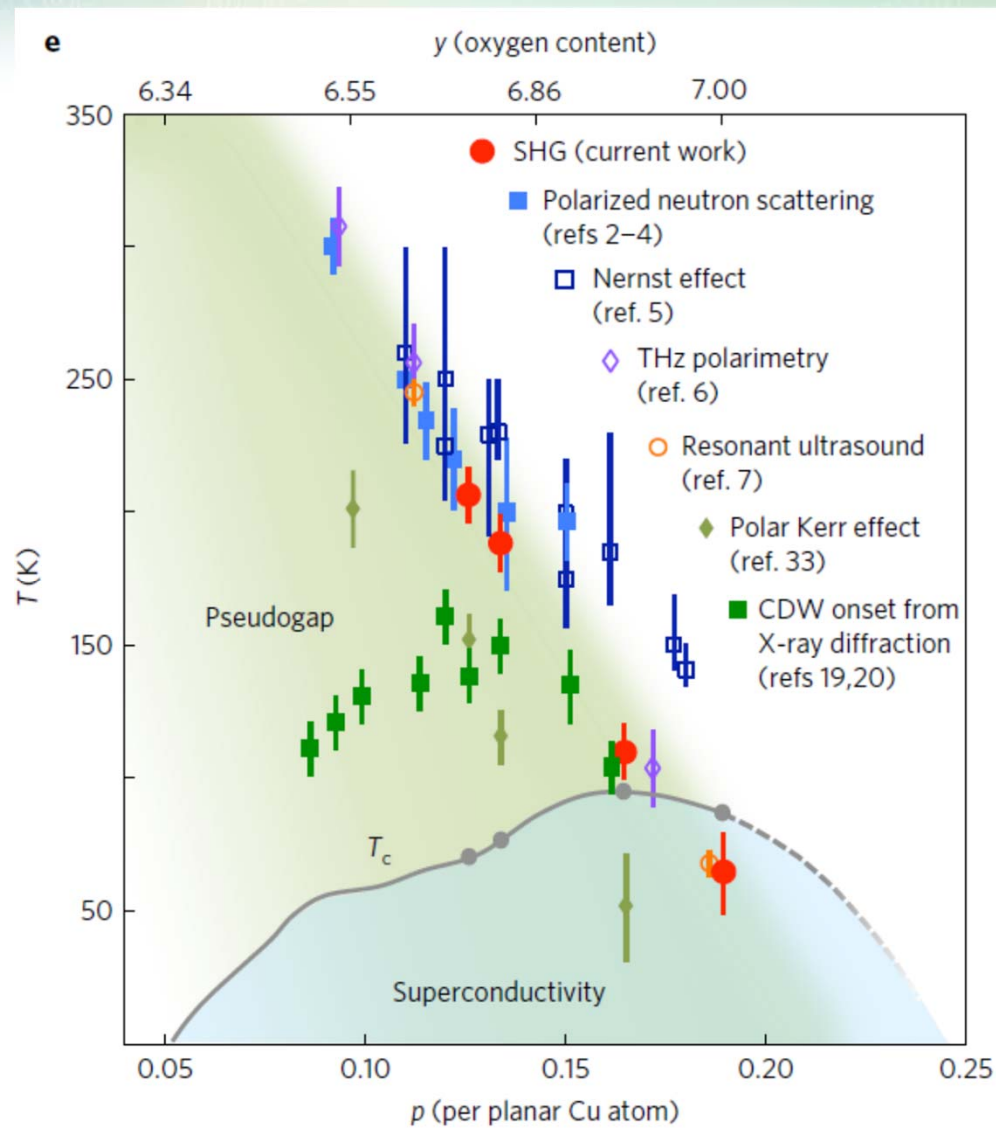




Pseudogap, van Hove Singularity, Maximum in Entropy and Specific Heat for Hole-Doped Mott Insulators

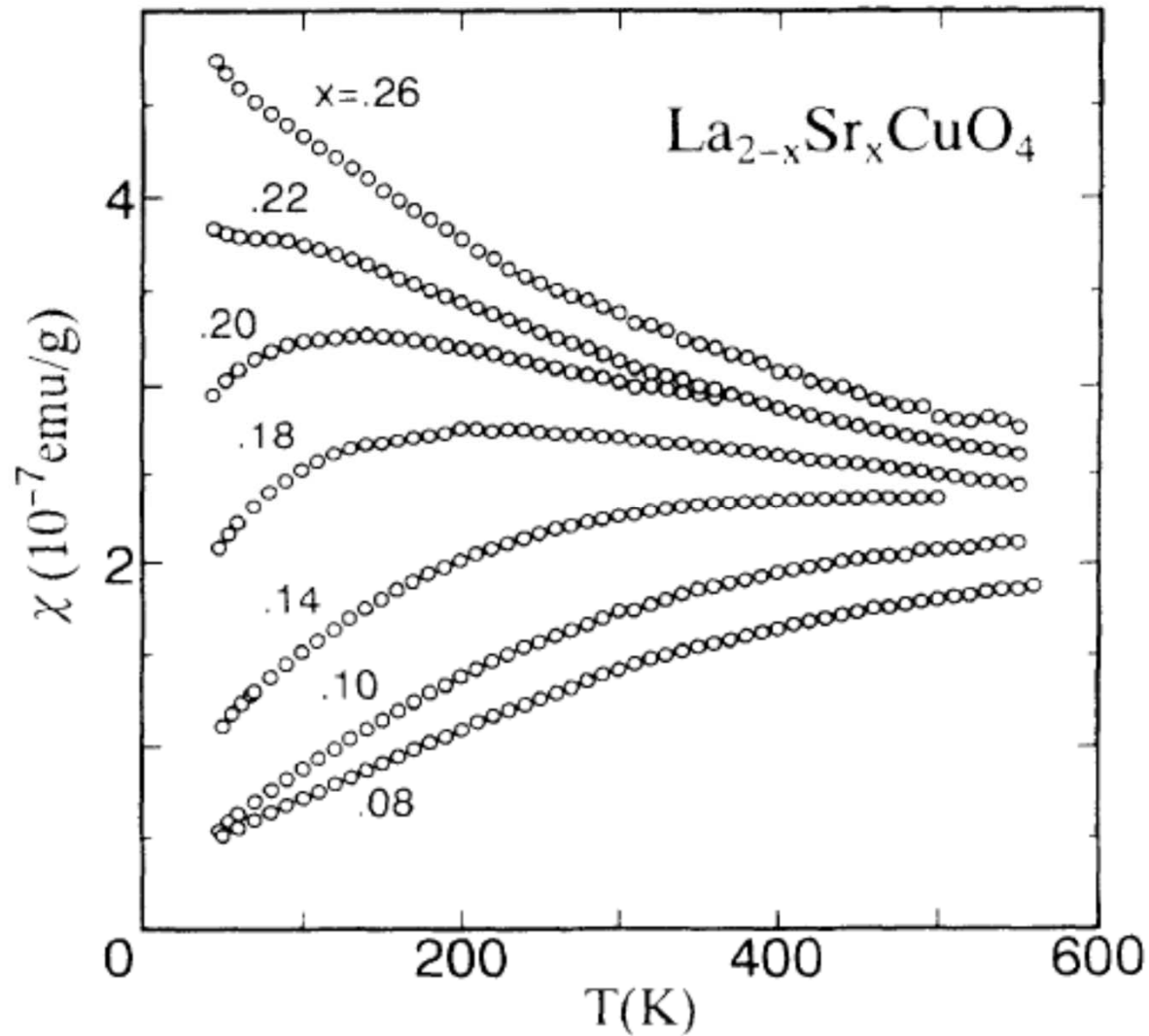
A.-M.S. Tremblay,
A. Reymbaut, S. Bergeron, R. Garioud,
M. Thénault, M. Charlebois, P. Sémon,

APS March Meeting Denver
J56.00007,
3:42 PM, Mile High Ballroom 2C



Zhao *et al.* Nat. Phys. 13, 250 (2017).

Spin susceptibility (Knight shift)



Nakano *et al.* Phys. Rev. B **49**, 16000 (1994)
Alloul *et al.* (1989)

