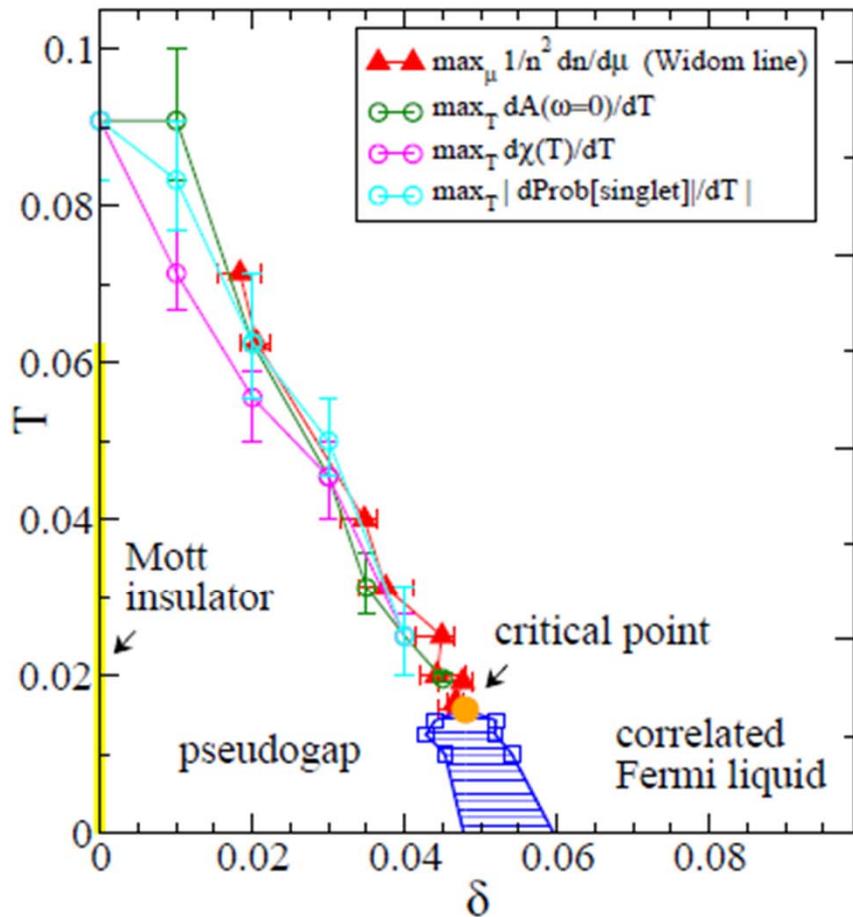
UNIVERSITÉ DE
SHERBROOKE

Characterisation of the phases ($U=6.2t$)

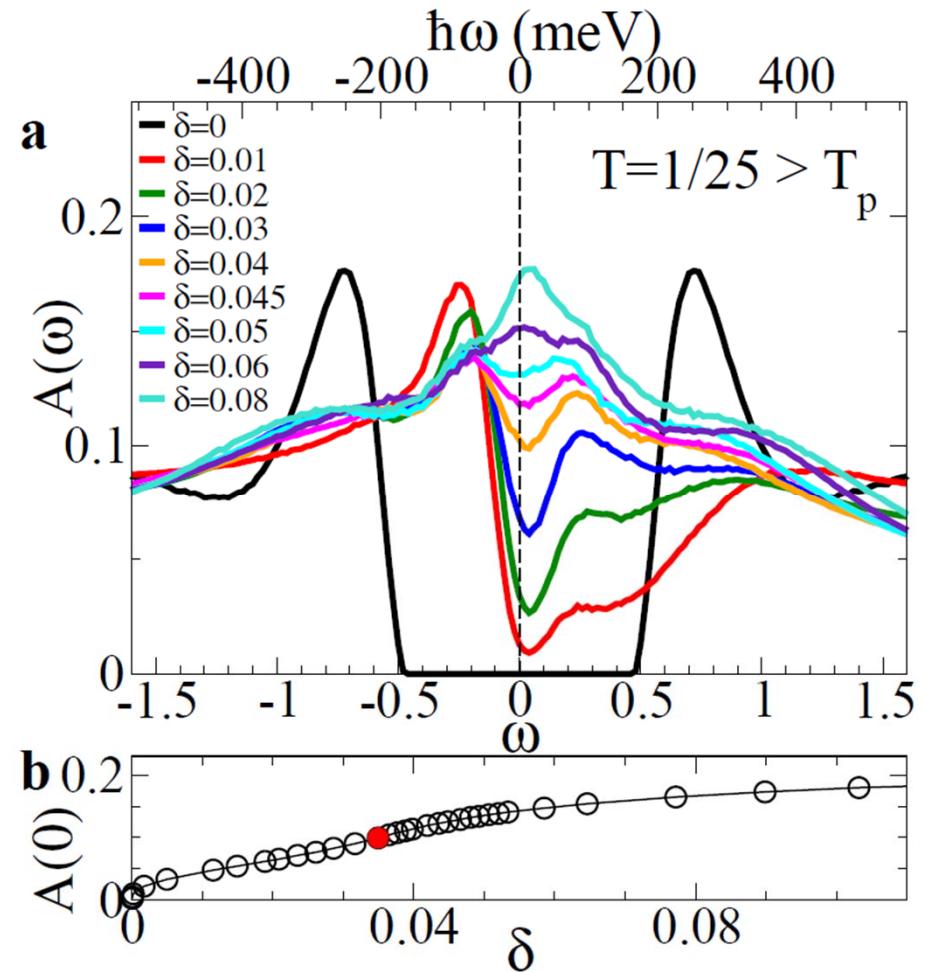
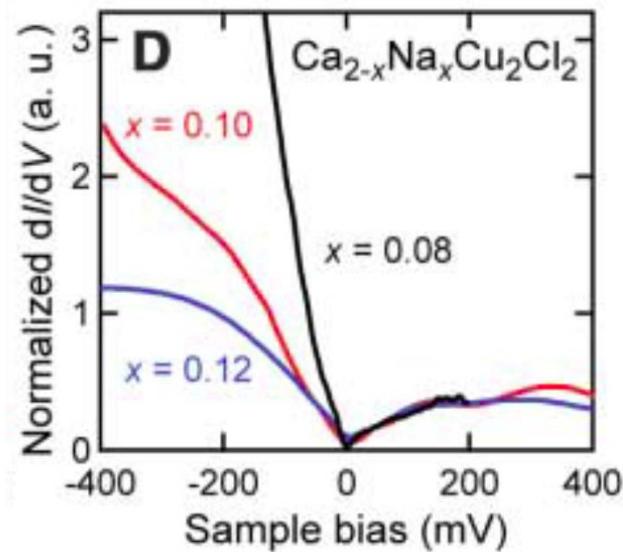


UNIVERSITÉ DE
SHERBROOKE

Density of states



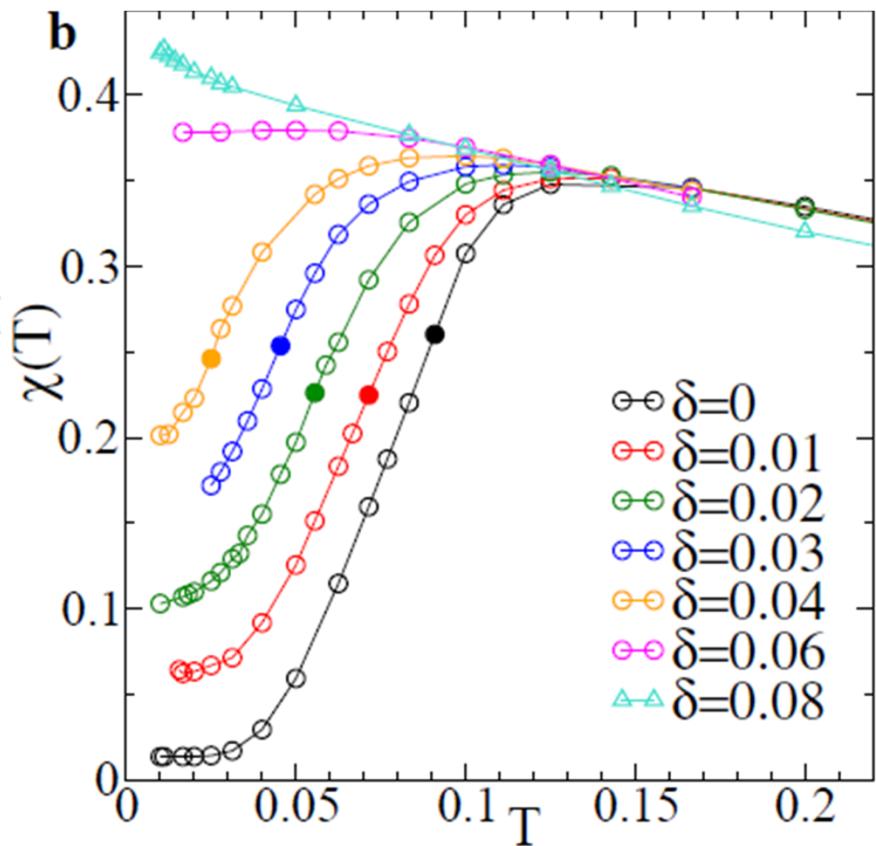
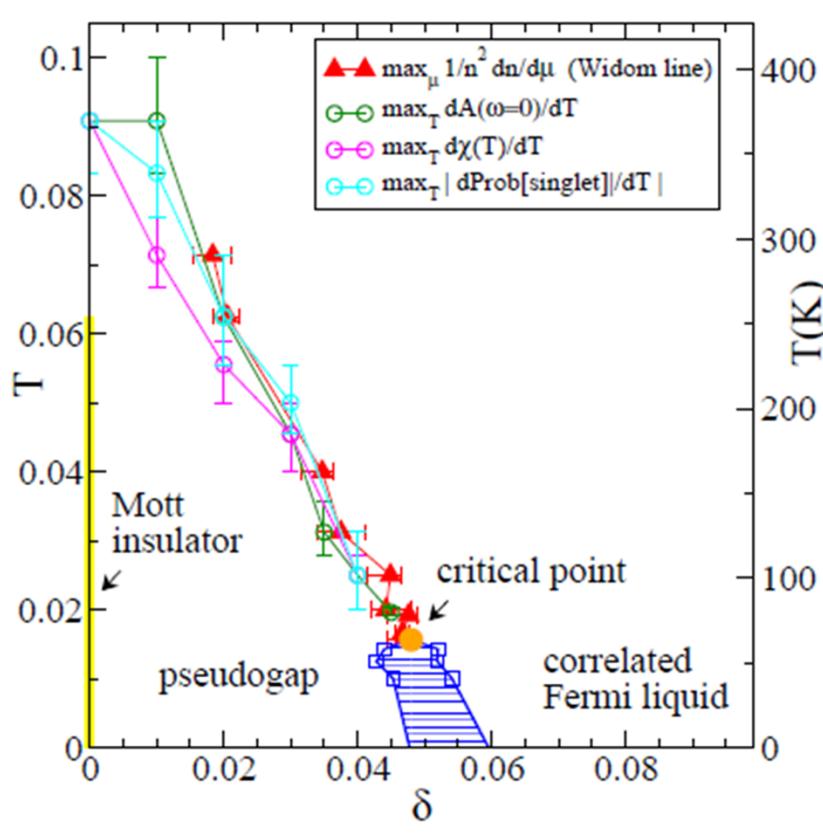
Density of states



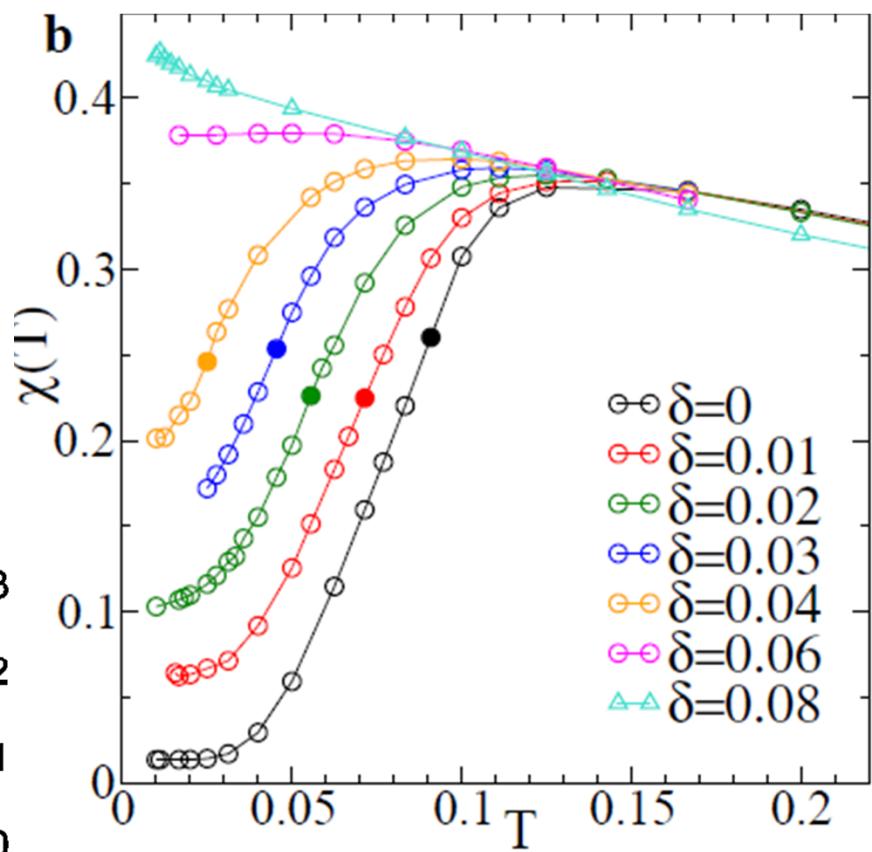
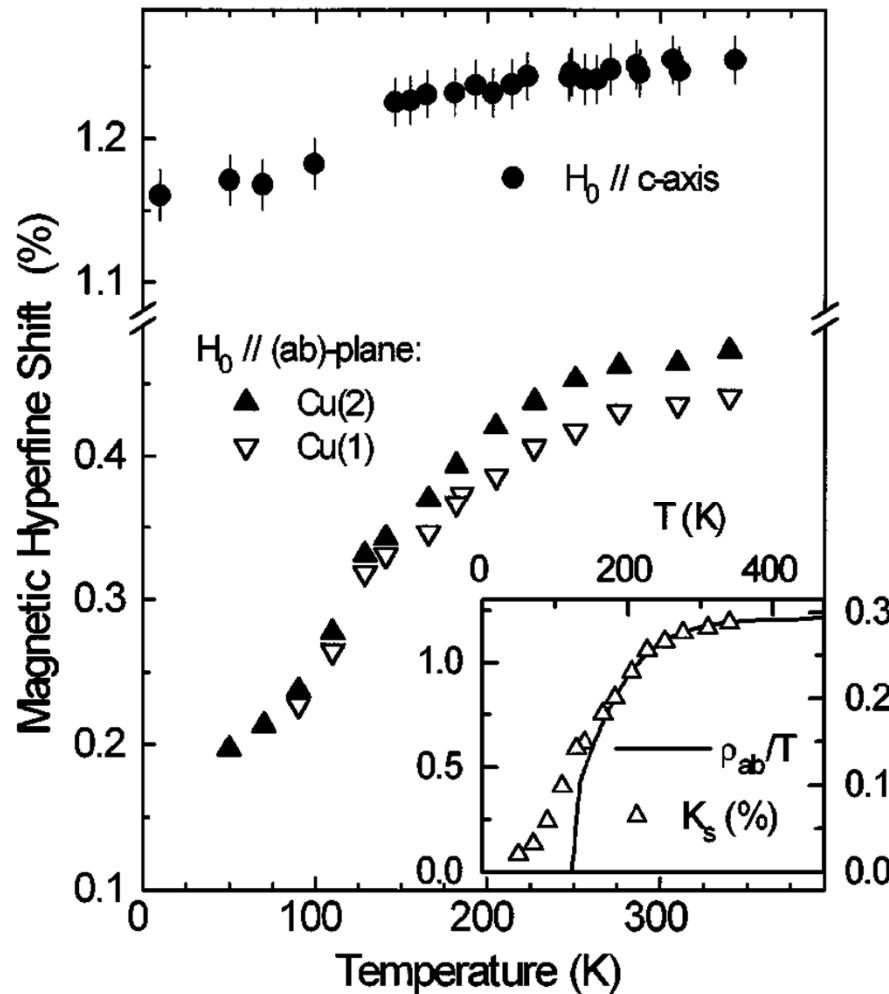
Khosaka et al. *Science* **315**, 1380 (2007);



