

Pseudogaps and strongly correlated superconductivity

A.-M. Tremblay

Institut quantique

Brookhaven National Laboratory

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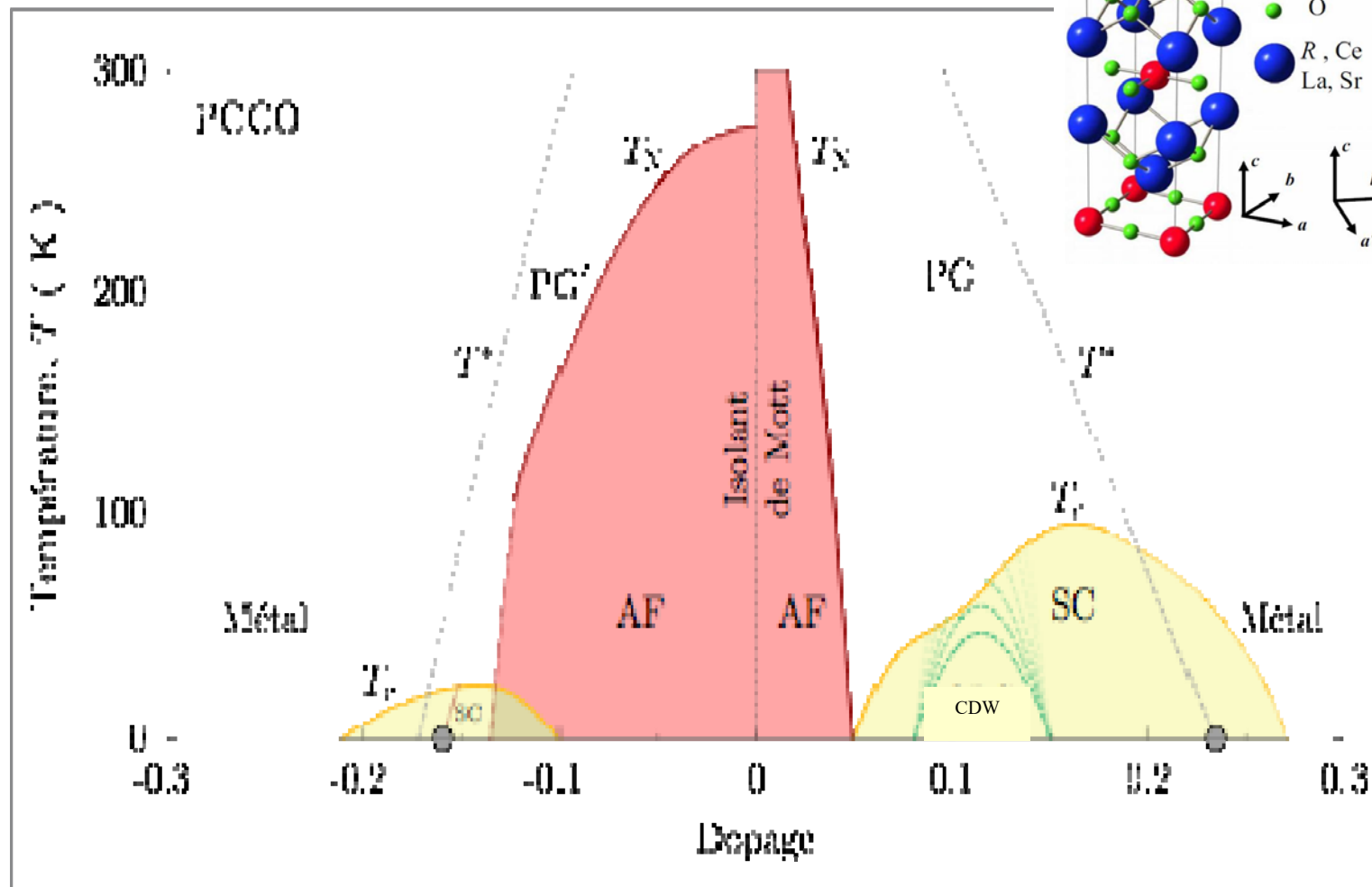
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Our road map

Thèse de Francis Laliberté,
Université de Sherbrooke



Outline

- Part I
 - Pseudogap
 - Mott physics
 - Precursor to LRO
- Part II
 - Strongly correlated superconductivity (BEDT)
 - Retardation



Part I

Pseudogap



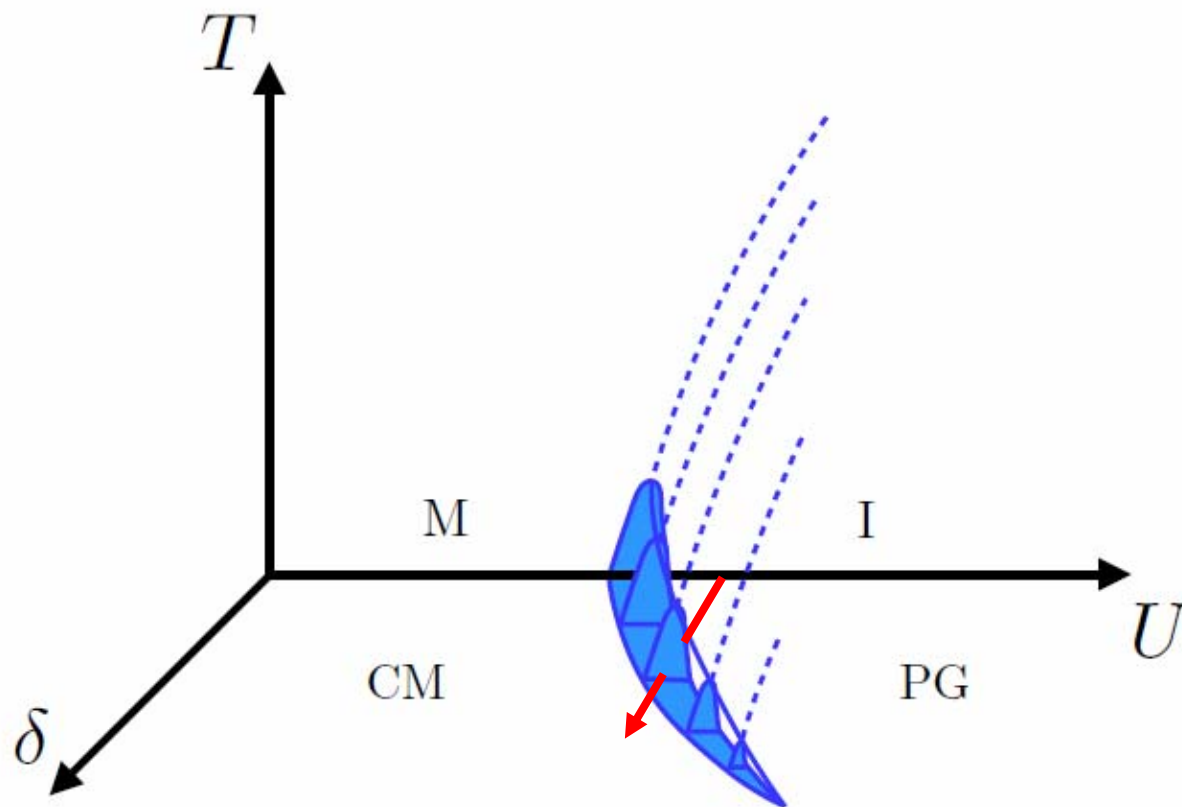
Three broad classes of mechanisms for pseudogap

- Phase with a broken symmetry (discrete)
- Mott Physics + J
- Precursor of LRO ($d = 2$)
 - Mermin-Wagner allows a large fluctuation regime
 - Even with weak correlations

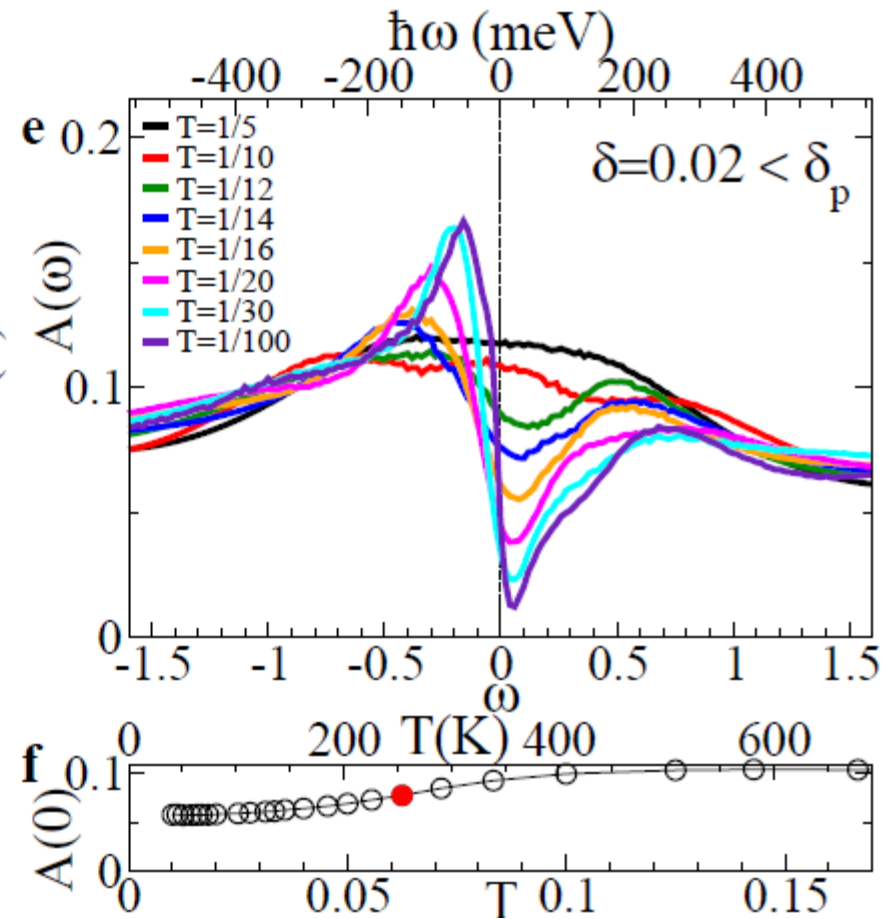
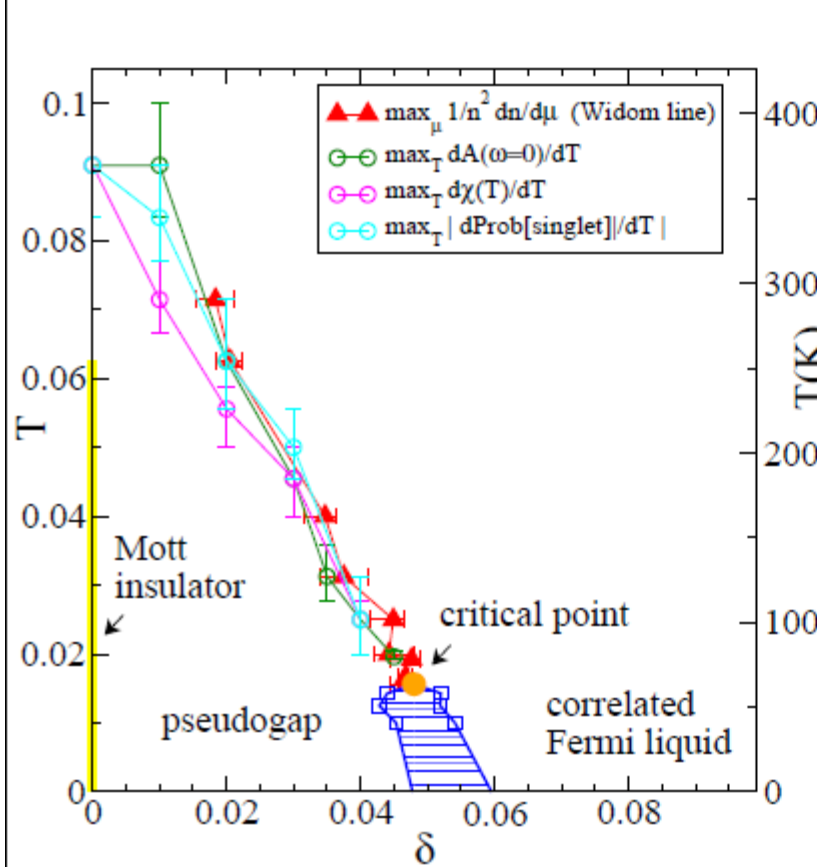


Influence of Mott transition away from half-filling

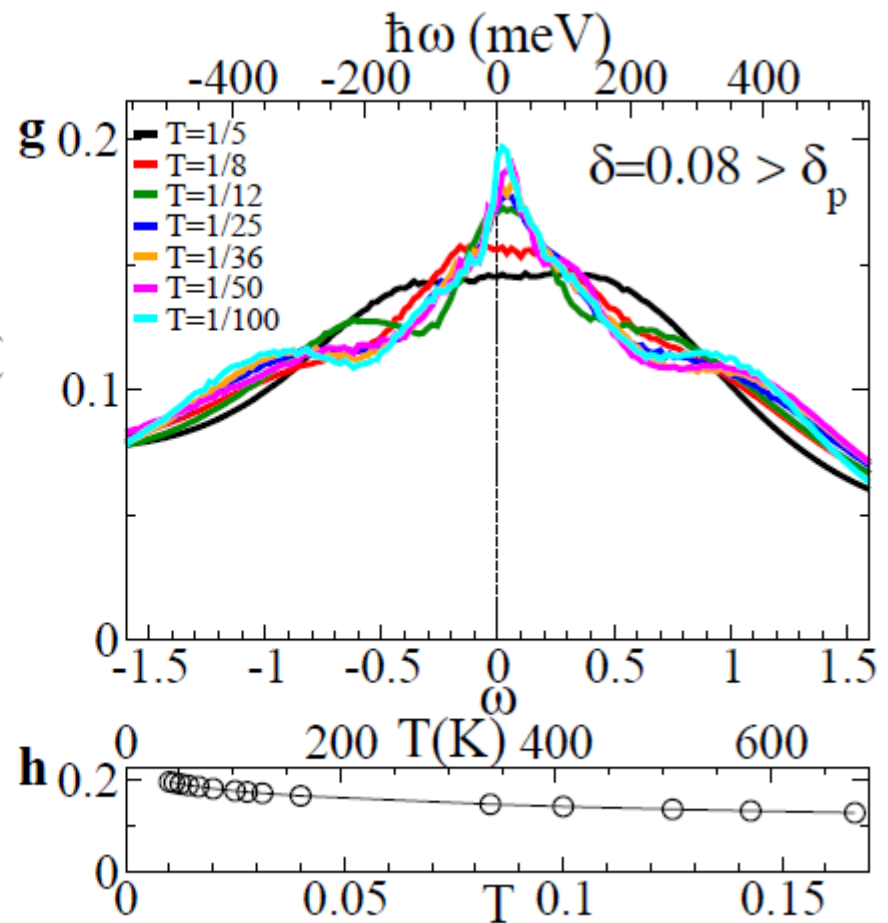
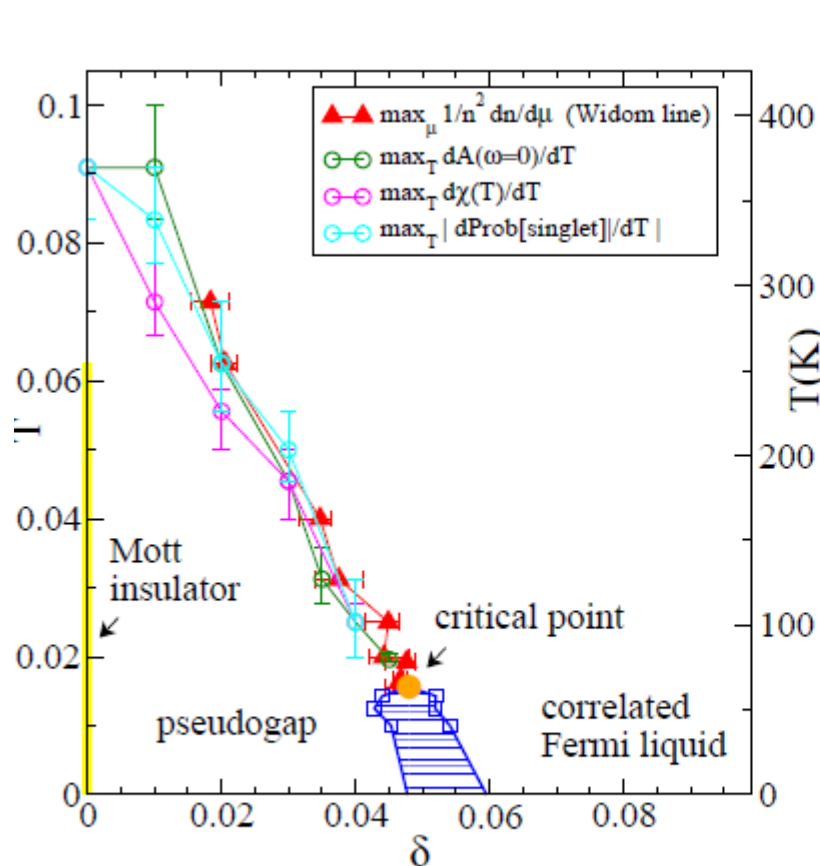
$n = 1, d = 2$ square lattice



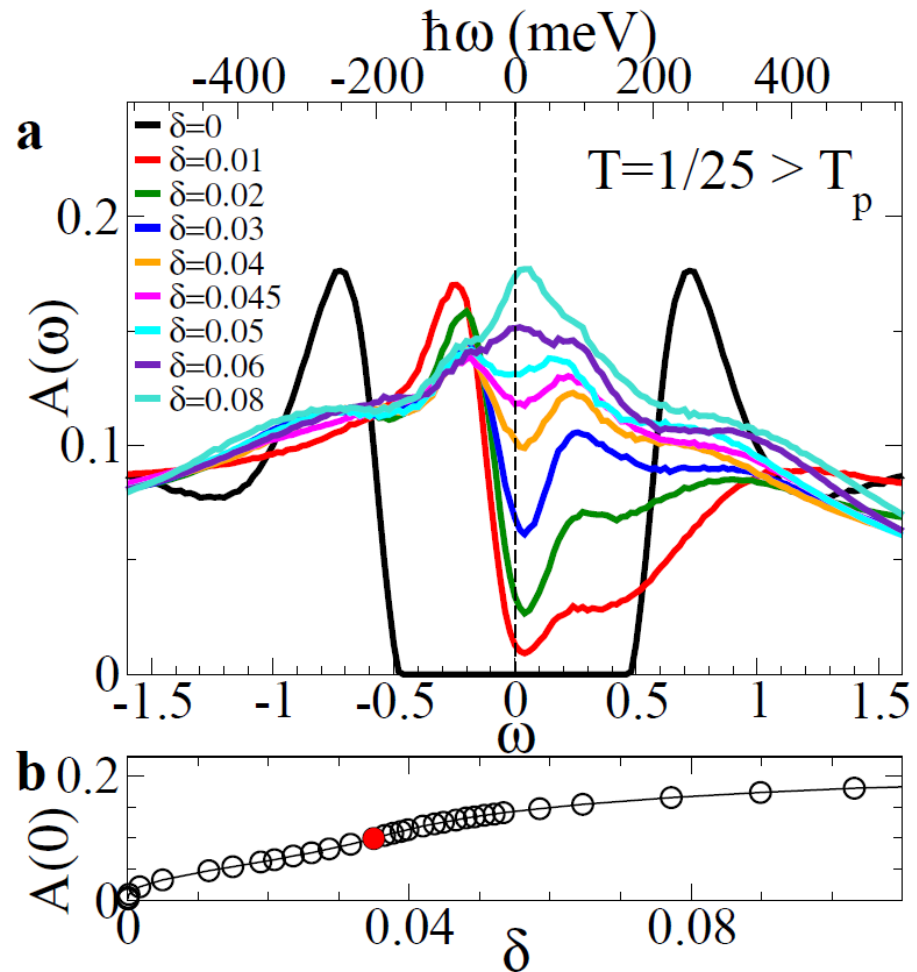
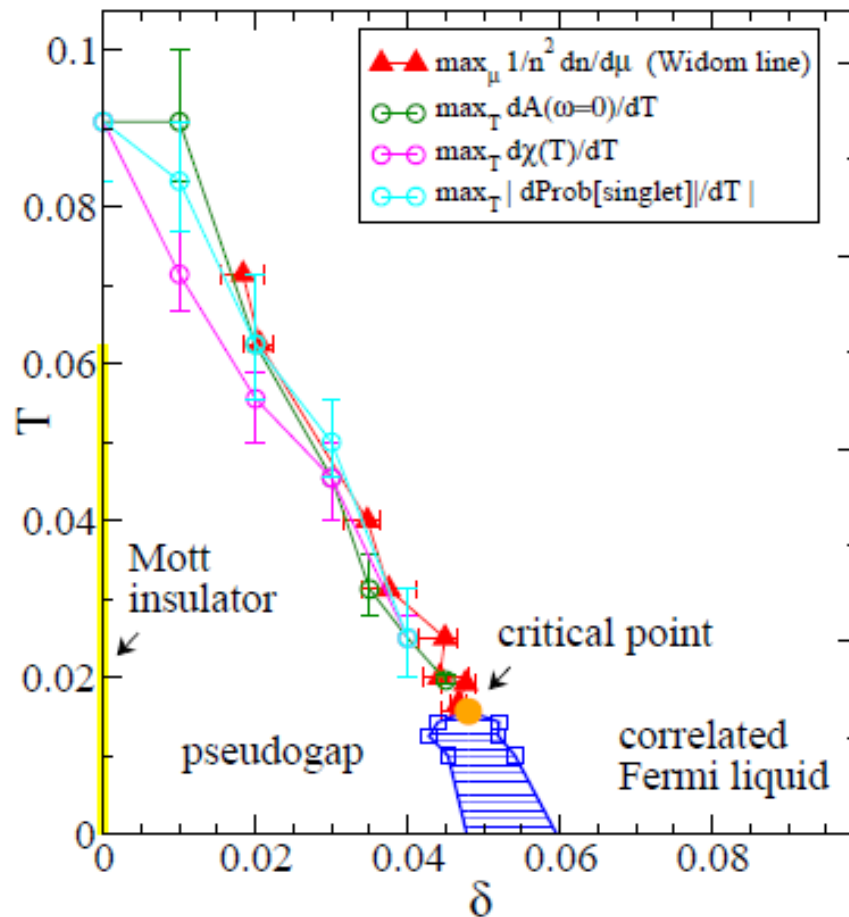
Density of states