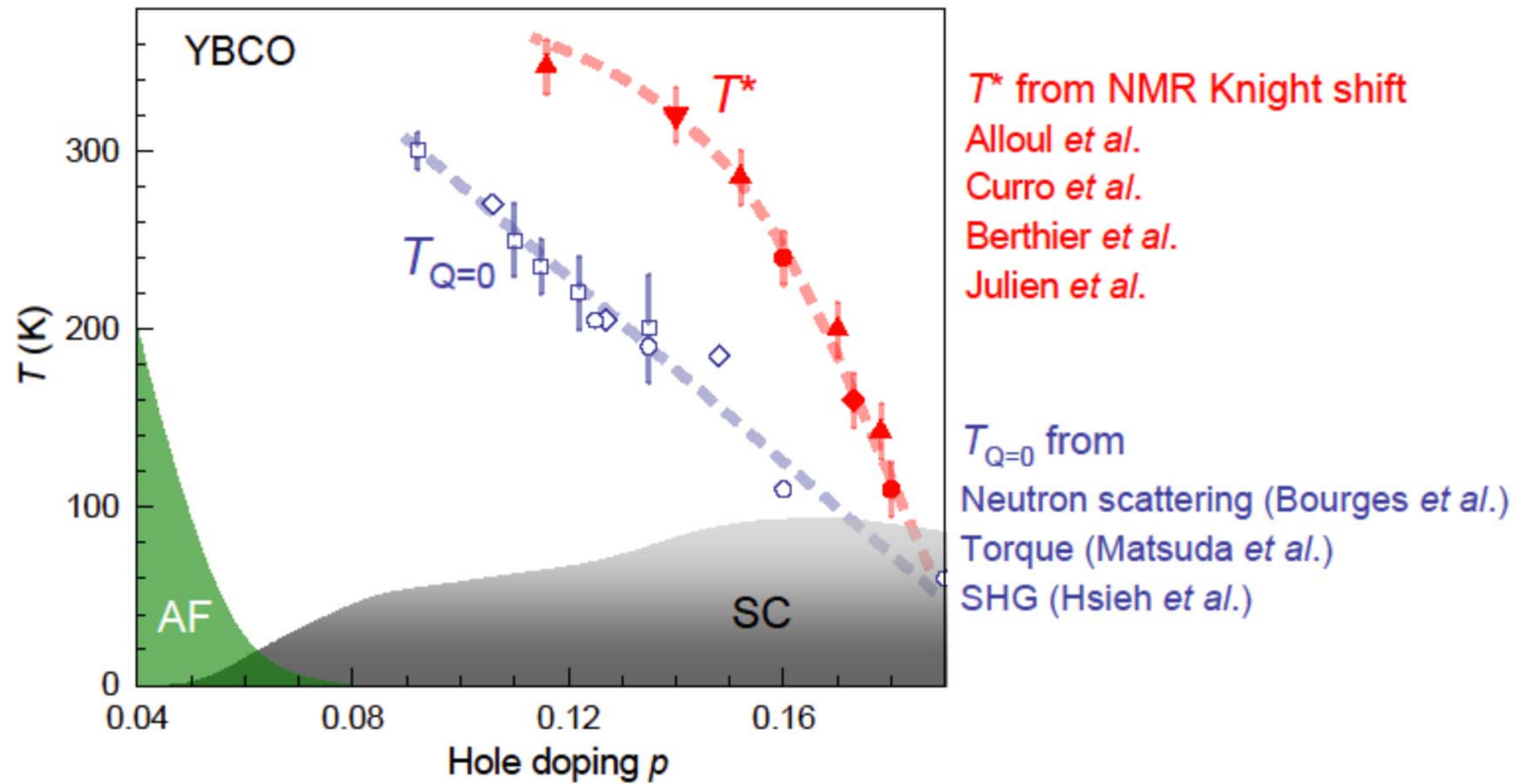


Figure from: Marc-Henri Julien

Model



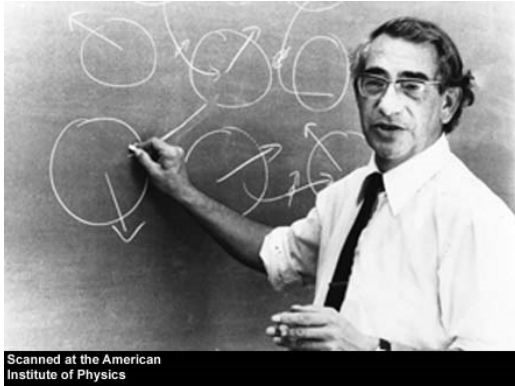
UNIVERSITÉ DE
SHERBROOKE



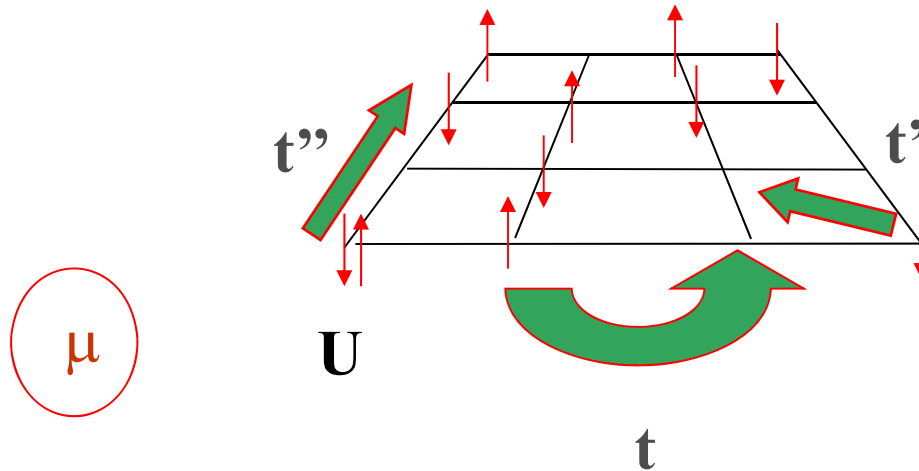
APOGÉE
CANADA
FONDS
D'EXCELLENCE
EN RECHERCHE

[USHERBROOKE.CA/IQ](https://usherbrooke.ca/iq)

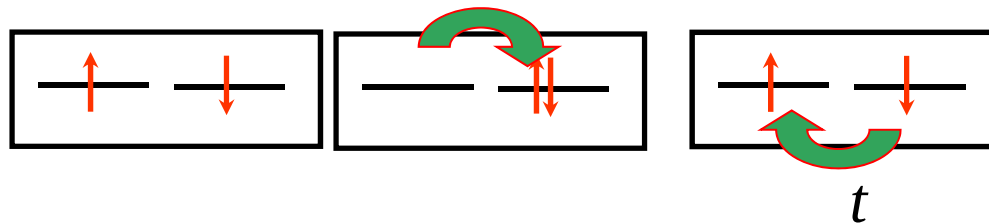
Hubbard model



1931-1980



$$H = -\sum_{\langle ij \rangle \sigma} t_{i,j} (c_{i\sigma}^\dagger c_{j\sigma} + c_{j\sigma}^\dagger c_{i\sigma}) + U \sum_i n_{i\uparrow} n_{i\downarrow}$$



Effective model, Heisenberg: $J = 4t^2 / U$

Attn: Charge transfer insulator

Method

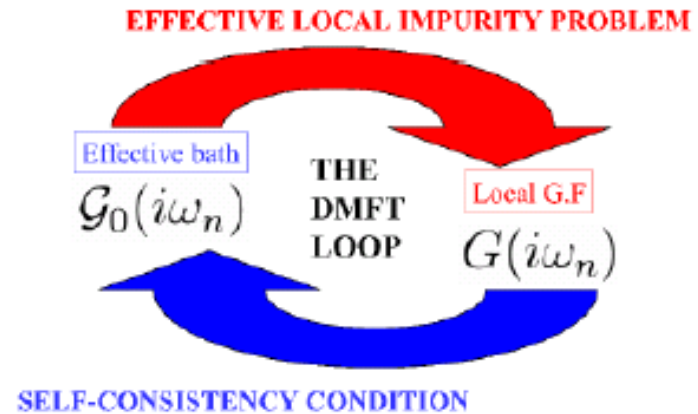
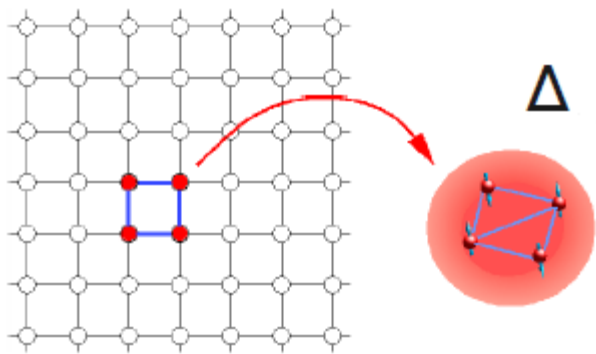
- Dynamical Mean Field Theory
 - clusters
- Concept: atomic-like localized correlations consistent with delocalized aspect

REVIEWS

Maier, Jarrell *et al.*, RMP. (2005)
Kotliar *et al.* RMP (2006)
AMST *et al.* LTP (2006)

Hettler *et al.*, PRB 1998
Lichtenstein *et al.*, PRB 2000
Kotliar *et al.*, PRB 2000
M. Potthoff, EJP 2003

Cellular DMFT + CT-QMC



$$\Delta(i\omega_n) = i\omega_n + \mu - \Sigma_c(i\omega_n)$$

$$= \left[\sum_{\vec{k}} \frac{1}{i\omega_n + \mu - t_c(\vec{k}) - \Sigma_c(i\omega_n)} \right]^{-1}$$

+ and -

- Long range order:
 - No mean-field factorization on the cluster
 - Symmetry breaking allowed in the bath (mean-field)
- Included exactly:
 - Short-range dynamical and spatial correlations
- Missing:
 - Long wavelength p-h and p-p fluctuations
 - Hence good when the corresponding correlation lengths are small



Alexis Reymbaut Maxime Charlebois

Patrick Sémon

Simon Bergeron

The pseudogap from spin susceptibility

A. Reymbaut, *et al.*

Phys. Rev. Research **1**, 023015 (2019)



Marion Thénault



R. Garioud

Knight shift ($Q=0$ spin susceptibility)

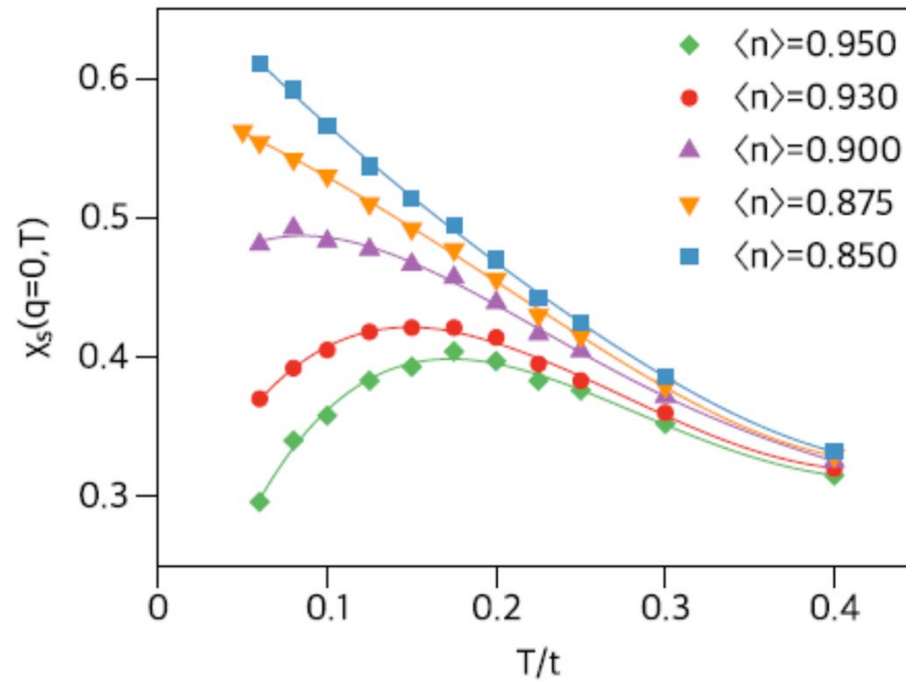


Fig. 3 Temperature and doping dependence of the $q=0$ spin susceptibility. At the smaller dopings (larger filling $\langle n \rangle$), $\chi_s(T)$ exhibits a peak in the temperature dependence indicating the opening of a PG