Spin susceptibility



Spin susceptibility



Underdoped Hg1223

Julien et al. PRL 76, 4238 (1996)



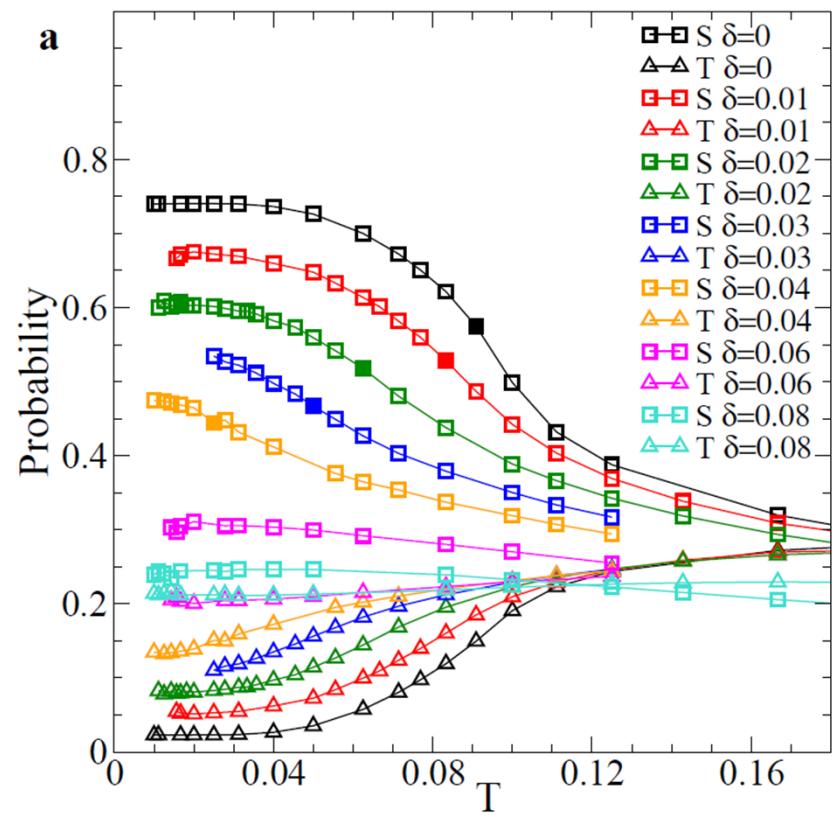
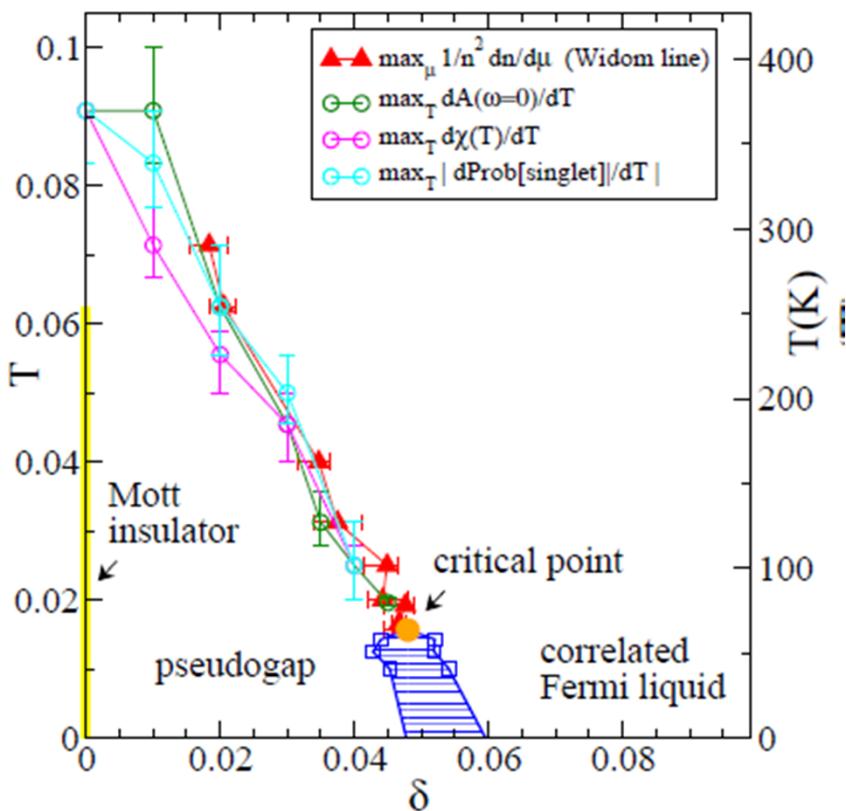
UNIVERSITÉ DE
SHERBROOKE

Physics



UNIVERSITÉ DE
SHERBROOKE

Plaquette eigenstates

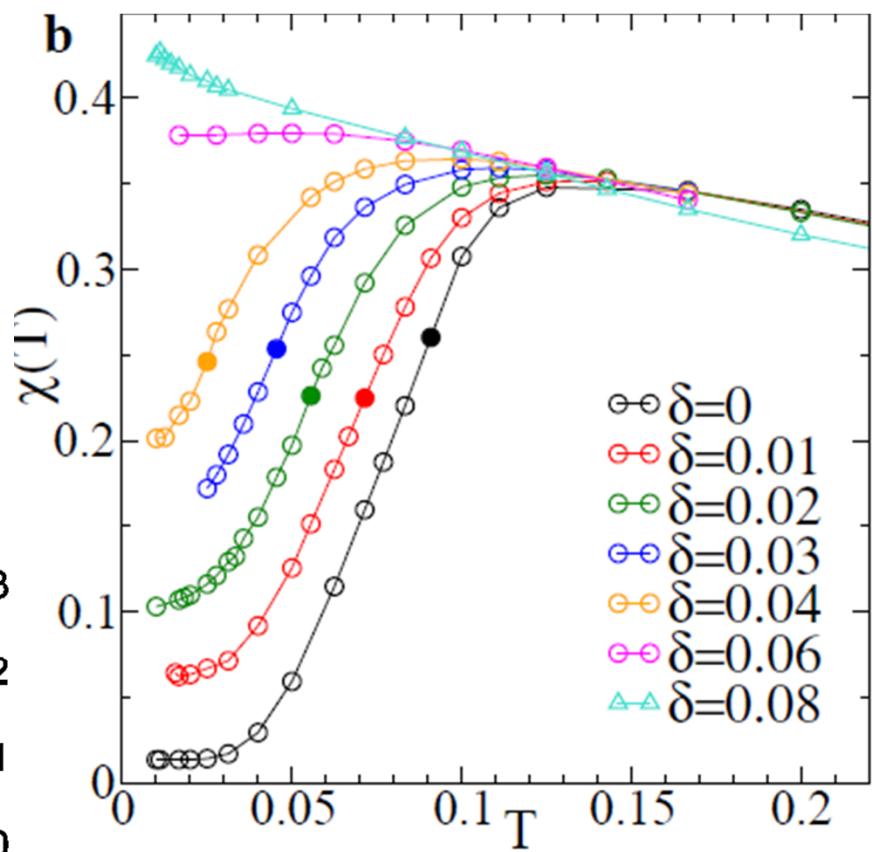
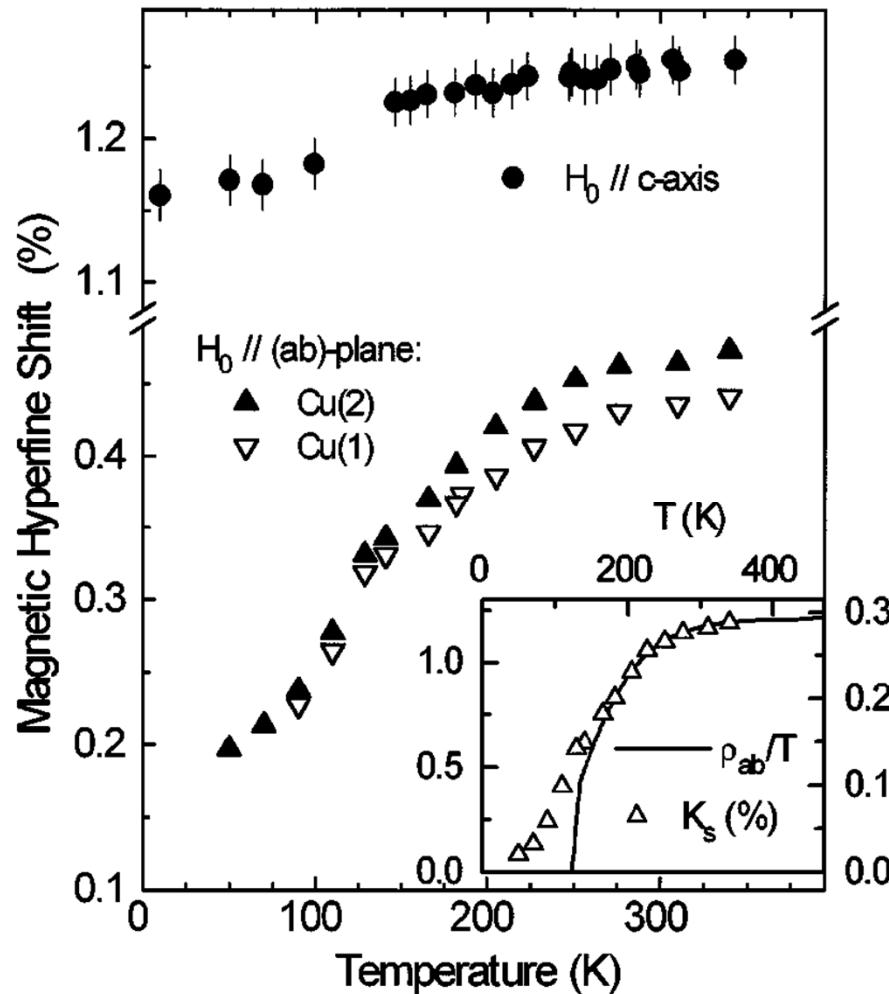


See also:

Michel Ferrero, P. S. Cornaglia, L. De Leo, O. Parcollet, G. Kotliar, A. Georges
 PRB 80, 064501 (2009)

Different definitions for broad crossovers

Spin susceptibility



Underdoped Hg1223

Julien et al. PRL 76, 4238 (1996)



UNIVERSITÉ DE
SHERBROOKE

What is the minimal model?