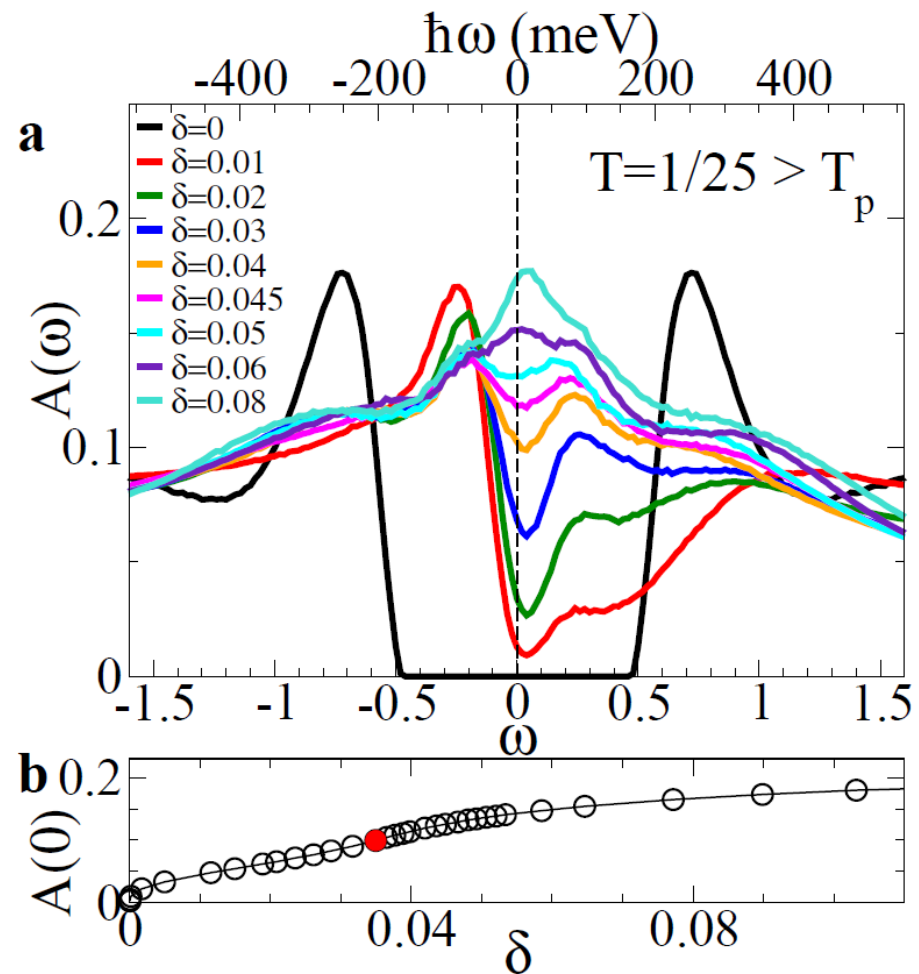
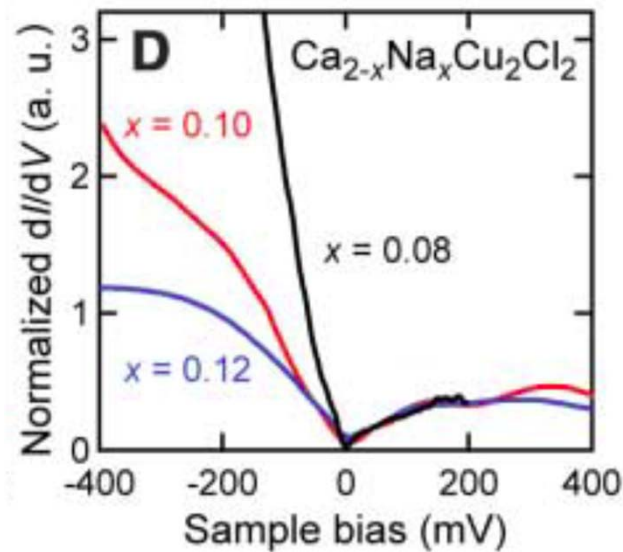
Density of states



$U = 6.2 t$ Normal state. Density of states



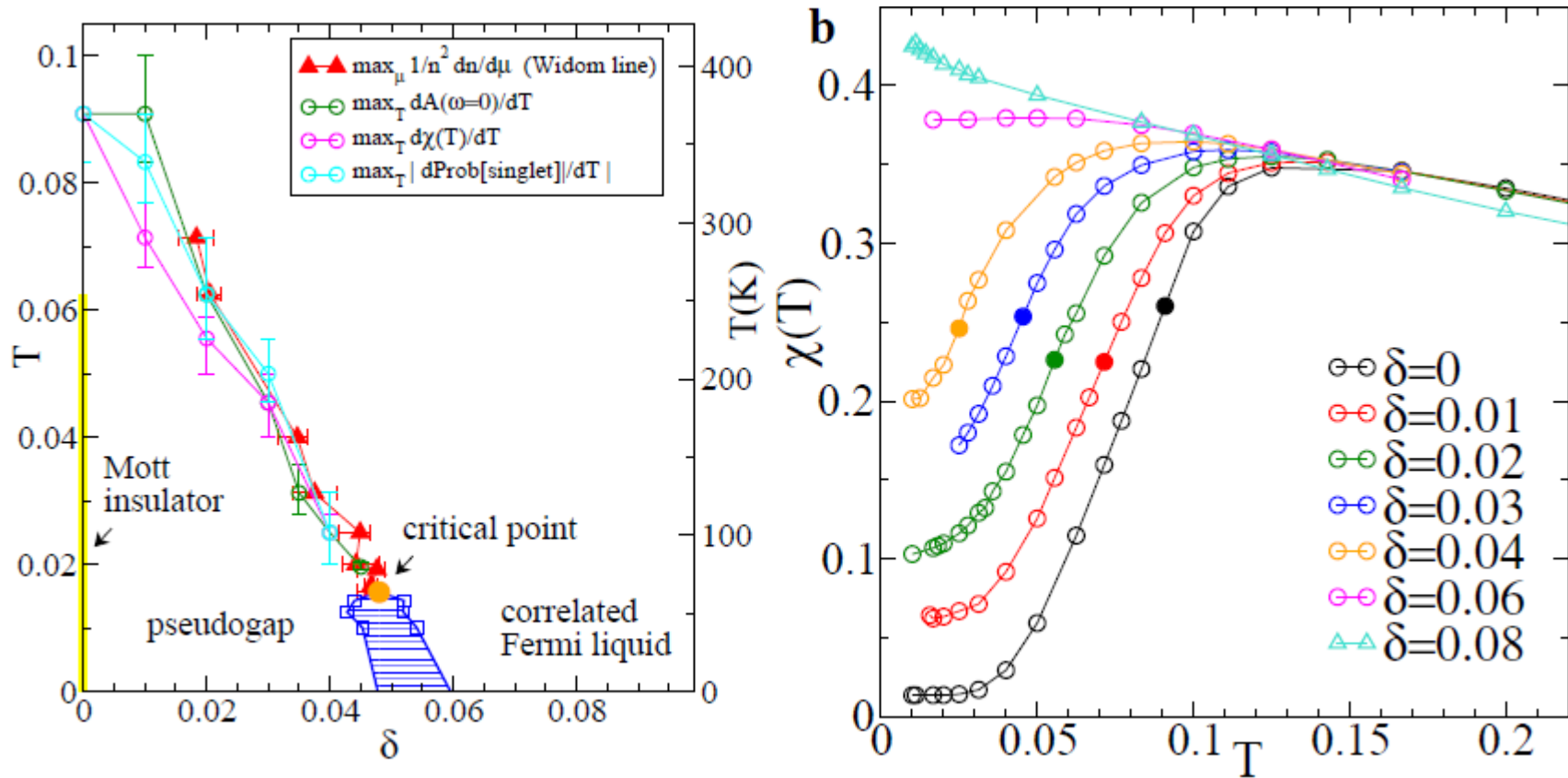
Density of states



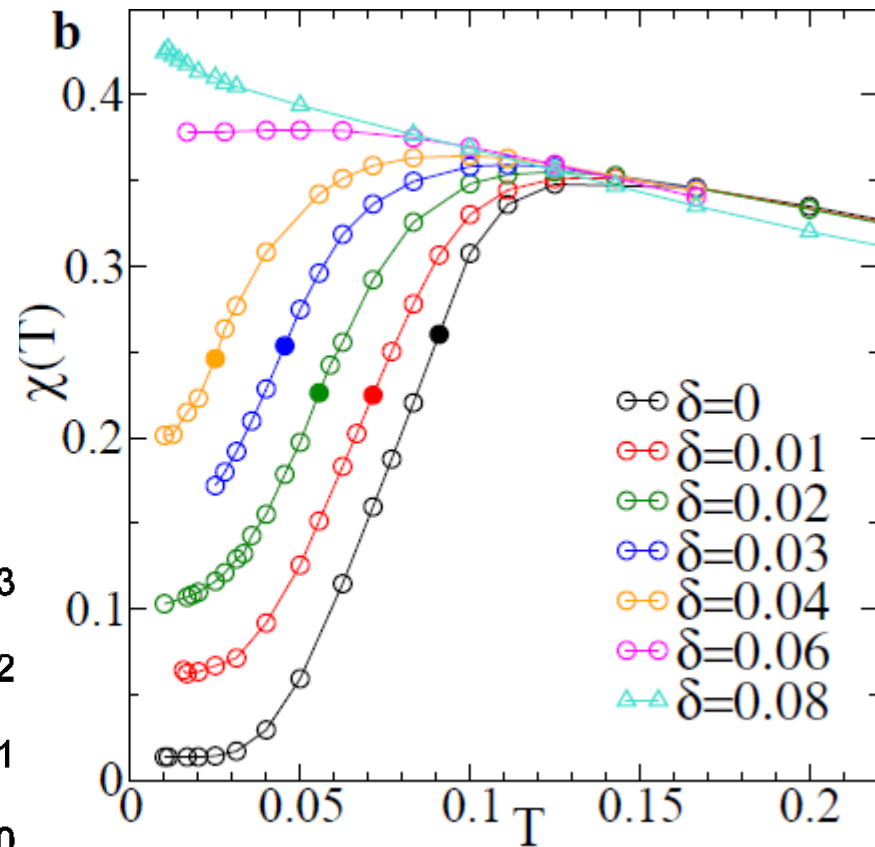
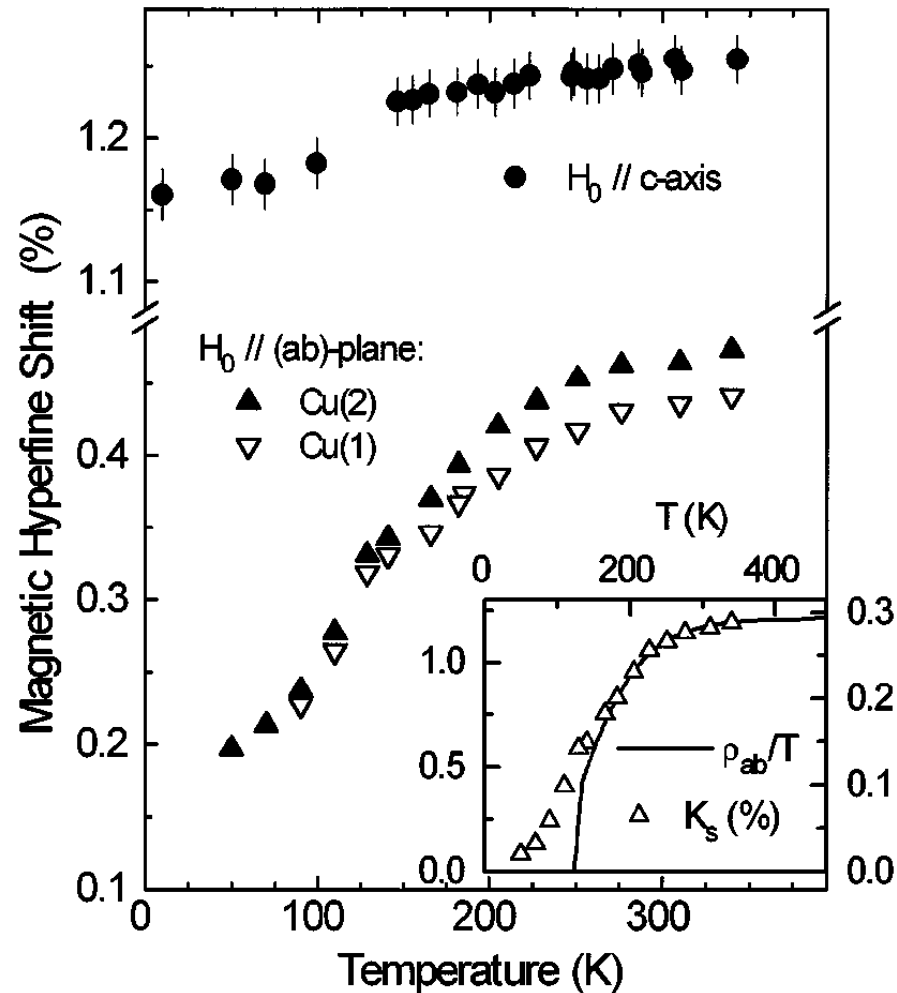
Khosaka et al. *Science* **315**, 1380 (2007);



Spin susceptibility



Spin susceptibility



Underdoped Hg1223

Julien et al. PRL **76**, 4238 (1996)



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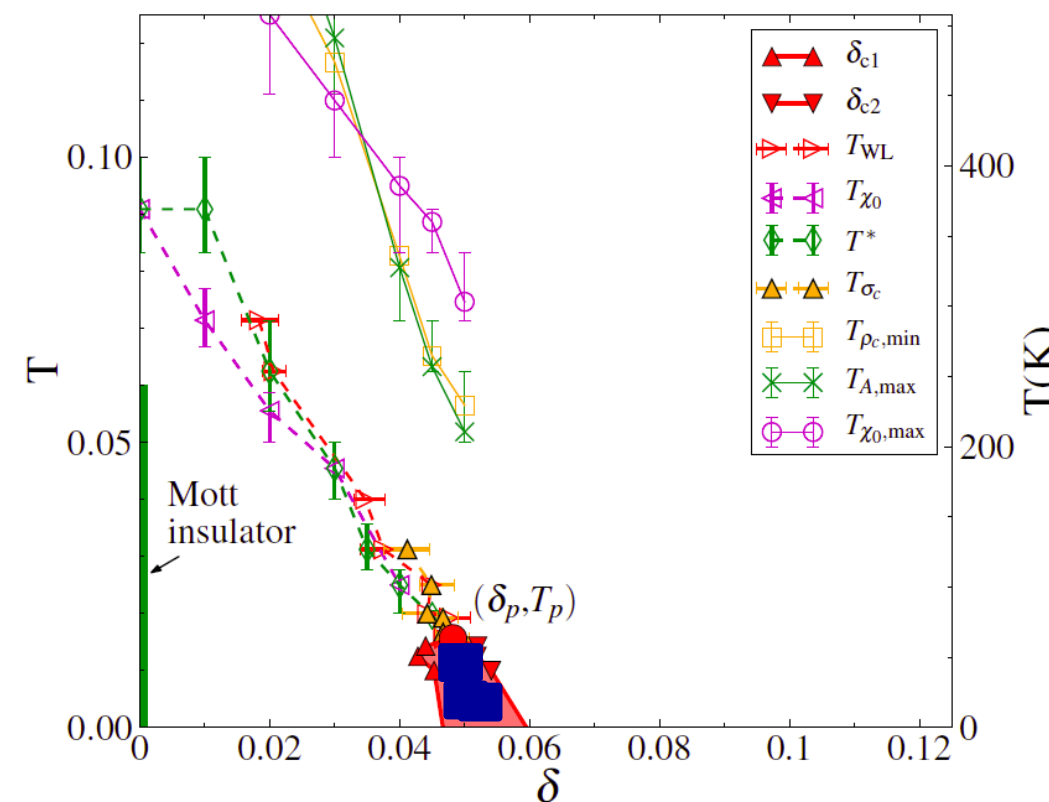


Giovanni Sordi

Two crossover lines



Patrick Sémon



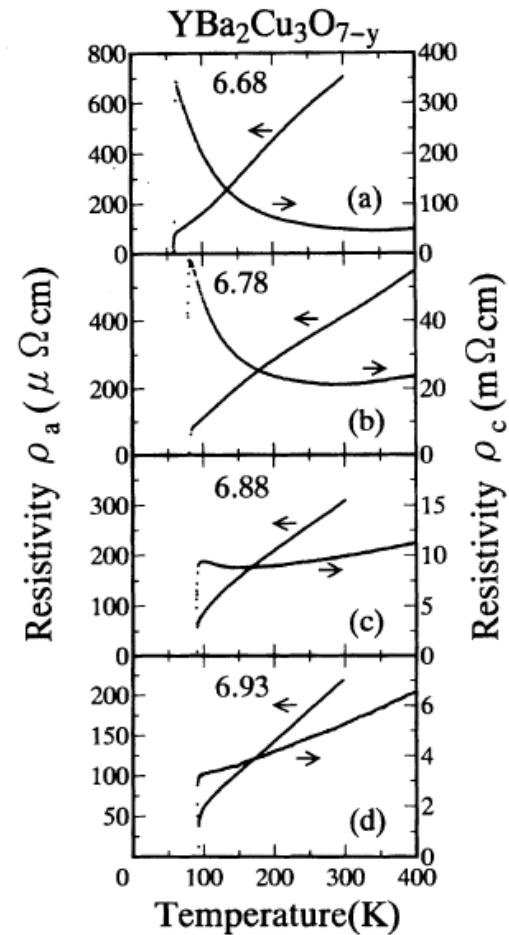
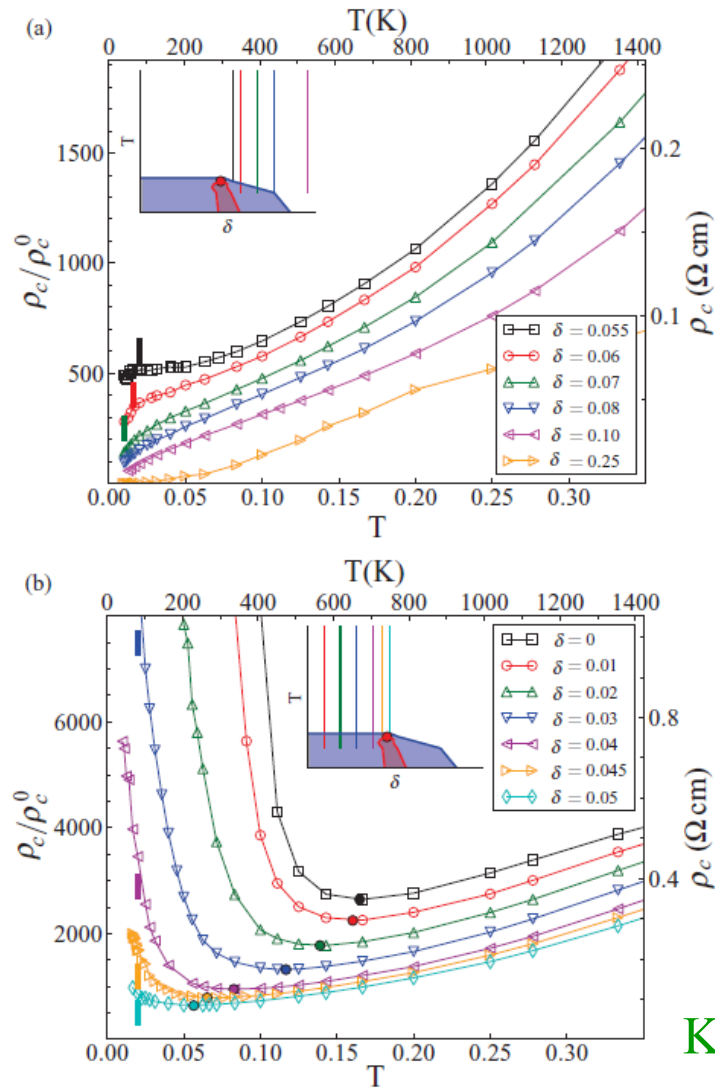
G. Sordi et al. Phys. Rev. Lett. 108, 216401/1-6 (2012)

P. Sémon, G. Sordi, A.-M.S.T., Phys. Rev. B **89**, 165113/1-6 (2014)



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c-axis resistivity



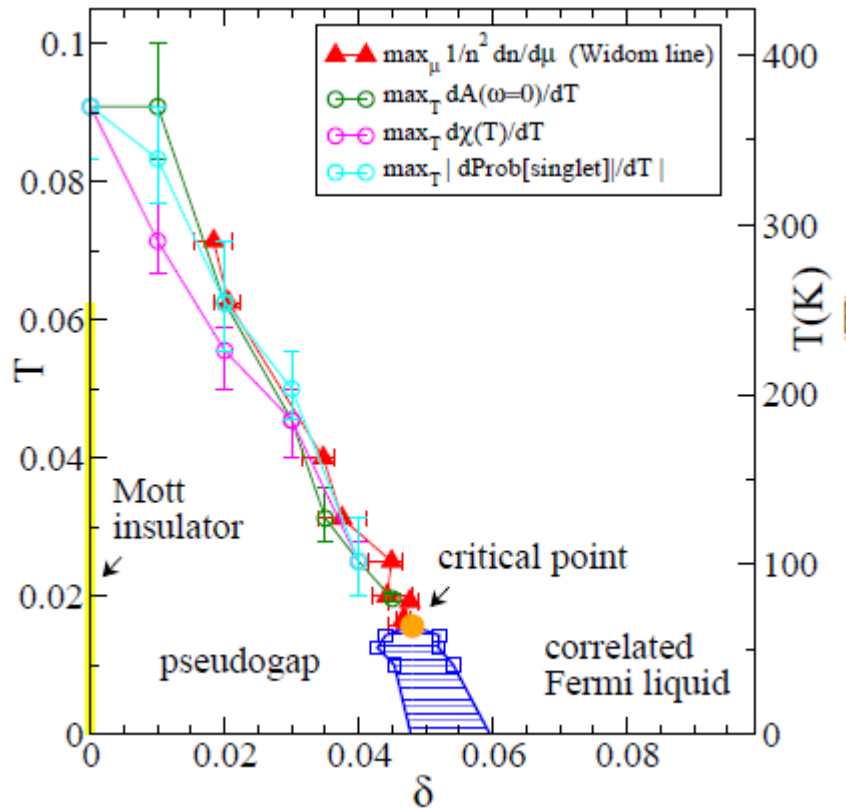
K. Takenaka, K. Mizuhashi, H. Takagi, and S. Uchida,
Phys. Rev.B 50, 6534 (1994).