DCA 12 sites, $t'=0$, $U = 7$

T.A. Maier, D.J. Scalapino, npj Quantum Materials (2019)

Comparison

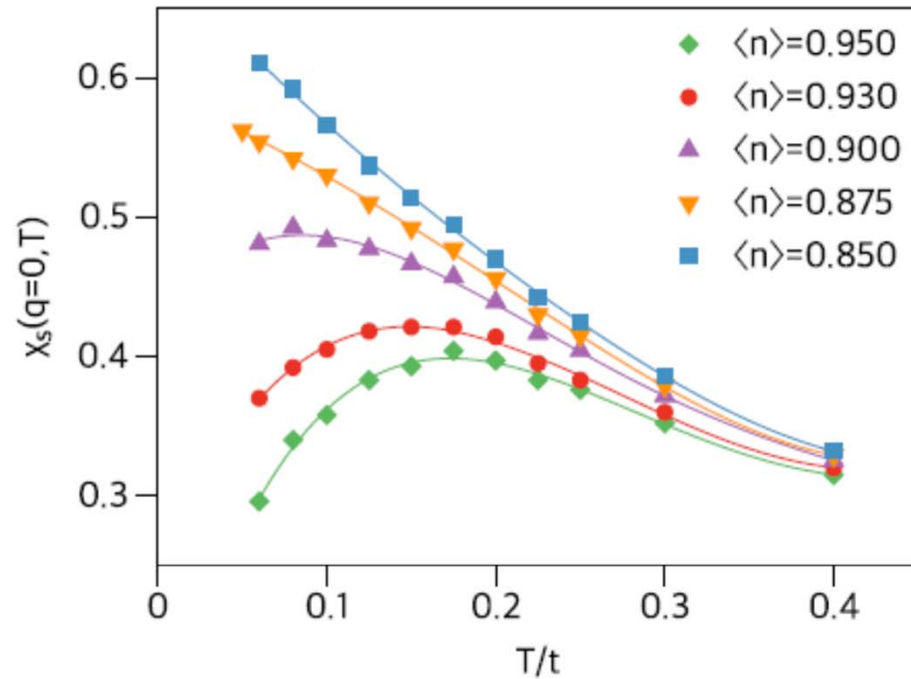
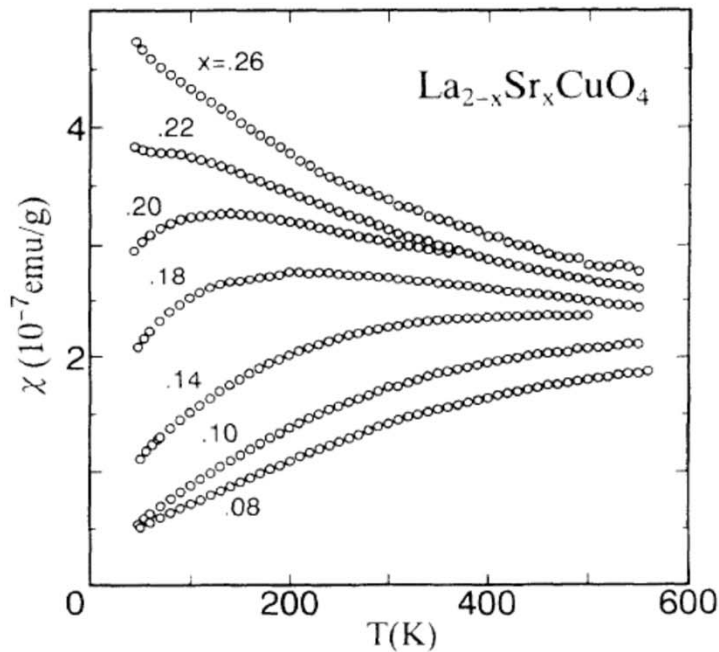
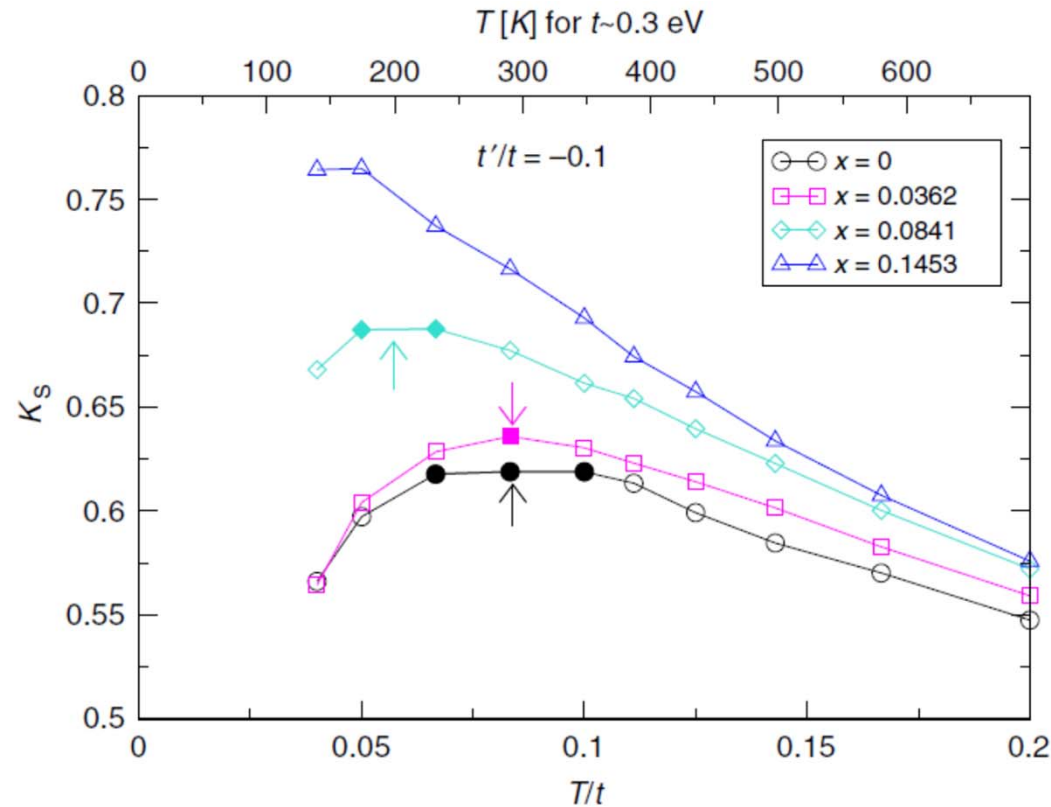


Fig. 3 Temperature and doping dependence of the $q=0$ spin susceptibility. At the smaller dopings (larger filling $\langle n \rangle$), $\chi_s(T)$ exhibits a peak in the temperature dependence indicating the opening of a PG