H. Alloul arXiv:1302.3473
C.R. Académie des Sciences, (2014)

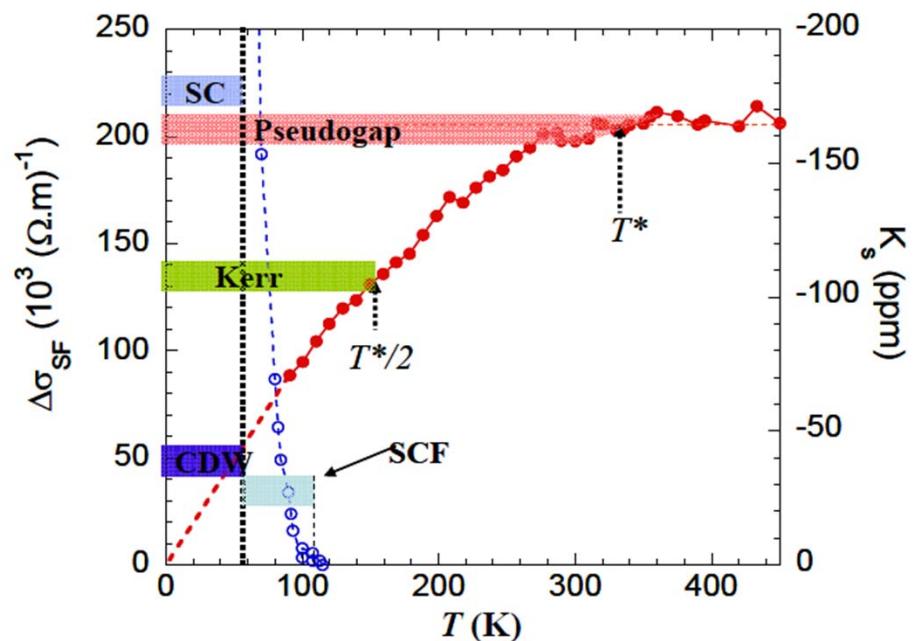


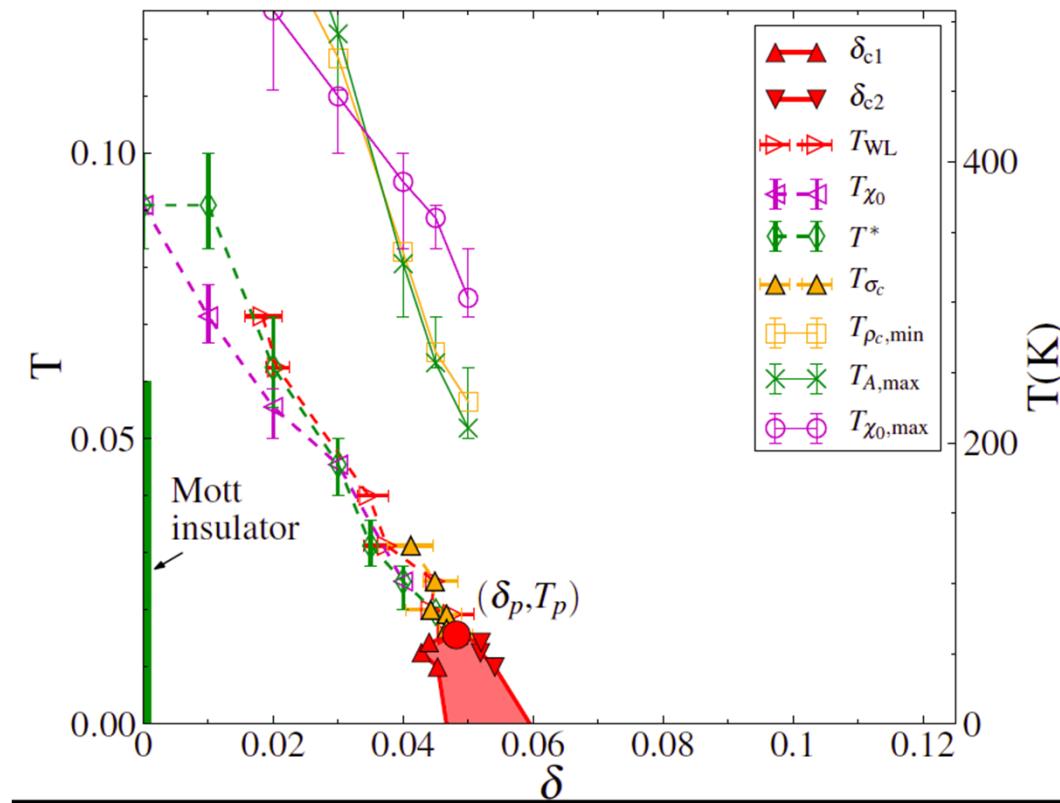
Fig 1 Spin contribution K_s to the ^{89}Y NMR Knight shift [11] for $\text{YBCO}_{6.6}$ permit to define the PG onset T^* . Here K_s is reduced by a factor two at $T \sim T^*/2$. The sharp drop of the SC fluctuation conductivity (SCF) is illustrated (left scale) [23]. We report as well the range over which a Kerr signal is detected [28], and that for which a CDW is evidenced in high fields from NMR quadrupole effects [33] and ultrasound velocity data [30]. (See text).



Giovanni Sordi



Patrick Sémon



G. Sordi et al. Phys. Rev. Lett. 108, 216401/1-6 (2012)

P. Sémon, G. Sordi, A.-M.S.T., Phys. Rev. B **89**, 165113/1-6 (2014)

c-axis resistivity

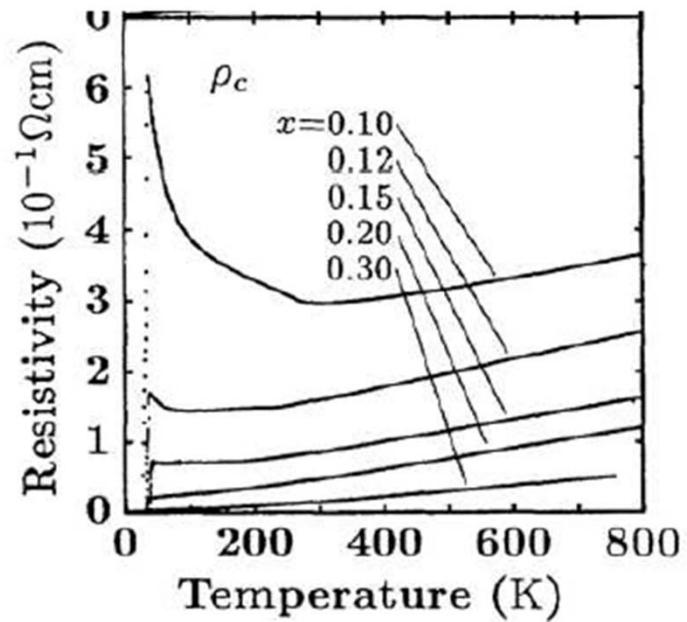
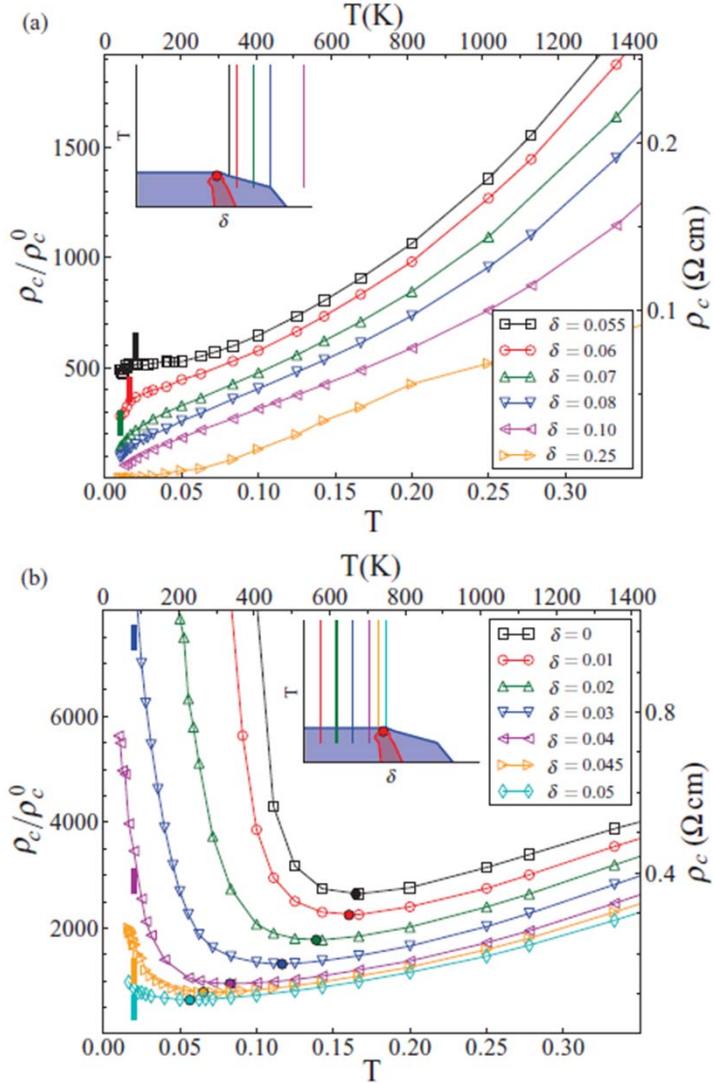


Figure : $\text{La}_{2-x}\text{Sr}_x\text{CuO}_4$ Nakamura et al., PRB 1993

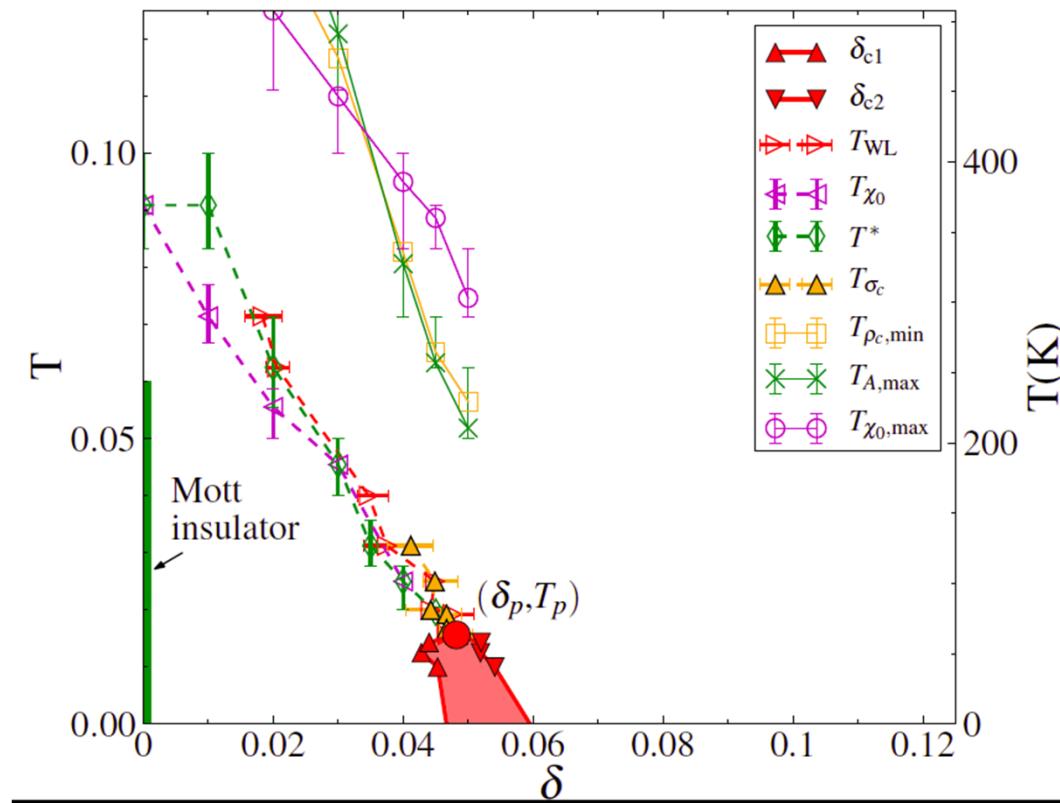
Also K. Takenaka, *et al.*
Phys. Rev.B 50, 6534 (1994).



Giovanni Sordi



Patrick Sémon



G. Sordi et al. Phys. Rev. Lett. 108, 216401/1-6 (2012)

P. Sémon, G. Sordi, A.-M.S.T., Phys. Rev. B **89**, 165113/1-6 (2014)



Giovanni Sordi



Patrick Sémon



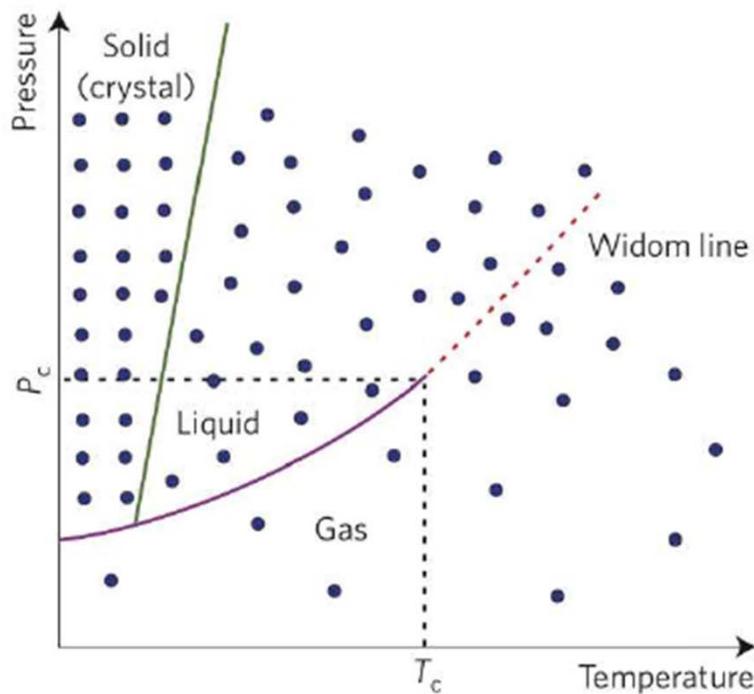
Kristjan Haul

Widom line ($t' = 0$)

Pseudogap in the normal state and the Widom line

G. Sordi et al. Phys. Rev. Lett. 108, 216401/1-6 (2012)
P. Sémon, G. Sordi, A.-M.S.T., Phys. Rev. B **89**, 165113/1-6 (2014)

What is the Widom line?