Physics

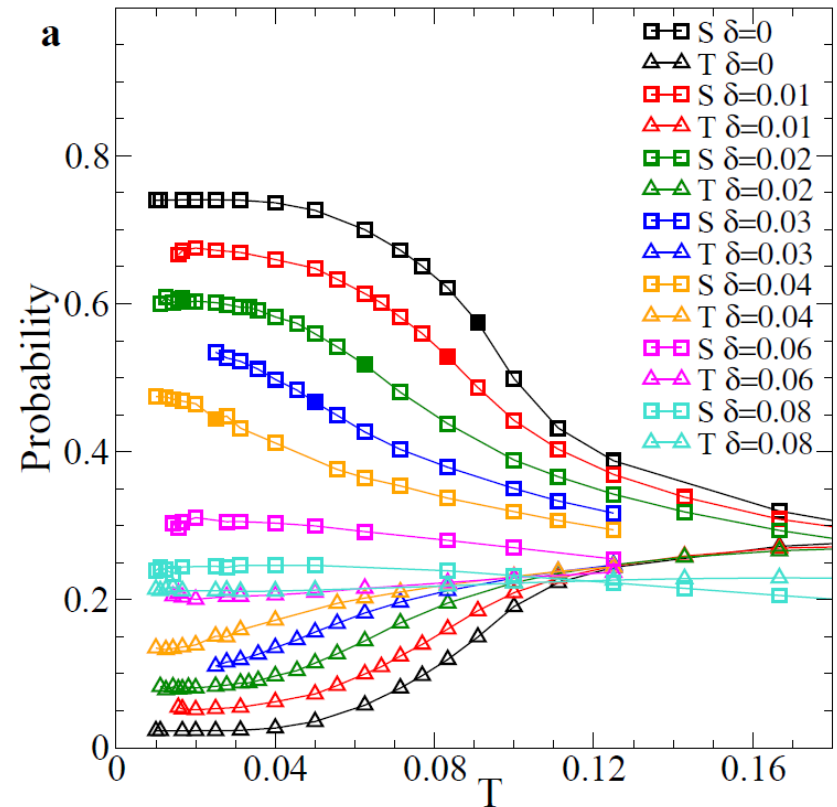


Plaquette eigenstates



See also:

Michel Ferrero, P. S. Cornaglia, L. De Leo, O. Parcollet, G. Kotliar, A. Georges
PRB **80**, 064501 (2009)



The pseudogap in electron-doped cuprates

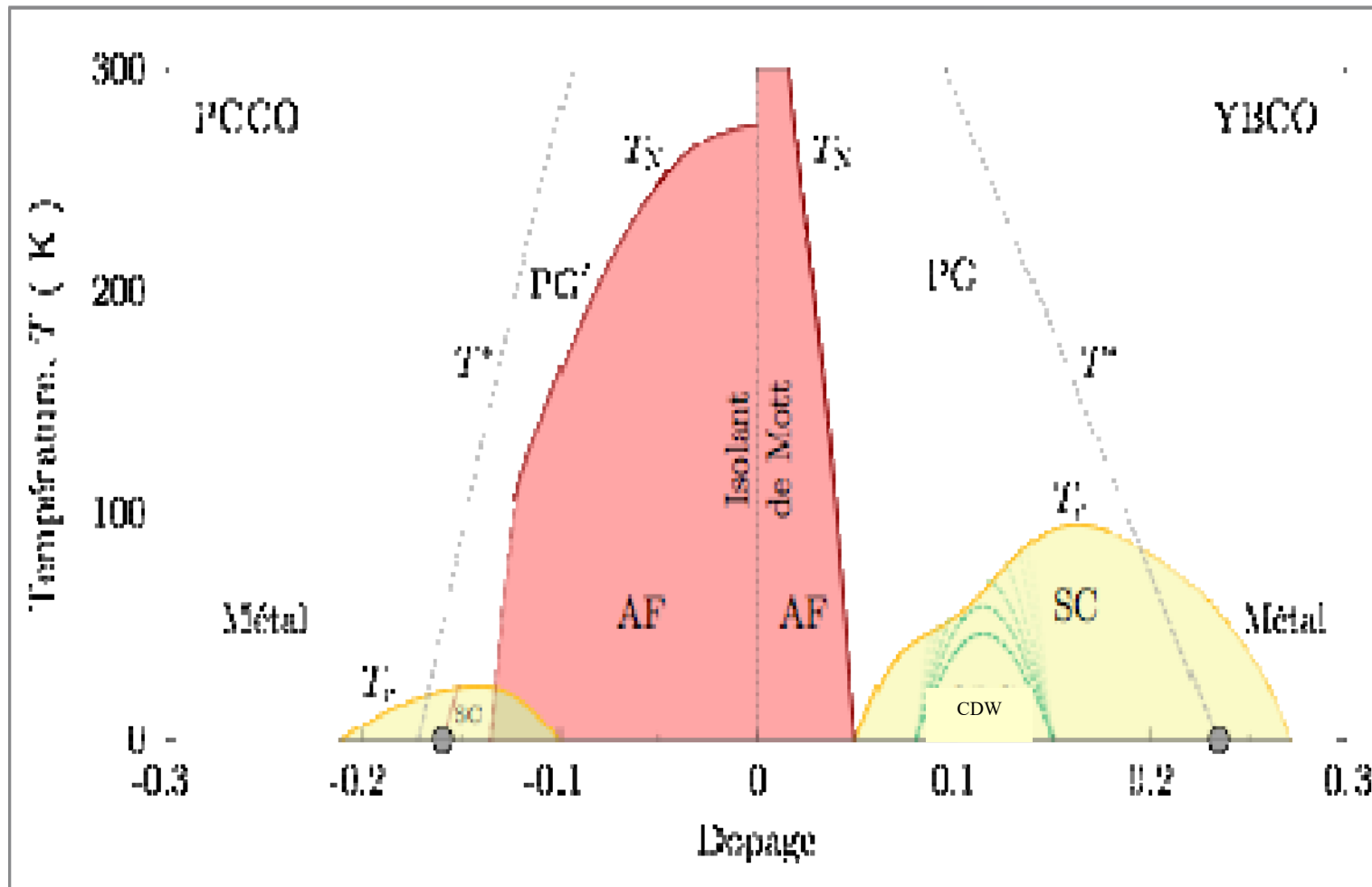


TPSC: Theory vs experiment



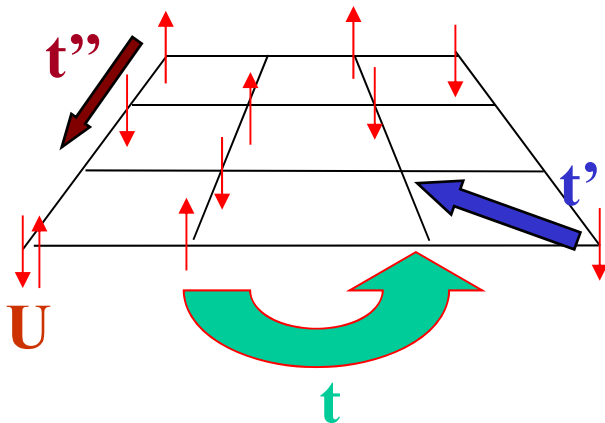
Our road map

Thèse de Francis Laliberté,
Université de Sherbrooke



Model parameters

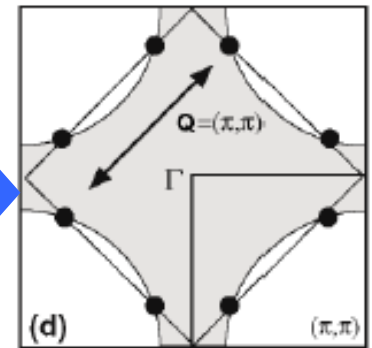
$$H = -\sum_{\langle ij \rangle \sigma} t_{i,j} (c_{i\sigma}^\dagger c_{j\sigma} + c_{j\sigma}^\dagger c_{i\sigma}) + U \sum_i n_{i\uparrow} n_{i\downarrow}$$



fixed

$$t' = -0.175t, \quad t'' = 0.05t$$

$$t = 350 \text{ meV}, \quad T = 200 \text{ K}$$



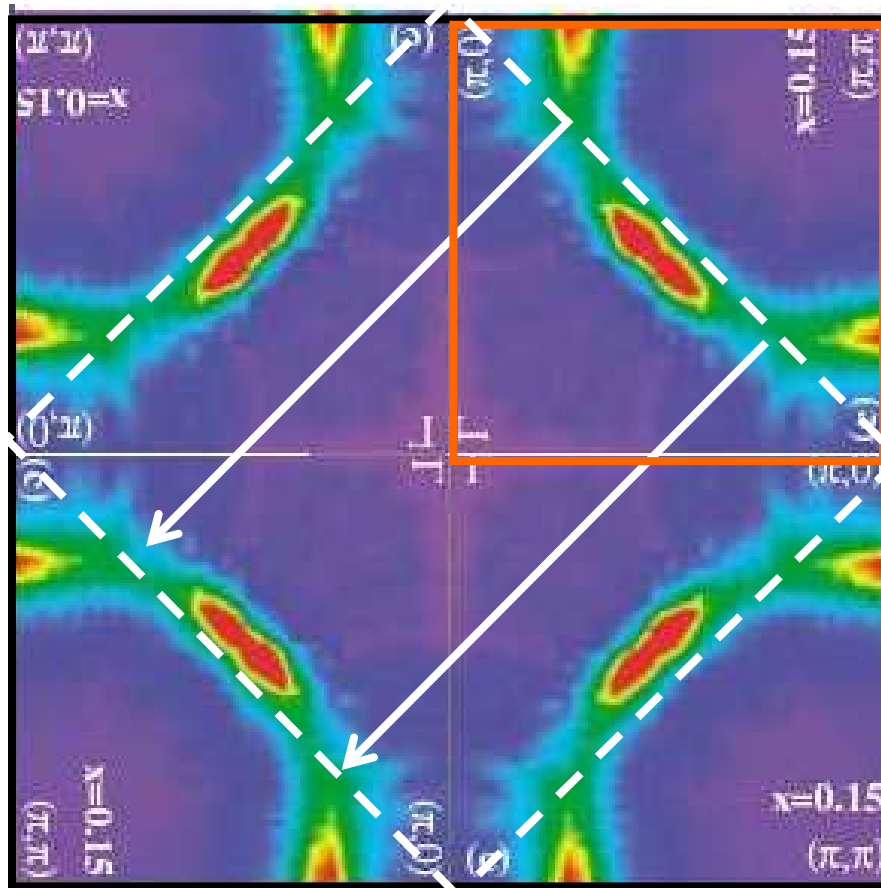
Weak coupling $U < 8t$

$n = 1 + x$ – electron filling



Hot spots from AFM quasi-static scattering

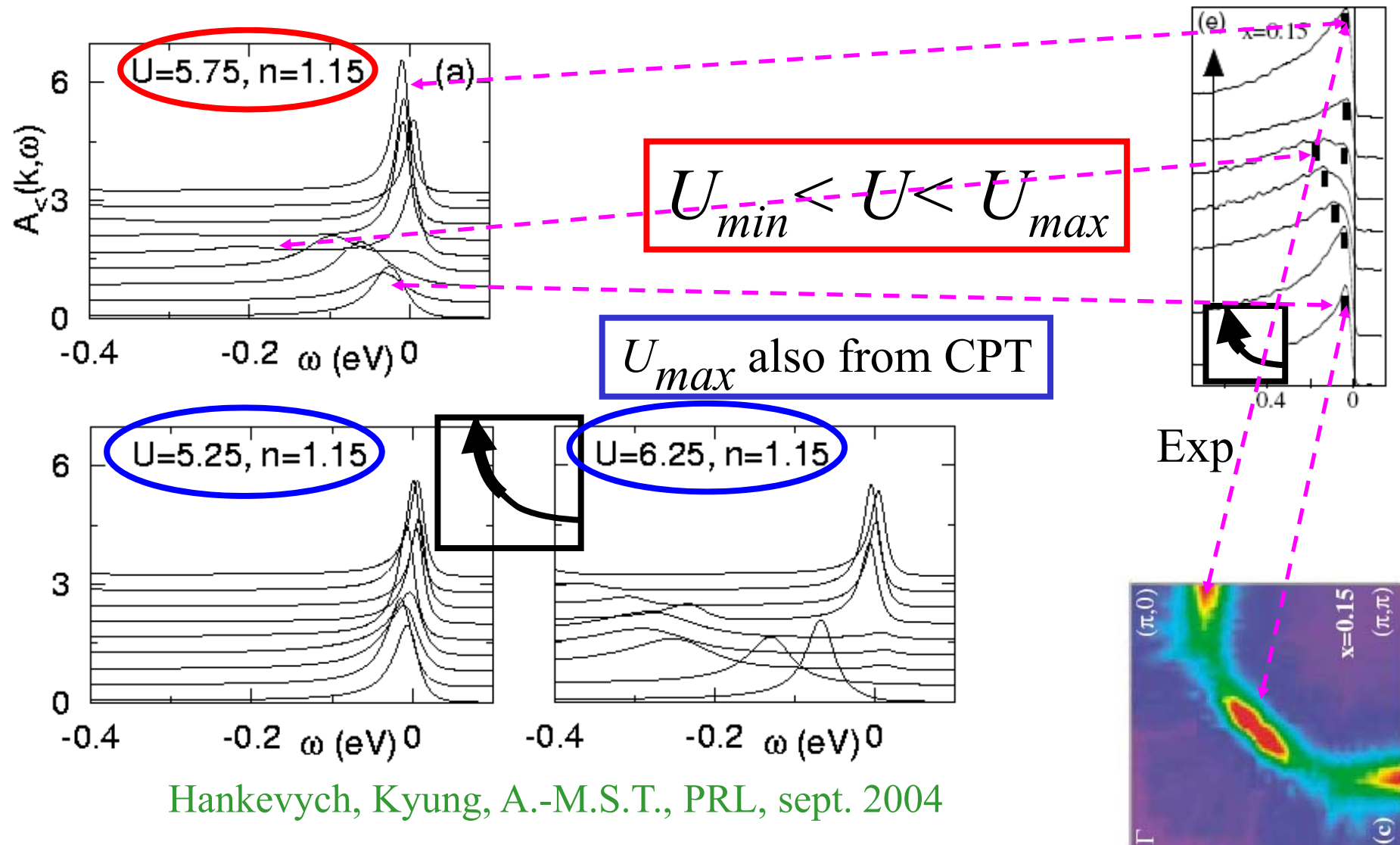
Mermin-Wagner

$$d = 2$$


Vilk, A.-M.S.T (1997)
Kyung, Hankevych,
A.-M.S.T., PRL, 2004

Armitage et al. PRL 2001

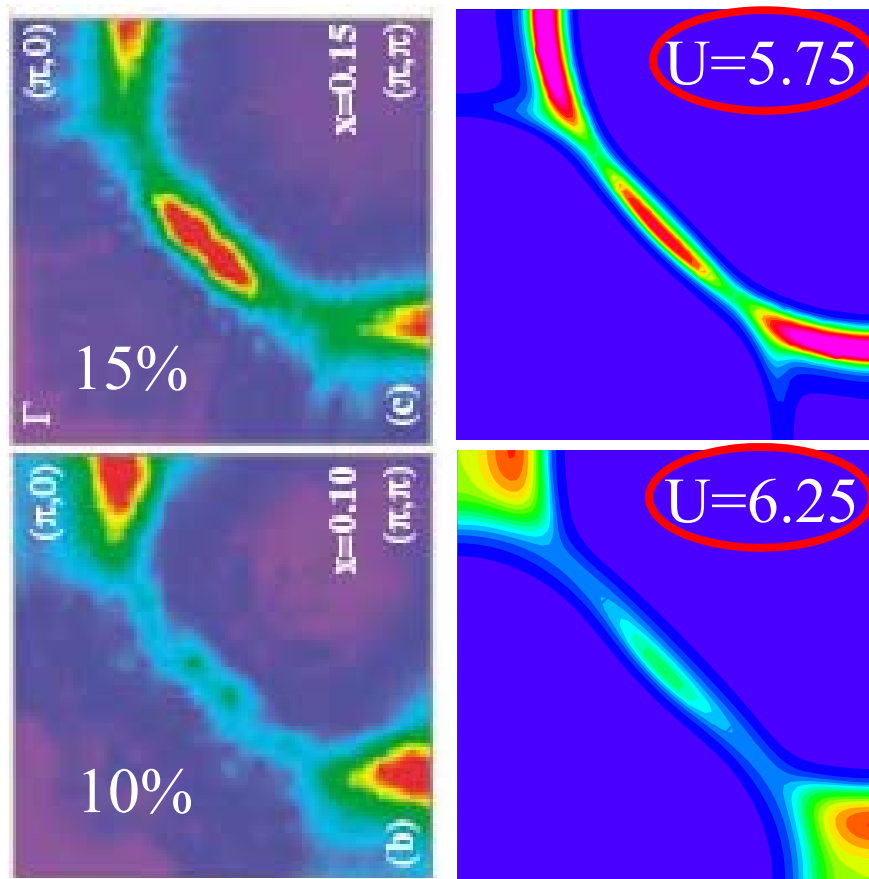
15% doping: EDCs along the Fermi surface TPSC



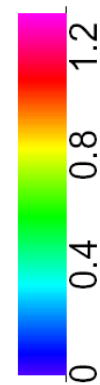
Hankevych, Kyung, A.-M.S.T., PRL, sept. 2004

Fermi surface plots

Hubbard repulsion U has to...



be not too large



increase for
smaller doping

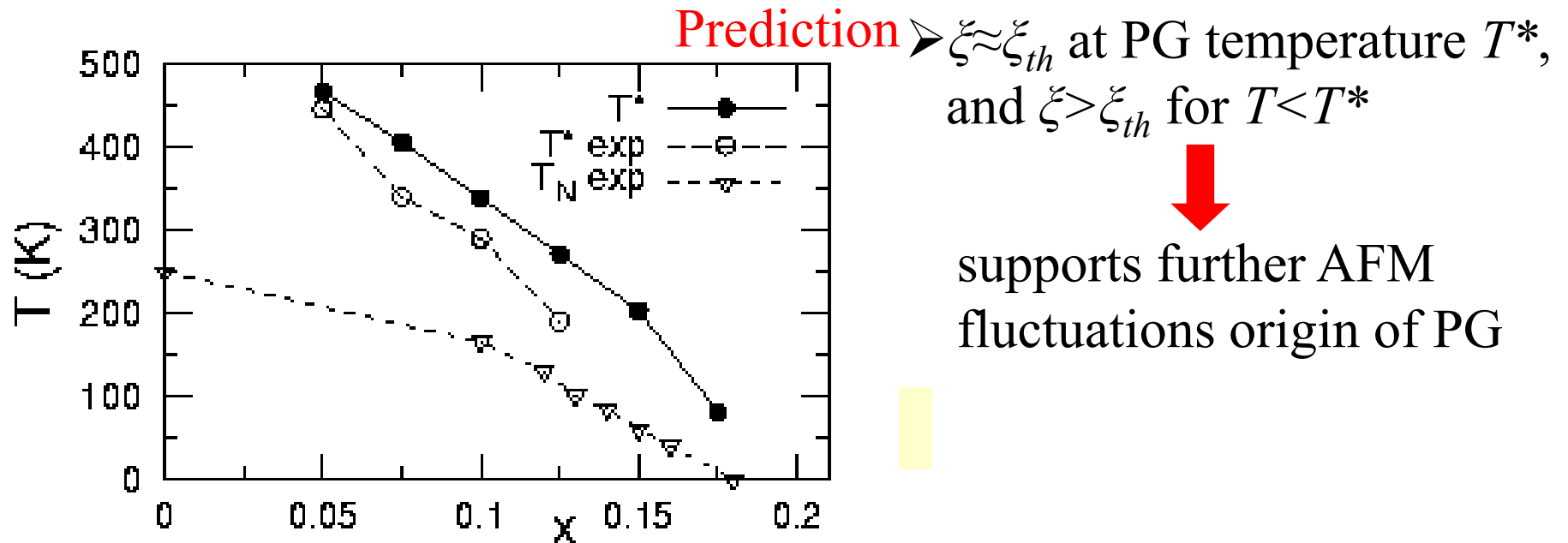
Hankevych, Kyung, A.-M.S.T., PRL, sept. 2004

B.Kyung *et al.*, PRB **68**, 174502 (2003)



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Pseudogap temperature and QCP



➤ $\Delta_{PG} \approx 10k_B T^*$ comparable with optical measurements

Hankevych, Kyung, A.-M.S.T., PRL 2004 : Expt: Y. Onose et al., PRL (2001).



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Thermal de Broglie wavelength

$$\Delta\varepsilon \sim k_B T$$

$$\nabla_{\mathbf{k}}\varepsilon \Delta k \sim k_B T$$

$$\xi_{th} \sim \frac{v_F}{T}$$

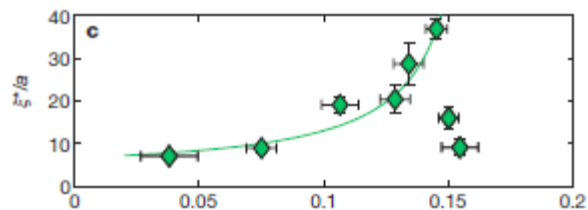
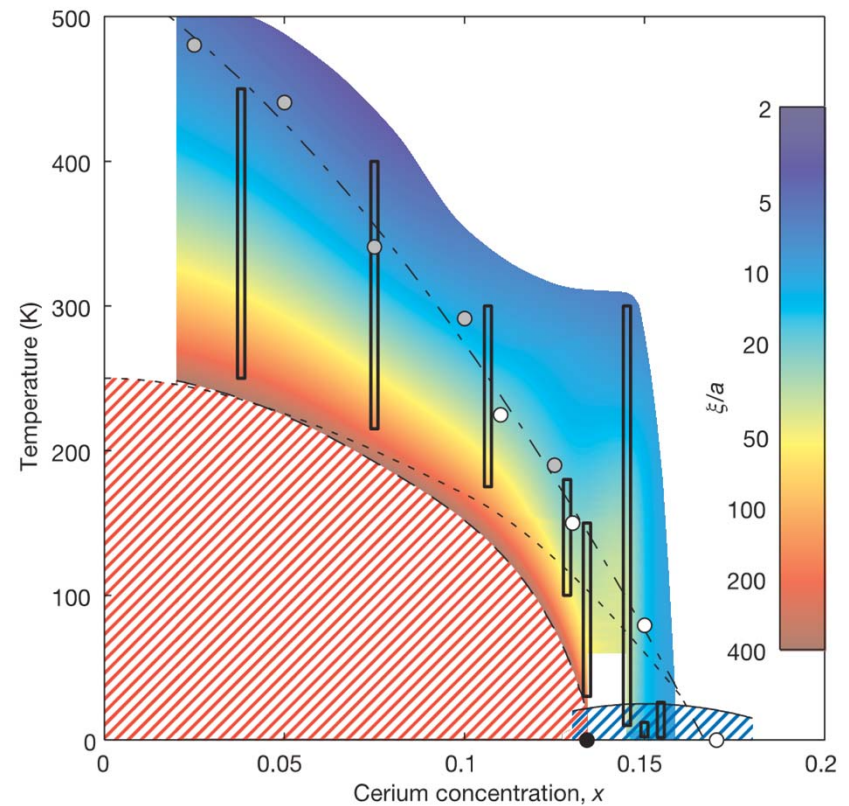
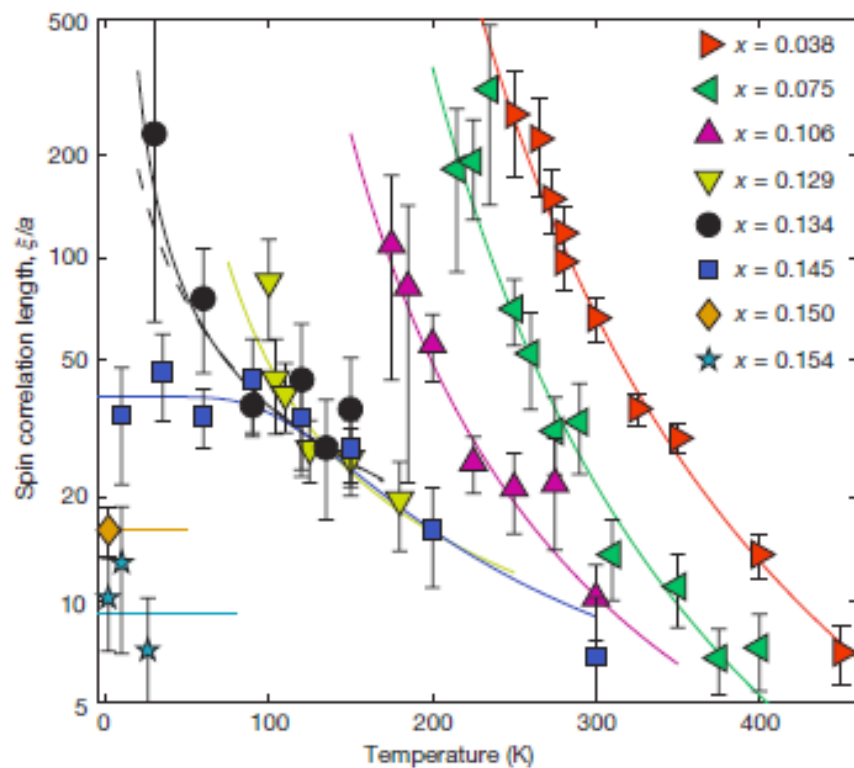
$$\Delta k \sim \frac{k_B T}{\hbar v_F}$$

$$\frac{2\pi}{\xi_{th}} \sim \frac{k_B T}{\hbar v_F}$$



e-doped pseudogap

E. M. Motoyama et al.. Nature 445, 186–189 (2007).



Vilk criterion $\xi^* = 2.6(2) \xi_{th}$



Precursor of SDW state (dynamic symmetry breaking)

- Y.M. Vilk and A.-M.S. Tremblay, J. Phys. Chem. Solids **56**, 1769-1771 (1995).
- Y. M. Vilk, Phys. Rev. B **55**, 3870 (1997).
- J. Schmalian, *et al.* Phys. Rev. B **60**, 667 (1999).
- B.Kyung *et al.*, PRB **68**, 174502 (2003).
- Hankevych, Kyung, A.-M.S.T., PRL, sept 2004
- Kusko *et al.* PRB **66**, 140513 (2002).