Knight shift

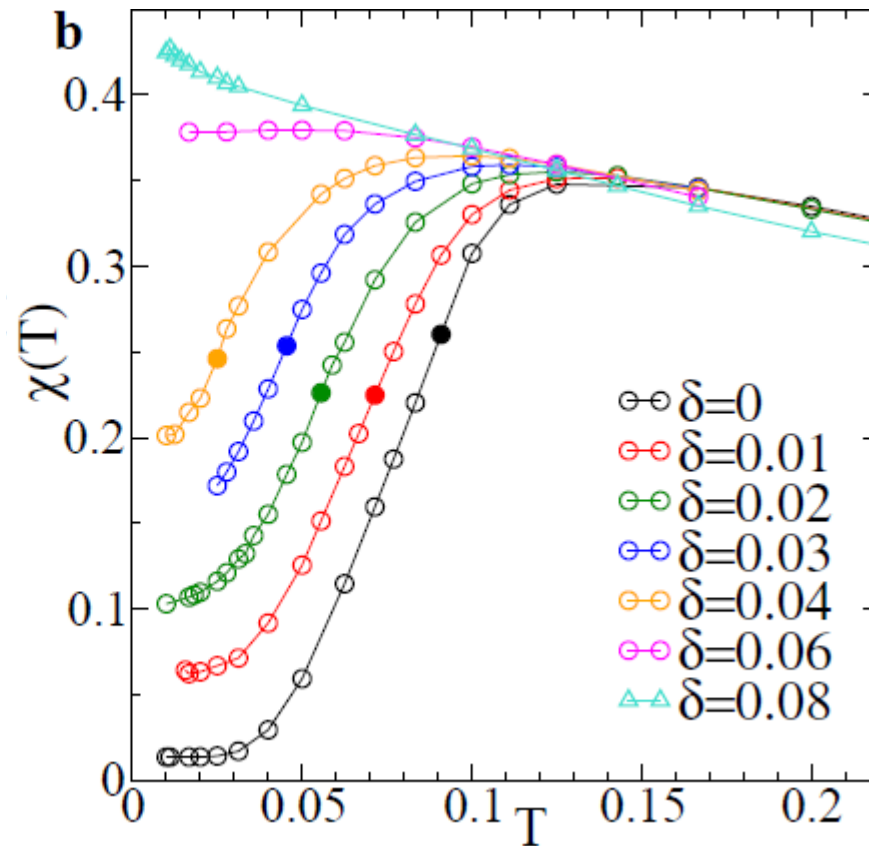


DCA 8 sites, $U = 6$, $t' = -0.1t$

Chen, LeBlanc, Gull, Nature Com. Apr. 2017

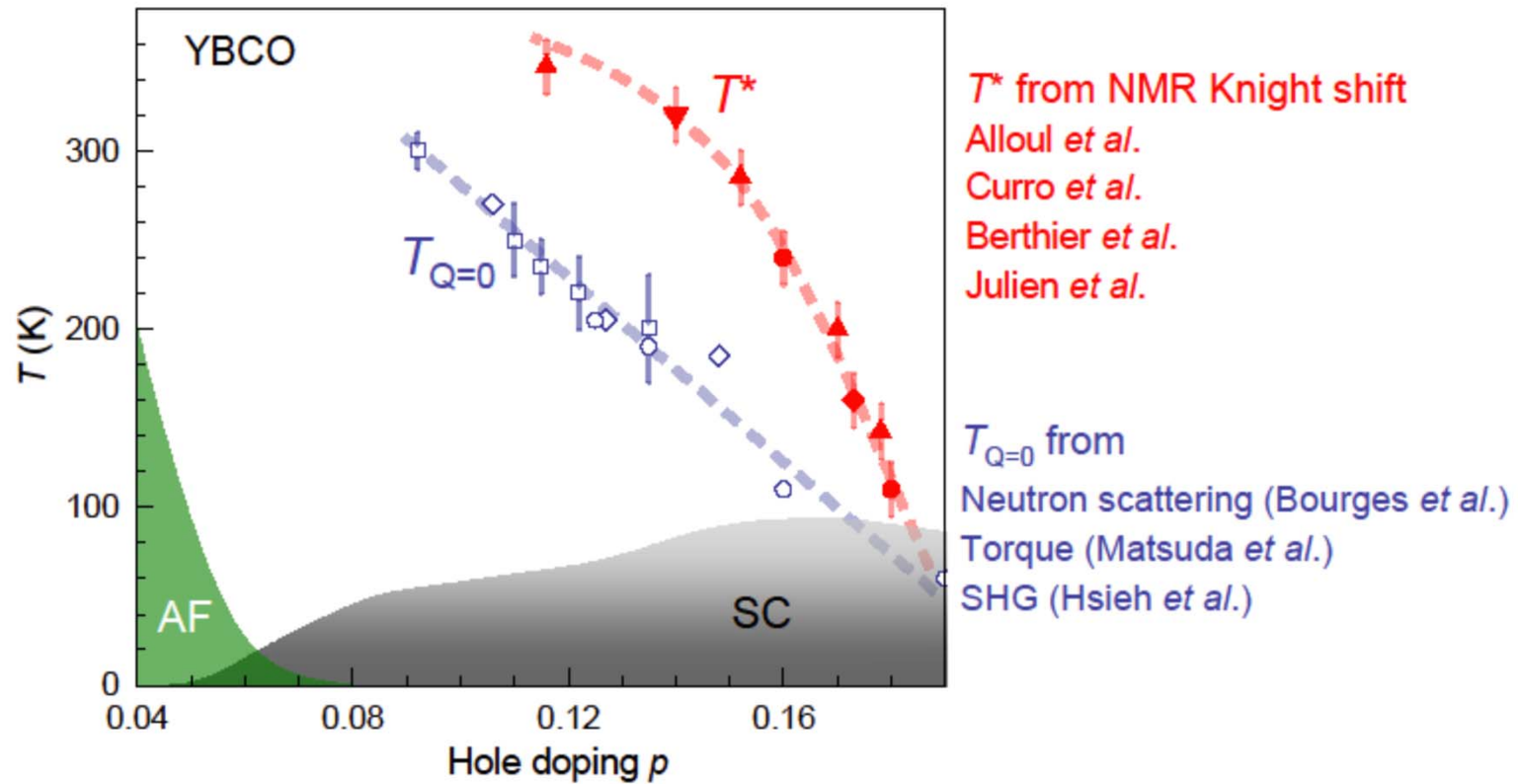
See also Jarrell *et al.* 2001, 2002

Spin susceptibility



Sordi et al., Sci. Rep. 2 547 (2012);

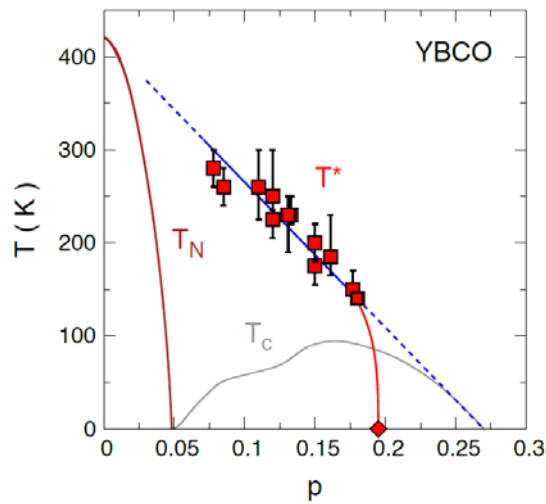
$$U = 6.2, t'=0$$



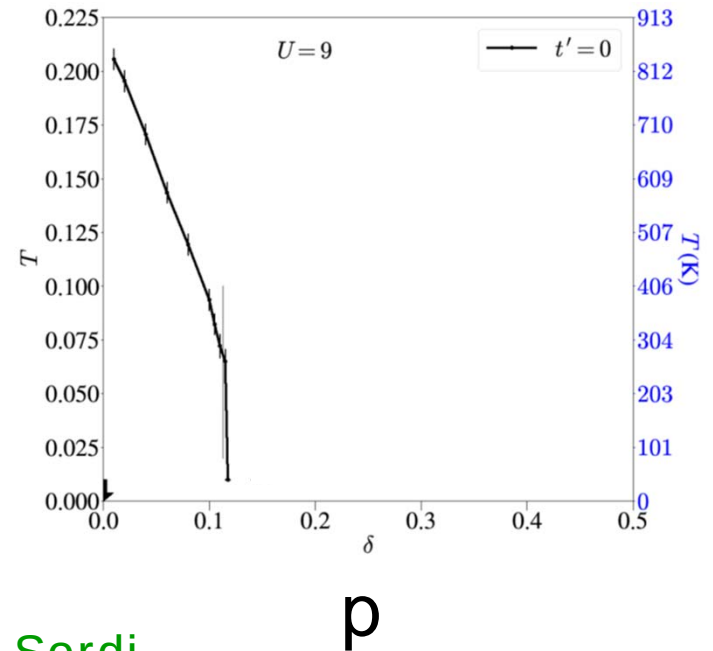
Thanks: Marc-Henri Julien

1. Results T^*

G.Sordi et al. Phys. Rev. B **87**,
041101(R) (2013)



Cyr-Choinières et al. Phys. Rev. B **97**, 064502



A. Reymbaut, M. Thénault, L. Fratino, G. Sordi,
P. Sémon, AMT, Phys. Rev. Research **1**, 023015 (2019)

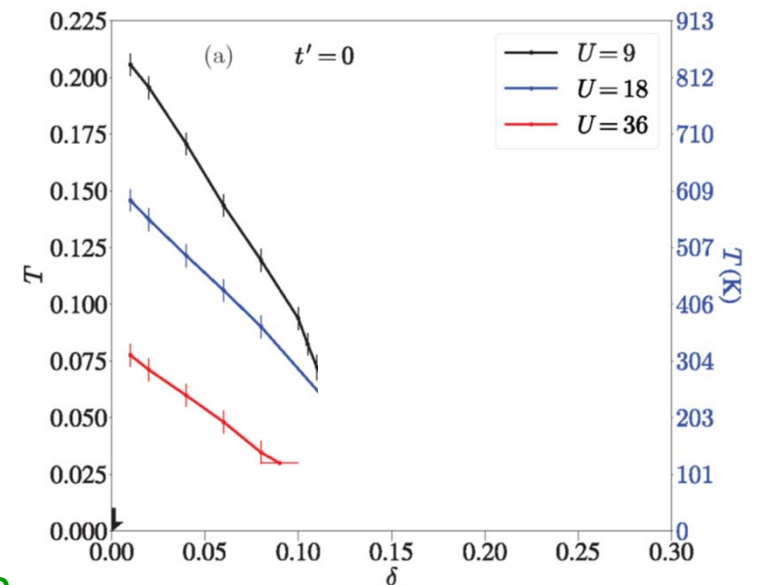
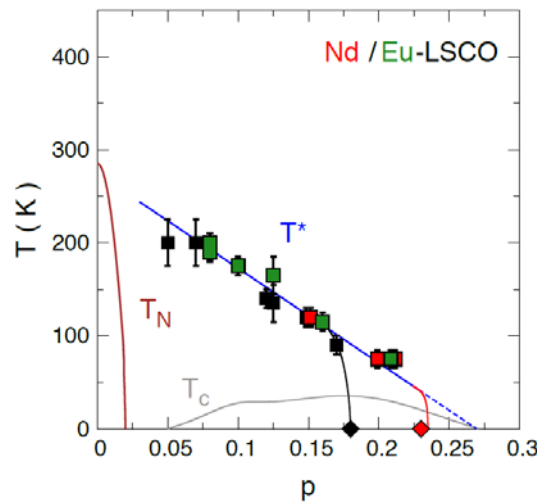
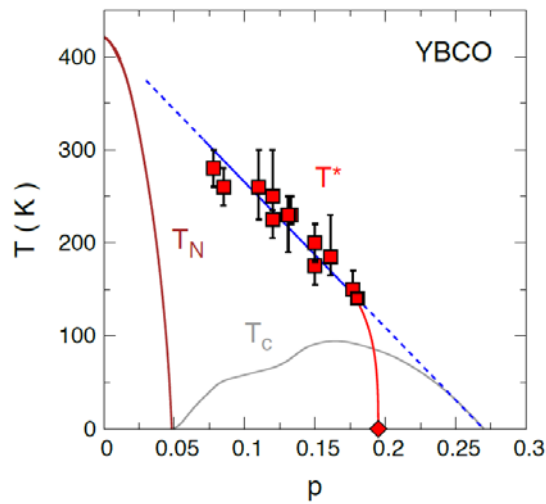
W Wu, A Georges, M Ferrero Phys. Rev. X **8**, 021048 (2018).