McMillan and Stanley, Nat Phys 2010

- ▶ it is the continuation of the coexistence line in the supercritical region
- ▶ line where the **maxima of different response functions** touch each other asymptotically as $T \rightarrow T_p$
- ▶ liquid-gas transition in water: max in isobaric heat capacity C_p , isothermal compressibility, isobaric heat expansion, etc

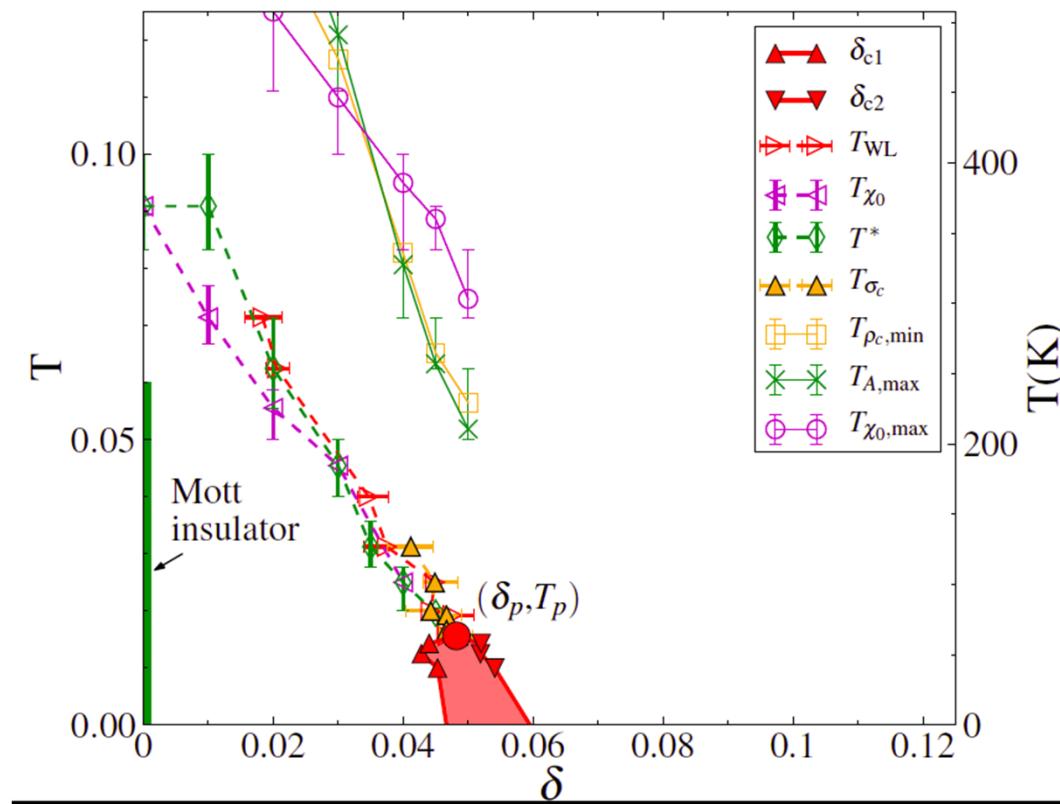
- ▶ **DYNAMIC crossover arises from crossing the Widom line!**
water: Xu et al, PNAS 2005,
Simeoni et al Nat Phys 2010



Giovanni Sordi



Patrick Sémon



G. Sordi et al. Phys. Rev. Lett. 108, 216401/1-6 (2012)

P. Sémon, G. Sordi, A.-M.S.T., Phys. Rev. B **89**, 165113/1-6 (2014)



Satoshi Okamoto



David Sénéchal



Marcello Civelli



Maxime Charlebois

Anisotropy (nematicity)

Normal state and large anisotropy
in an *orthorhombic* crystal

ED solver

$$t' = -0.3t$$

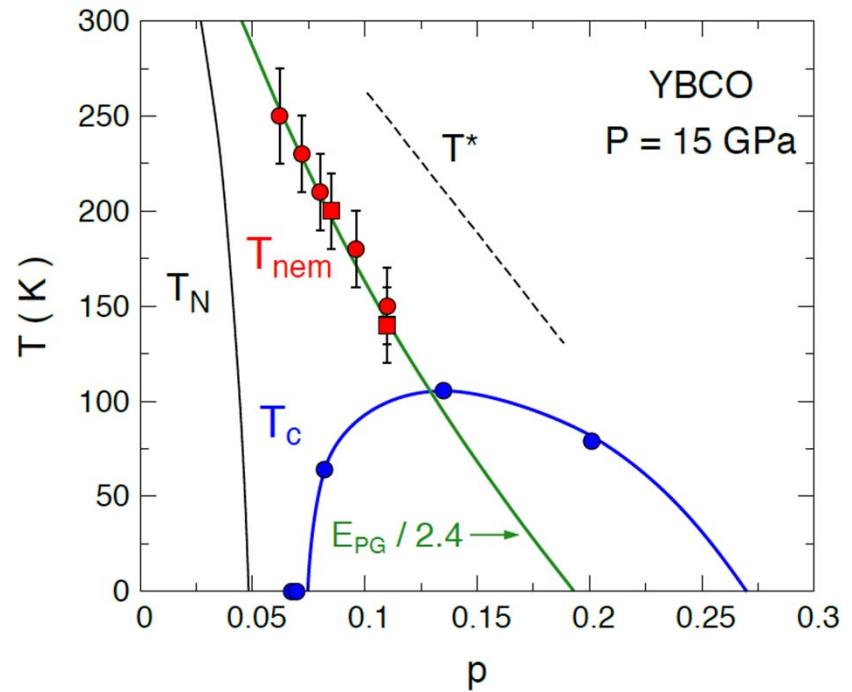


UNIVERSITÉ DE
SHERBROOKE

Phase diagram

The central line – $T_x = T_{\text{nem}}$

$$T_{\text{nem}} = E_{\text{PG}} / 2.4$$



T_{nem} hits T_c dome at peak

Cyr-Choinière *et al.* arXiv:1503.02033



UNIVERSITÉ DE
SHERBROOKE

Underdoped metal very sensitive to anisotropy

$$\delta_\sigma = \frac{\sigma_x - \sigma_y}{(\sigma_x + \sigma_y)/2} \quad t_{x,y} = t(1 \pm \delta_0/2)$$

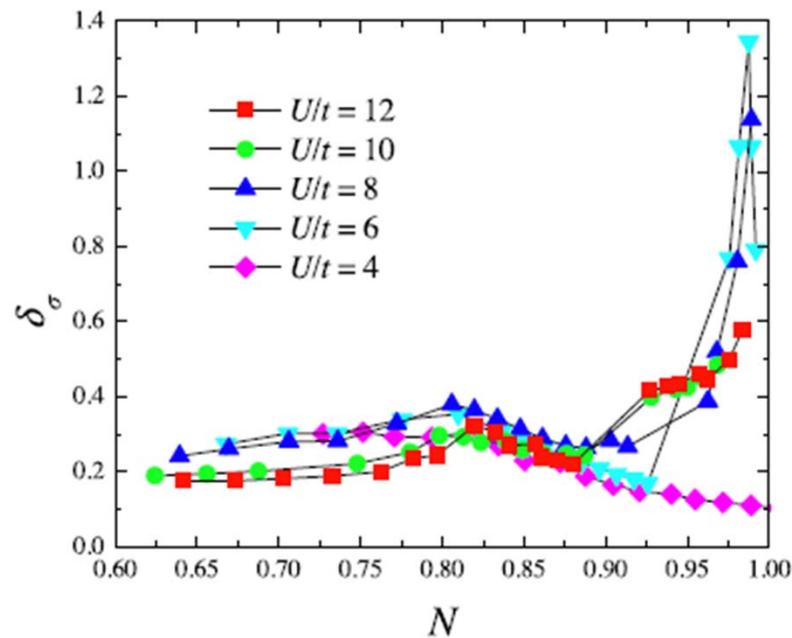
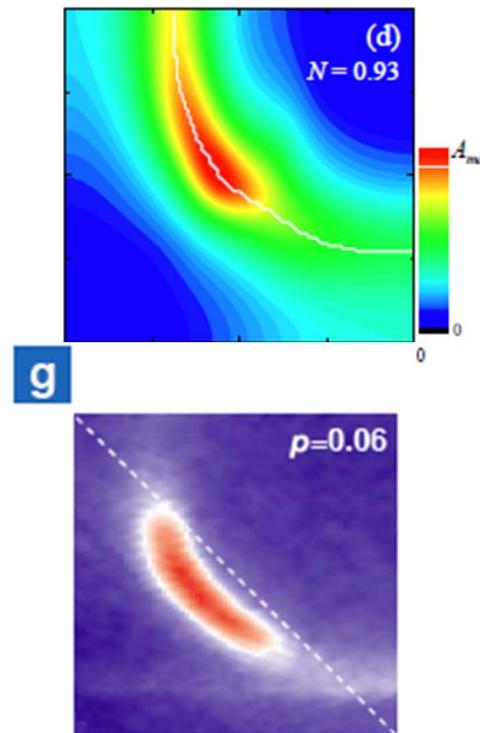


FIG. 3: (Color online) Anisotropy in the CDMFT conductivity $\delta_\sigma = 2 [\sigma_x(0) - \sigma_y(0)] / [\sigma_x(0) + \sigma_y(0)]$ as a function of filling N for various values of U and $\eta = 0.1$, $\delta_0 = 0.04$.

Okamoto, Sénéchal, Civelli, AMST
Phys. Rev. B **82**, 180511R 2010

Dynamical electronic nematicity



D. Fournier *et al.* Nature Physics (2010)

At finite temperature, anisotropy in Z

$U = 6t,$
 $t' = 0$

DCA, QMC-Trotter
 4×4

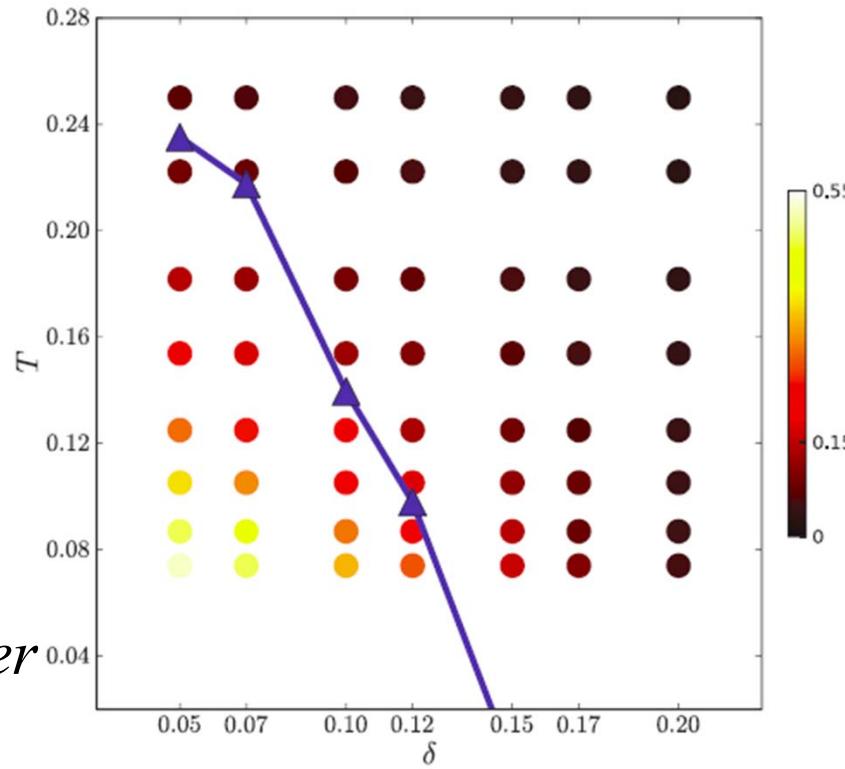
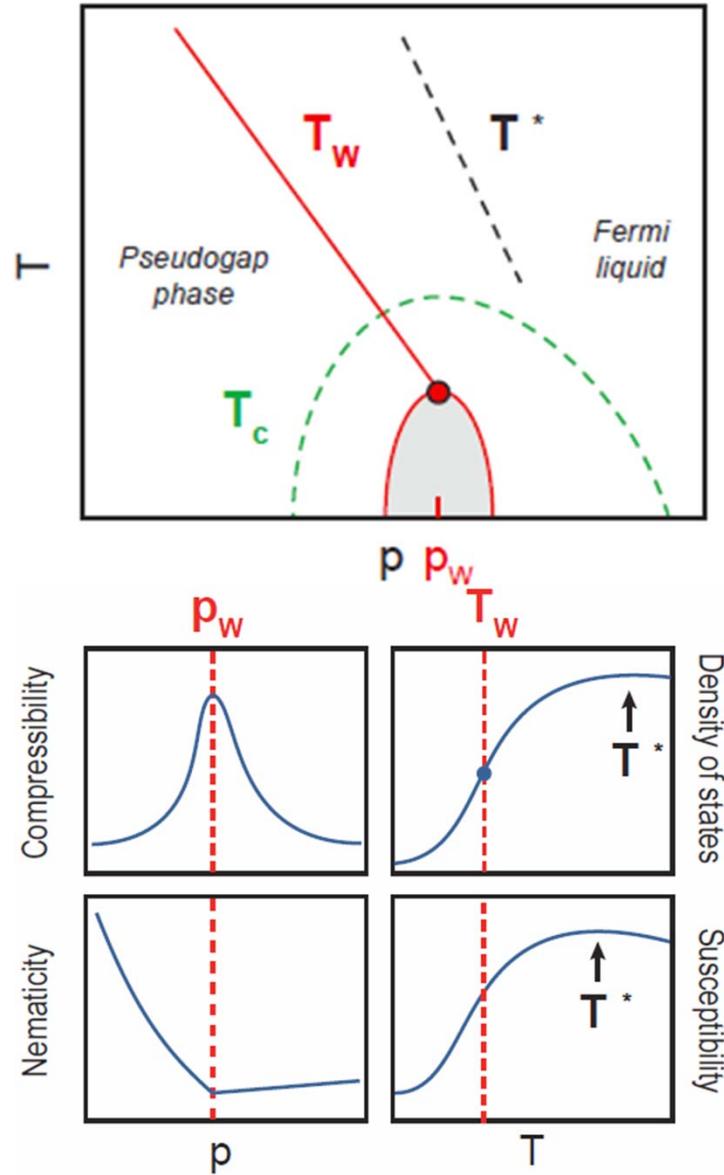


FIG. 3. (Color online) Color map of the anisotropic ratio of the quasiparticle weight σ_Z over the temperature-doping plane, for $U = 6t$. The solid blue curve indicates the pseudogap temperature $T^*(\delta)$ which is obtained as the temperature at which the uniform magnetic susceptibility $\chi_m[q = (0,0), T]$ has a maximum. **Su, Maier, PRB 84, 220506(R) (2011)**