Benchmarks for TPSC

Normal state



Benchmark comparison with QMC

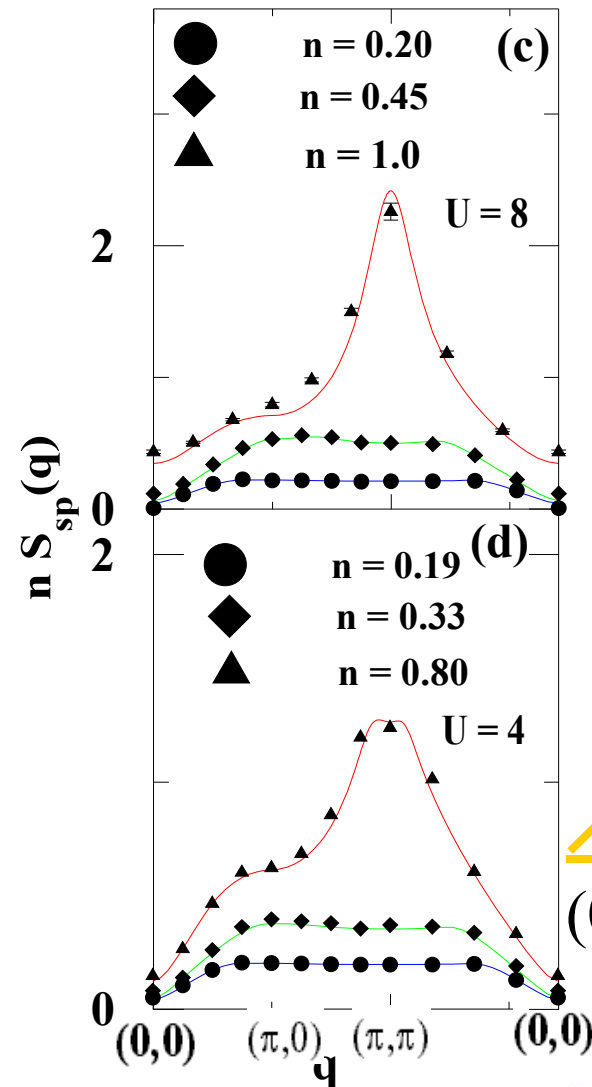
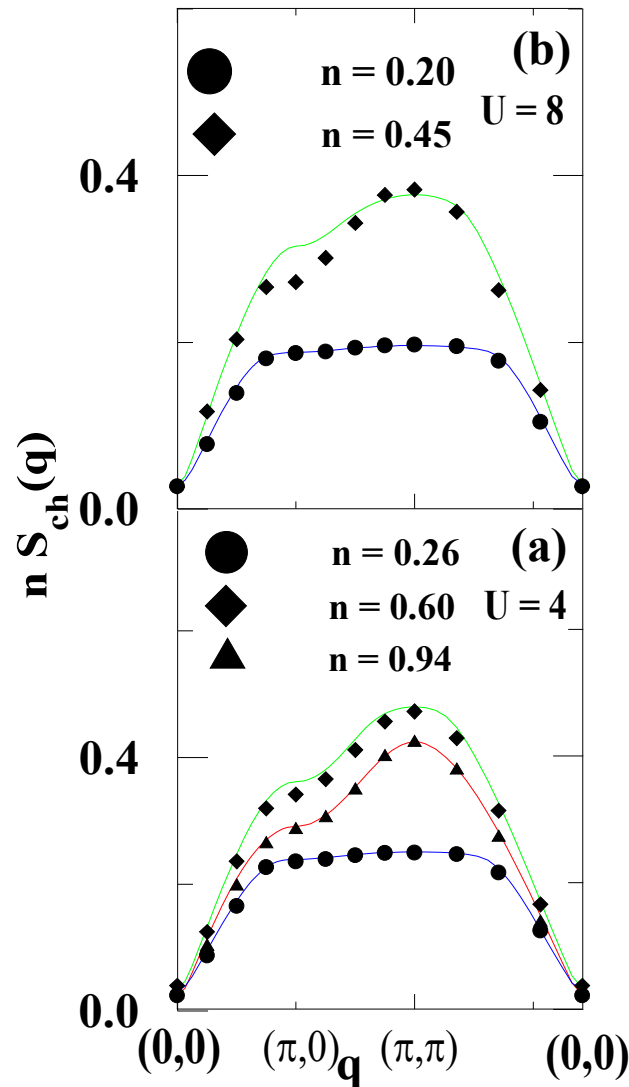
Notes:

-F.L.

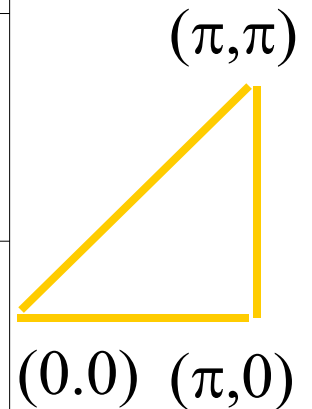
parameters

-Self also

Fermi-liquid



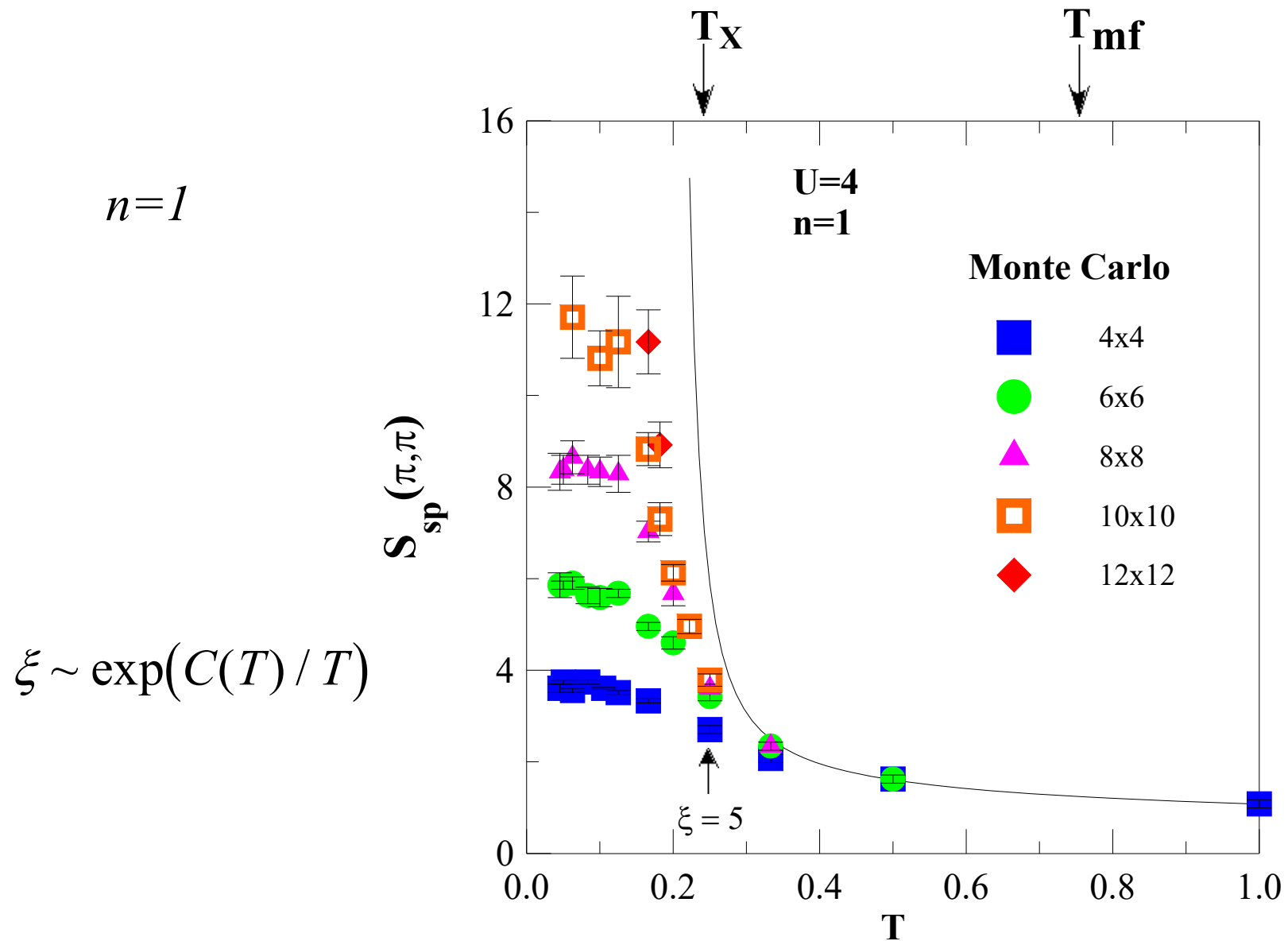
$U > 0$
 $\beta = 5$
 8×8



QMC + cal.: Vilk et al. P.R. B **49**, 13267 (1994)



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Calc.: Vilk et al. P.R. B **49**, 13267 (1994)

QMC: S. R. White, et al. Phys. Rev. **40**, 506 (1989).

$O(N = \infty)$ A.-M. Daré, Y.M. Vilk and A.-M.S.T Phys. Rev. B **53**, 14236 (1996)

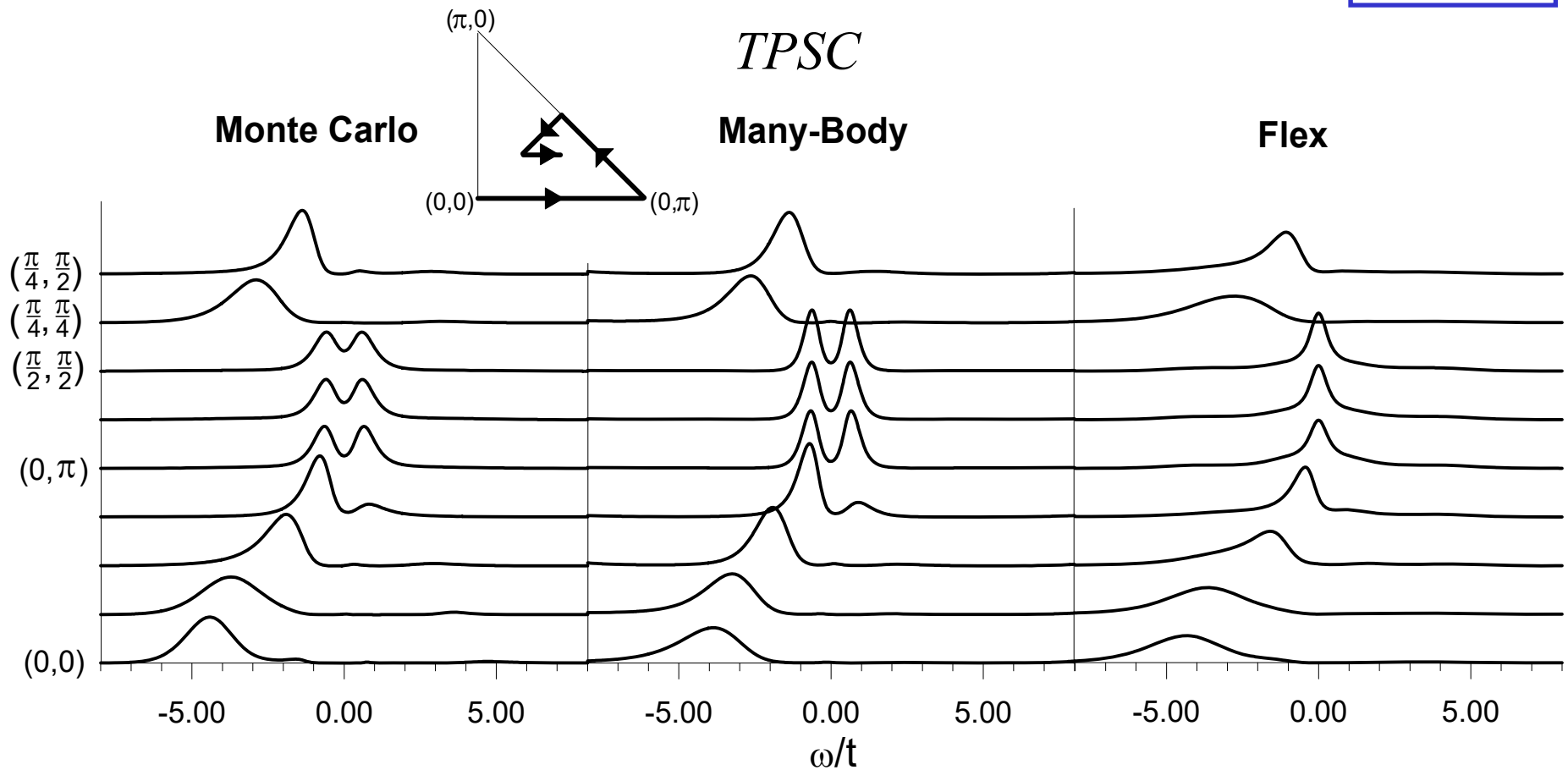


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Proofs...

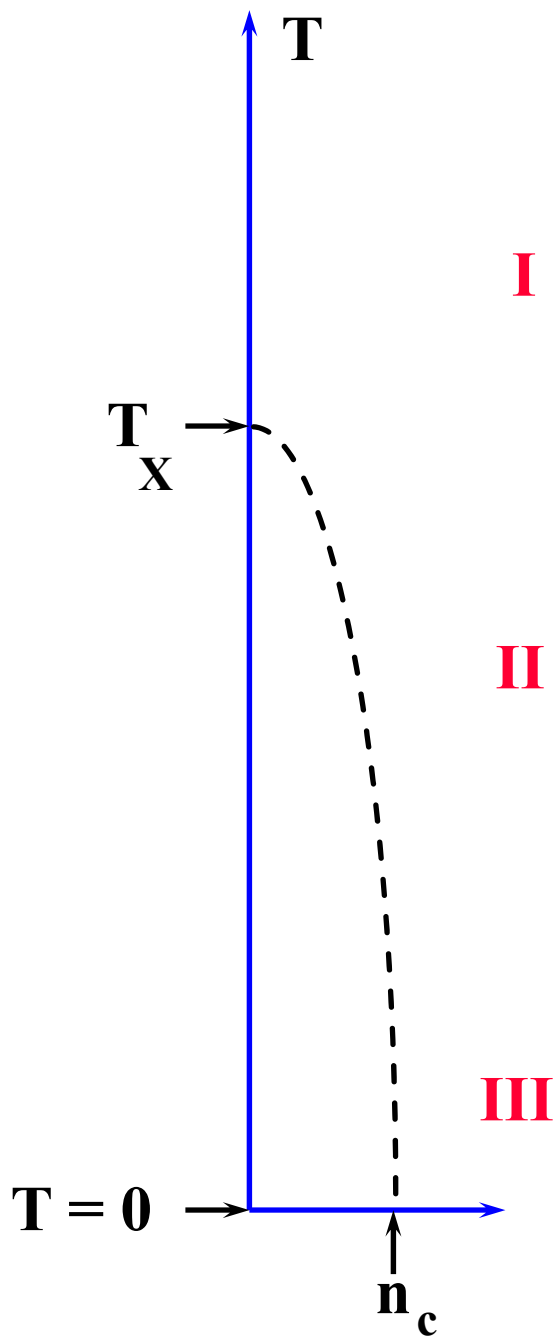
$$U = +4$$

$$\beta = 5$$



Calc. + QMC: Moukouri et al. P.R. B 61, 7887 (2000).





Theoretical difficulties



Theory without small parameter: How should we proceed?

- Identify important physical principles and laws to constrain non-perturbative approximation schemes
 - From weak coupling (kinetic)
 - From strong coupling (potential)
- Benchmark against “exact” (numerical) results.
- Check that weak and strong correlation approaches agree in intermediate range.
- Compare with experiment



TPSC: How it works

e-doped



TPSC: general ideas

- General philosophy
 - Drop diagrams
 - Impose constraints and sum rules
 - Conservation laws
 - Pauli principle ($\langle n_{\sigma}^2 \rangle = \langle n_{\sigma} \rangle$)
 - Local moment and local density sum-rules
- Get for free:
 - Mermin-Wagner theorem
 - Kanamori-Brückner screening
 - Consistency between one- and two-particle $\Sigma G = U \langle n_{\sigma} n_{-\sigma} \rangle$

Vilk, AMT J. Phys. I France, 7, 1309 (1997);

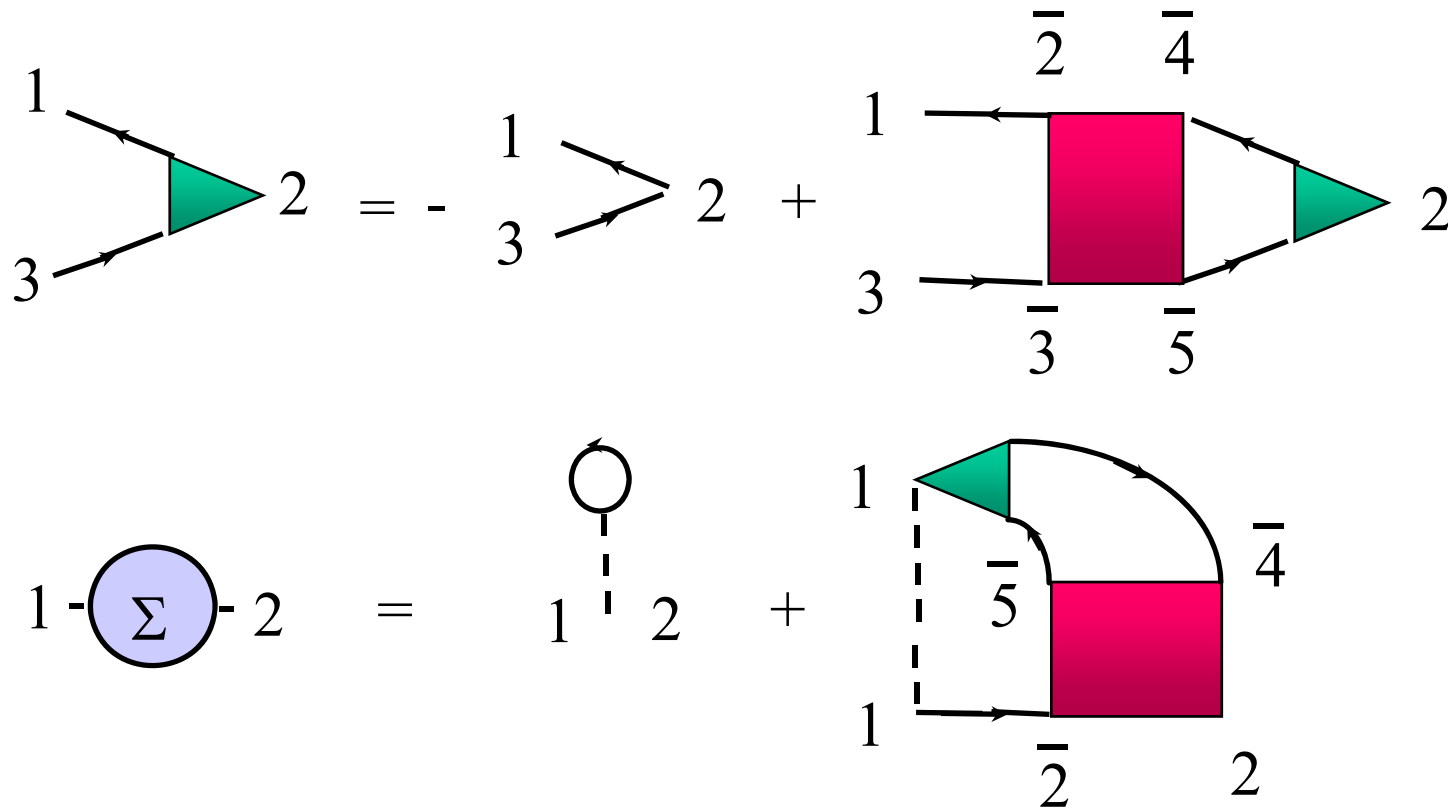
Theoretical methods for strongly correlated electrons also (Mahan, 3rd)



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TPSC: Single-particle properties

A better approximation for single-particle properties (Ruckenstein)



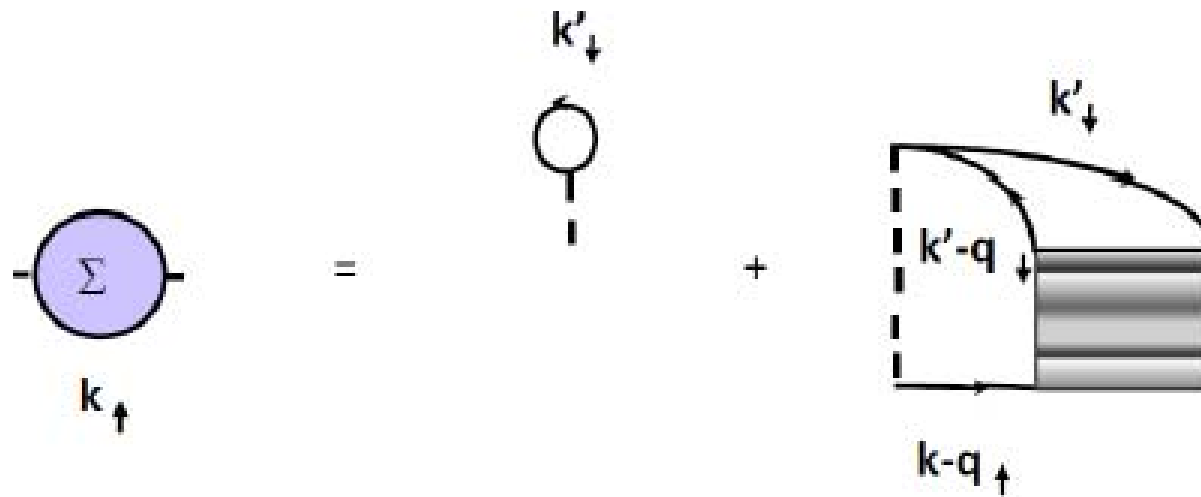
Y.M. Vilk and A.-M.S. Tremblay, J. Phys. Chem. Solids **56**, 1769 (1995).