Bragança, Sakai, Aguiar, Civelli, PRL **120**, 067002 (2018)

2. Results T^*

$$k_B T^* \sim J$$

$$J = 4t^2/U$$



Cyr-Choinières et al. Phys. Rev. B **97**, 064502

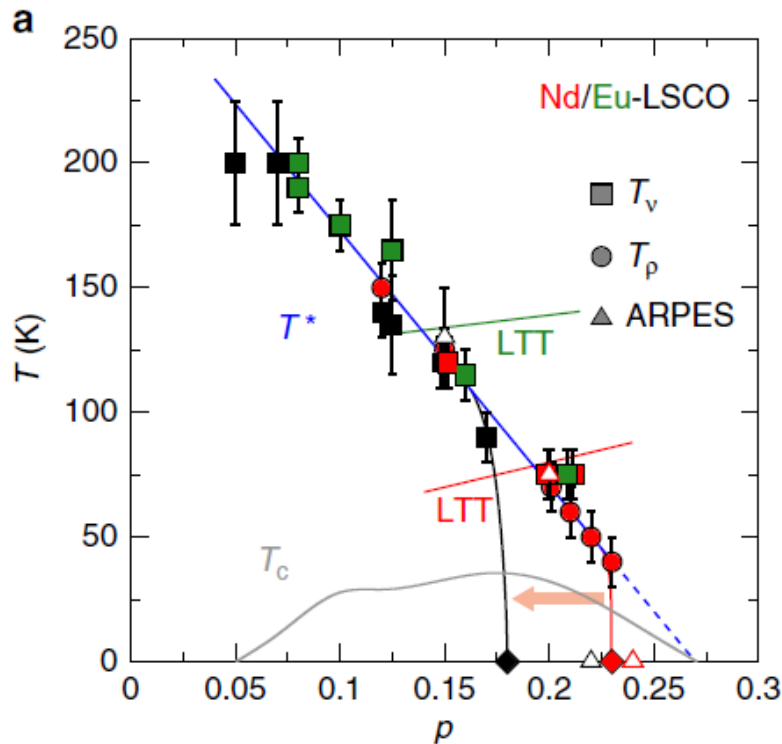
p

A. Reymbaut, M. Thénault, L. Fratino, G. Sordi,
P. Sémon, AMT, Phys. Rev. Research **1**, 023015 (2019)

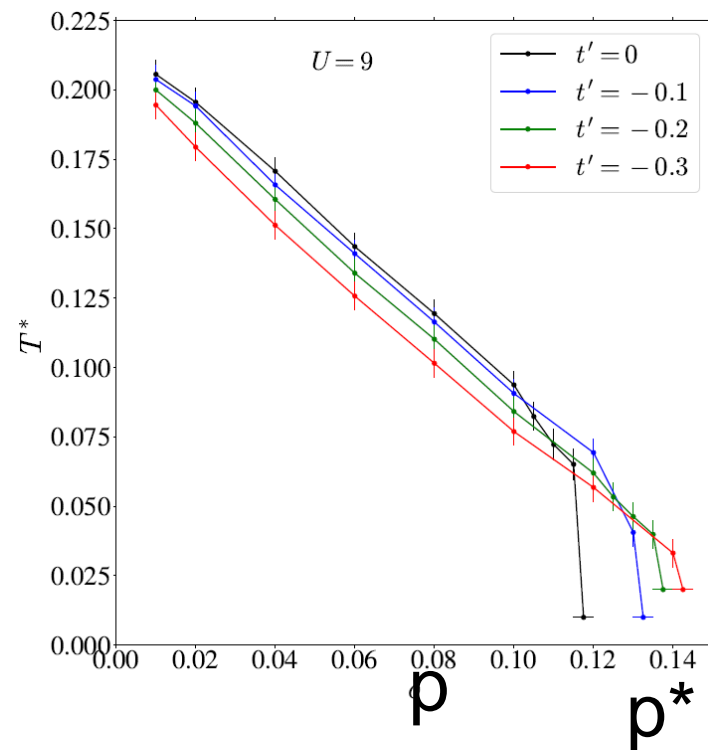
W Wu, A Georges, M Ferrero Phys. Rev. X **8**, 021048 (2018).

Bragança, Sakai, Aguiar, Civelli, PRL **120**, 067002 (2018)

3. Results : effect of t' on T^*

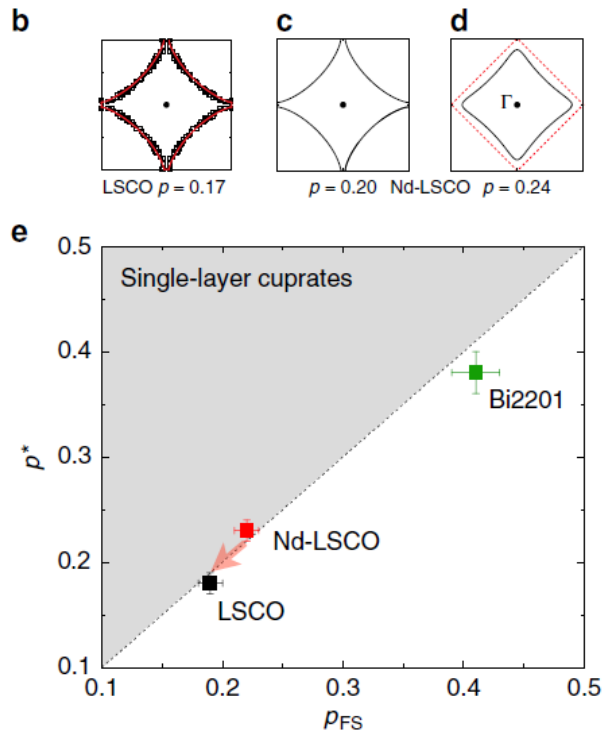


Doiron-Leyraud *et al.*
Nature Comm. **8** 2044



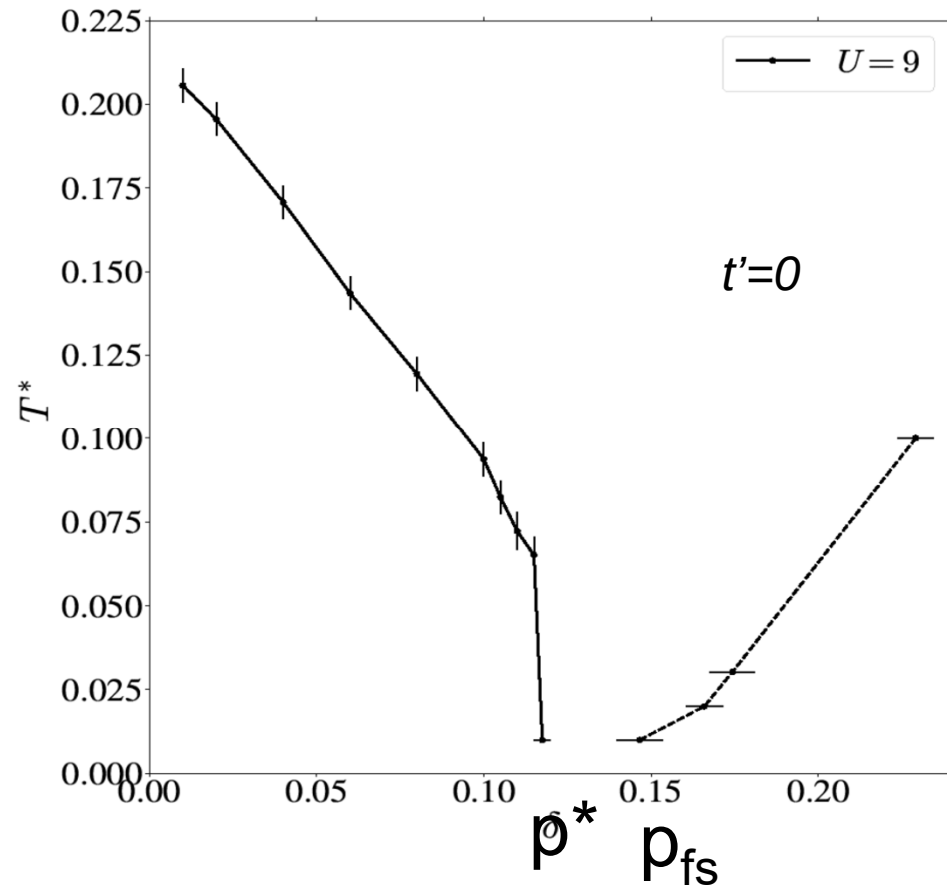
A.Reymbaut, *et al.*
Phys. Rev. Research **1**, 023015 (2019)

4. Results: van Hove singularity



$$p^* < p_{fs}$$

Doiron-Leyraud *et al.*
Nature Comm. **8** 2044



A.Reymbaut, *et al.*

Phys. Rev. Research **1**, 023015 (2019)

Sordi *et al.*, Sci. Rep. **2** 547 (2012);

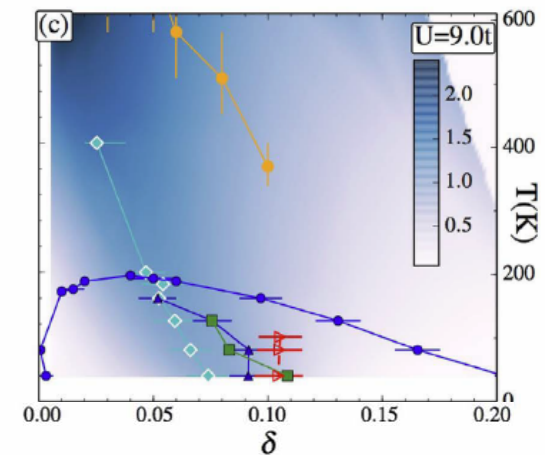
W. Wu, *et al.* PRX **8**, 021048 (2018)