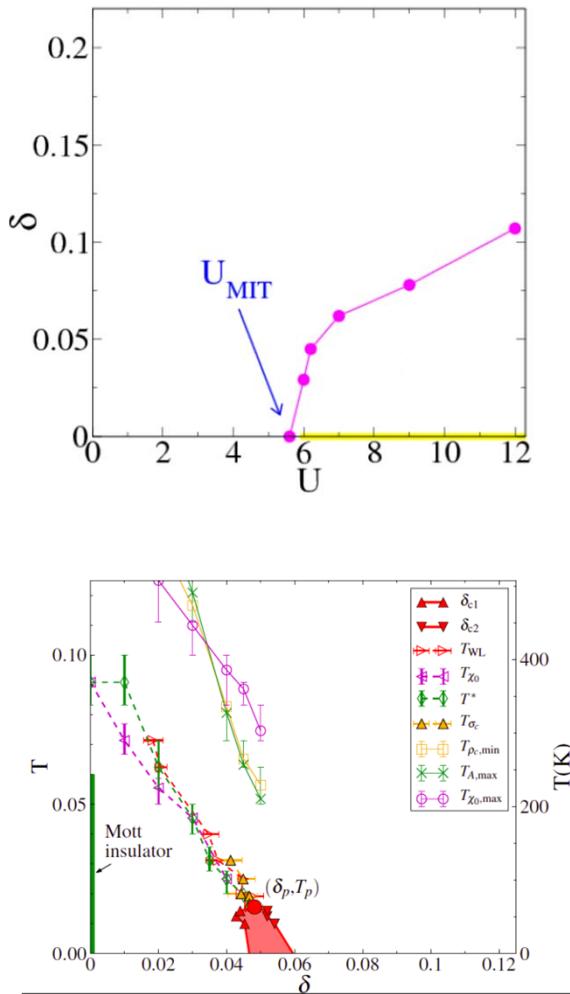
Superconductivity not much influenced by anisotropy in hopping

CDMFT: Emergent first-order transition



UNIVERSITÉ DE
SHERBROOKE

Summary: normal state



- Signatures of Mott physics extend way beyond half-filling
- Pseudogap is a phase
- Pseudogap T^* controlled by a Widom line and its precursor
- High compressibility (stripes?)
- Widom line
 - Thermodynamics (Susceptibility)
 - Transport (c-axis resistivity)
 - DOS



Lorenzo Fratino



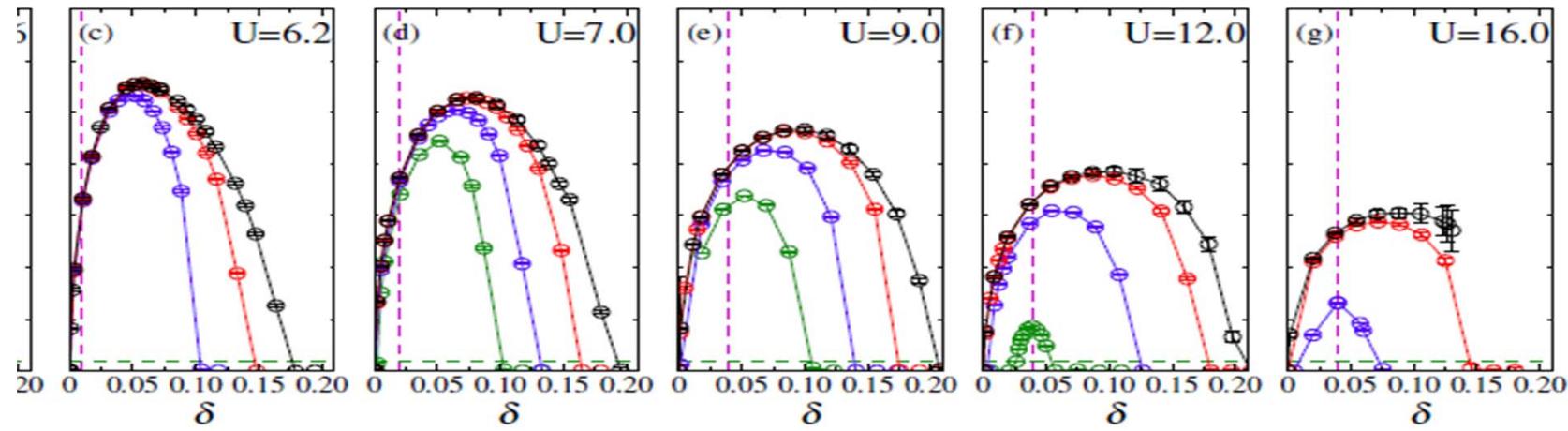
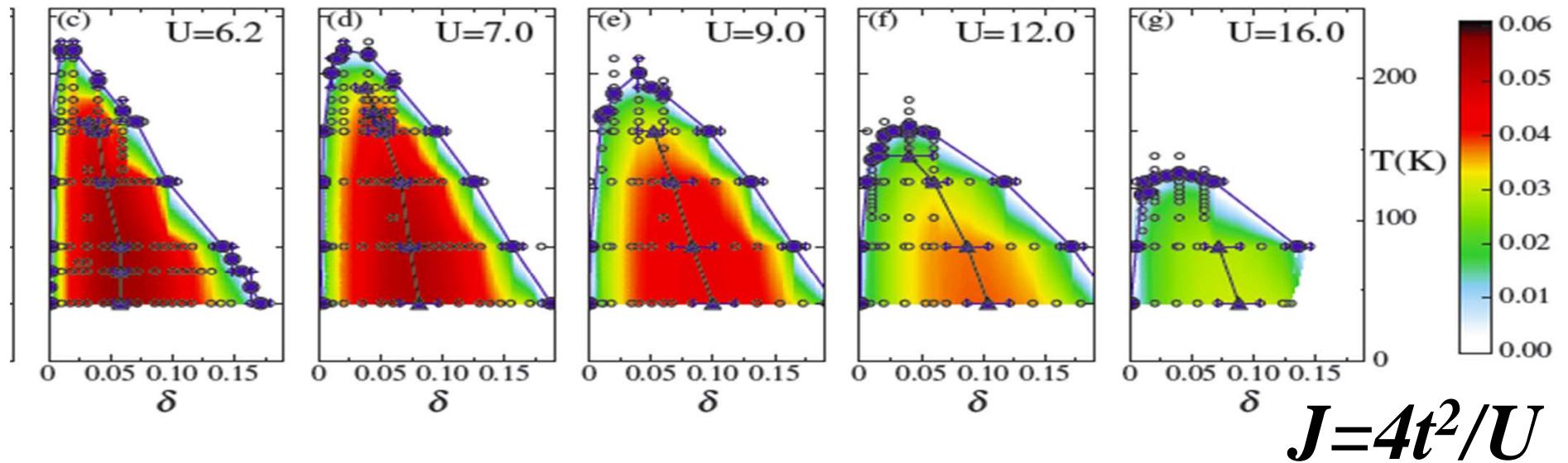
Giovanni Sordi



Patrick Sémon

Superconductivity

T_c and order parameter, plaquette

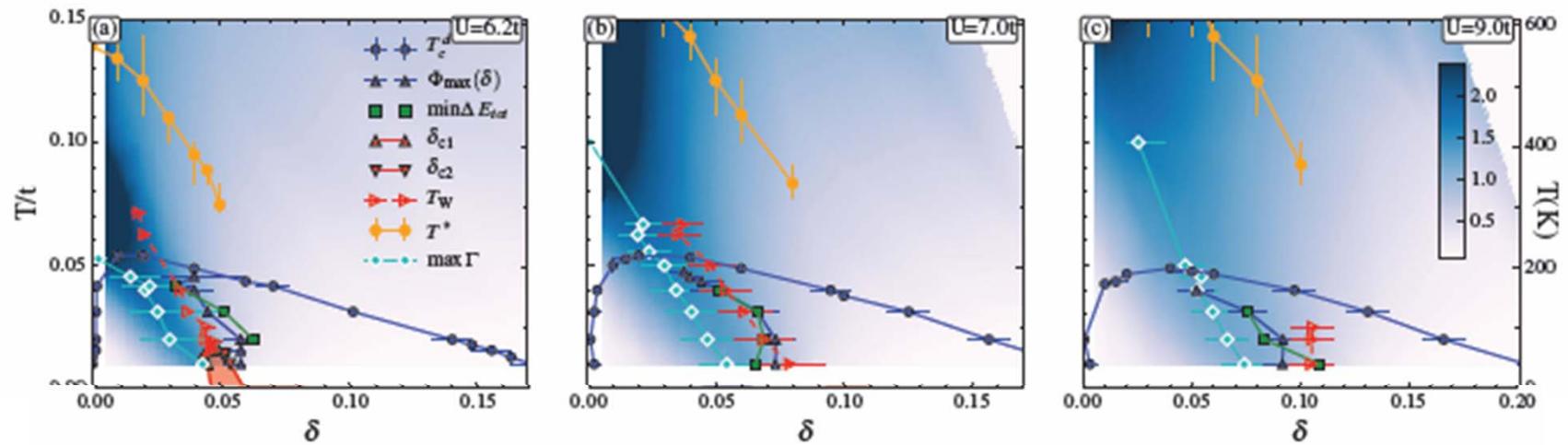


L. Fratino, P. Sémon, G. Sordi A.-M.S. T. (unpublished)



UNIVERSITÉ DE
SHERBROOKE

Finite-doping first-order transition vs maximum of order parameter



UNIVERSITÉ
DE
SHERBROOKE

D. J. Scalapino and S. R. White
Phys. Rev. B **58**, 8222 (1998)

Neutron

J.E. Hirsch, F. Marsiglio Physica C **331** 150 (2000)

Condensation energy: mechanism

M. R. Norman, M. Randeria, B. Janko', and J.C.
Campuzano, Phys. Rev. B **61**, 14 742 (2000).

ARPES

H. J. A. Molegraaf, C. Presura, D. van der Marel, P. H.
Kes, and M. Li, Science **295**, 2239 (2002).

Optical sum rule

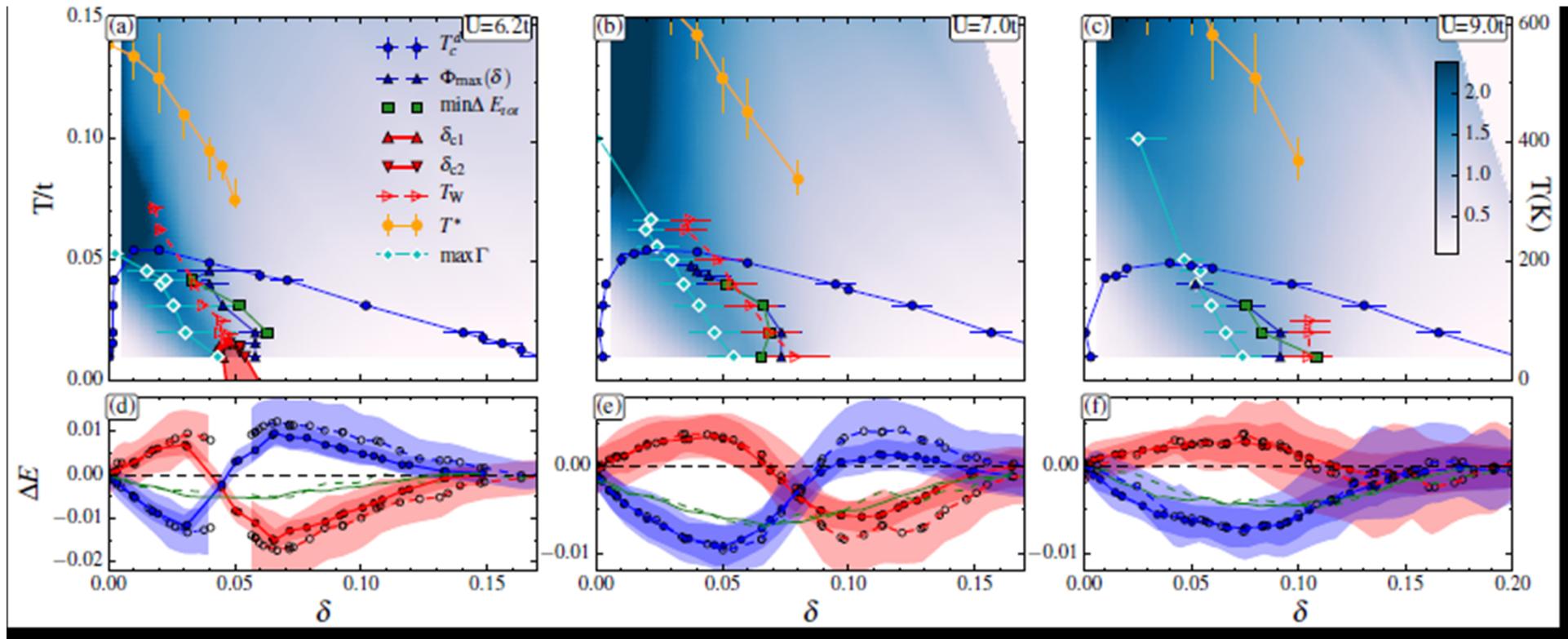
A. F. Santander-Syro, R. P. S.M. Lobo, N. Bontemps,
Z. Konstantinovic, Z. Z. Li, and H. Raffy, Europhys. Lett. **62** 568 (2003)