Y.M. Vilk and A.-M.S. Tremblay, Europhys. Lett. **33**, 159 (1996);

N.B.: No Migdal theorem



Crossing symmetry



TPSC approach: two steps

I: Two-particle self consistency

1. Functional derivative formalism (conservation laws)

(a) spin vertex:
$$U_{sp} = \frac{\delta \Sigma_{\uparrow}}{\delta G_{\downarrow}} - \frac{\delta \Sigma_{\downarrow}}{\delta G_{\uparrow}}$$

(b) analog of the Bethe-Salpeter equation:

$$\chi_{sp} = \frac{\delta G}{\delta \phi} = GG + GU_{sp}\chi_{sp}G$$

(c) self-energy:

$$\Sigma_{\sigma}(1, \bar{1}; \{\phi\}) G_{\sigma}(\bar{1}, 2; \{\phi\}) = -U \langle c_{-\sigma}^{\dagger}(1^{+}) c_{-\sigma}(1) c_{\sigma}(1) c_{\sigma}^{\dagger}(2) \rangle_{\phi}$$
$$\approx A_{\{\phi\}} G_{-\sigma}^{(1)}(1, 1^{+}; \{\phi\}) G_{\sigma}^{(1)}(1, 2; \{\phi\})$$

2. Factorization



TPSC...

$$U_{sp} = U \frac{\langle n_{\uparrow} n_{\downarrow} \rangle}{\langle n_{\uparrow} \rangle \langle n_{\downarrow} \rangle} \quad \text{Kanamori-Brückner screening}$$

$$\chi_{sp}^{(1)}(q) = \frac{\chi_0(q)}{1 - \frac{1}{2} U_{sp} \chi_0(q)}$$

3. The F.D. theorem and Pauli principle

$$\langle (n_{\uparrow} - n_{\downarrow})^2 \rangle = \langle n_{\uparrow} \rangle + \langle n_{\downarrow} \rangle - 2\langle n_{\uparrow} n_{\downarrow} \rangle$$

$$\frac{T}{N} \sum_q \chi_{sp}^{(1)}(q) = n - 2\langle n_{\uparrow} n_{\downarrow} \rangle$$

II: Improved self-energy

Insert the first step results

into exact equation: $\Sigma_{\sigma}(1, \bar{1}; \{\phi\}) G_{\sigma}(\bar{1}, 2; \{\phi\}) = -U \langle c_{-\sigma}^{\dagger}(1^{+}) c_{-\sigma}(1) c_{\sigma}(1) c_{\sigma}^{\dagger}(2) \rangle_{\phi}$

$$\Sigma_{\sigma}^{(2)}(k) = U n_{\bar{\sigma}} + \frac{U T}{8 N} \sum_q \left[3 U_{sp} \chi_{sp}^{(1)}(q) + U_{ch} \chi_{ch}^{(1)}(q) \right] G_{\sigma}^{(1)}(k + q)$$



Internal accuracy check

Internal accuracy check

$$\frac{1}{2} \text{Tr} \left(\Sigma^{(2)} G^{(1)} \right) = U \langle n_{\uparrow} n_{\downarrow} \rangle \quad \frac{1}{2} \text{Tr} \left(\Sigma^{(2)} G^{(2)} \right)$$

f - sum rule (conservation law)

$$\begin{aligned} \int \frac{d\omega}{\pi} \omega \chi''_{ch,sp}(\mathbf{q}, \omega) &= \lim_{\eta \rightarrow 0} T \sum_{i\omega_n} \left(e^{-i\omega_n \eta} - e^{i\omega_n \eta} \right) i\omega_n \chi_{ch,sp}(\mathbf{q}, i\omega_n) \\ &= \frac{1}{N} \sum_{\mathbf{k}\sigma} (\epsilon_{\mathbf{k}+\mathbf{q}} + \epsilon_{\mathbf{k}-\mathbf{q}} - 2\epsilon_{\mathbf{k}}) n_{\mathbf{k}\sigma} \end{aligned}$$



Main collaborators on TPSC



Liang Chen



Yury Vilk



Bumsoo Kyung



D. Poulin



S. Moukouri



F. Lemay



H. Touchette



J.S. Landry



V. Hankevych



A.-M. Daré



Dominic Bergeron



Bahman Davoudi



Syed Hassan



Steve Allen



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Part II

Strongly correlated superconductivity





Charles-David Hébert



Patrick Sémon

Organics : Phase diagram, finite T

Made possible by algorithmic improvements

P. Sémon *et al.*
PRB **85**, 201101(R) (2012)
PRB **90** 075149 (2014);
and PRB **89**, 165113 (2014)



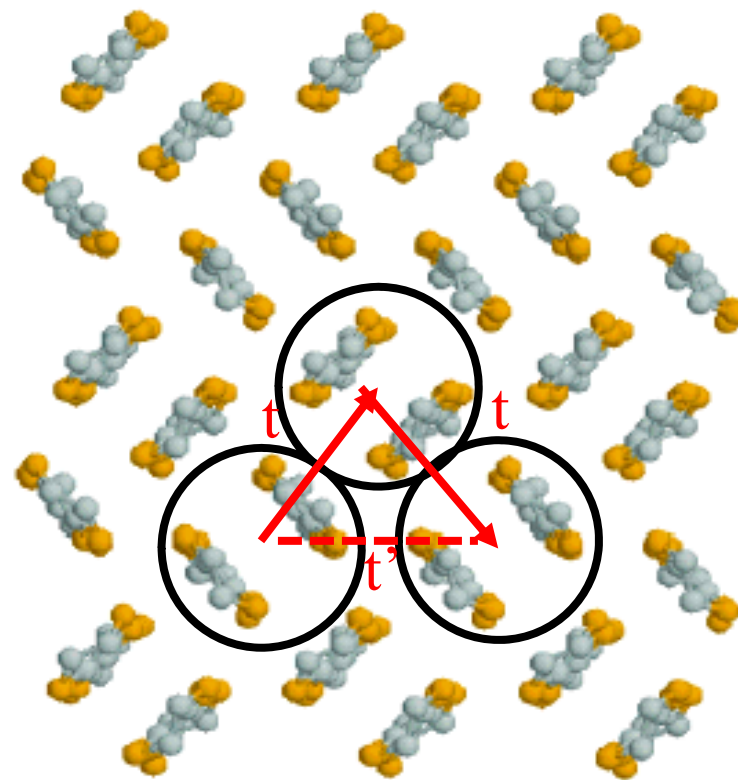
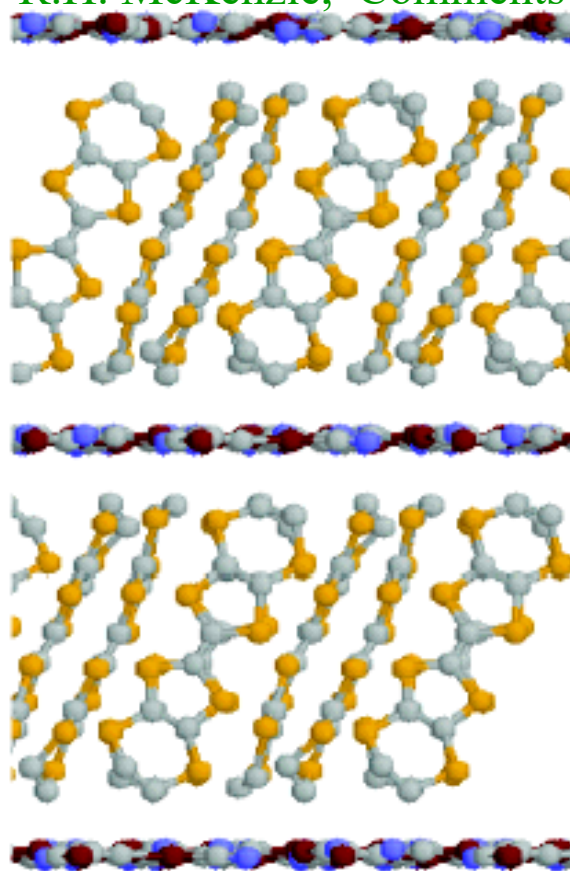
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Layered organics (κ -BEDT-X family)

H. Kino + H. Fukuyama, J. Phys. Soc. Jpn **65** 2158 (1996),
R.H. McKenzie, Comments Condens Mat Phys. **18**, 309 (1998)

BEDT-TTF
layer

Anion layer



$$t \approx 50 \text{ meV}$$

$$\Rightarrow U \approx 400 \text{ meV}$$

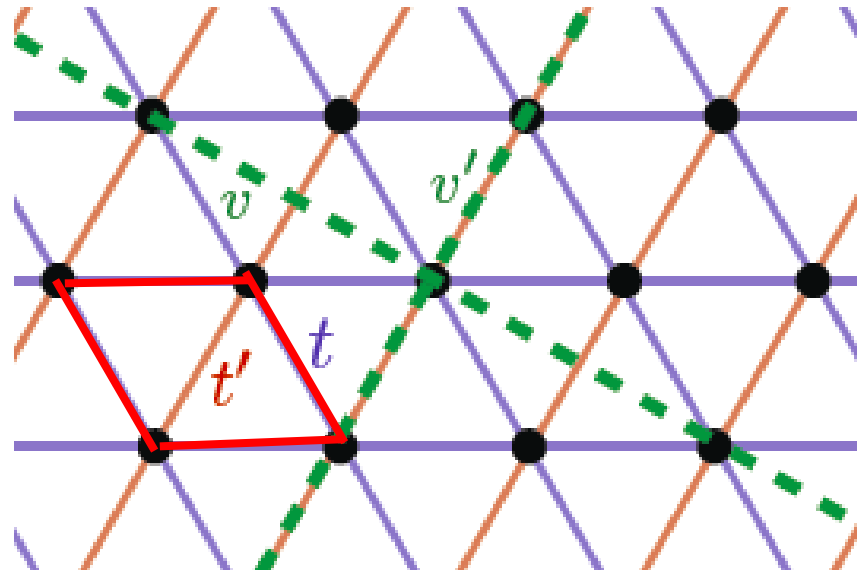
$$t'/t \sim 0.6 - 1.1$$

Y. Shimizu, et al. Phys. Rev. Lett. **91**,
107001(2003)



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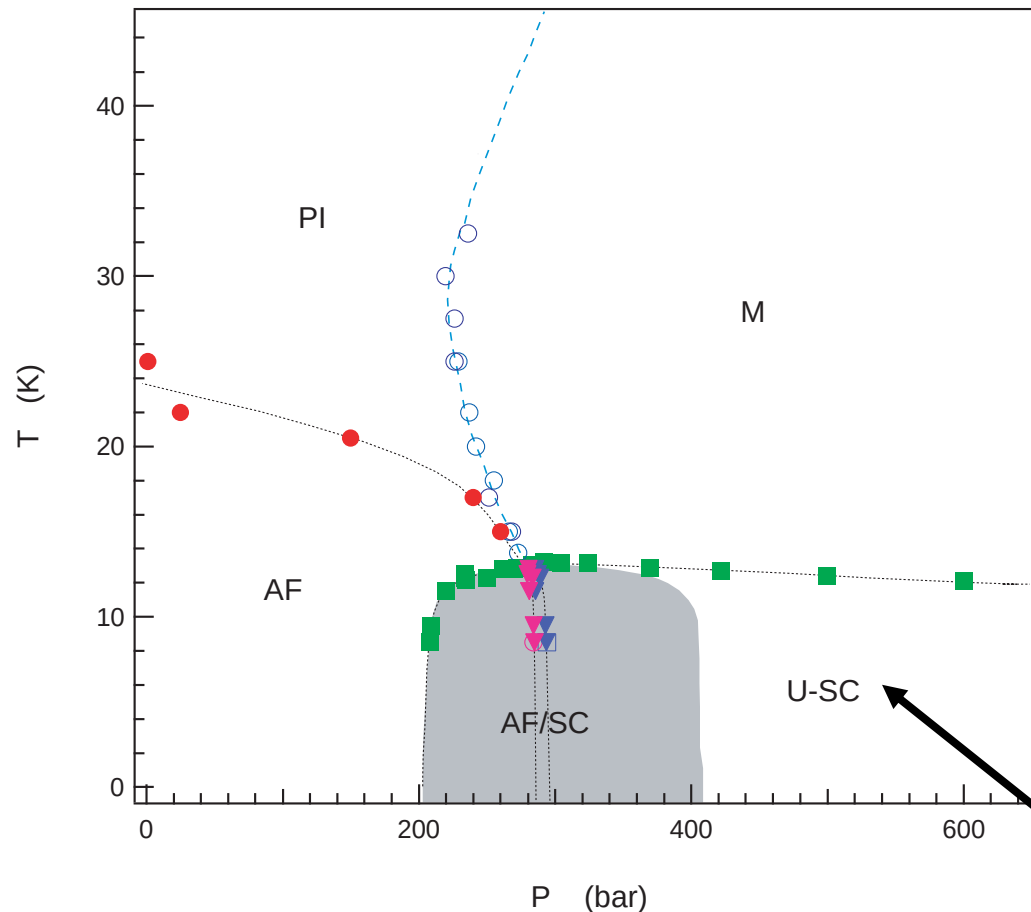
Anisotropic triangular lattice



See: Poster Shaheen Acheche



Phase diagram for organics



F. Kagawa, K. Miyagawa, + K. Kanoda
PRB **69** (2004) + Nature **436** (2005)

B_g for C_{2h} and B_{2g} for D_{2h}

Powell, McKenzie cond-mat/0607078

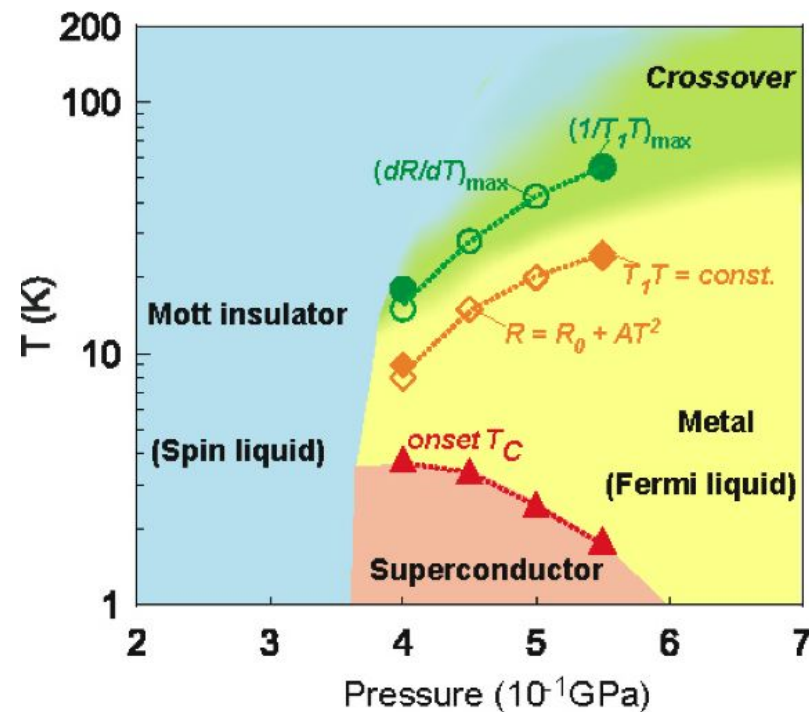
Phase diagram ($X=\text{Cu}[\text{N}(\text{CN})_2]\text{Cl}$)

S. Lefebvre et al. PRL **85**, 5420 (2000), P. Limelette, et al. PRL **91** (2003)



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Phase diagram at $n = 1$



Y. Kurisaki, et al.

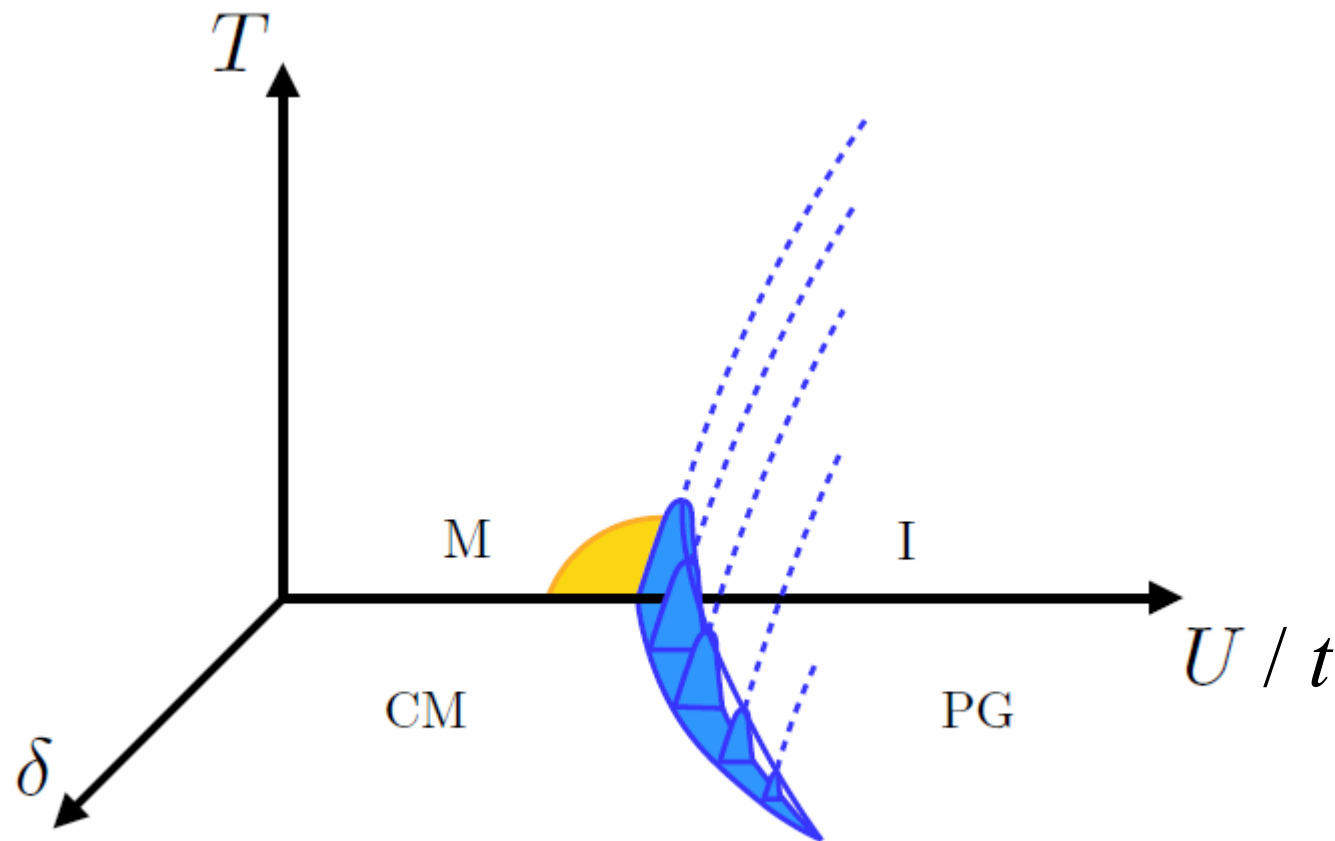
Phys. Rev. Lett. **95**, 177001(2005)

Y. Shimizu, et al. Phys. Rev. Lett. **91**, (2003)



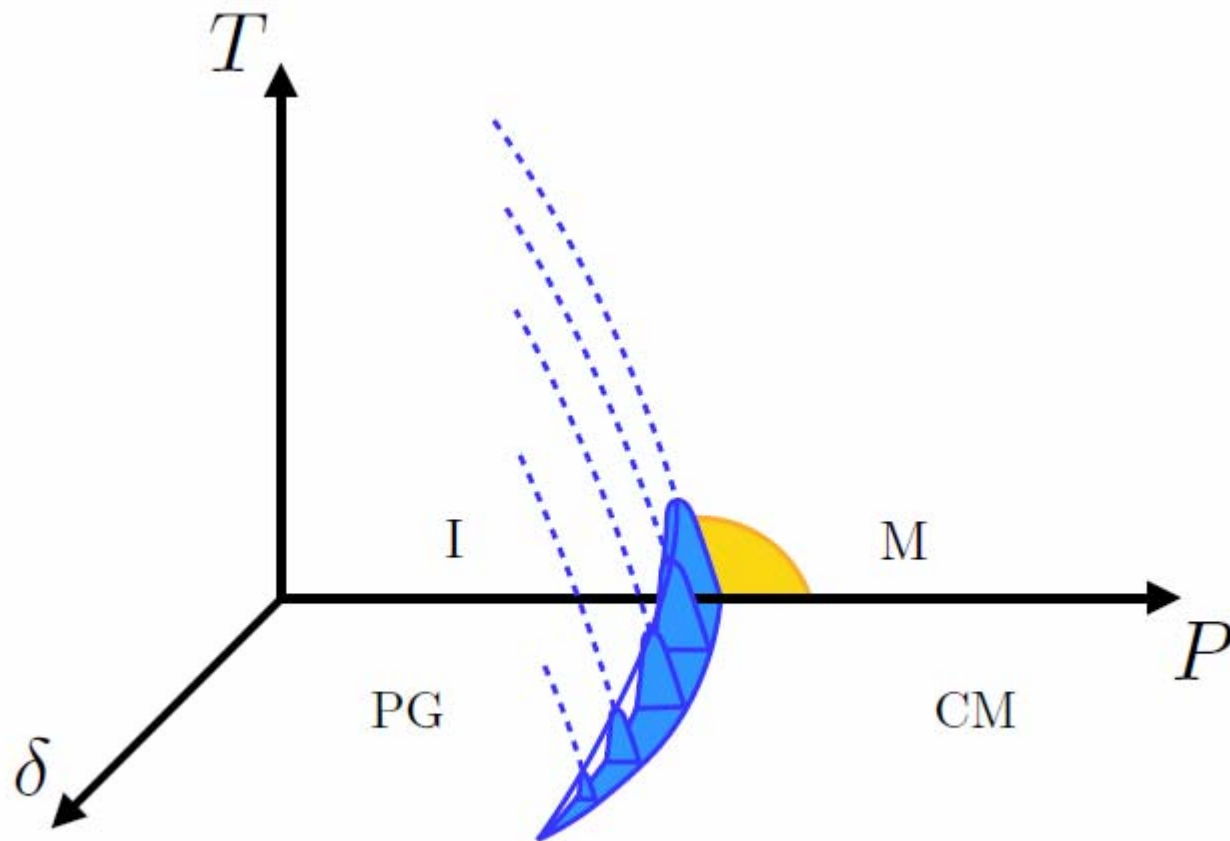
Superconductivity near the Mott transition