Bragana, *et al.* PRL **120**, 067002 (2018)

Perspective

Connecting the finite doping behavior to the Mott transition at half-filling

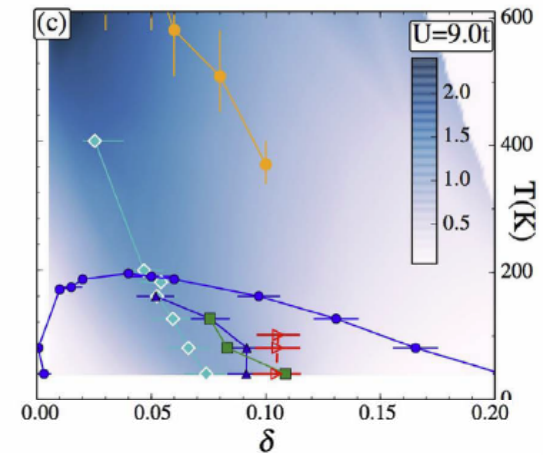
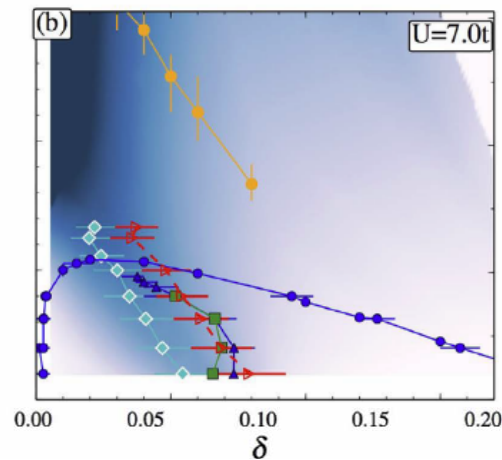
$$U = 9$$



Connecting the finite doping behavior to the Mott transition at half-filling

$$U = 7$$

$$U = 9$$

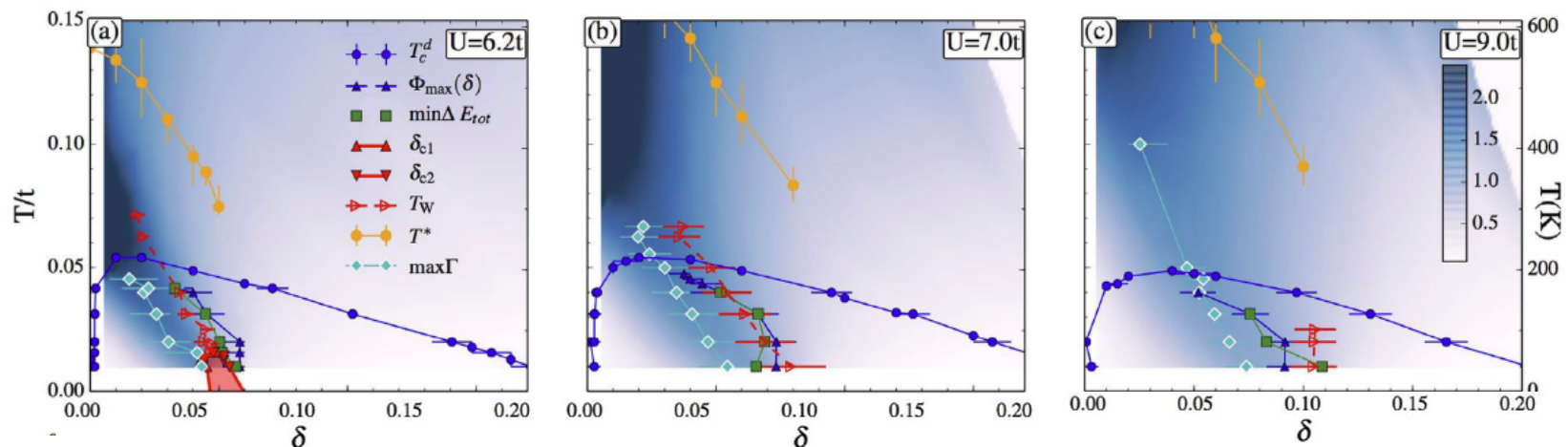


Connecting the finite doping behavior to the Mott transition at half-filling

$$U = 6.2$$

$$U = 7$$

$$U = 9$$





Giovanni Sordi



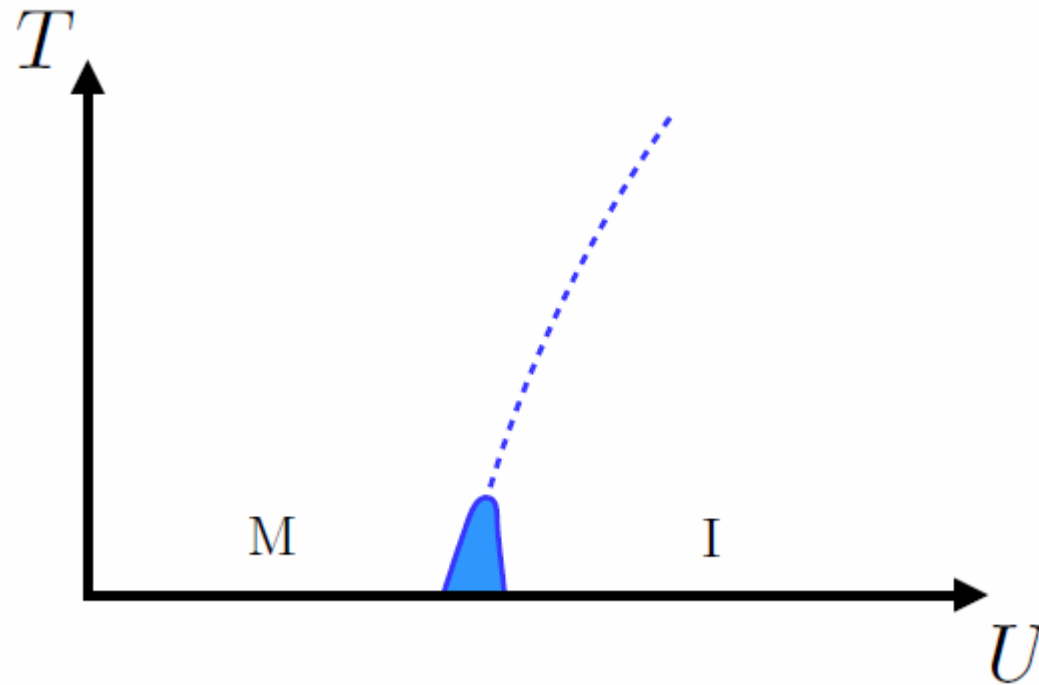
Kristjan Haule

Influence of the Mott transition away from half-filling

- Sordi et al., PRL 104, 226402 (2010)
- Sordi et al., PRB 84, 075161 (2011)
- Fratino et al., PRB 93, 245147 (2016) [Emery model]
- Sordi et al., Sci. Rep. 2 547 (2012);
- Sordi et al., PRB 87, 041101(R) (2013)

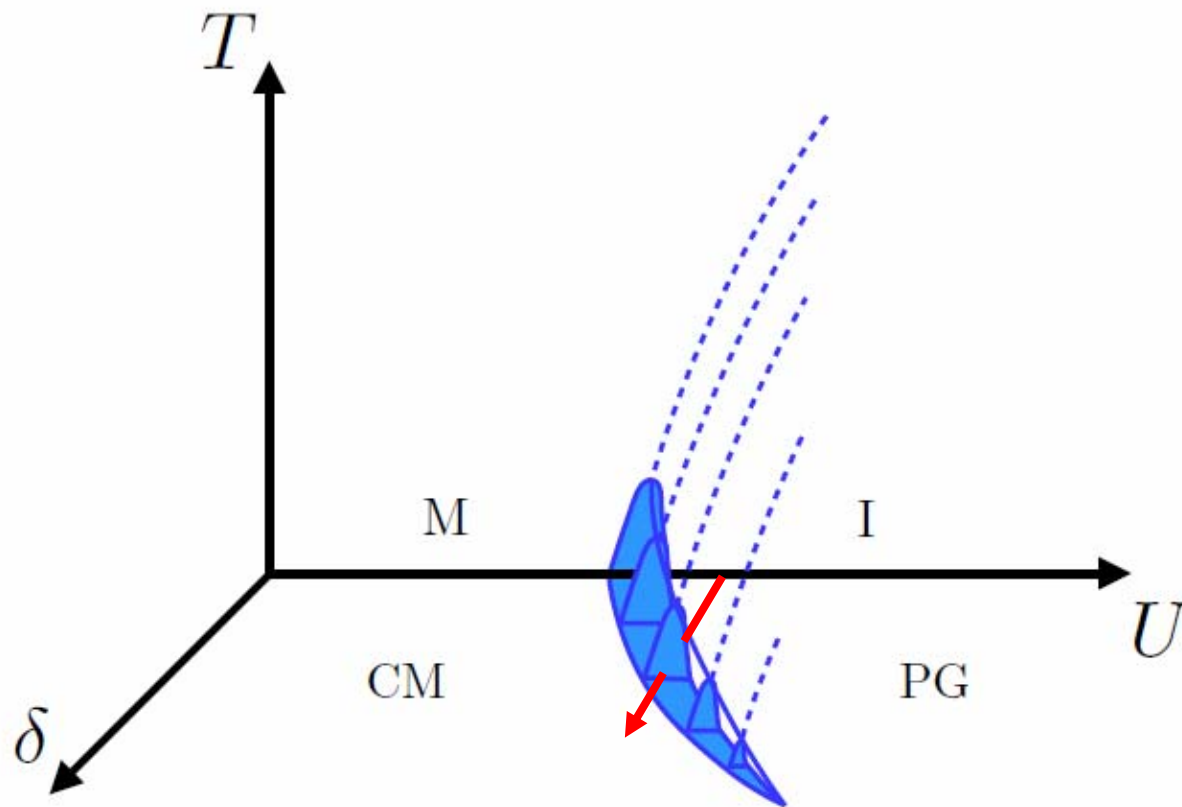
Influence of Mott transition away from half-filling