Optical sum rule



UNIVERSITÉ DE
SHERBROOKE

Condensation energy

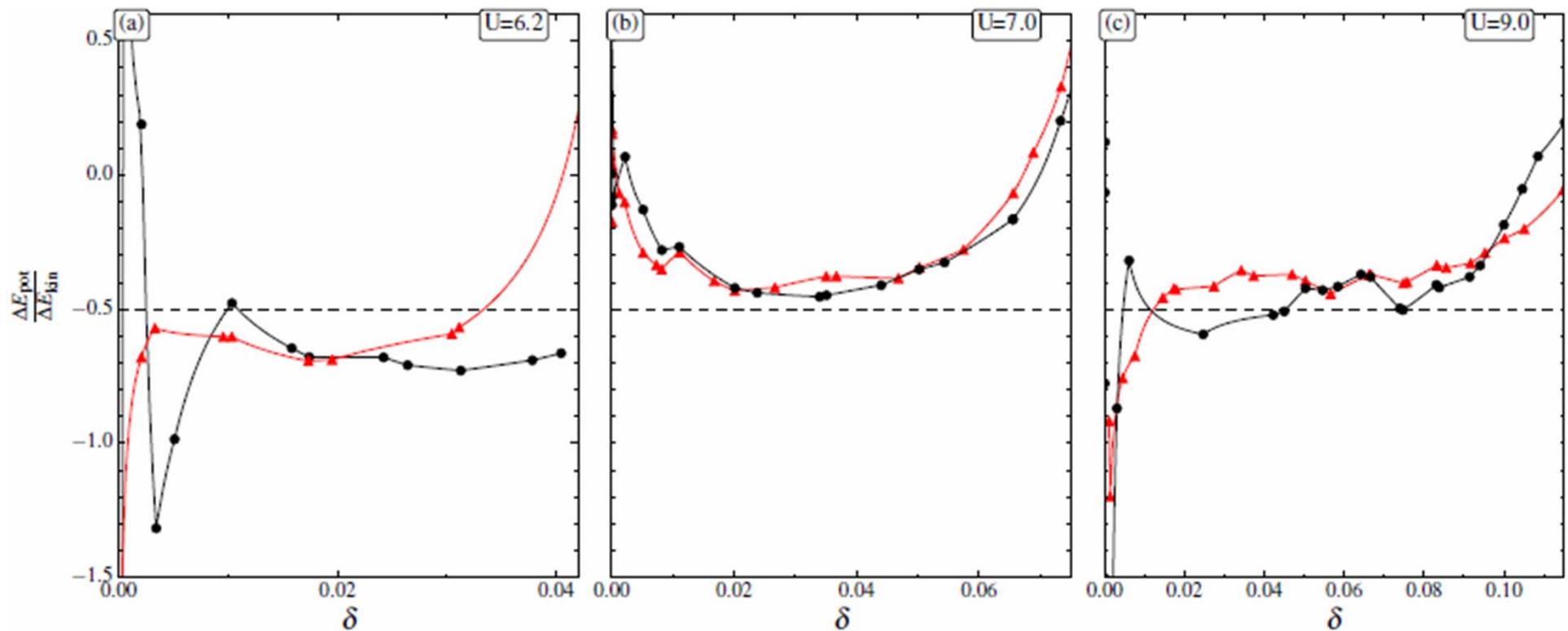


E. Gull, A. Millis, PRB **86**, 241106(R) (2012)

Th. A. Maier, M. Jarrell, et al. PRL **92**, 027005 (2004)

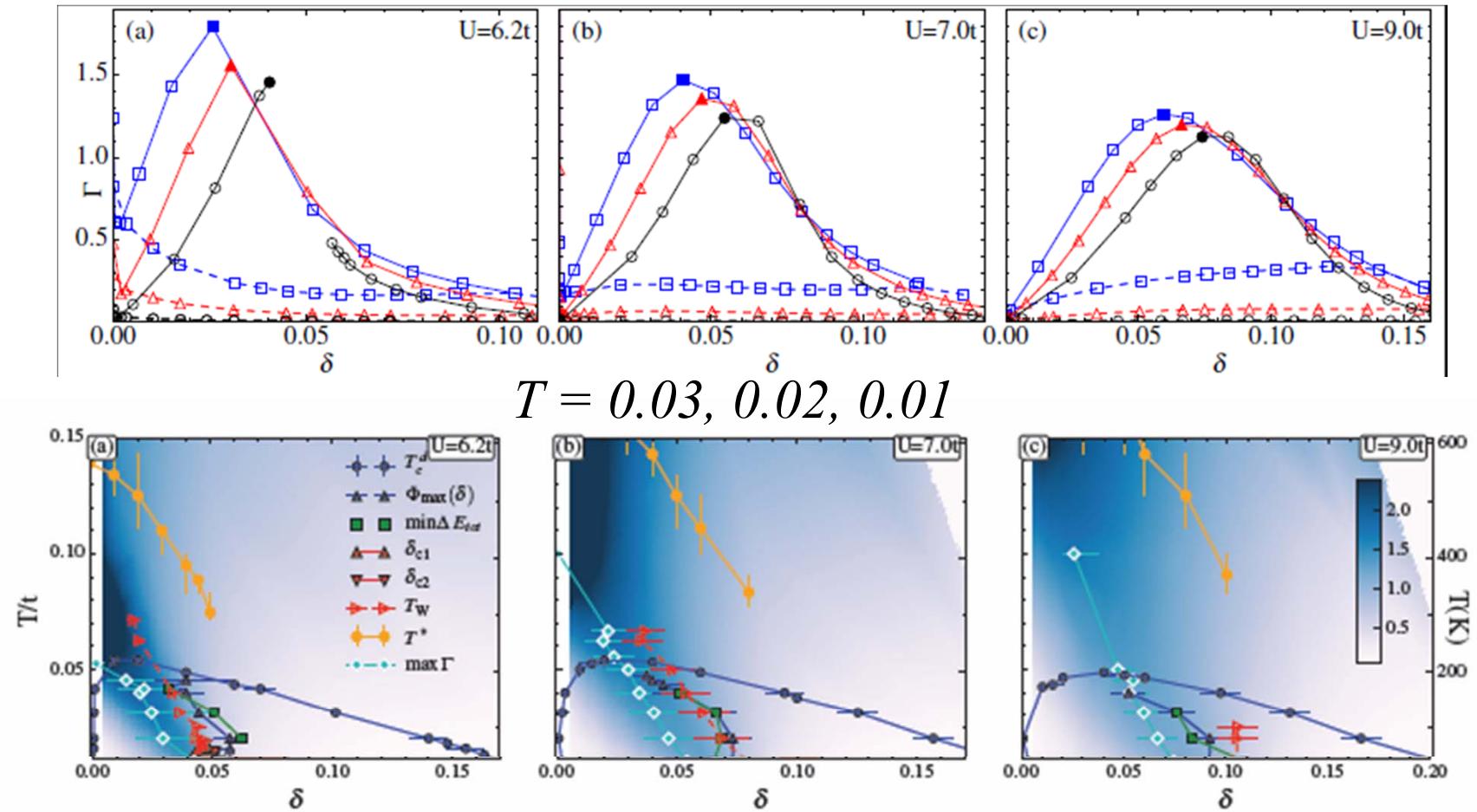
D. J. Scalapino and S. R. White Phys. Rev. B **58**, 8222 (1998)

Role of J

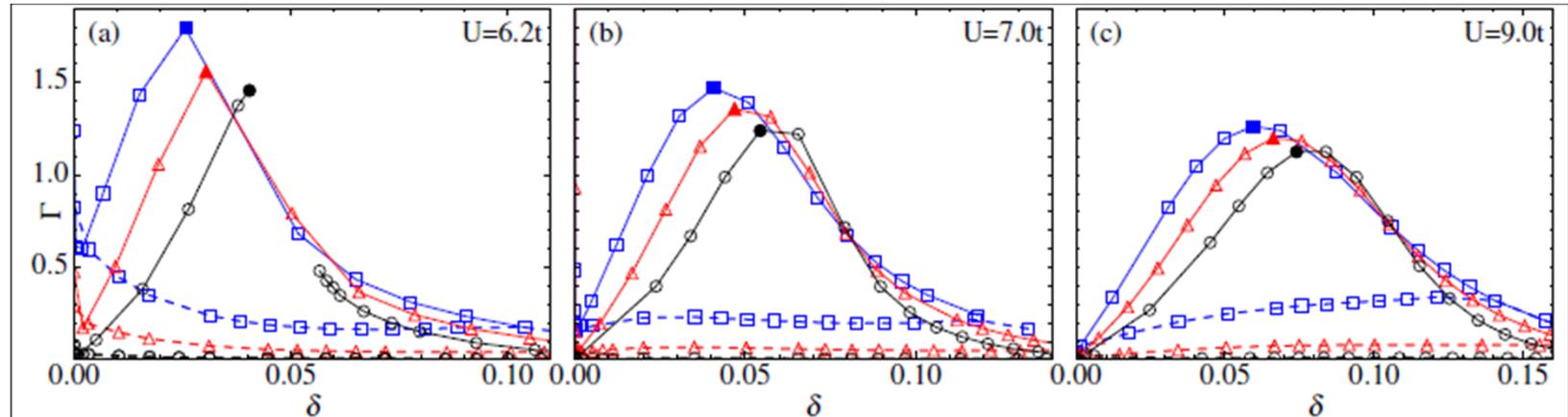


UNIVERSITÉ DE
SHERBROOKE

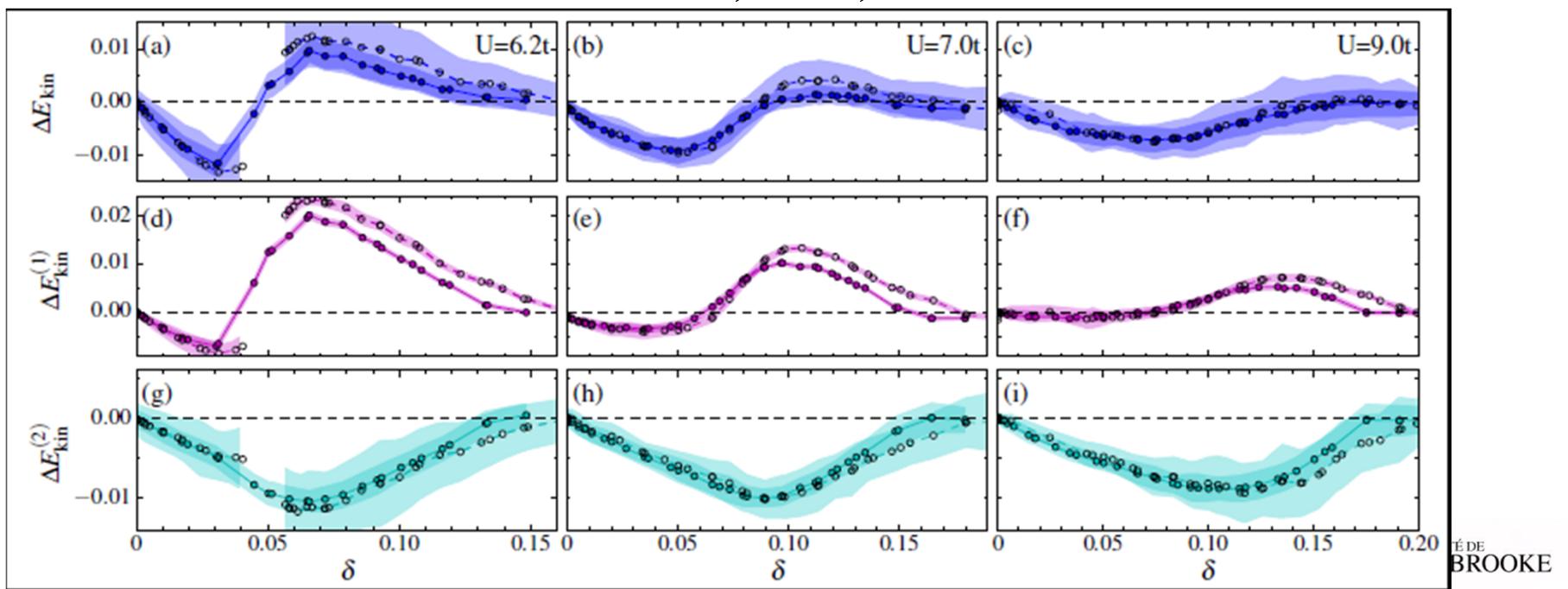
Kinetic energy gain



Kinetic energy gain



$T = 0.03, 0.02, 0.01$

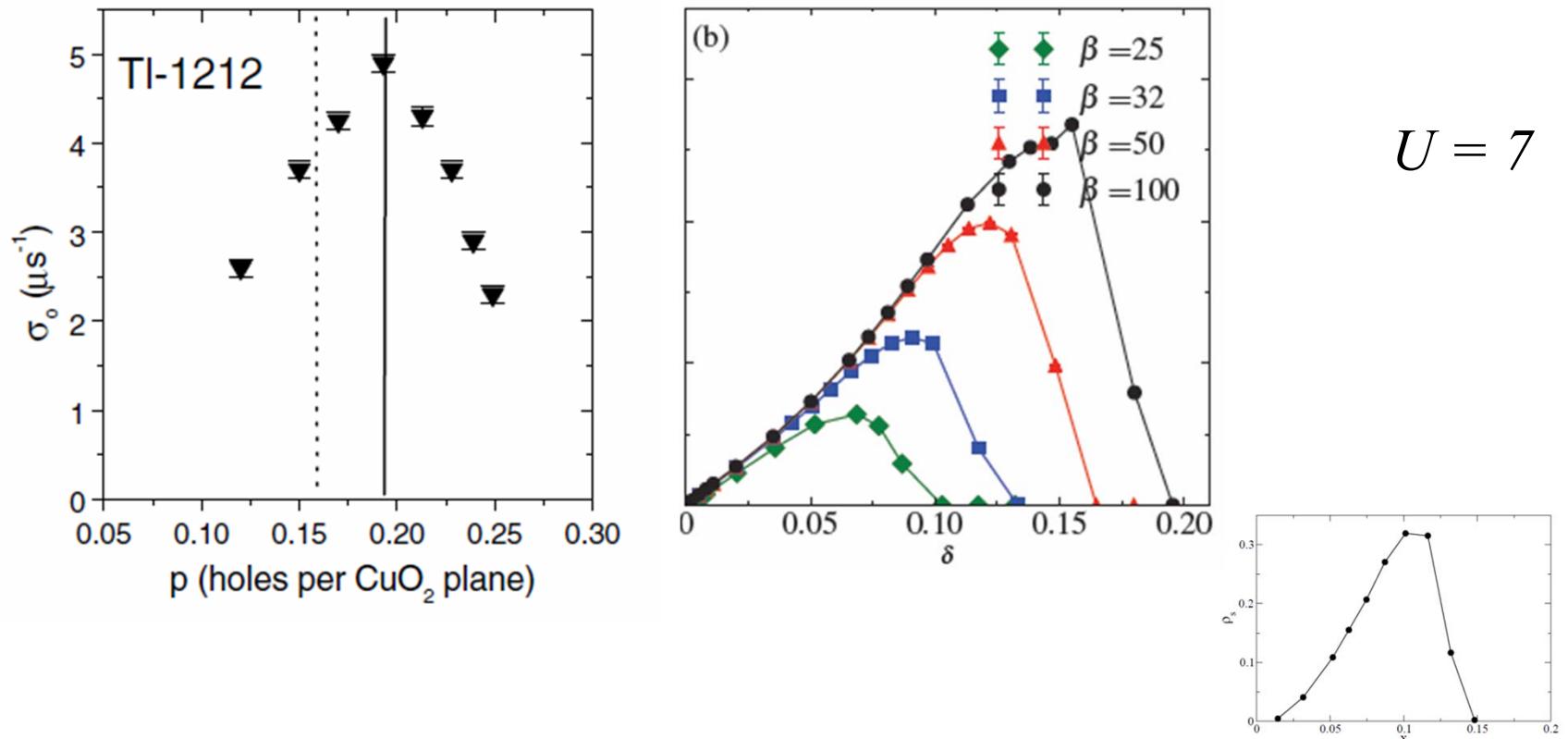


c-axis superfluid stiffness



UNIVERSITÉ DE
SHERBROOKE

Experiment – theory ($T \rightarrow 0$)