$n = 1, d = 2$ square lattice

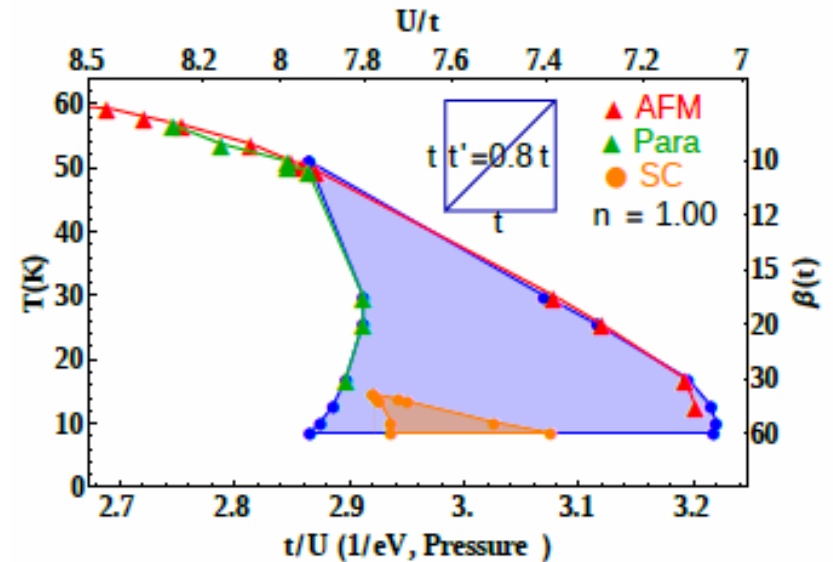
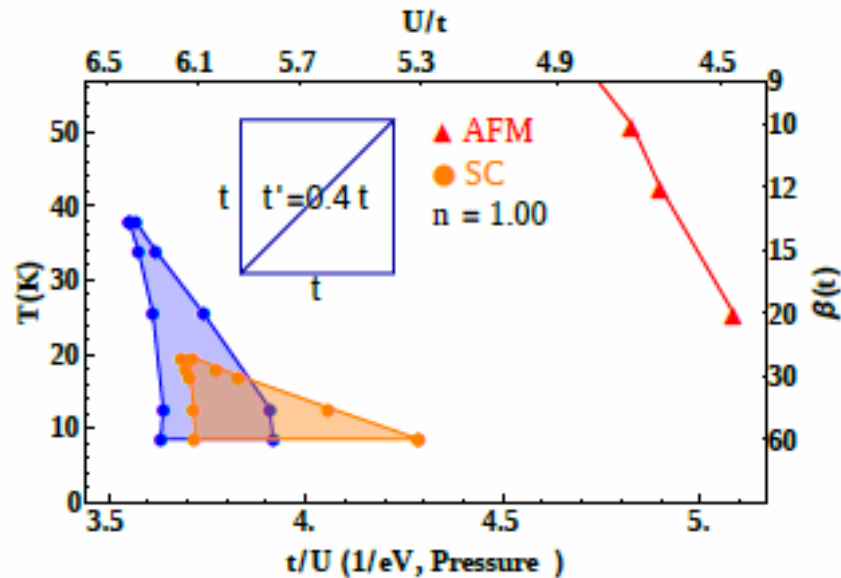


Superconductivity near the Mott transition

$n = 1, d = 2$ square lattice



Superconductivity near Mott transition ($n = 1$)



C.-D. Hébert, P. Sémon, A.-M.S. T PRB **92**, 195112 (2015)



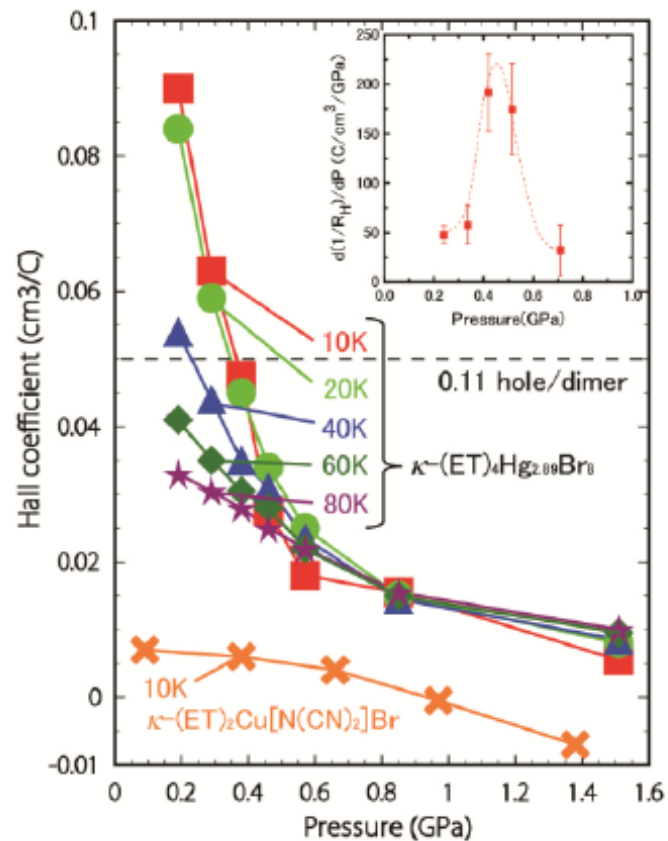
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Doped Organics

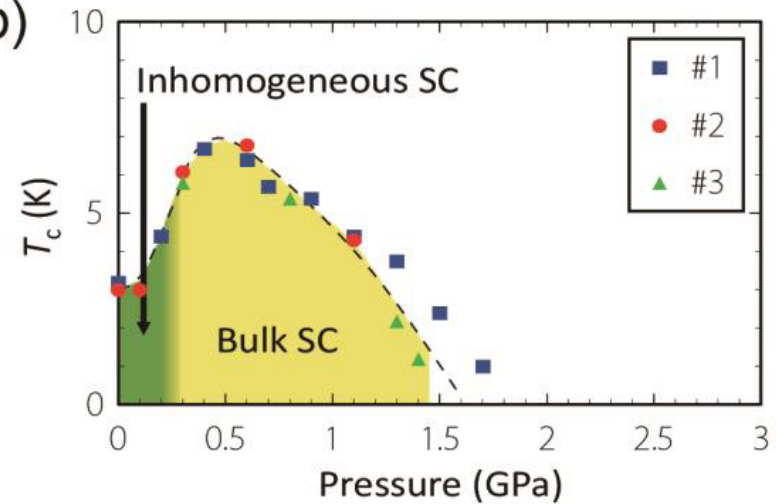


Doped BEDT

(b)

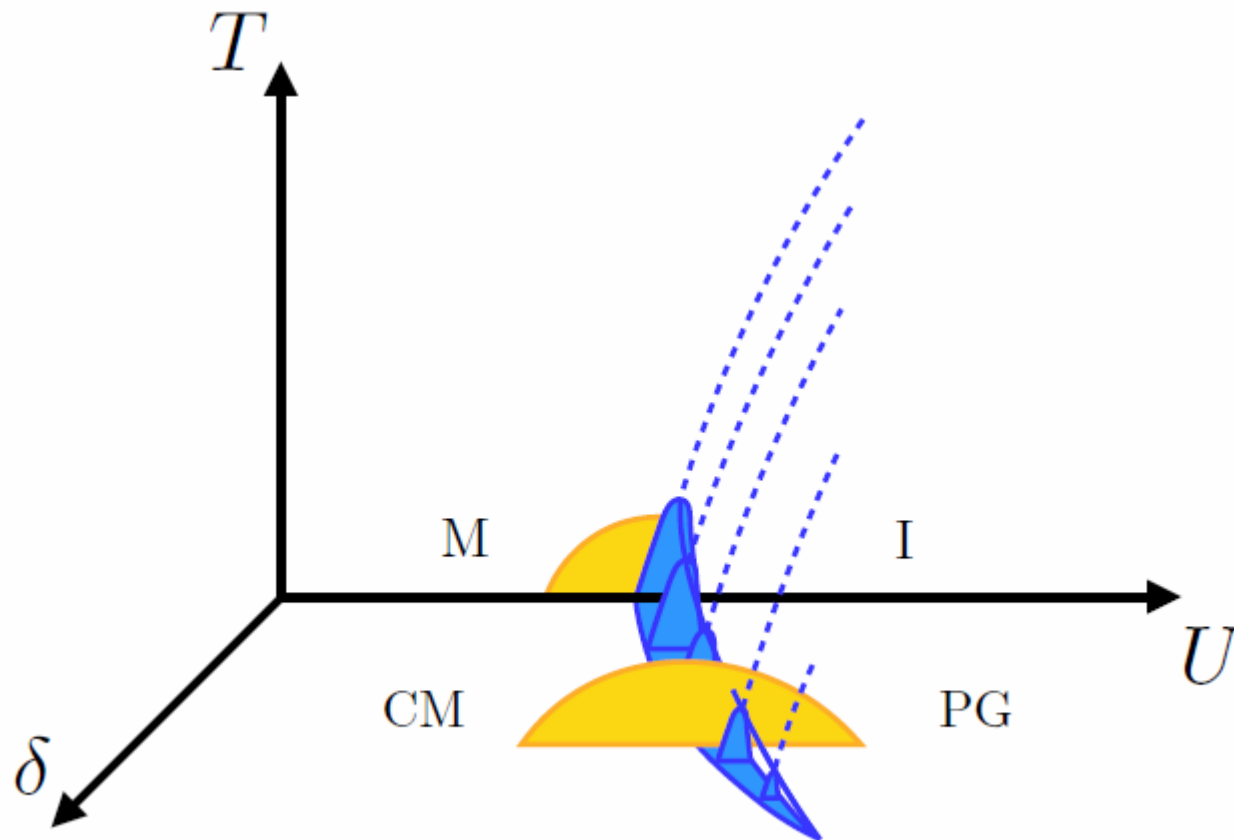


(b)



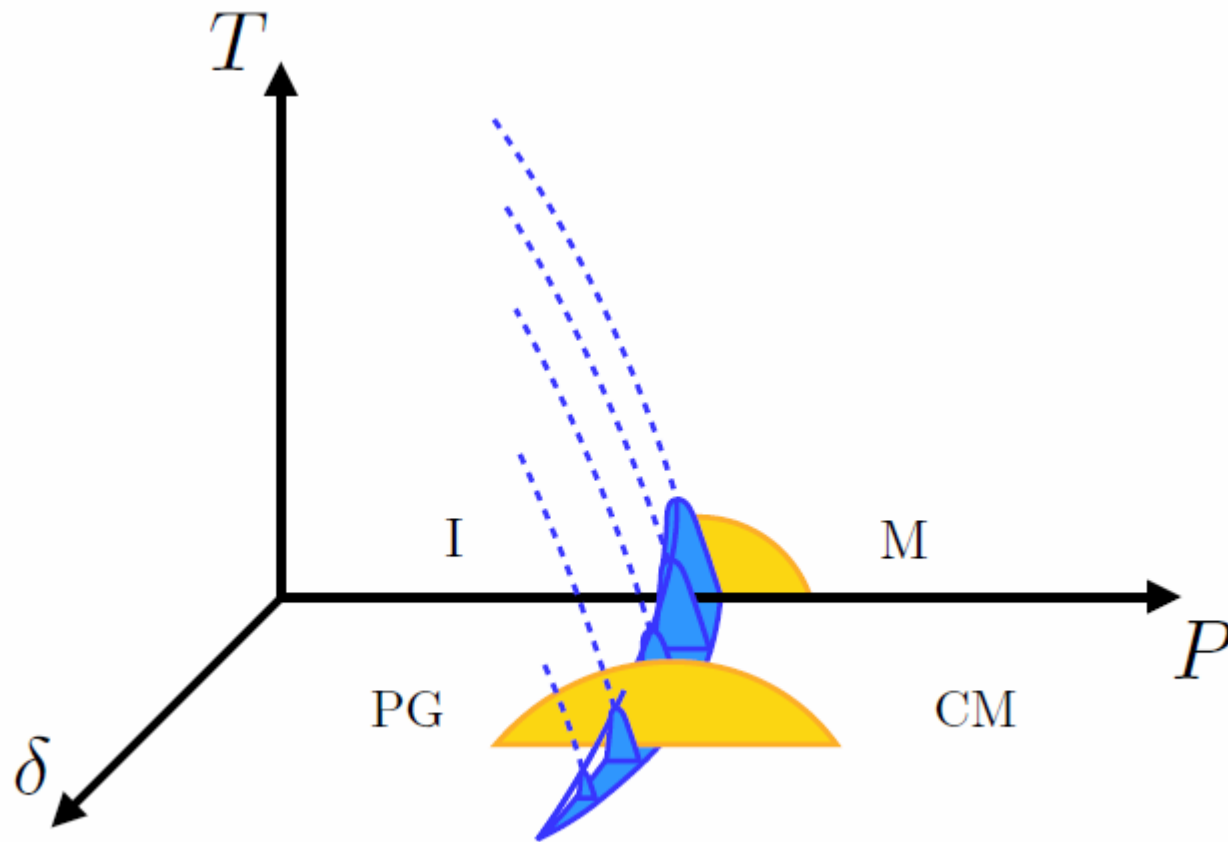
Doped organics

$n = 1, d = 2$ square lattice

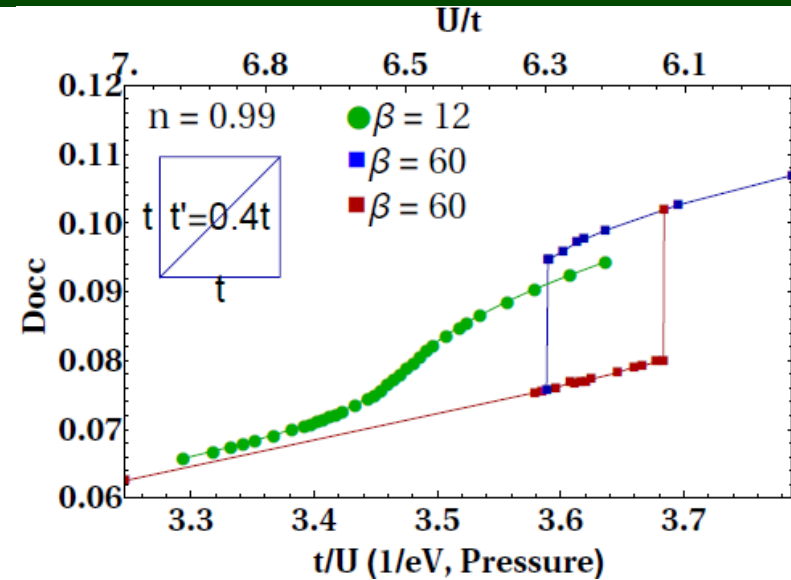
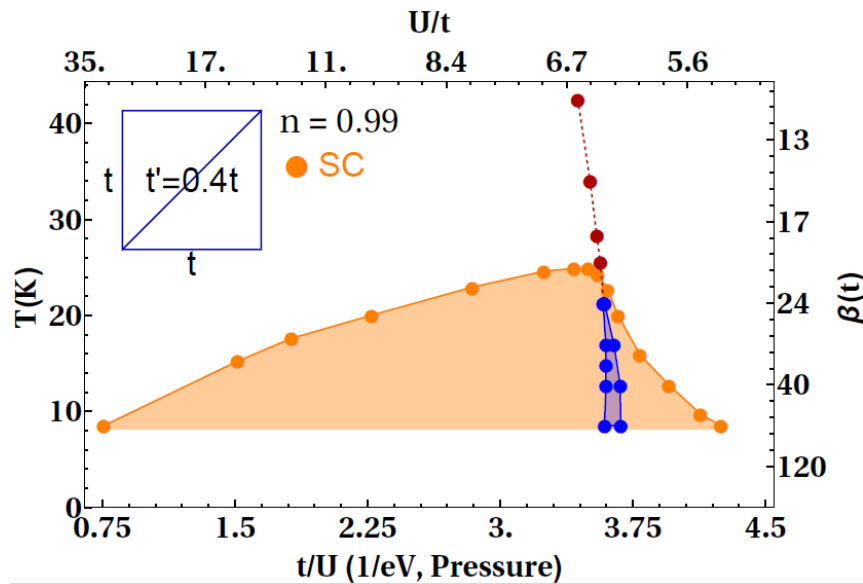


Doped organics

$n = 1, d = 2$ square lattice



First order and Widom line in organics



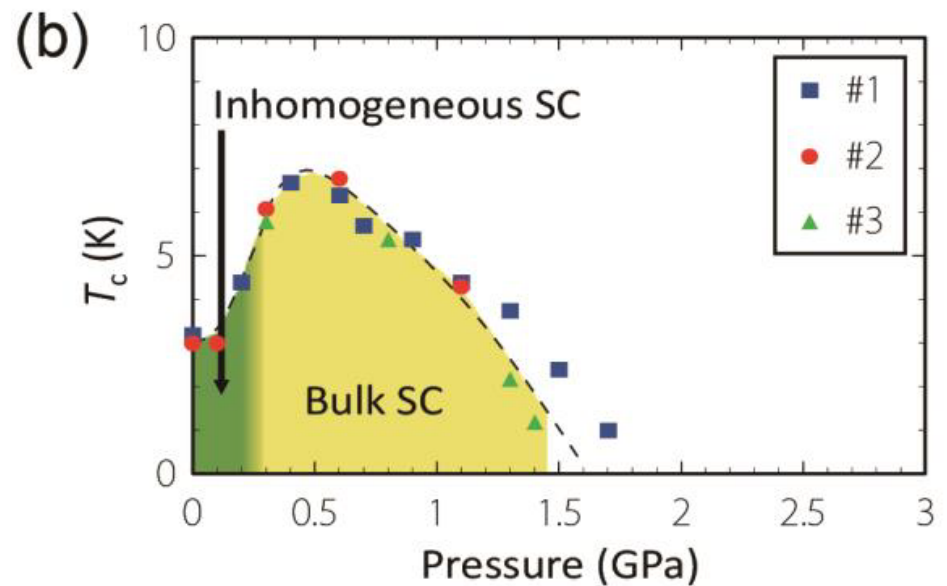
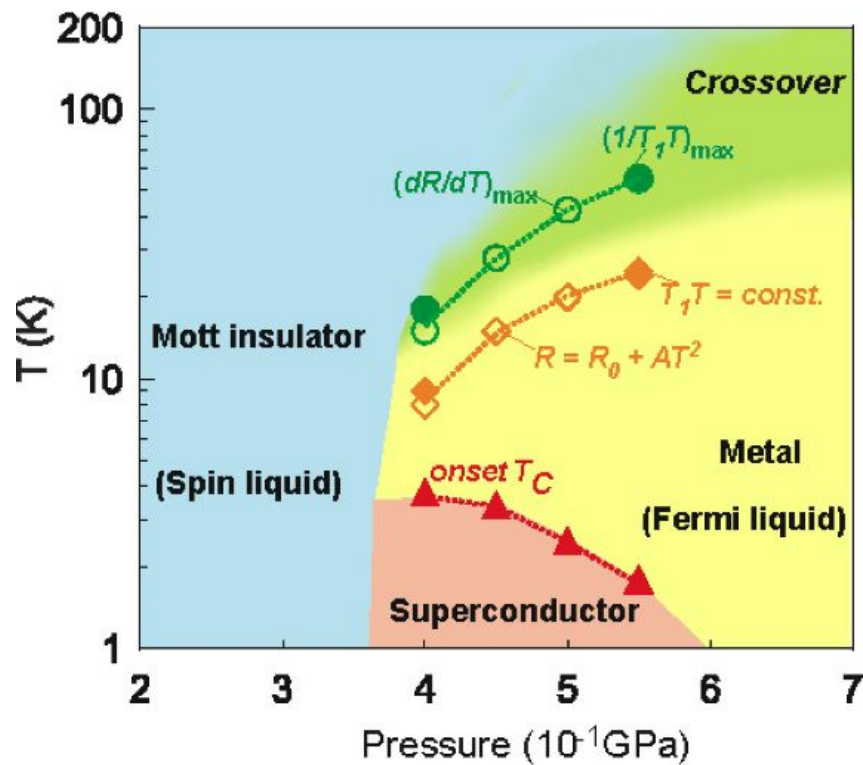
Compare: T. Watanabe, H. Yokoyama
and M. Ogata
JPS Conf. Proc.
3, 013004 (2014)

C.-D. Hébert, P. Sémon, A.-M.S. T PRB **92**, 195112 (2015)



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Doped BEDT



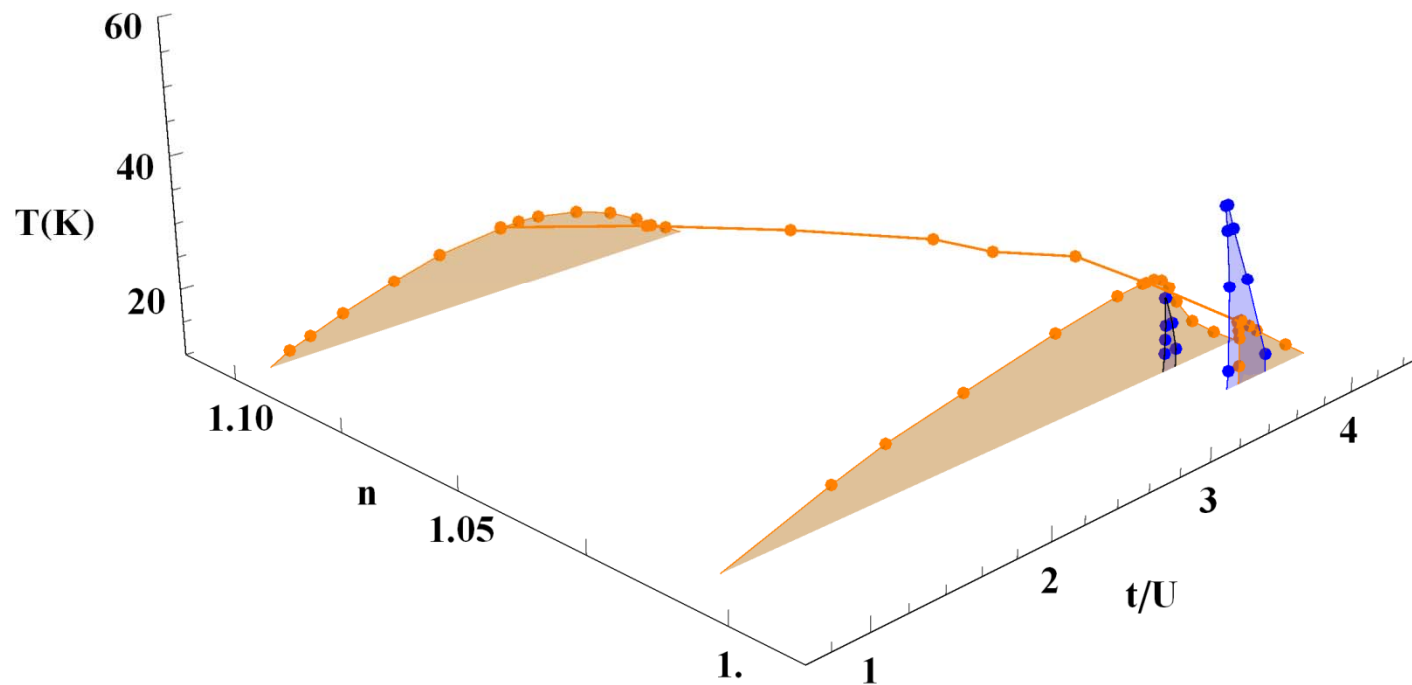
$n = 1$

H. Oike, K. Miyagawa, H. Taniguchi, K. Kanoda PRL **114**, 067002 (2015)



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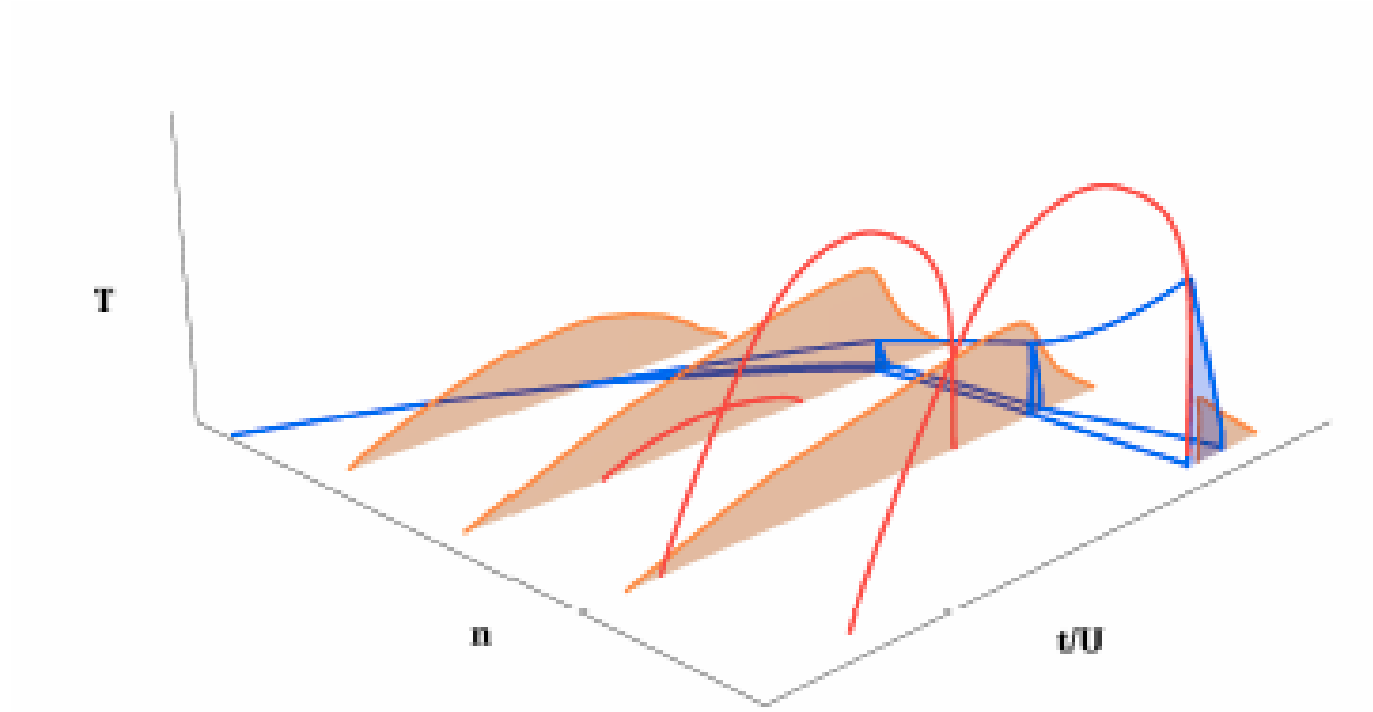
$t' = 0.4t$ overview