$n = 1, d = 2$ square lattice



Influence of Mott transition away from half-filling

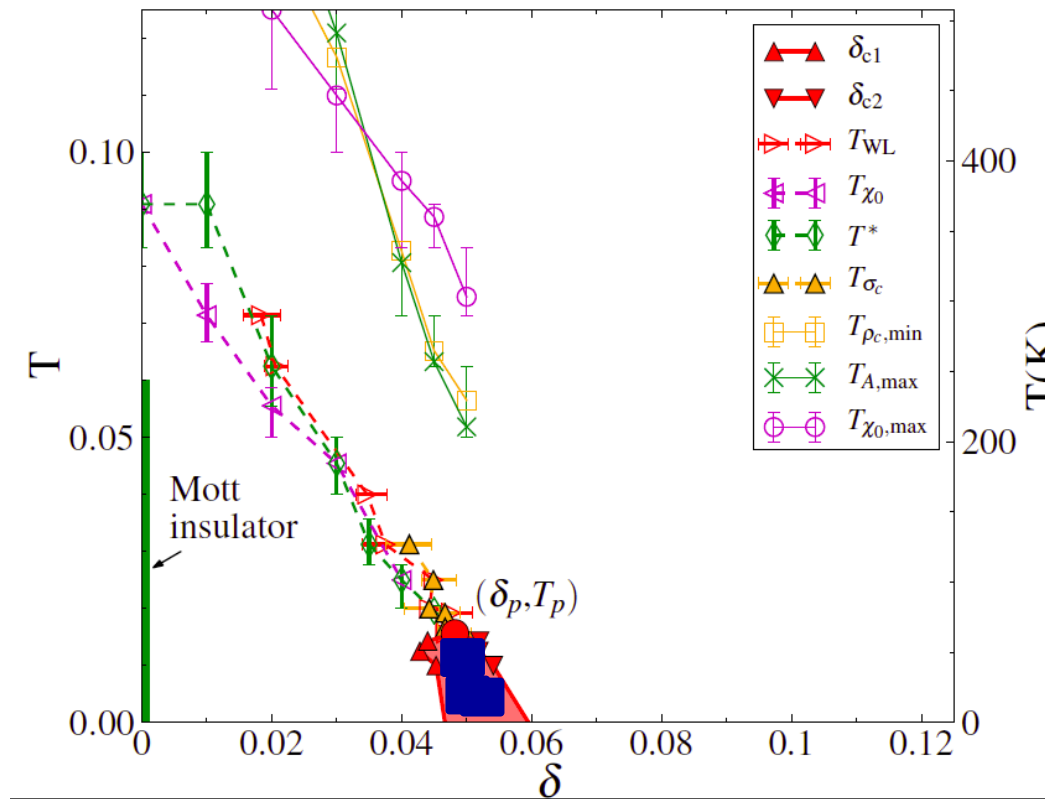
$n = 1, d = 2$ square lattice



Two crossover lines



Giovanni Sordi



Patrick Sémon

G. Sordi et al. Phys. Rev. Lett. 108, 216401/1-6 (2012)

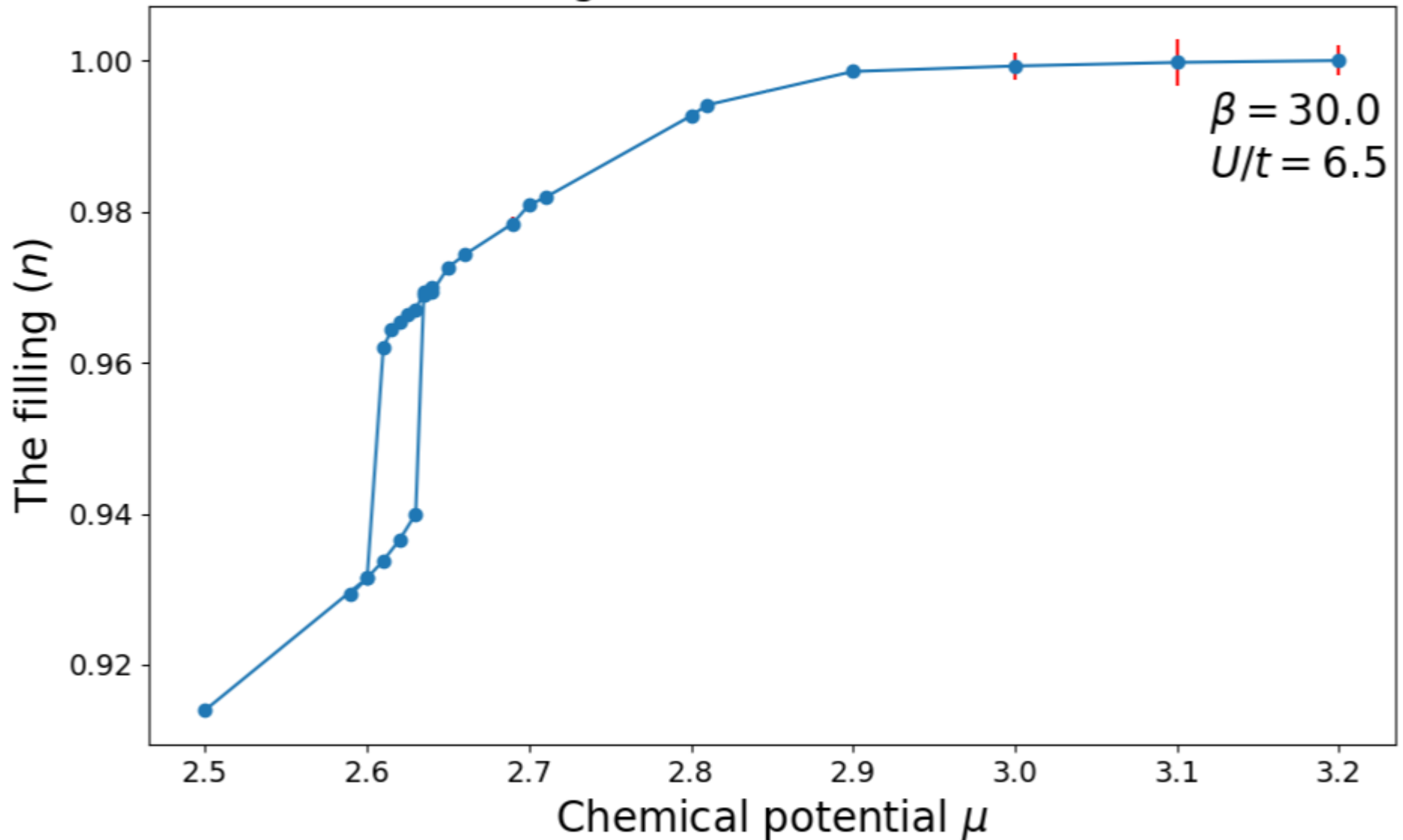
G. Sordi et al. Phys. Rev. B 87, 041101(R)/1-5 (2013)

P. Sémon, G. Sordi, et al., Phys. Rev. B **89**, 165113/1-6 (2014)

Anisotropic triangular, 3x2 cluster DCA



Filling of the sites ($n = 1 - \delta$)