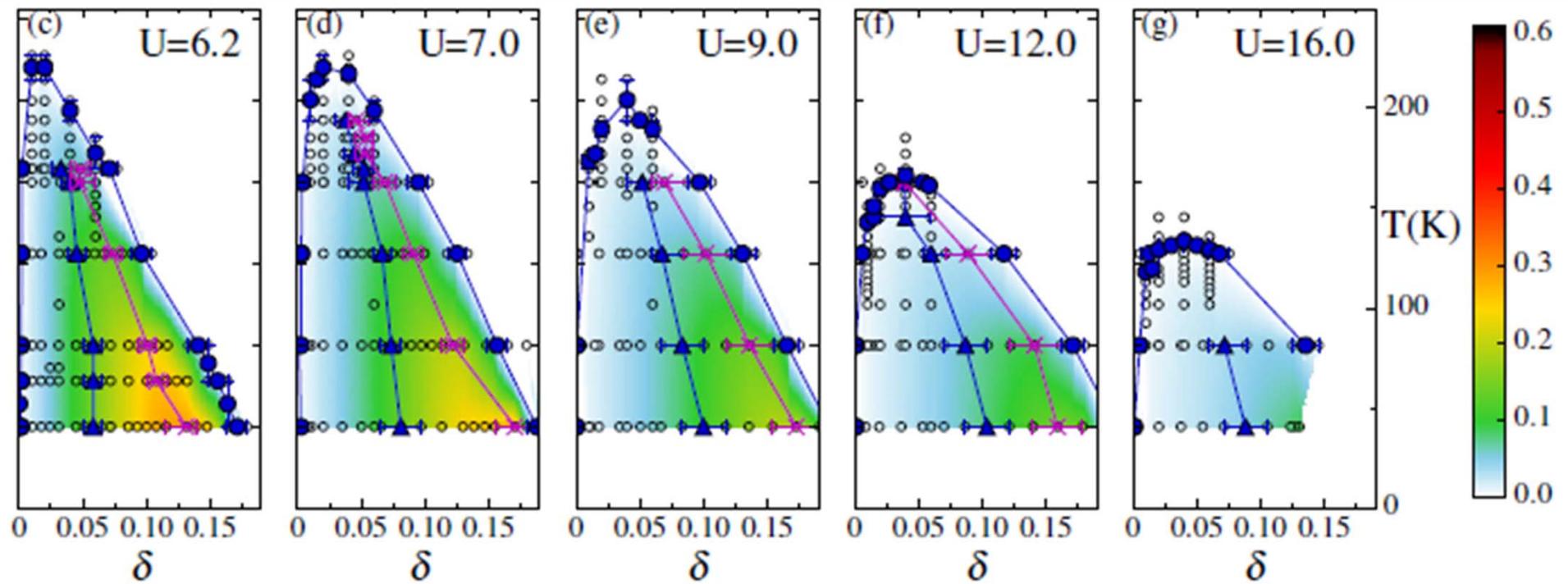


C. Bernhard, J. L. Tallon, *et al.* PRL (2001)

FIG. 8. Superfluid stiffness ρ_s determined in the superconducting state at $T = t/60$ from Eq. 15, as a function of doping.

E. Gull, A.J. Millis,
Phys. Rev. B **88**, 075127 (2013)

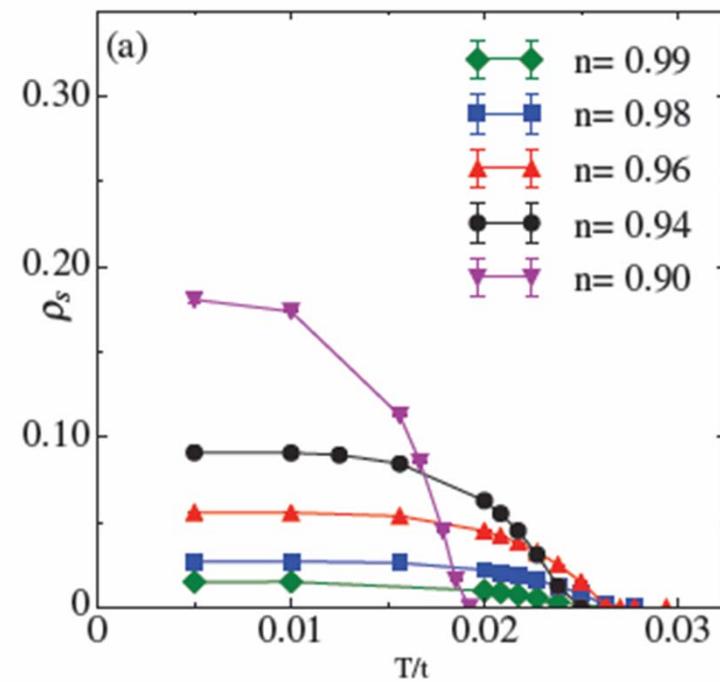
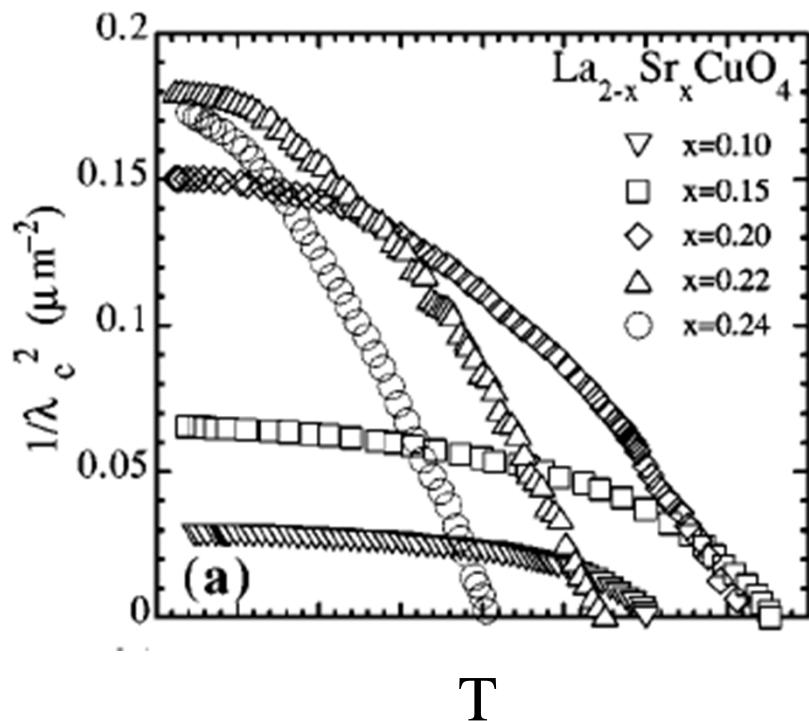
Maximum $T \rightarrow 0$ superfluid stiffness does not correspond to maximum T_c



UNIVERSITÉ DE
SHERBROOKE

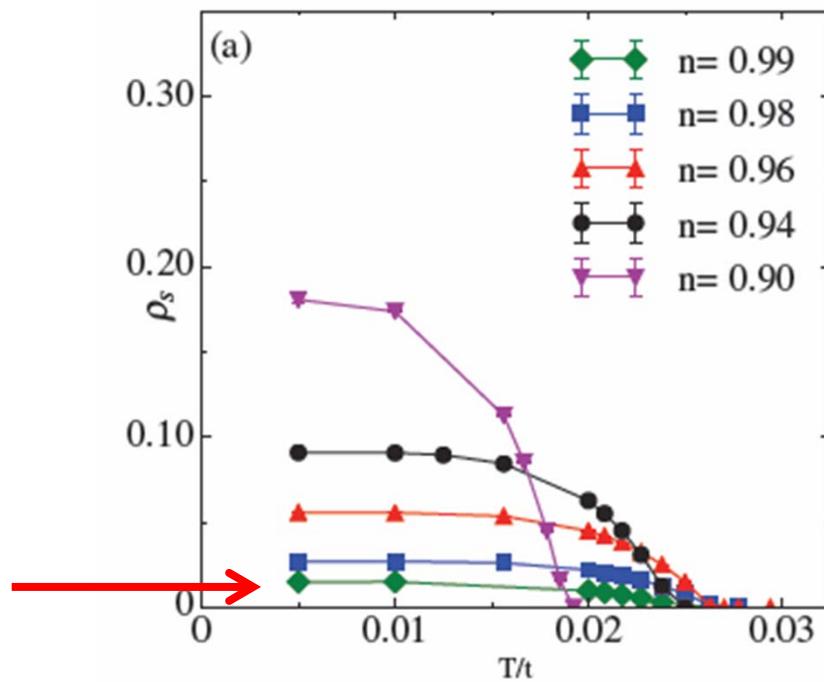
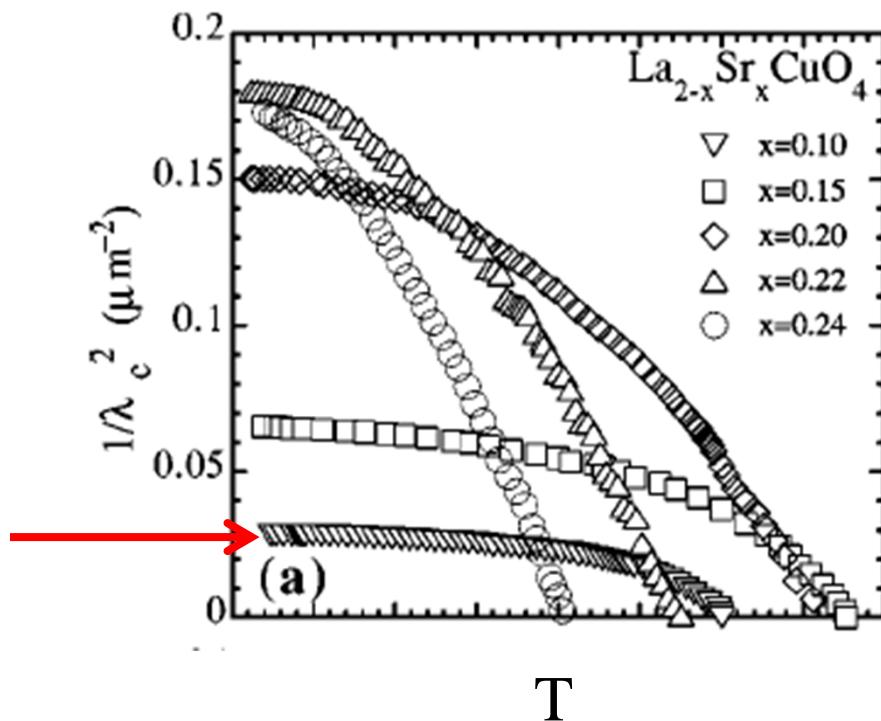
Experiment – theory T dependence

$U = 7$



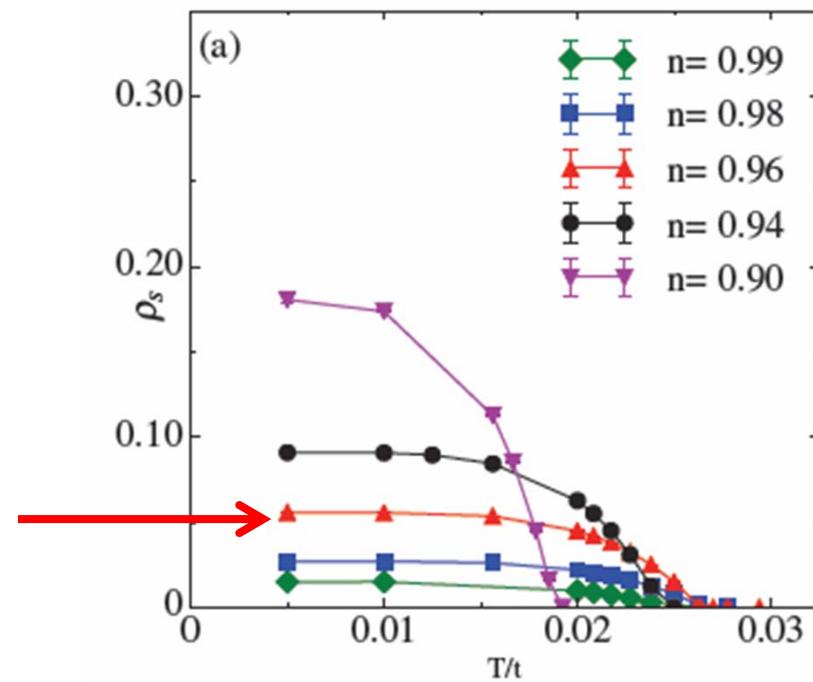
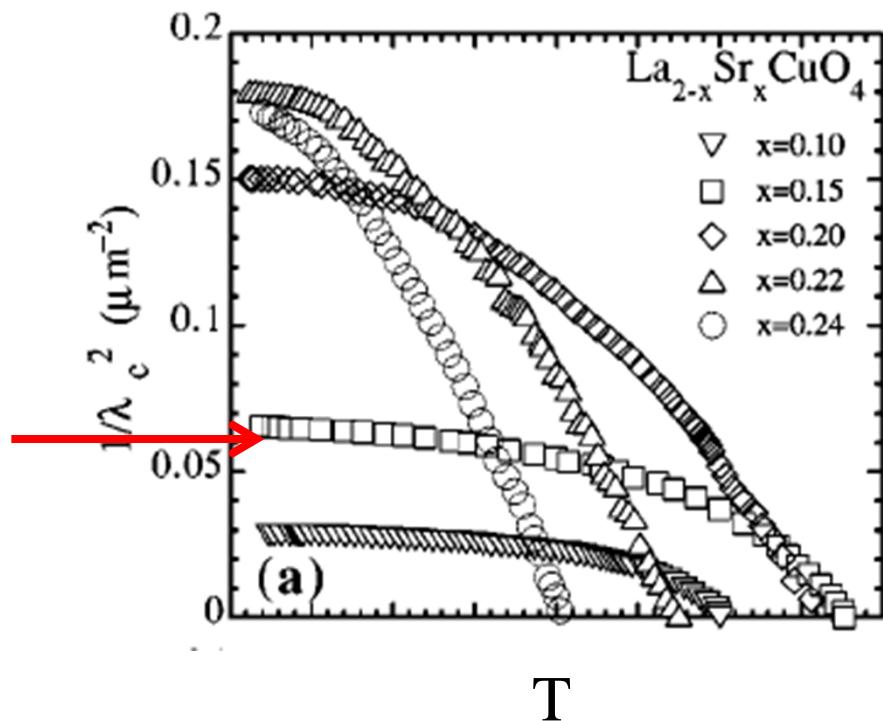
Panagopoulos et al. PRB 2000