Compare: T. Watanabe, H. Yokoyama and M. Ogata
JPS Conf. Proc. **3**, 013004 (2014)



Generic case highly frustrated case



Summary : organics

- Agreement with experiment
 - SC: larger T_c and broader P range if doped
 - Larger frustration: Decrease T_N *much more* than T_c
 - Normal state metal to pseudogap crossover
- Predictions
 - First order transition at low T in normal state (B induced)
 - Crossovers in SC state associated with normal state.
- Physics
 - SC dome without an AFM QCP. Extension of Mott
 - SC from short range J .
 - T_c dome maximum near normal state 1st order



Pairing mechanism

Back to high T_c



The glue



A cartoon strong correlation picture

$$J \sum_{\langle i,j \rangle} \mathbf{S}_i \cdot \mathbf{S}_j = J \sum_{\langle i,j \rangle} \left(\frac{1}{2} c_i^\dagger \vec{\sigma} c_i \right) \cdot \left(\frac{1}{2} c_j^\dagger \vec{\sigma} c_j \right)$$

$$d = \langle \hat{d} \rangle = 1/N \sum_{\vec{k}} (\cos k_x - \cos k_y) \langle c_{\vec{k},\uparrow} c_{-\vec{k},\downarrow} \rangle$$

$$H_{MF} = \sum_{\vec{k},\sigma} \varepsilon(\vec{k}) c_{\vec{k},\sigma}^\dagger c_{\vec{k},\sigma} - 4Jm\hat{m} - Jd(\hat{d} + \hat{d}^\dagger) + F_0$$

Pitaevskii Brückner:

Pair state orthogonal to repulsive core of Coulomb interaction

P.W. Anderson *Science*
317, 1705 (2007)

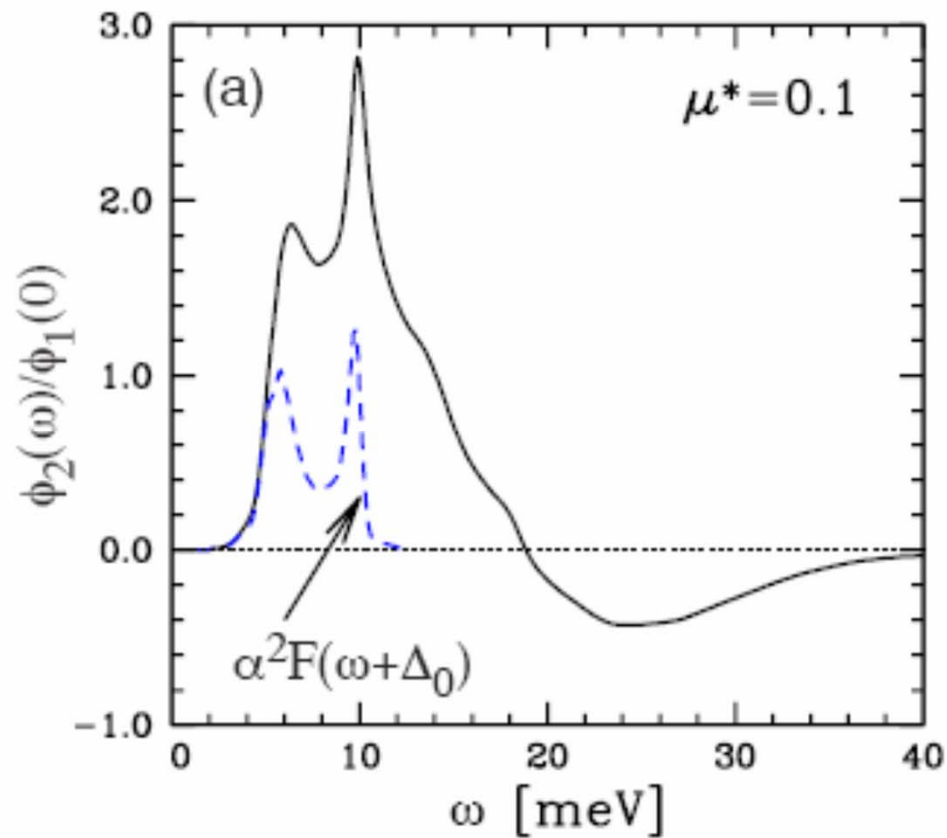
Miyake, Schmitt–Rink, and Varma
P.R. B 34, 6554-6556 (1986)

More sophisticated Slave Boson: Kotliar Liu *PRB* 1988



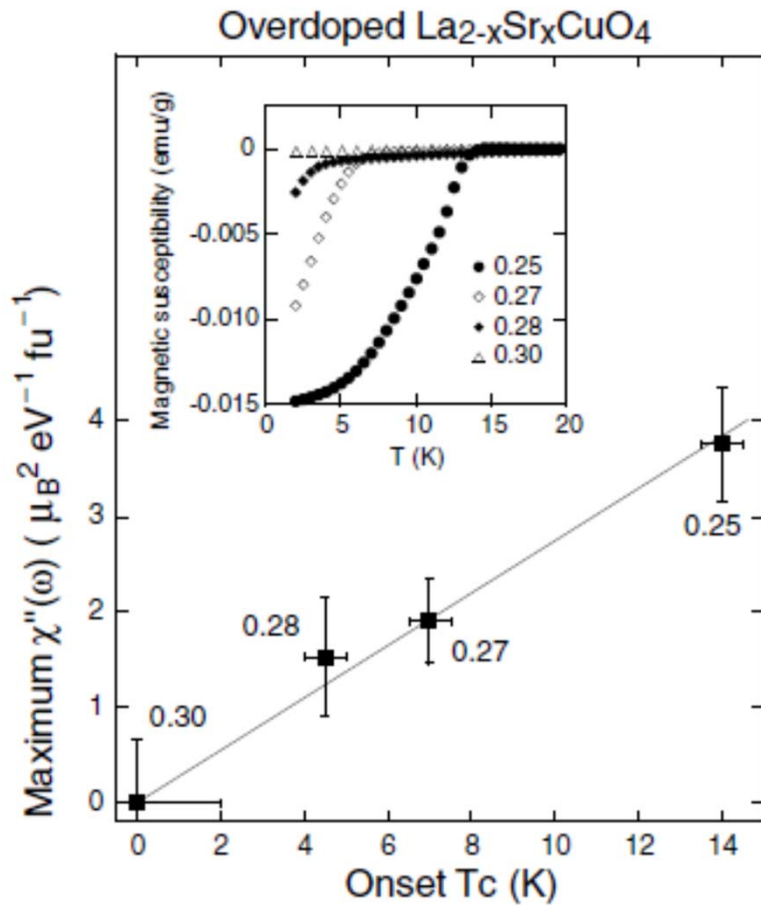
$\text{Im } \Sigma_{\text{an}}$ and electron-phonon in Pb

Maier, Poilblanc, Scalapino, PRL (2008)

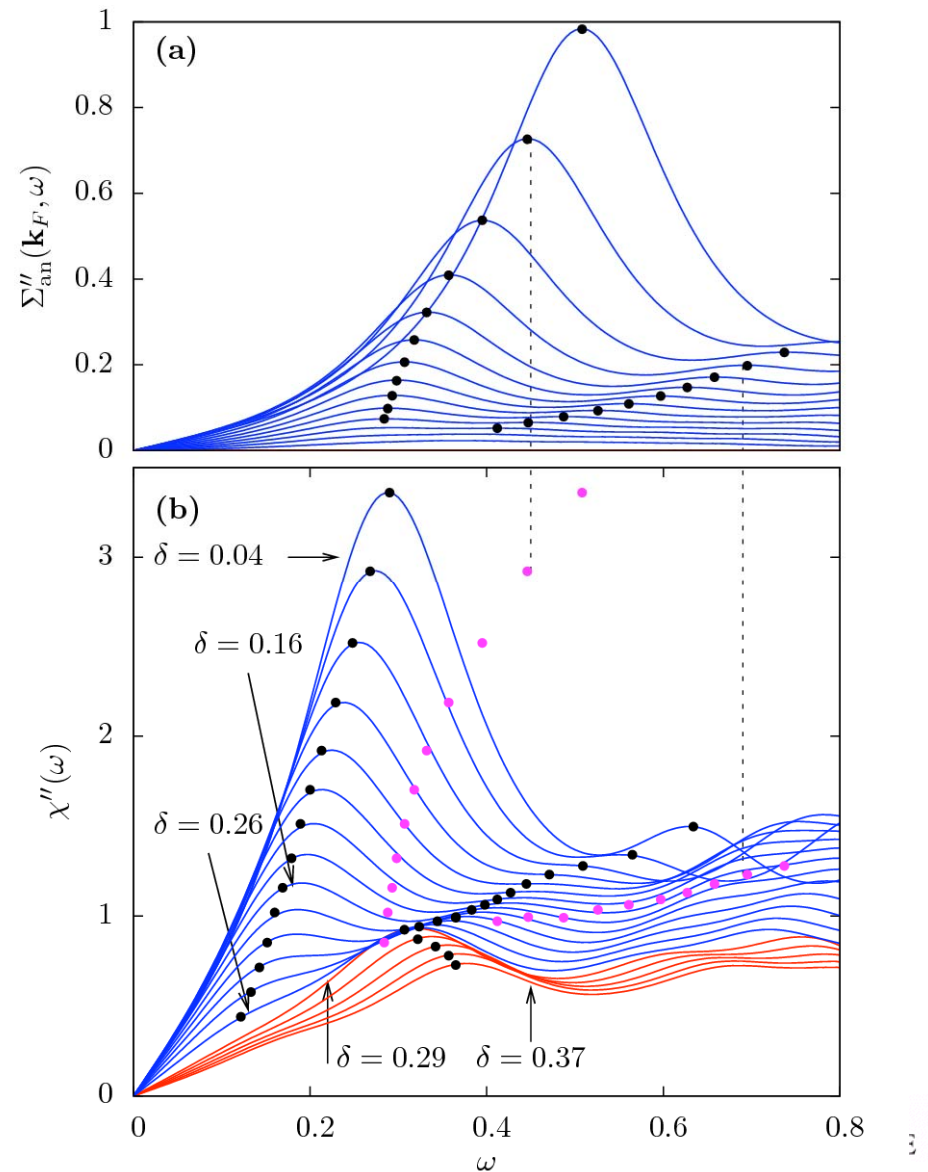


The glue

Kyung, S  n  chal, Tremblay, Phys. Rev. B
80, 205109 (2009)



Wakimoto ... Birgeneau
PRL (2004)



The glue and neutrons

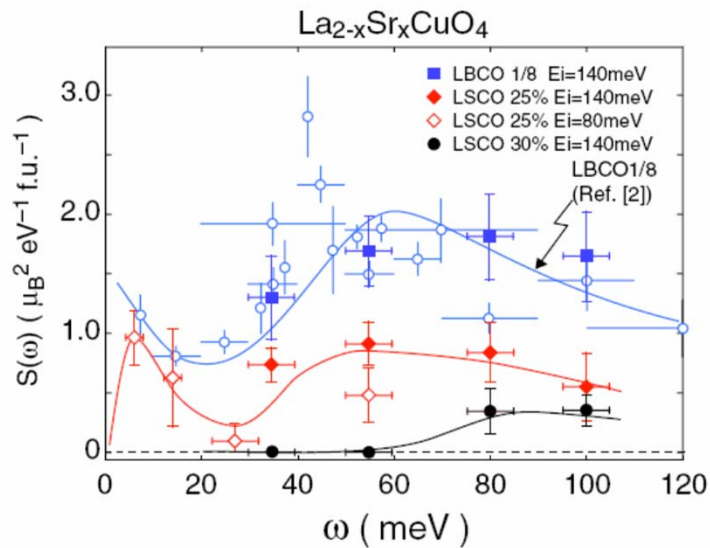
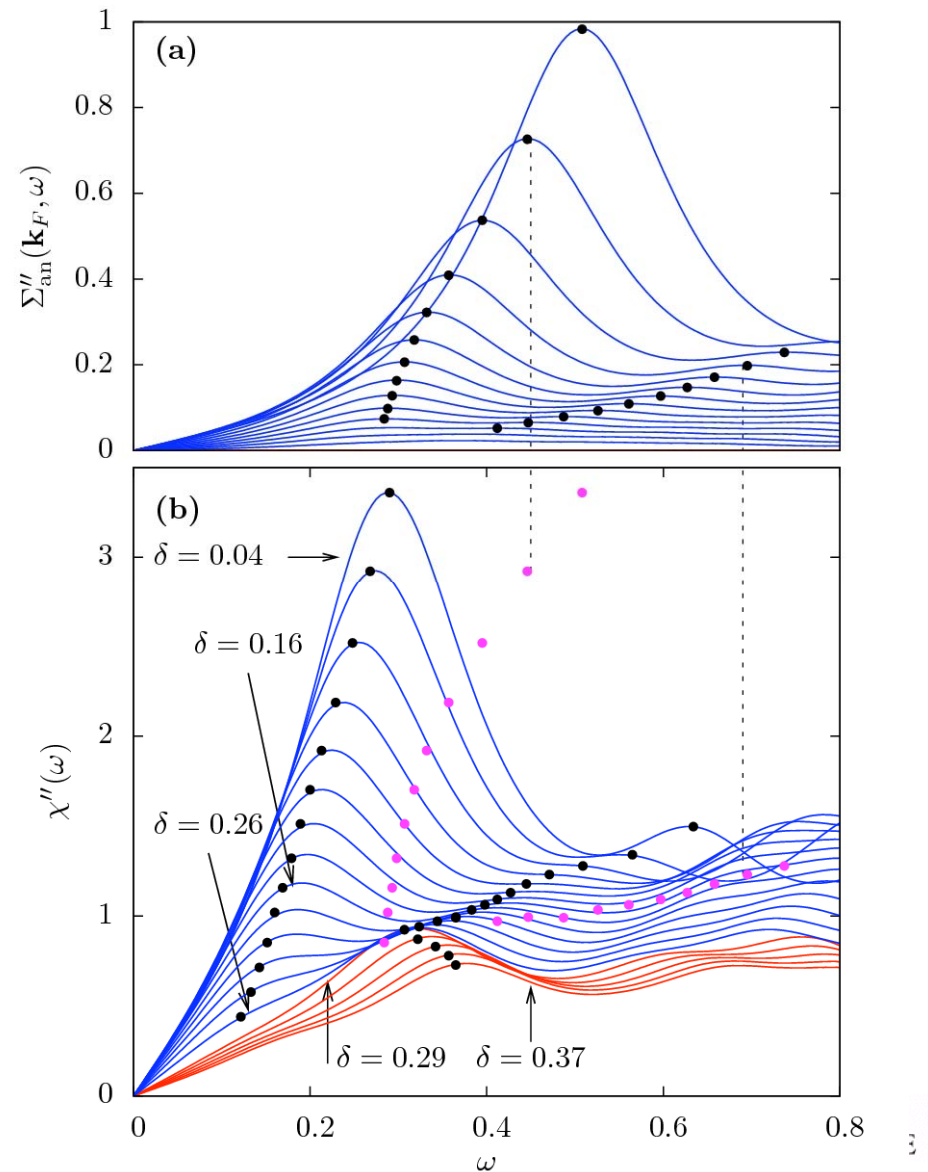


FIG. 3 (color online). $\mathbf{Q}$ -integrated dynamic structure factor $S(\omega)$ which is derived from the wide- H integrated profiles for LBCO 1/8 (squares), LSCO $x = 0.25$ (diamonds; filled for $E_i = 140$ meV, open for $E_i = 80$ meV), and $x = 0.30$ (filled circles) plotted over $S(\omega)$ for LBCO 1/8 (open circles) from [2]. The solid lines following data of LSCO $x = 0.25$ and 0.30 are guides to the eyes.

Wakimoto ... Birgeneau PRL (2007);
PRL (2004)



The glue in CDMFT and DCA

Th. Maier, D. Poilblanc, D.J. Scalapino, PRL (2008)

M. Civelli, PRL **103**, 136402 (2009)

M. Civelli PRB **79**, 195113 (2009)

E. Gull, A. J. Millis PRB 90, 041110(R) (2014)

S. Sakai, M. Civelli, M. Imada arXiv:1411.4365





Frequencies important for pairing



Bumsoo Kyung

David Sénéchal

Anomalous Green function

$$[\mathcal{F}_{an}(t)]_{lm} = -i\theta(t) \langle \{\hat{c}_{l\uparrow}(t), \hat{c}_{m\downarrow}(0)\} \rangle_{\mathcal{H}_{AIM}}$$

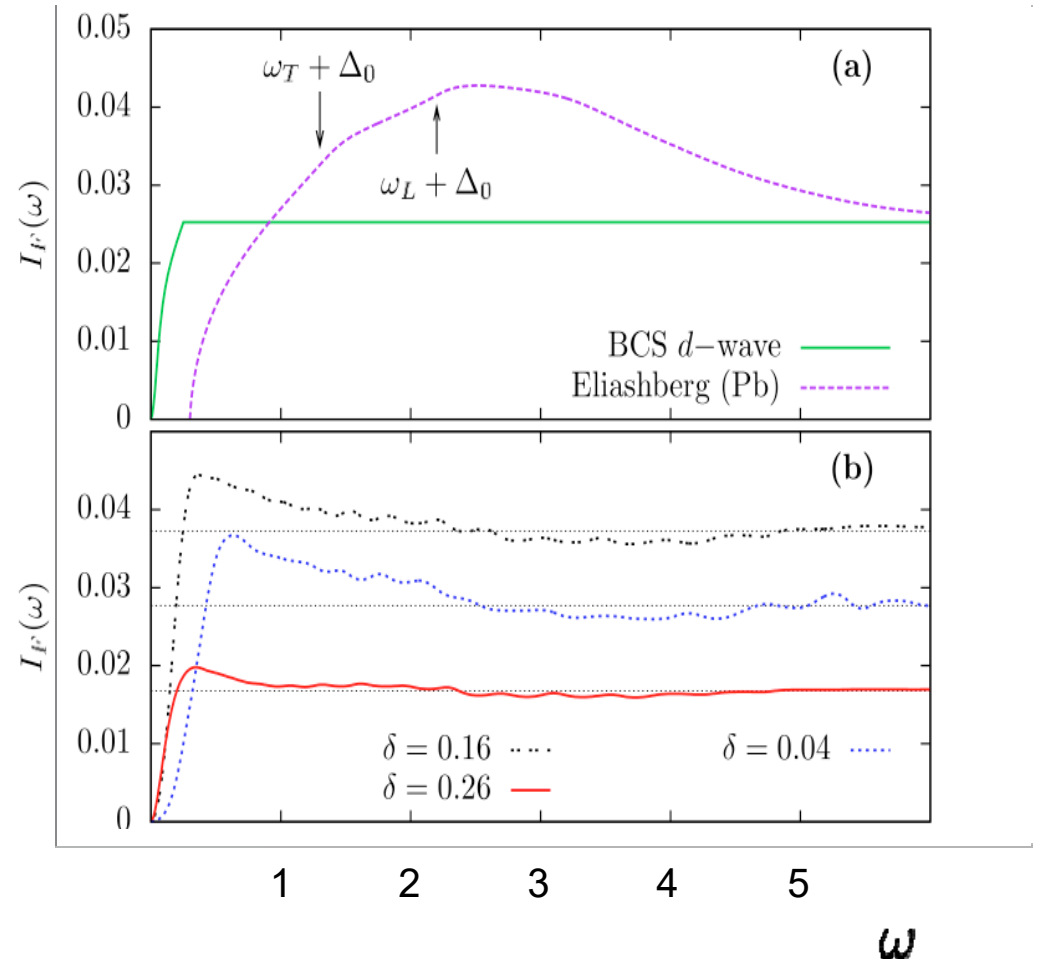
Anomalous spectral function

$$[\mathcal{A}_{an}(\omega)]_{lm} = -\frac{1}{\pi} \text{Im} [\mathcal{F}_{an}(\omega)]_{lm}$$

Cumulative order parameter:

$$I_{\mathcal{F}}(\omega) = -\int_0^{\omega} \frac{d\omega'}{\pi} \text{Im} [\mathcal{F}_{an}(\omega')]_{lm}$$

$$I_{\mathcal{F}}(\omega) \xrightarrow{\omega \rightarrow +\infty} \langle \hat{c}_{l\uparrow} \hat{c}_{m\downarrow} \rangle_{\mathcal{H}_{AIM}}$$



Scalapino, Schrieffer, Wilkins,
Phys. Rev. **148** (1966)

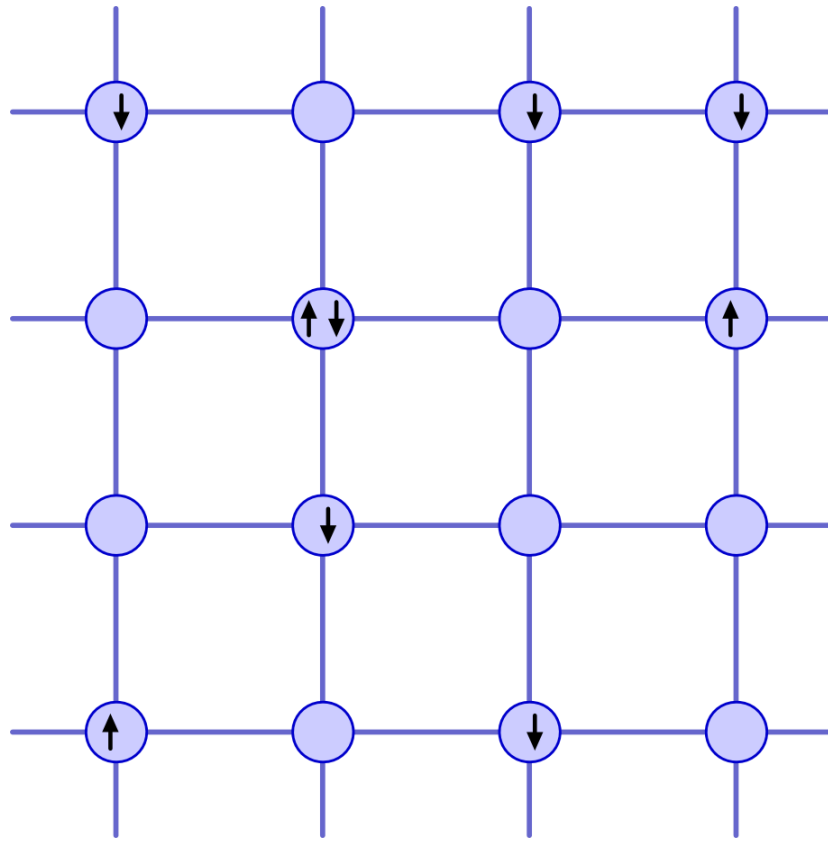


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Nearest-neighbor repulsion should
destroy T_c ?