Conclusion

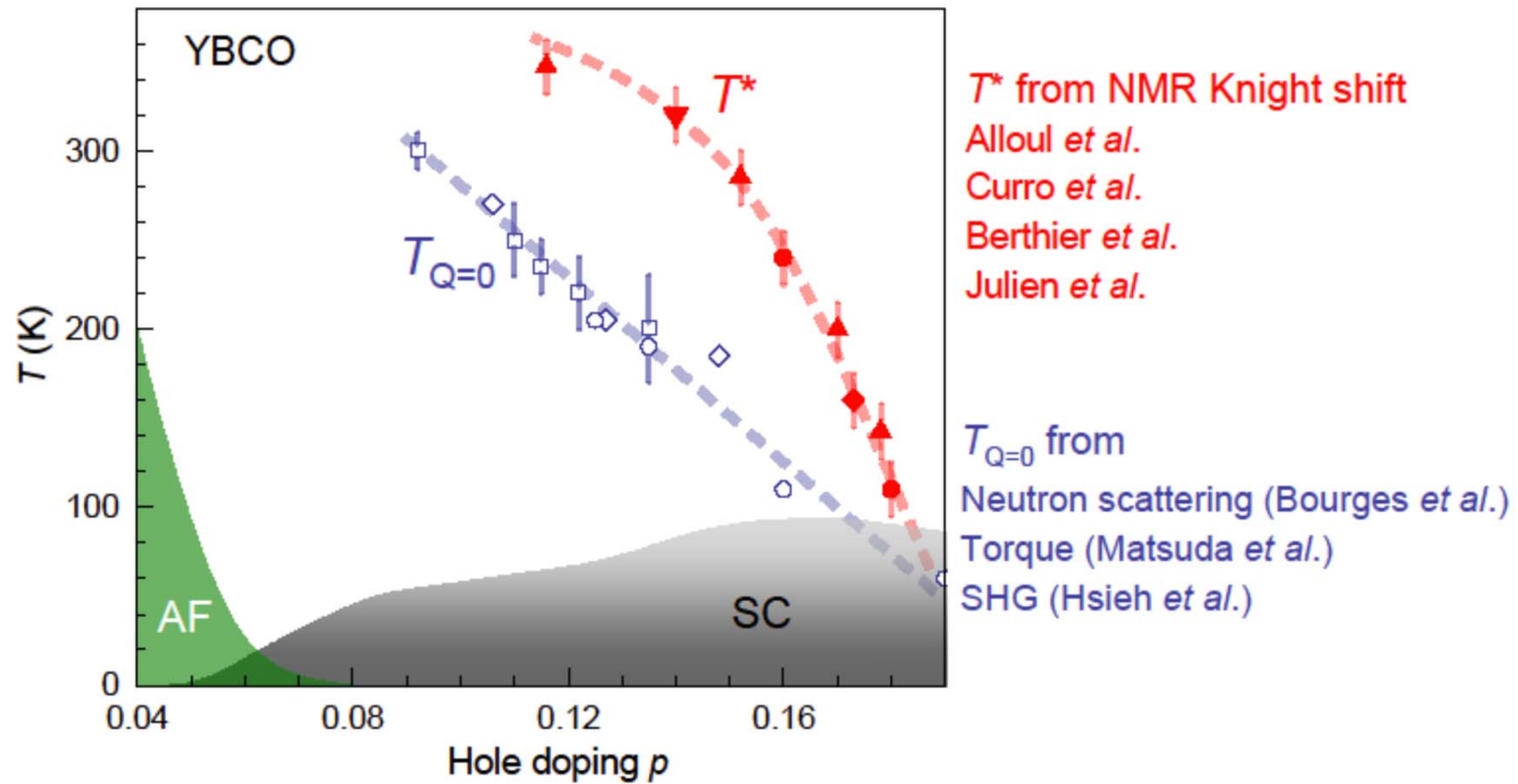
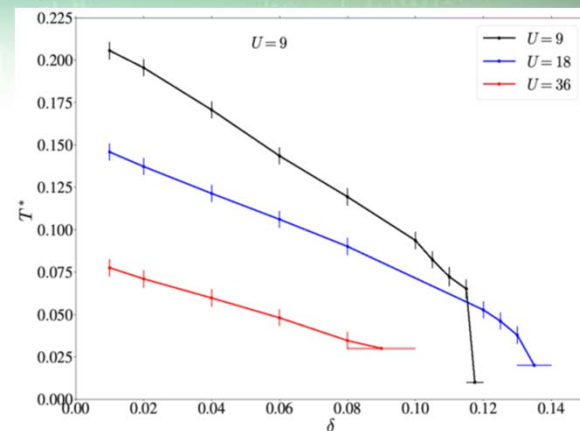
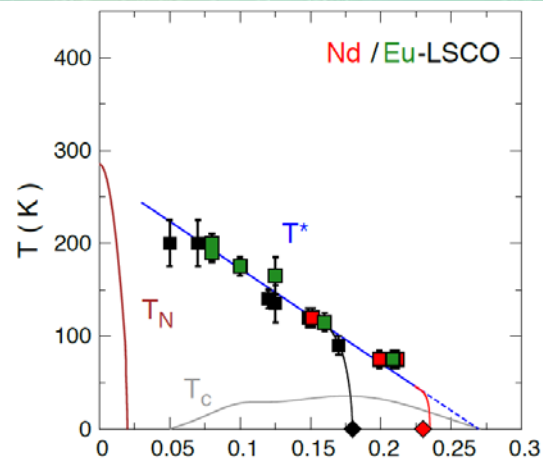
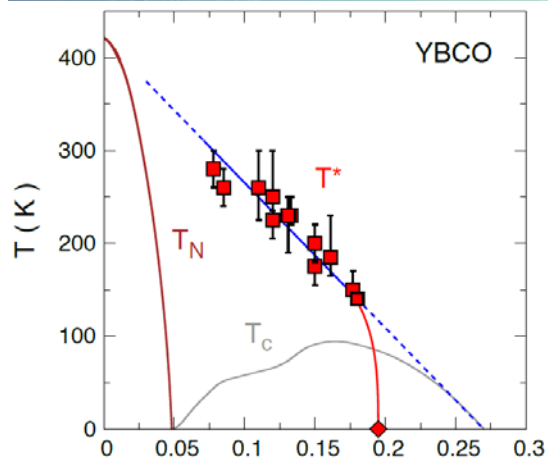
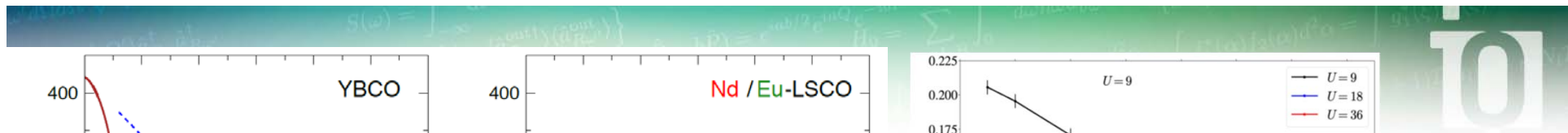
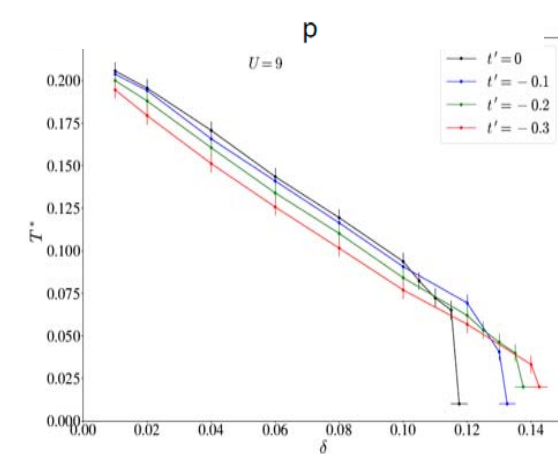
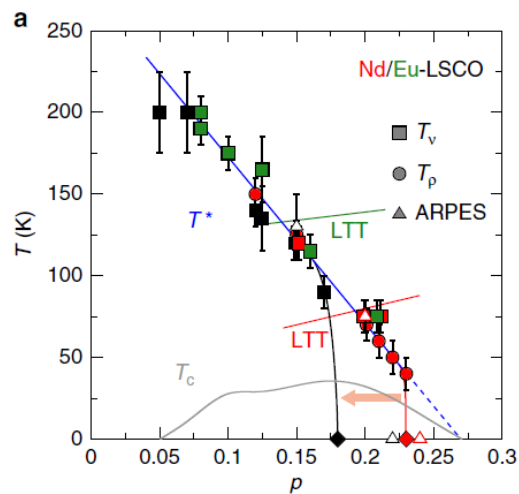


Figure from: Marc-Henri Julien

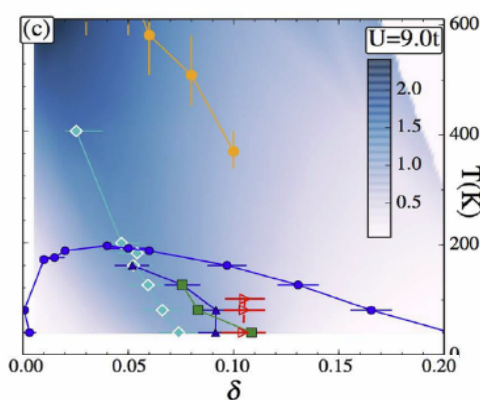
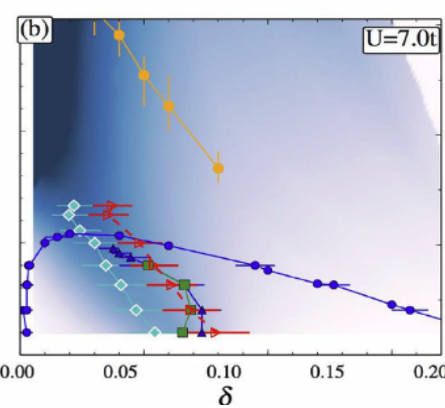
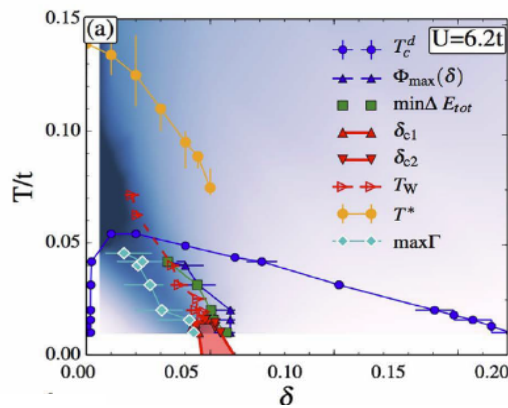


fall
 $T^* \sim J$



Pressure dep of p^*

$$p^* < p_{fs}$$

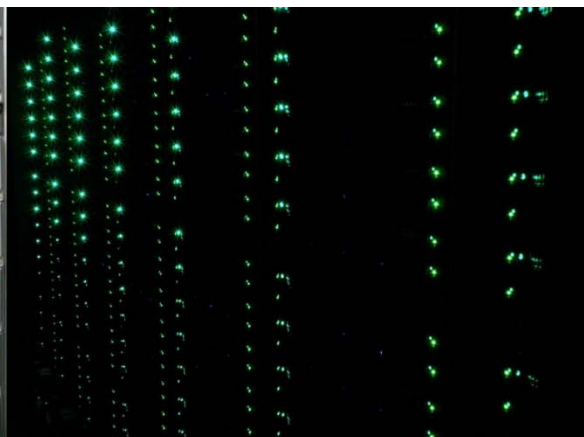


Conclusion

p^* in Hubbard is the end
of Mott physics

Mott transition and its
finite doping extension is
the organizing principle

Mammoth



Éducation,
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Le calcul de haute performance

CRÉER LE SAVOIR
ALIMENTER L'INNOVATION
BÂTIR L'ÉCONOMIE NUMÉRIQUE



Calcul Québec

Merci
Thank you