Experiment – theory T dependence



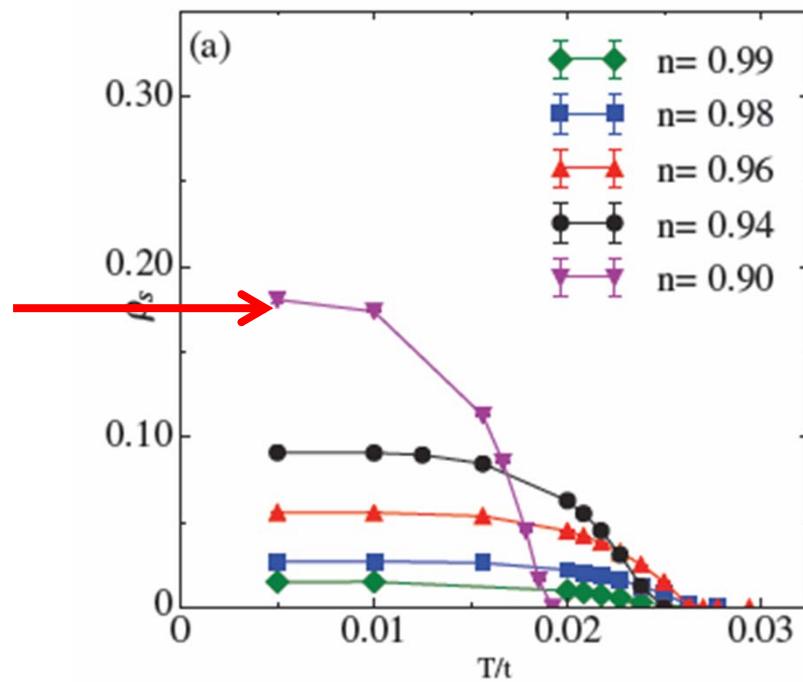
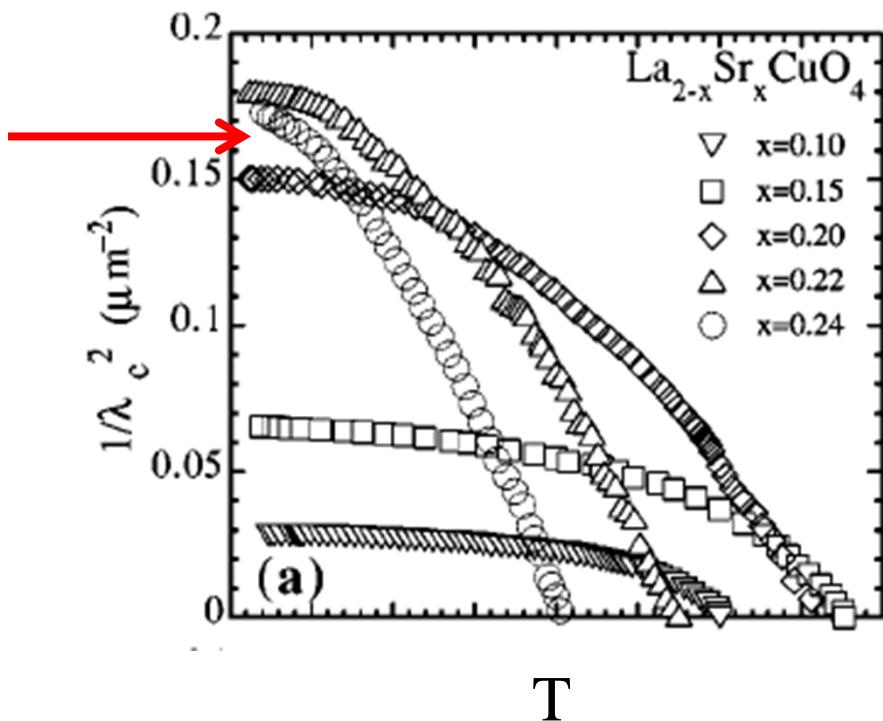
Panagopoulos et al. PRB 2000

Experiment – theory T dependence



Panagopoulos et al. PRB 2000

Experiment – theory T dependence



Panagopoulos et al. PRB 2000

Summary

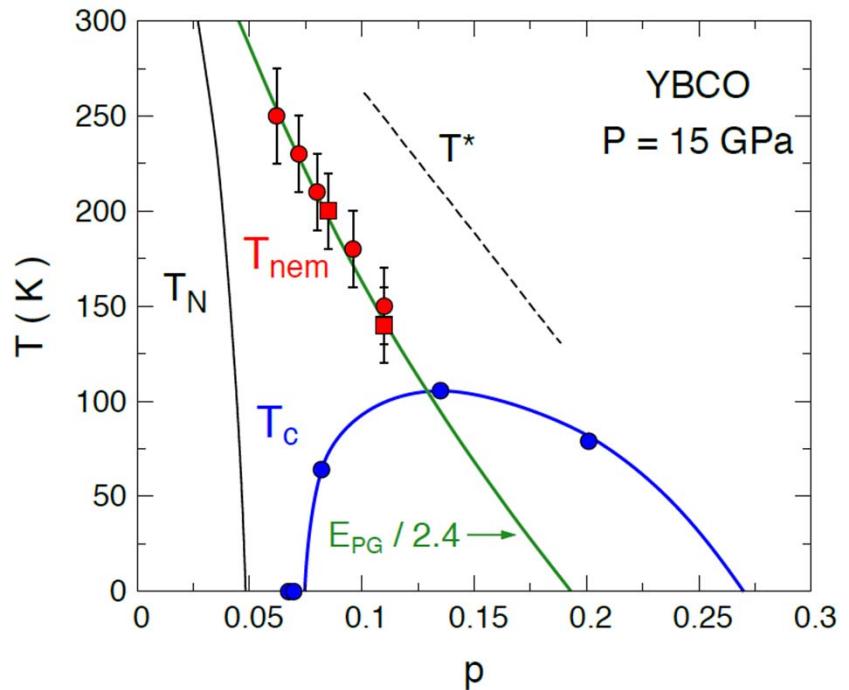


UNIVERSITÉ DE
SHERBROOKE

Summary

The central line – $T_x = T_{\text{nem}}$

$$T_{\text{nem}} = E_{\text{PG}} / 2.4$$



T_{nem} hits T_c dome at peak

Cyr-Choinière *et al.* arXiv:1503.02033

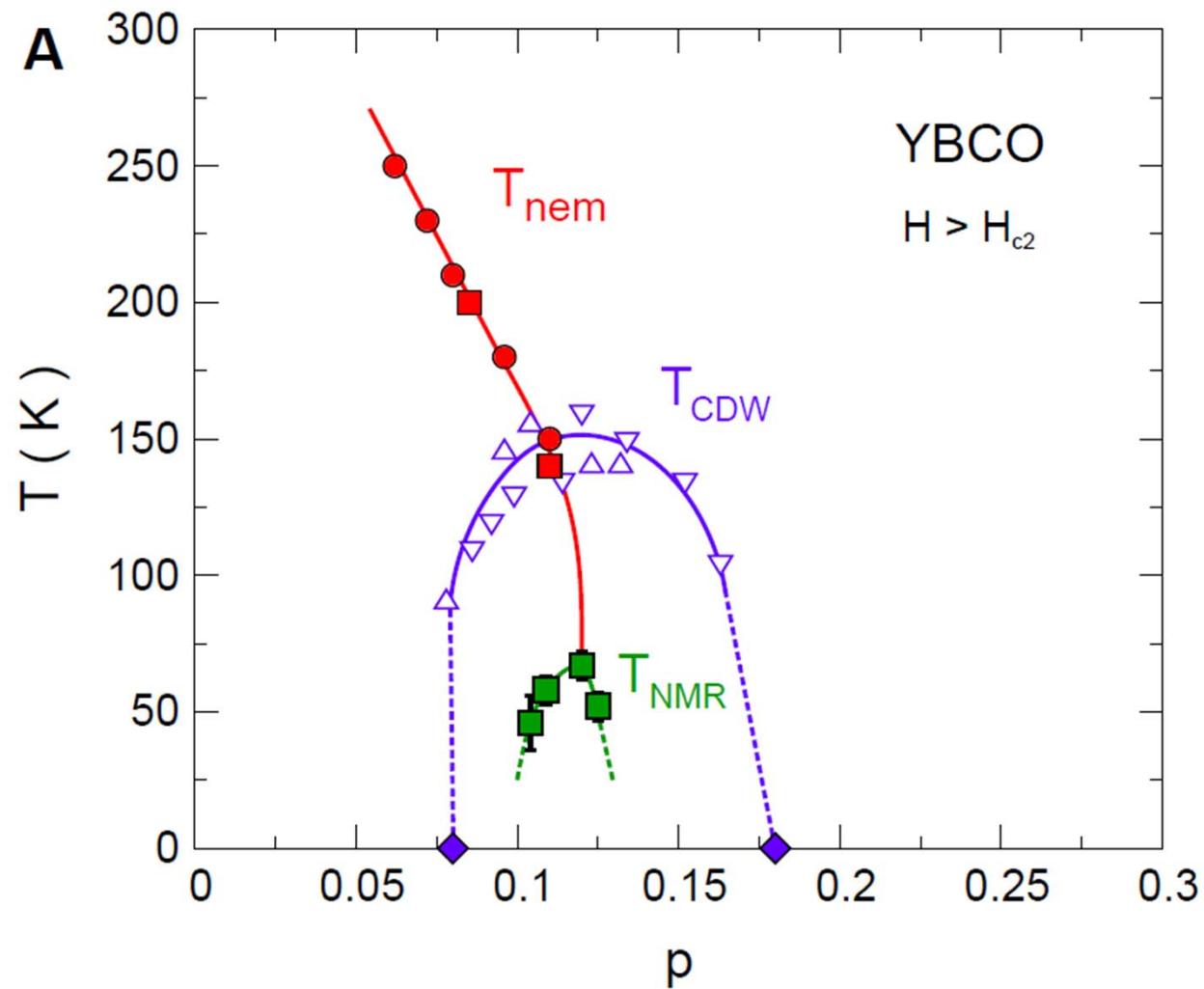


UNIVERSITÉ DE
SHERBROOKE

Summary

- With a single theoretical framework,
- Essential physics is described by the one-band Hubbard model
 - Mott + short-range superexchange leads to an emergent phase transition that is an organizing principle for both
 - normal state properties, including pseudogap
 - non BCS features of the normal state (Potential vs Kinetic energy driven...)

Two speculations



To do

- Effect of t' (Sordi, Fratino, Sémon)
- Three-band model (Sordi, Fratino, Sémon)
- Nematicity at finite T
- Nematicity CDW at $T = 0$ (Maxime Charlebois)
- STM at $T = 0$ (Simon Verret)
- Transport properties (Anne-Marie Gagnon)
- Effect of V on pairing (Alexis Reymbaut, Marco Fellous Asiani)
- Iron oxides (Reza Nourafkan)

Main collaborators



Giovanni Sordi



Patrick Sémon



Kristjan Haule



Lorenzo Fratino



Charles-David Hébert



David Sénéchal



Bumsoo Kyung



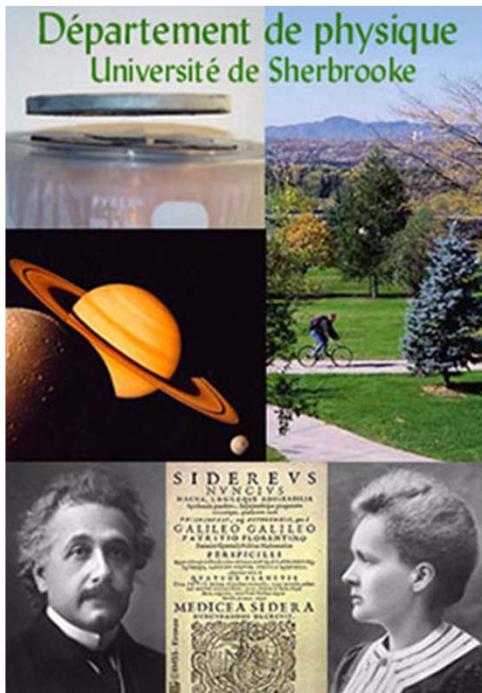
UNIVERSITÉ
DE
SHERBROOKE

Team



Tremblay, Reymbaut, Gagnon, Verret, Hébert, Charlebois, Nourafkan

André-Marie Tremblay



Le regroupement québécois sur les matériaux de pointe



Sponsors:



Mammouth



Éducation,
Loisir et Sport
Québec



Canada Foundation for Innovation
Fondation canadienne pour l'innovation

 **compute • calcul**
CANADA
High Performance Computing
CREATING KNOWLEDGE
DRIVING INNOVATION
BUILDING THE DIGITAL ECONOMY

Le calcul de haute performance
CRÉER LE SAVOIR
ALIMENTER L'INNOVATION
BATIR L'ÉCONOMIE NUMÉRIQUE


Calcul Québec

 **UNIVERSITÉ DE**
SHERBROOKE

Review: A.-M.S.T. arXiv: 1310.1481



A.-M.S. Tremblay

“Strongly correlated superconductivity”

Chapt. 10 : *Emergent Phenomena in Correlated Matter Modeling and Simulation*, Vol. 3, E. Pavarini, E. Koch, and U. Schollwöck (eds.)

Verlag des Forschungszentrum Jülich, 2013