Extended Hubbard model



$$\hat{\mathcal{H}} = -t \sum_{\langle i,j \rangle \sigma} \left(\hat{c}_{i\sigma}^\dagger \hat{c}_{j\sigma} + c.h \right) + U \sum_i \hat{n}_{i\uparrow} \hat{n}_{i\downarrow} + V \sum_{\langle i,j \rangle} \hat{n}_i \hat{n}_j - \mu \sum_i \hat{n}_i$$



Resilience to near-neighbor repulsion V (Scalapino)

$$\hat{\mathcal{H}}_{Hubbard} = - \sum_{\langle i,j \rangle, 1,2,3 \sigma} \left(t_{ij} \hat{c}_{i\sigma}^\dagger \hat{c}_{j\sigma} + c.h \right) + U \sum_i \hat{n}_{i\uparrow} \hat{n}_{i\downarrow} + V \sum_{\langle i,j \rangle} \hat{n}_i \hat{n}_j - \mu \sum_{i\sigma} \hat{n}_{i\sigma}$$

YBa₂Cu₃O₇ : $t = 1$ $t' = -0.3$ $t'' = 0.2$

We expect superconductivity to disappear when:

$V > \frac{U^2}{W}$ In weakly correlated case
 $U/W < 1$

$V > J$ In mean-field strongly
 correlated case

$V = 400 \text{ meV}$

In cuprates:

$J = 130 \text{ meV}$

$U_c = V_c / [1 + N(0) V_c \ln(E_F / \omega_c)]$ Anderson-Morel

S. Onari, R. Arita, K. Kuroki et H. Aoki, PRB **70**, 094523 (2004)

S. Raghu, E. Berg, A. V. Chubukov et S. A. Kivelson, PRB **85**, 024516 (2012)

S. Sorella, et al. Phys. Rev. Lett. **88**, 117002 (2002)



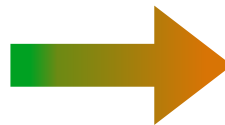
d -wave in mean-field

$$\hat{\mathcal{H}}_{\text{modèle } t-J} = -t \sum_{\langle i,j \rangle \sigma} \hat{P} \left(\hat{c}_{i\sigma}^\dagger \hat{c}_{j\sigma} + c.h \right) \hat{P} + J \sum_{\langle i,j \rangle} \left(\hat{\vec{S}}_i \cdot \hat{\vec{S}}_j - \frac{1}{4} \hat{n}_i \hat{n}_j \right)$$

$$\begin{aligned} J \hat{S}_i^z \hat{S}_j^z &= J (\hat{n}_{i\uparrow} - \hat{n}_{i\downarrow}) (\hat{n}_{j\uparrow} - \hat{n}_{j\downarrow}) \\ &= J (\hat{c}_{i\uparrow}^\dagger \hat{c}_{i\uparrow} - \hat{c}_{i\downarrow}^\dagger \hat{c}_{i\downarrow}) (\hat{c}_{j\uparrow}^\dagger \hat{c}_{j\uparrow} - \hat{c}_{j\downarrow}^\dagger \hat{c}_{j\downarrow}) \\ &= -J (\hat{c}_{i\downarrow}^\dagger \hat{c}_{i\downarrow} \hat{c}_{j\uparrow}^\dagger \hat{c}_{j\uparrow} + \hat{c}_{i\uparrow}^\dagger \hat{c}_{i\uparrow} \hat{c}_{j\downarrow}^\dagger \hat{c}_{j\downarrow}) + \dots \\ &= -J (\hat{c}_{j\uparrow}^\dagger \hat{c}_{i\downarrow}^\dagger \hat{c}_{i\downarrow} \hat{c}_{j\uparrow} + \hat{c}_{i\uparrow}^\dagger \hat{c}_{j\downarrow}^\dagger \hat{c}_{j\downarrow} \hat{c}_{i\uparrow}) + \dots \end{aligned}$$

Hartree-Fock :

$$d^* = \langle \hat{c}_{j\uparrow}^\dagger \hat{c}_{i\downarrow}^\dagger \rangle \mathcal{H}_{\text{modèle } t-J}$$



$$\langle J \hat{S}_i^z \hat{S}_j^z \rangle = -2J d^* d + \dots$$

Miyake, Schmitt-Rink et Varma, [PRB 34, 6554-6556](#) (1986)

Anderson, Baskaran, Zou et Hsu, [PRL 58, 26](#) (1987)



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Resilience to near-neighbor repulsion

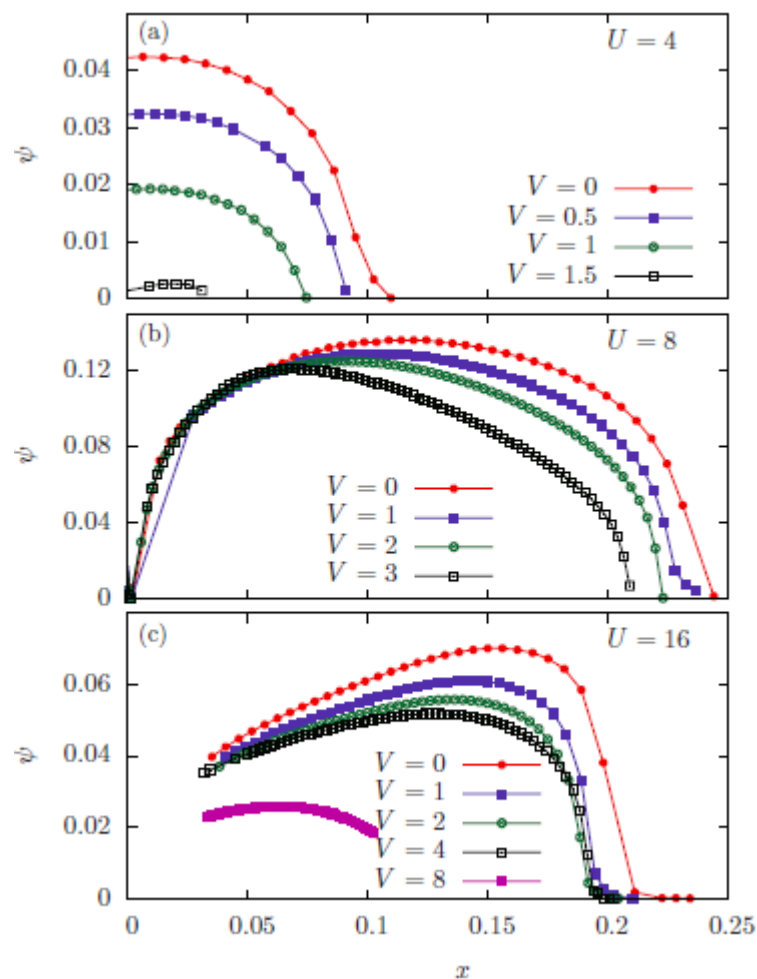


David Sénéchal

Alexandre Day



Vincent Bouliane

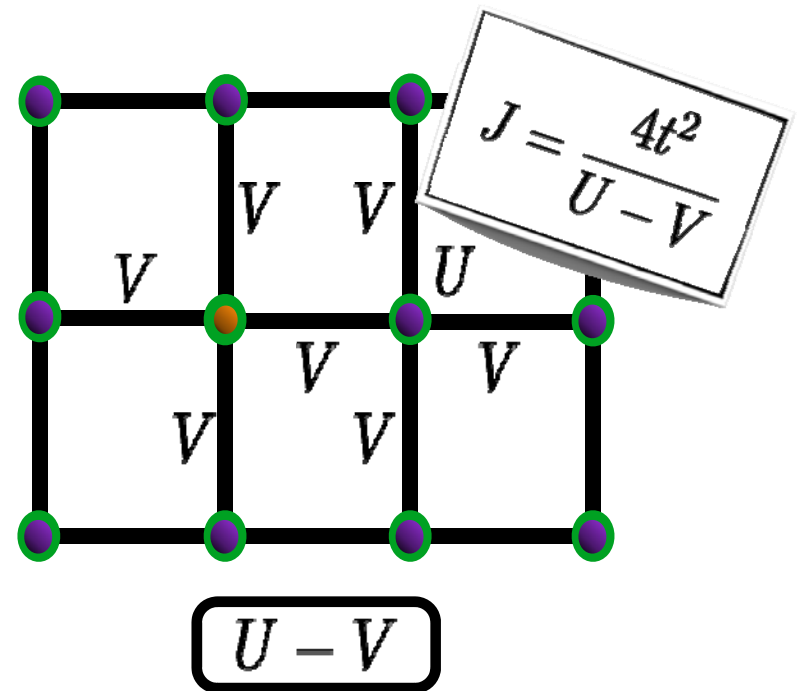
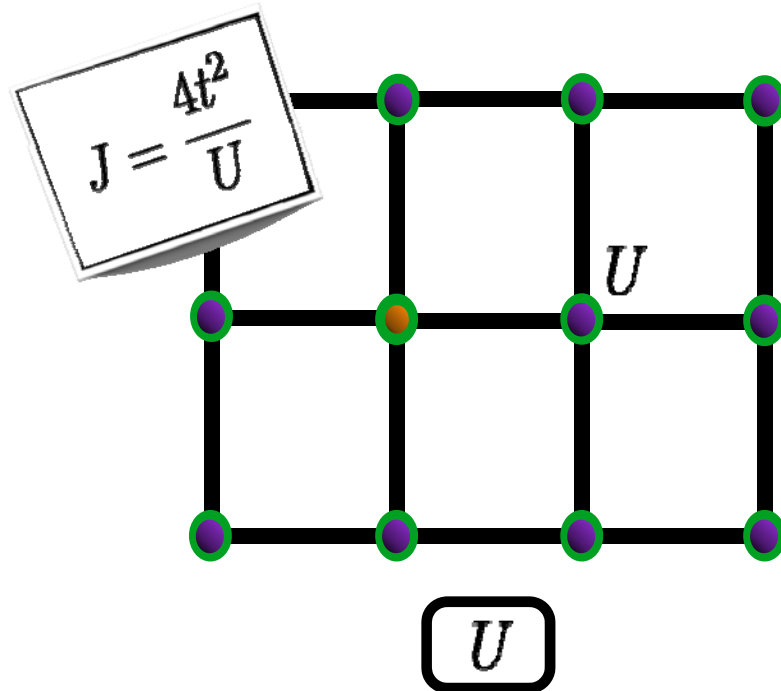


Sénéchal, Day, Bouliane, AMST PRB **87**, 075123 (2013)



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V also increases J

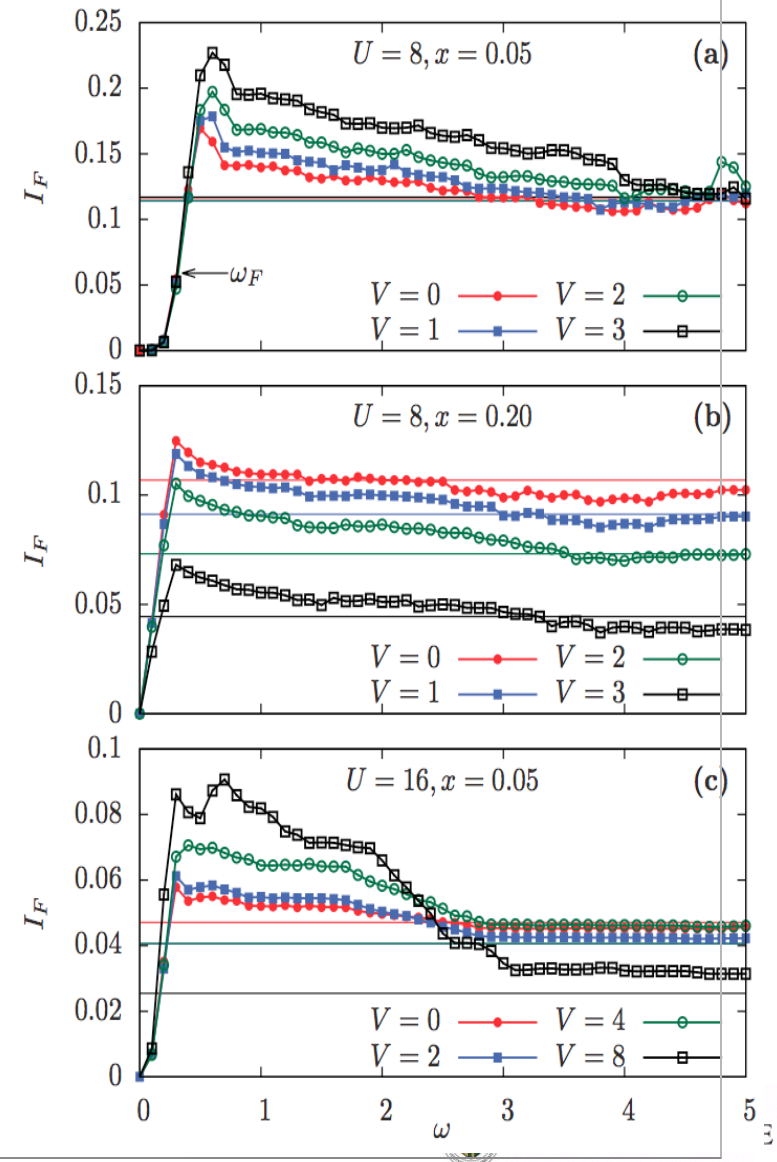


Binding aspects of V

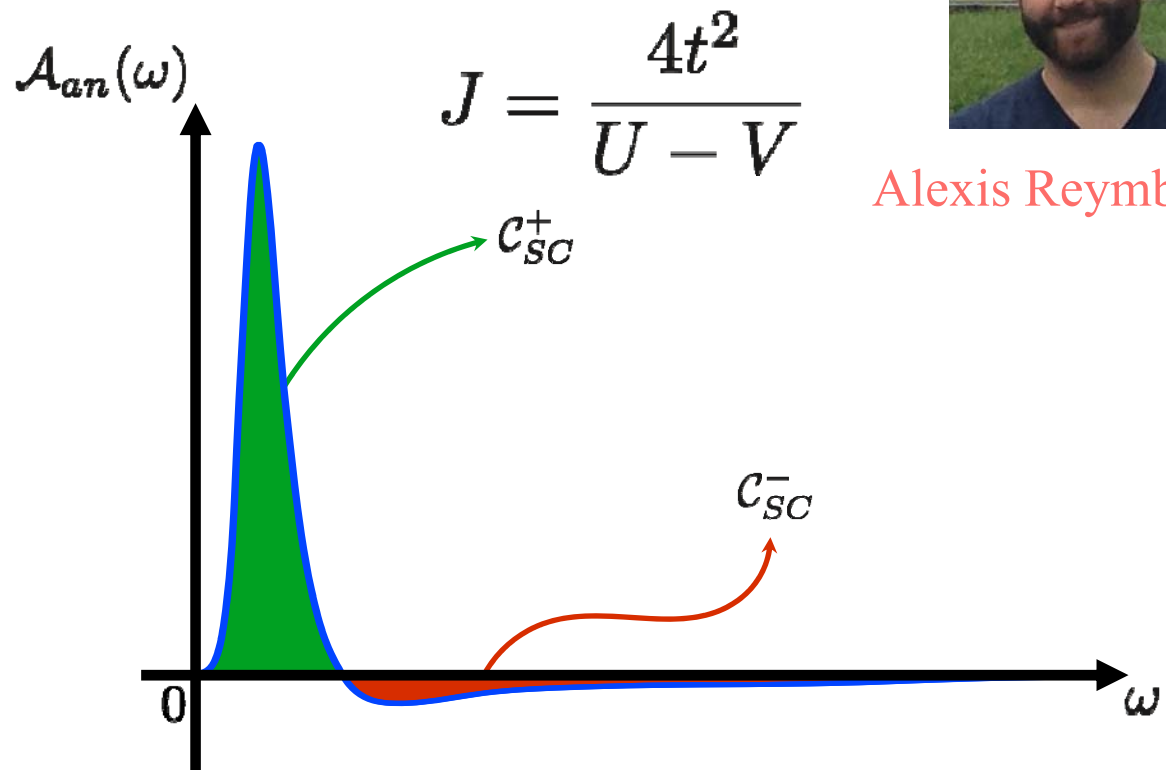
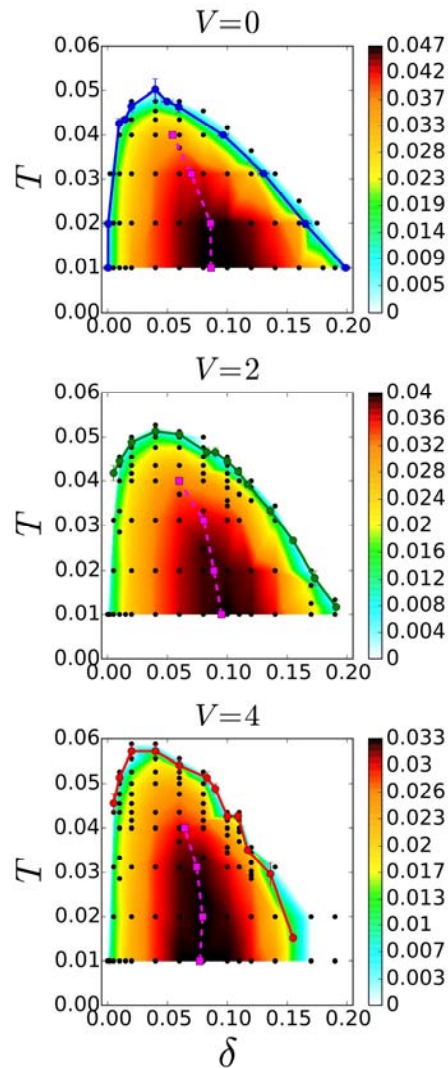
$$J = \frac{4t^2}{U - V}$$

**J increases with V
explaining better pairing at
low frequency**

**But V also induces more
repulsion at high frequency,
explaining the negative
impact at high frequency on
binding**



Antagonistic effects of V at finite T



Alexis Reymbaut

A. Reymbaut *et al.* PRB 94 155146 (2016)



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Summary

- Pseudogap in e-doped is a $d=2$ precursor of AFM
- Normal state first-order transition from Mott & J is an organizing principle for
 - The normal and superconducting states
 - Cuprates and organics are examples
 - Predictions for organics
- Mechanism: J short-range is retarded and resilient to V

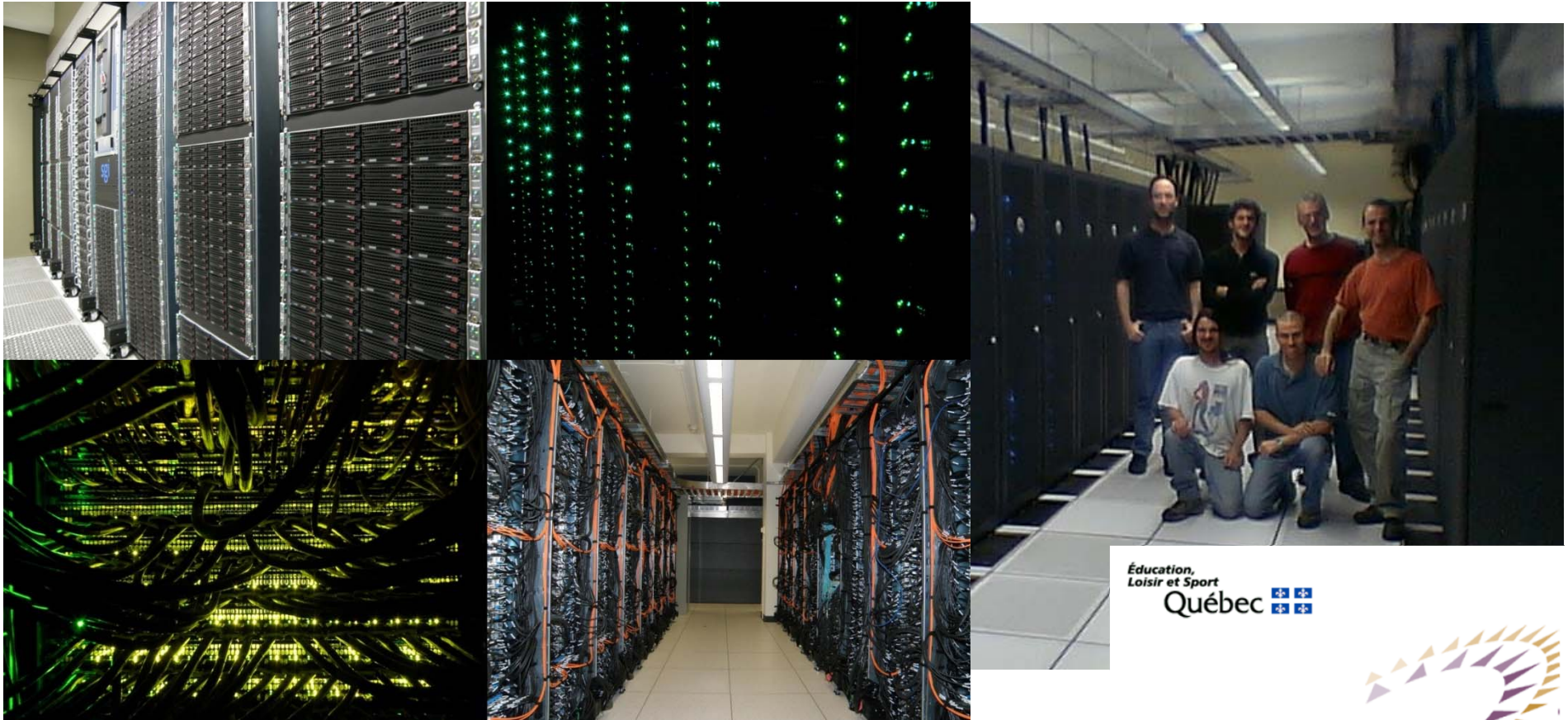


Open questions

- Why does T_c start to go down at such large filling?
- Effect of competition with other order.



Mammoth



Éducation,
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Calcul Québec



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CREATING KNOWLEDGE
DRIVING INNOVATION
BUILDING THE DIGITAL ECONOMY

Le calcul de haute performance

CRÉER LE SAVOIR
ALIMENTER L'INNOVATION
BÂTIR L'ÉCONOMIE NUMÉRIQUE



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Review: A.-M.S.T. [arXiv: 1310.1481](https://arxiv.org/abs/1310.1481)



A.-M.S. Tremblay

“Strongly correlated superconductivity”

Chapt. 10 : *Emergent Phenomena in Correlated Matter Modeling and Simulation, Vol. 3*, E. Pavarini, E. Koch, and U. Schollwöck (eds.)

Verlag des Forschungszentrum Jülich, 2013